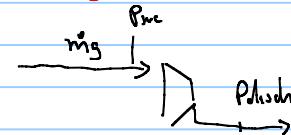
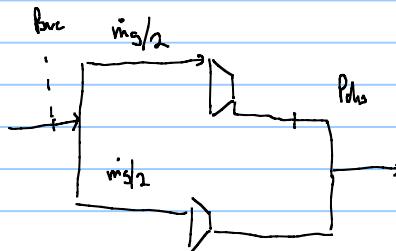


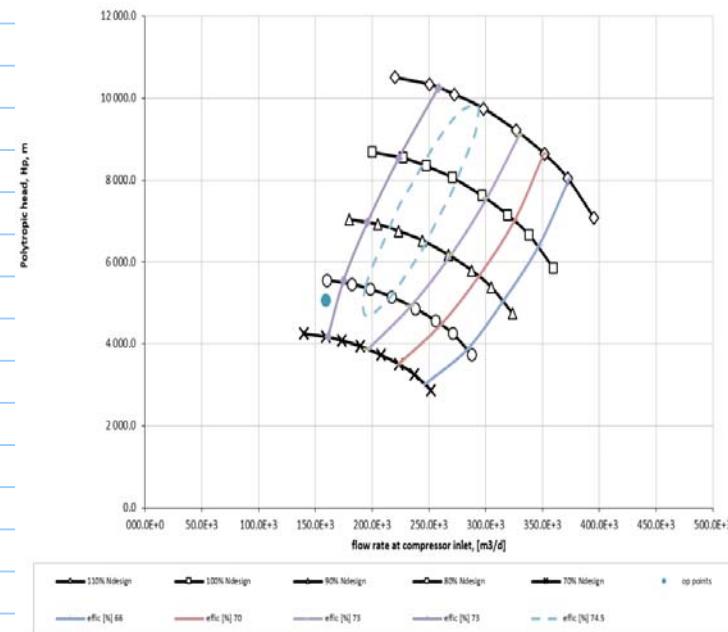
Comment when planning compressors in parallel.

 $P_L$ 

$$\underline{P} = \frac{\underline{H_p} \cdot g \cdot \dot{m}}{\eta_p \cdot \eta_m}$$



$\underline{P}$  per compressor is  $P_L/2$  because the mass flow was halved. BUT in reality  $\eta_p$  changes with  $\dot{m}$  because friction at compressor inlet is reduced



DT inlet cooler	Tsuc	rp	deltap	np-eff	n	Tdis	DT outlet cooler	Tin_pipeline	zsuc
[°C]	[°C]	[·]	[bar]	[·]	[·]	[°C]	[°C]	[°C]	
47	20	1.71	32.6	0.73	1.46	73.9	0	73.9	0.916
0	67	1.18	11.9	0.7	1.49	85.9	0	85.9	0.935
0	67	1.39	22.0	0.7	1.49	105.7	0	105.7	0.944
0	67	1.74	33.4	0.7	1.49	134.8	0	134.8	0.954
0	67	2.53	47.5	0.7	1.49	188.3	0	188.3	0.967
0	67	#VALUE!	#VALUE!	0.7	1.49	#VALUE!	0	#VALUE!	#VALUE!
0	67	#VALUE!	#VALUE!	0.7	1.49	#VALUE!	0	#VALUE!	#VALUE!
0	67	#VALUE!	#VALUE!	0.7	1.49	#VALUE!	0	#VALUE!	#VALUE!

for 1st year of operation

$$\Delta p_{ch} = 30 \text{ bar}$$

$$\Delta t_{cooler} = 10^\circ\text{C}$$

k	1.30	Tin, K	298.15
Polytropic effic	0.7	Zin	0.98
Mech. Effic	0.95	Mw	28.97

zdisc	Bg @suc	qg_local	Hp	m	Power	Hp test	qact test	qact test single comp
	[m³/Sm³]	[m³/d]	[m]	[kg/s]	[MW]	[m]	[m³/d]	[m³/d]
0.933	2.05E-02	409.9E+3	8366.0	155.7E+0	18.43	5064.5	318899.1772	159449.5886
0.942	1.68E-02	335.2E+3	2851.9	155.7E+0	6.55	1487.9	242119.9827	121059.9913
0.955	1.99E-02	398.4E+3	5924.7	155.7E+0	13.61	3091.0	287755.5395	143877.7697
0.970	2.52E-02	504.1E+3	10505.5	155.7E+0	24.13	5480.9	364116.1919	182058.096
0.988	3.72E-02	743.8E+3	19107.5	155.7E+0	43.89	9968.8	537247.0699	268623.535

lets estimate cooler duty

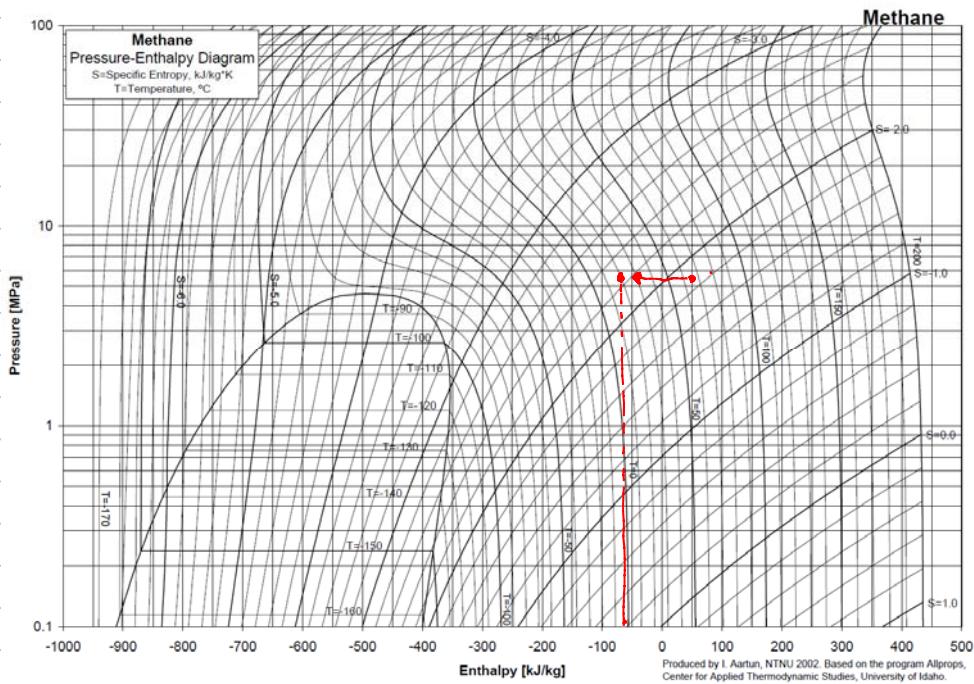
$$\dot{Q} = \dot{m}(h_{in} - h_{out})$$

$$Q = 155 \text{ kJ/kg} (50 - 60) = 155.110000$$

$$= 14 \text{ MW}$$

required cooling duty in year 1  
of compression

must be bigger than Asgard's



Cooler inlet

$$T = 61^\circ\text{C}$$

$$p = 4.6 \text{ MPa}$$

$$h_m \approx 50 \text{ kJ/kg}$$

$$h_{out} = -60 \text{ kJ/kg}$$

$$T_{out} = 20^\circ\text{C}$$

$$T_{out} : T_{in} = 4.6 \text{ MPa}$$

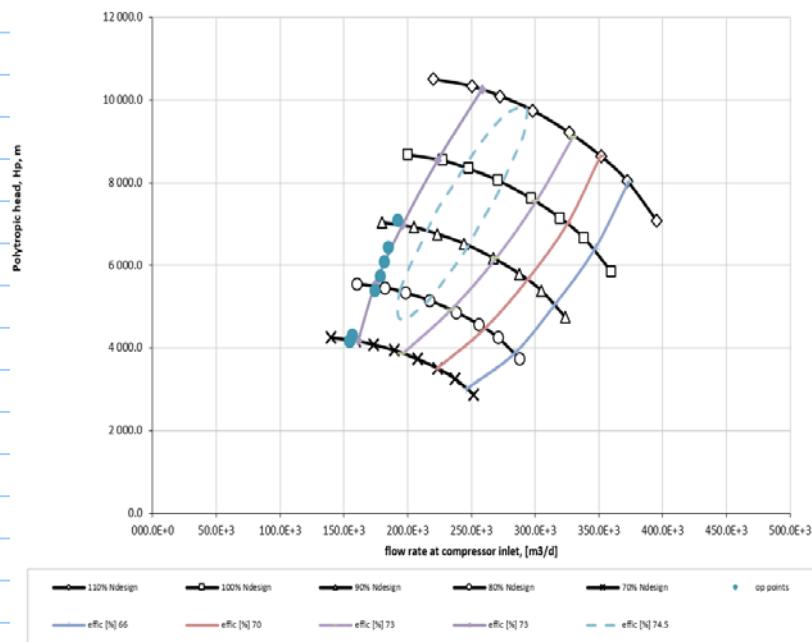
The inlet cooler seems to have a too high duty (17) compared to Asgaard (11 MW).

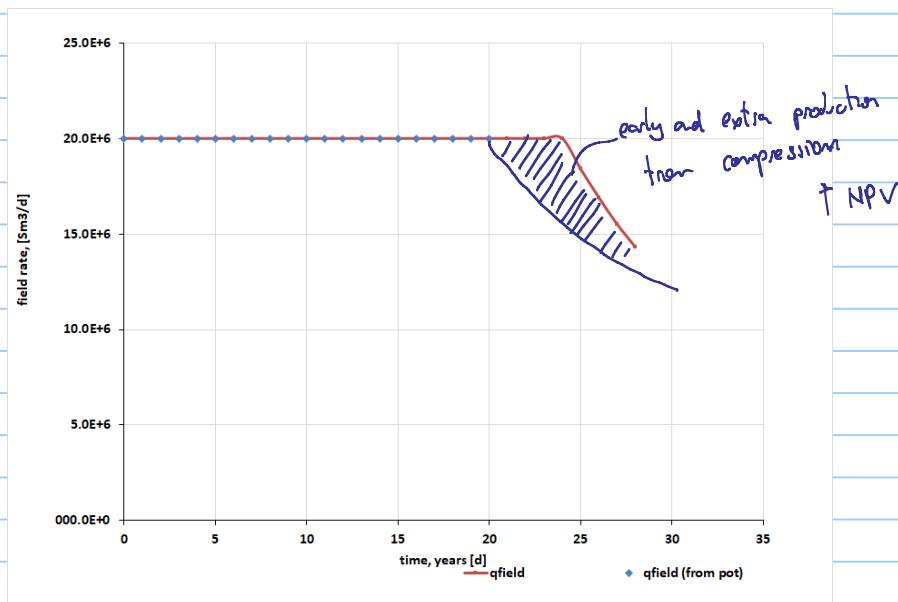
two options:

- make bigger / more efficient cooler  $\$ \$ \$$

- $\Delta T_{cooler}$  must be reduced  $\rightarrow$  more power is required  
 $T_{out}$  will be higher

$\Delta T_{cooler} \approx 20^\circ\text{C}$  still works !





How to deal and quantify uncertainty in field development

for example in our Snøhvit case

$$\hookrightarrow G, N, q_f = C_p (P_2^2 - P_w^2)^n$$



$$\text{uptime } \frac{90-100\%}{365} \left( \frac{\text{nr day producing in year}}{\text{365}} \right)$$

- $\hookrightarrow$  cause additional OPEX
- $\hookrightarrow$  cut in production  $\rightarrow$  cut in revenue

input variables used in engineering studies in FD are highly uncertain

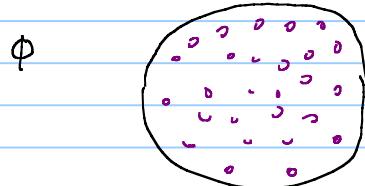
$\phi_{min} \leq \phi \leq \phi_{max}$  and affect the value of KPIs that are used to discriminate and select development alternatives.

$$T_{RP} = N_{PV} = \frac{V_R \cdot \phi \cdot N_{IG} \cdot S_o}{B_o} \quad \begin{matrix} \text{volume of oil at local reservoir condition} \\ \text{total recoverable reserves} \end{matrix}$$

$$V_R \quad \left\{ V_{Rmin} - V_{Rmax} \right\}$$

deterministic calculation; all input is known

probabilistic calculation; input is uncertain



number sample	$\phi$
-	-
-	-
-	-
-	-

discrete

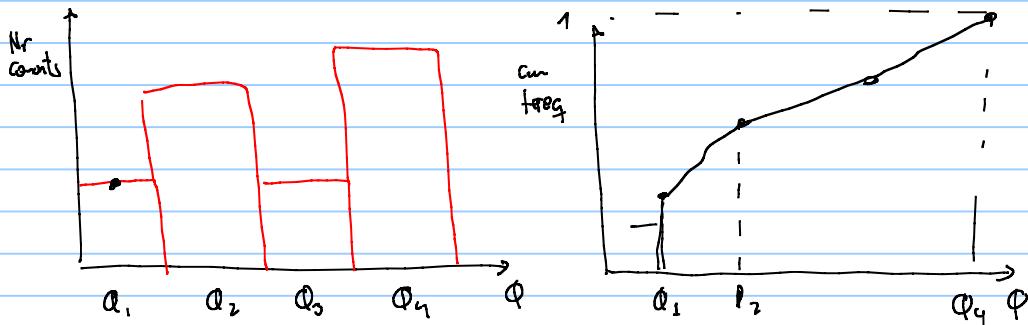
frequency analysis

create bins mm

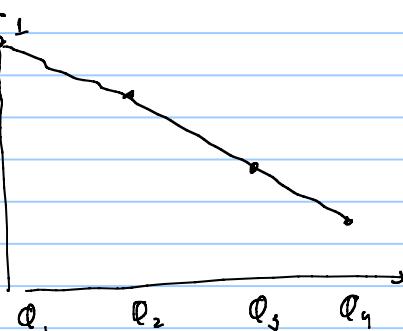
$$\Phi_1 \text{ (0.15)} \quad \text{if } \Phi_i = 0.18$$

$$\Phi_2 \text{ (0.20)} \leftarrow \Phi_i \leq \Phi_i \leq \Phi_2$$

$$\Phi_3 \text{ (0.25)} \quad \text{if } \Phi_i < \frac{(\Phi_2 - \Phi_1)}{2} + \Phi_1 \rightarrow \text{counted as part of } \Phi_1$$

$$\max \quad \Phi_4 \text{ (0.30)}$$


$b_m$	Nr counts	rel. frequency	cum frequency	nr. cum frequency
$\Phi_1$	x	$x/N$	$x/N$	$(x+w+z+y)/N$
$\Phi_2$	y	$y/N$	$y/N + x/N$	$(w+z+y)/N$
$\Phi_3$	z	$z/N$	$y/N + z/N + x/N$	$(w+z)/N$
$\Phi_4$	w	$w/N$	$x+y+z+w$	$w/N$
				$N$



how to do frequency analysis in excel :

	A	B	C	D	E	F	G
1	Variable			min	1		
2	10			max	10		
3	7			Nr bins	5		
4	2			delta	2.25		
5	6						
6	1			bins	nr counts		
7	8			1	4		
8	1			3.25	4		
9	7			5.5	1		
10	3			7.75	3		
11	9			10	7		
12	1						
13	4						
14	8						
15	2						
16	8						
17	1						
18	9						
19	3						
20	10						

to create bins :

from max  
find min  
define Nr bins  
calculate delta =  $\frac{(max-min)}{(Nr\ bins - 1)}$

compute each bin  
 $b_i = b_{i-1} + \text{delta}$

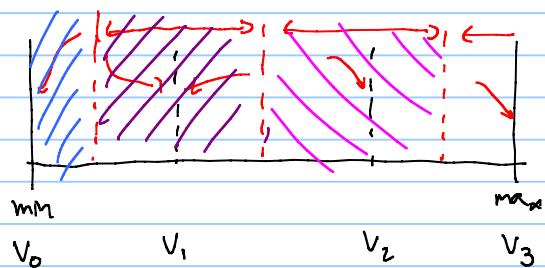
starting from  $b_m = m\Delta$

to apply frequency function.

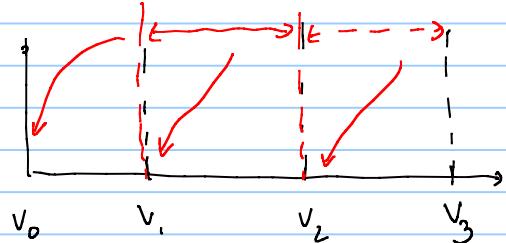
ctrl + shift + enter (in sequence and leave it pressed)

Selecting bins must take into account

- nr data points



be careful how the frequency is accounted for



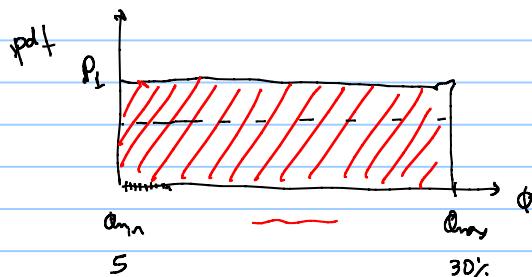
what happens if there are no measurements?

frequency  $\sim$  probability

rel frequency  $\sim$  pdf probability density function

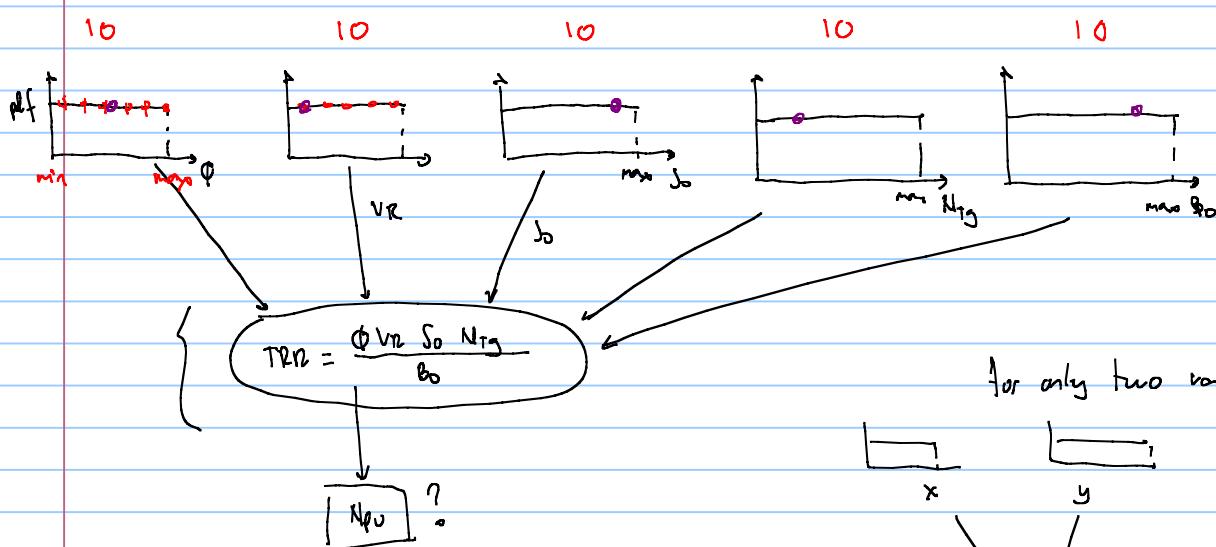
cum frequency dist  $\sim$  cdf cumulative distribution function

poor boy, no data pdf  $\emptyset$  continuous probability

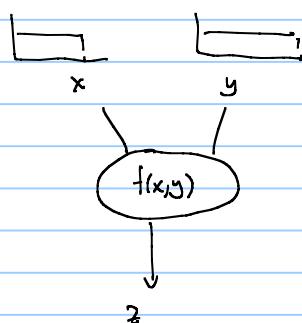


$$A_{\text{min}} = (\phi_{\text{max}} - \phi_{\text{min}}), P_1 = 1$$

$$P_1 = \frac{1}{(\phi_{\text{max}} - \phi_{\text{min}})}$$



for only two variables:

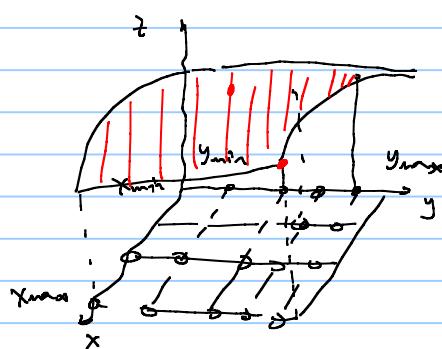


uniform sampling requires

$$10 \times 10 \times 10 \times 10 \times 10 = 10^5 \text{ simulations}$$

$$10^5 \cdot 10 \text{ min} = 1000 \text{ min}$$

694 days



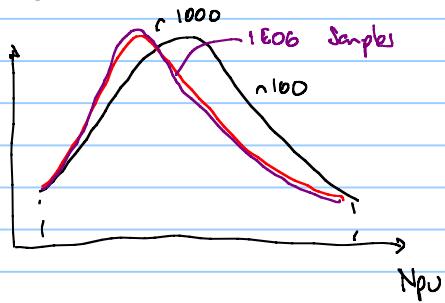
for many variables we use "sampling methods"

Evaluate many combinations of  $(x_i, y_i)$  and then do a frequency analysis on the results

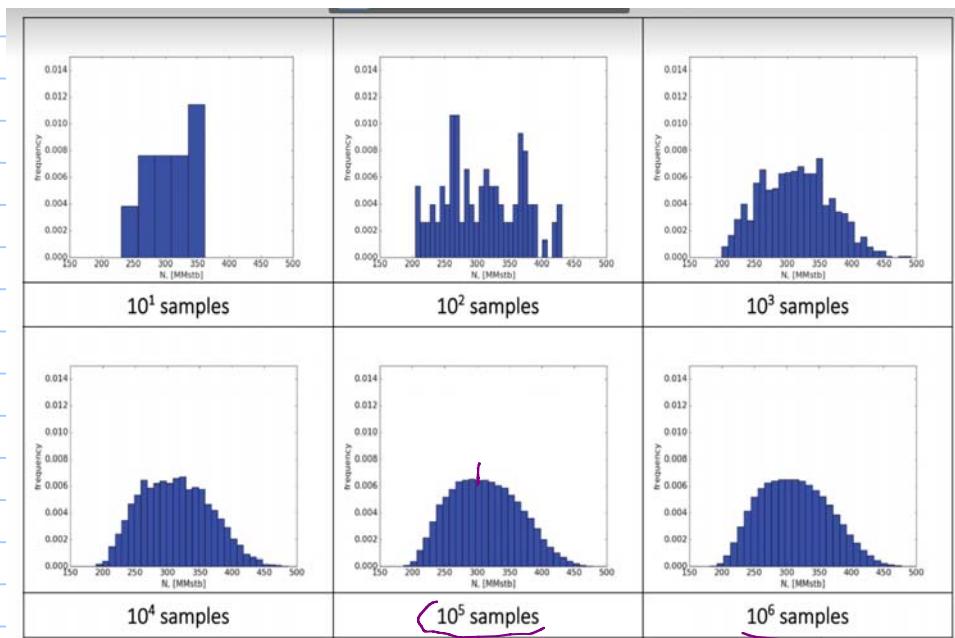
$x$	$y$	$z$
$x_1$	$y_1$	$z_{1,1}$
$x_1$	$y_2$	$z_{1,2}$

### Monte Carlo sampling

- 1: take a random value of the variable in the interval for each variable
- 2: Complete the output variable  $\rightarrow$  record result
- 3: repeat 1-2 many times
- 4: frequency analysis of results

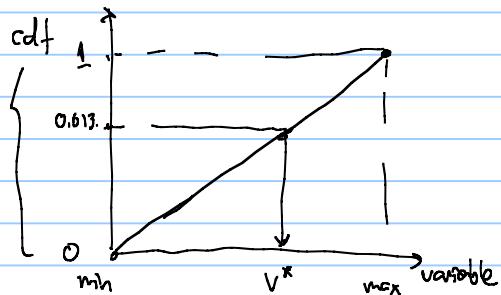
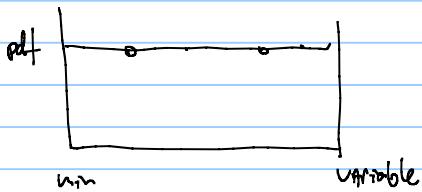


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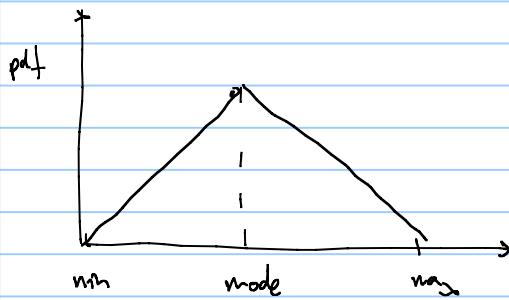


## number of required iterations (page 113)

sampling is made on cdf



$$\text{Var} = \text{min} + \frac{(\text{max} - \text{min})}{(1 - 0)} (\text{Rand} - 0)$$



Function x\_uniform(a, b)

'value of the variable x for a uniform distribution

'a is the minimum value of x

'b is the maximum value of x

'U is the random number

Application.Volatile (True)

U = Rnd()

x\_uniform = a + (b - a) \* U

End Function

Function x\_Triangular(a, b, c)

'value of the variable x for a Triangular distribution

'a is the minimum value of x

'b is the maximum value of x

'c is the mode value of x

'U is the random number

Application.Volatile (True)

U = Rnd()

F\_c = (c - a) / (b - a)

If F\_c > U Then

x\_Triangular = a + Sqr((b - a) \* (c - a) \* U)

Else

x\_Triangular = b - Sqr((b - a) \* (b - c) \* (1 - U))

End If

End Function

Function Npu(Bo, Fr, RV, Por, Ntg, So)

'total recoverable reserves, in stb or Sm<sup>3</sup>

'por porosity, fraction

'Ntg Net to gross, fraction

'So oil saturation, fraction

'Bo oil formation volume factor, (m<sup>3</sup>/Sm<sup>3</sup> or bbl/stb)

'Fr ultimate recovery factor, fraction

Npu = RV \* Por \* Ntg \* So \* Ntg / Bo

End Function