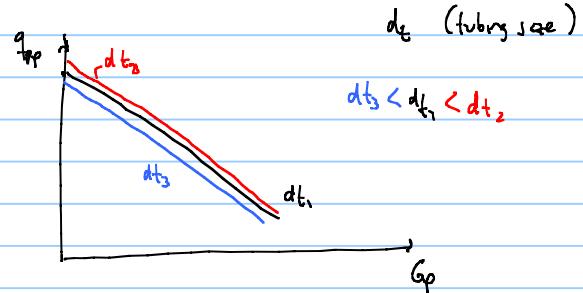
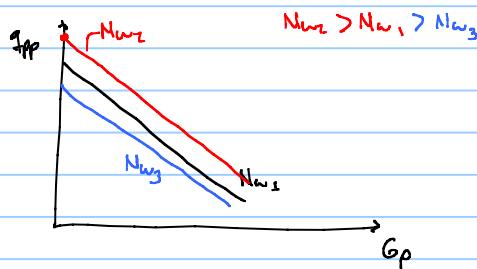
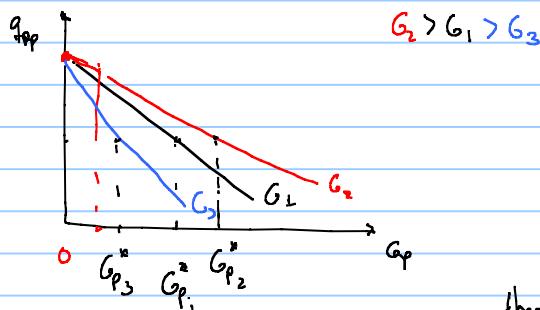


Some comments on prediction potential: changing nr. wells modifies the potential



changing G modifies the potential



q_{plateau} which one gives me now q_{plateau} ?

$$q_{\text{plateau}} = \frac{G_p^*}{q_{\text{plateau}}} \quad \frac{G_p^*}{q_{\text{plateau}}} \quad \frac{G_p^*}{q_{\text{plateau}}}$$

there is a big uncertainty in G during field development

- how can we use q_{pp} vs G_p to estimate q_{field} post plateau? \rightarrow either N or G

i) Analytical derivation, if q_{pp} vs G_p is easy to integrate

ii) time-wise calculation: for each tree, with G_p^t , read in (curve) $q_{\text{pp}}(G_p^t)$

- if q_{pp}^t is greater than q_{target} then produce q_{target} and move to next tree step $\Delta G_p = \Delta t \cdot q_{\text{target}}$

- if $q_{\text{pp}}^t < q_{\text{target}}$ then

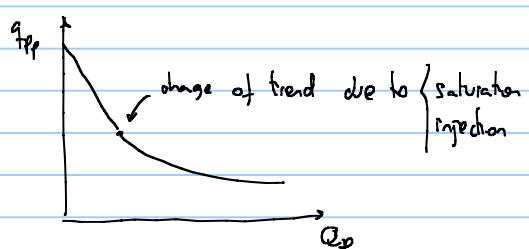
produce q_{pp}^t and move to next tree step $\Delta G_p = \Delta t \cdot q_{\text{pp}}^t$

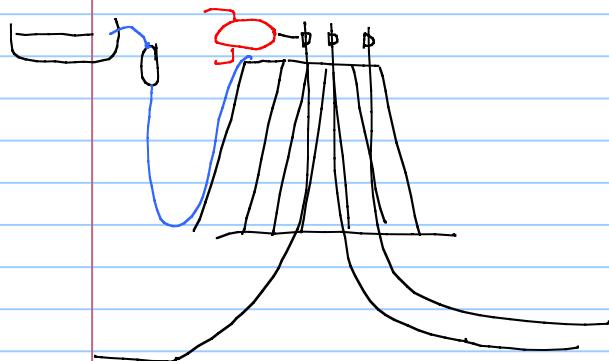


$$q_{\text{pp}} = -2.09E-04x + 5.17E+07$$

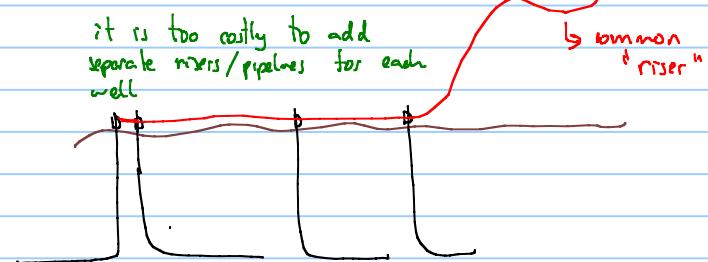
potential curves might have a non-linear behavior

time	G_p [Sm3]	q_{plateau} [Sm3/d]	q_{pp} [Sm3/d]	q_{field} [Sm3/d]
0	0.00E+00	3.00E+07	5.17E+07	3E+07
1	1.10E+10	3.00E+07	4.94E+07	3E+07
2	2.19E+10	3.00E+07	4.71E+07	3E+07
3	3.29E+10	3.00E+07	4.48E+07	3E+07
4	4.38E+10	3.00E+07	4.25E+07	3E+07
5	5.48E+10	3.00E+07	4.03E+07	3E+07
6	6.57E+10	3.00E+07	3.80E+07	3E+07
7	7.67E+10	3.00E+07	3.57E+07	3E+07
8	8.76E+10	3.00E+07	3.34E+07	3E+07
9	9.86E+10	3.00E+07	3.11E+07	3E+07
10	1.10E+11	3.00E+07	2.88E+07	2.9E+07
11	1.20E+11	3.00E+07	2.66E+07	2.7E+07
12				

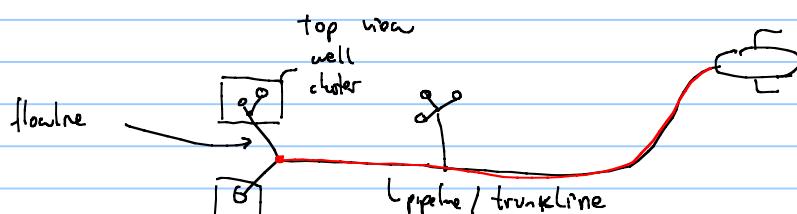


Networks

Floating, production, storage and offloading FPD

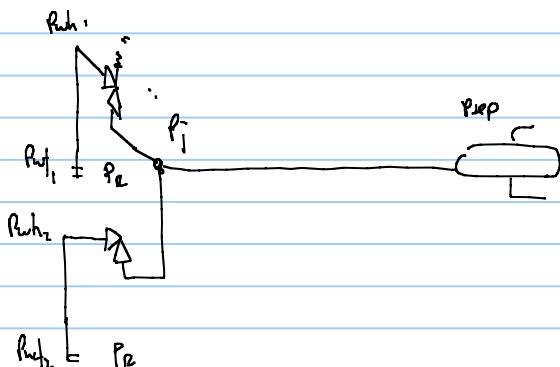


Subsea gathering network



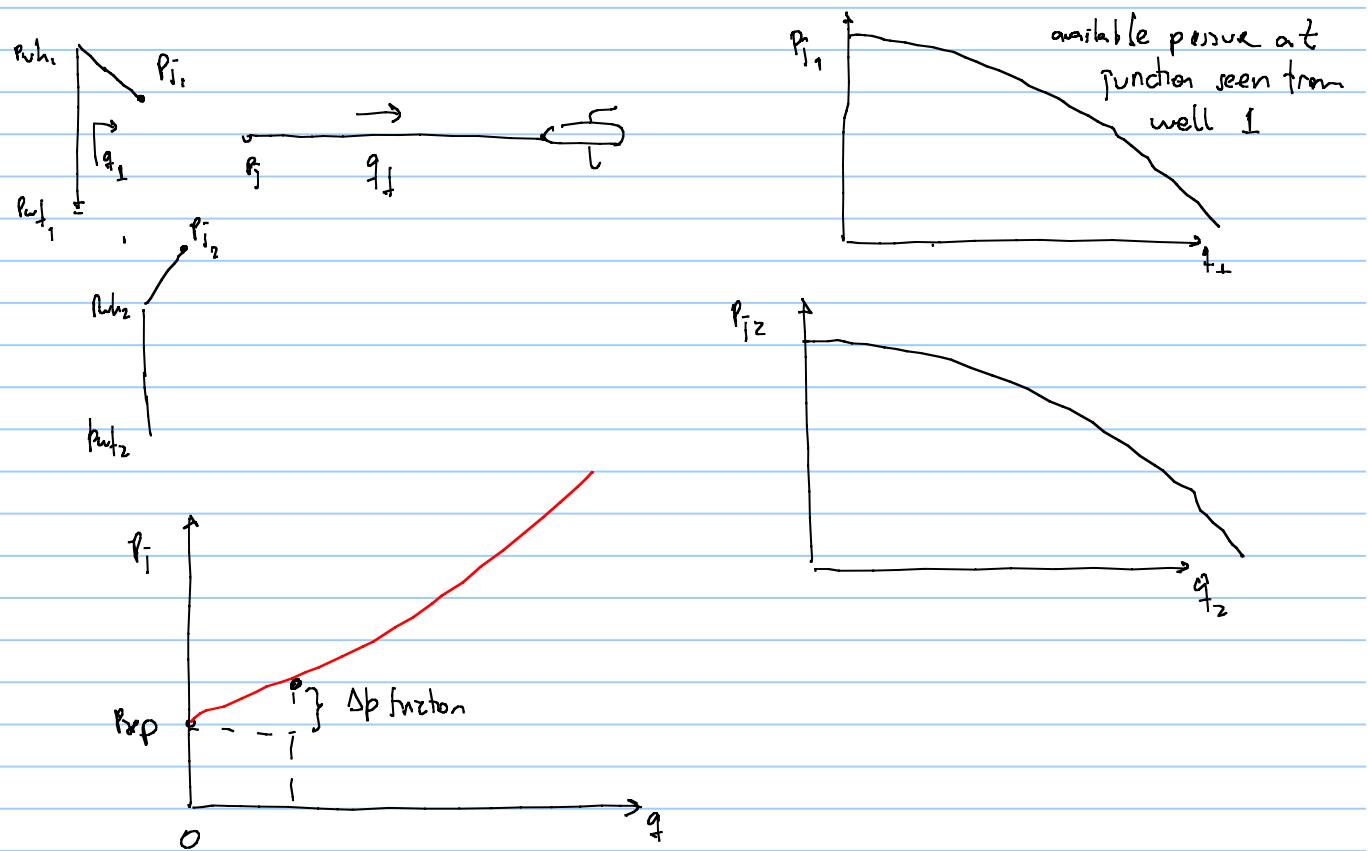
each well depends / is affected by the production of other wells in the network

How to solve networks?



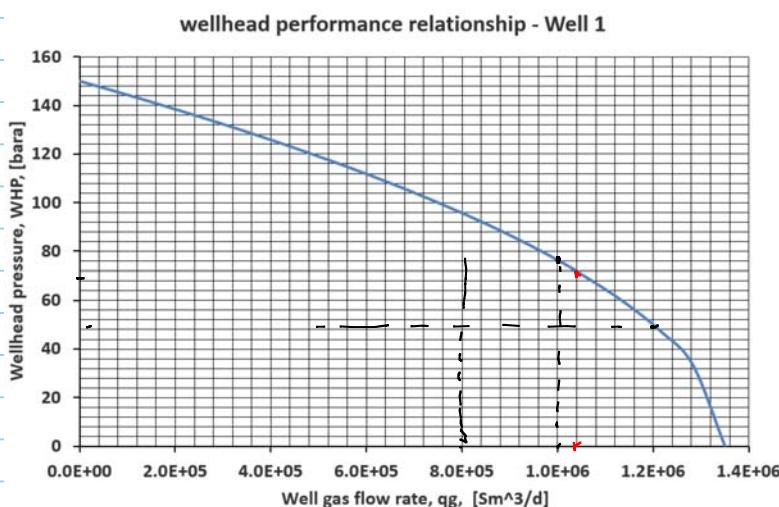
Dry gas networks

	nr. equations	w. unknowns	
TPR $q_{an} = C_p (P_a - P_{w1})^n$	2	4	
TPR $q_w = C_f \left(\frac{P_{w1}^2 - P_{wh}^2}{e^3} \right)^{0.5}$	2	2	to find rates, solve this system of equations
PPR $q_{field} = C_p (P_j^2 - P_{sep}^2)^{0.5}$	1	2	
mass conservation in junction $q_f = q_{an} + q_{w2}$	1	0	
pressure balance in junction $P_{wh1} = P_j$ (if open choke and $P_{wh2} = P_j$ (1 and 2 close to junction))	2	0	
			8



Task 1 (9 POINTS). Calculate the operating flow rates when the chokes are fully open. Verify if the H₂S concentration of the field is higher than the maximum value allowed (5.7 mg/Sm³)

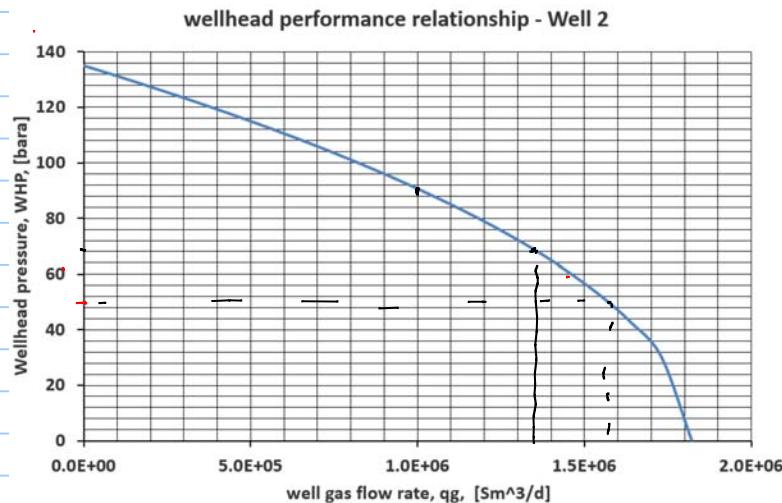
Task 2. (6 POINTS) If the H₂S constraint is violated, please find an operational point that does not violate the H₂S constraint (by choking one or two wells). Hint: Fix the rate on both wells. Report the pressure drop across the chokes.



$$\begin{aligned} q_1 &= 0.8 \times 10^6 \text{ Sm}^3/\text{d} & ? \\ q_2 &= 0.8 \times 10^6 \text{ Sm}^3/\text{d} & ? \end{aligned}$$

Is it possible to produce these rates?

one possible option
 guess: $q_f = 1 \times 10^6 \text{ Sm}^3/\text{d}$ $P_{ij} = 76 \text{ bara}$
 $q_1 = 1 \times 10^6 \text{ Sm}^3/\text{d}$ $P_{ij1} = 90 \text{ bara}$
 $q_f = 2 \times 10^6 \text{ Sm}^3/\text{d}$ $q_2 = 54 \text{ Sm}^3/\text{d}$

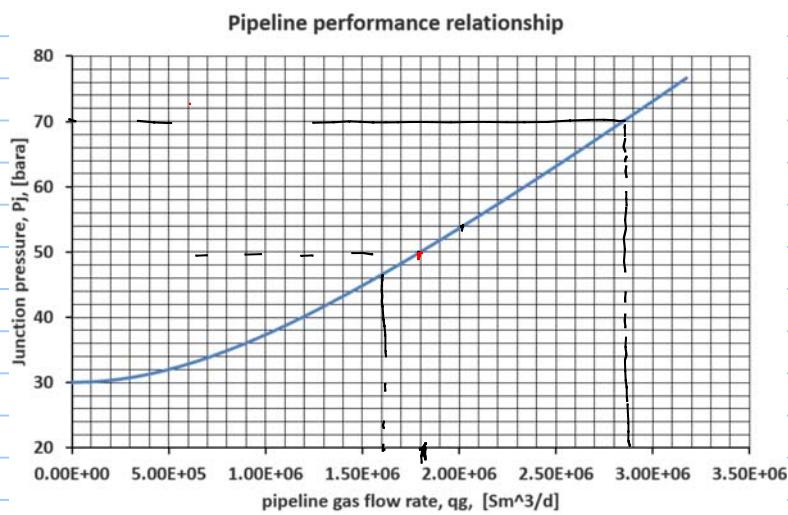


much better to iterate with p_j

$$p_j = 50 \text{ bara}$$

$$q_1 = 1.2 \times 10^6 \text{ Sm}^3/\text{d}$$

$$q_2 = 1.5 \times 10^6 \text{ Sm}^3/\text{d}$$



$$q_1 = 1.8 \times 10^6 \text{ Sm}^3/\text{d}$$

$$\sim 1.5 \times 10^6 \text{ Sm}^3/\text{d}$$

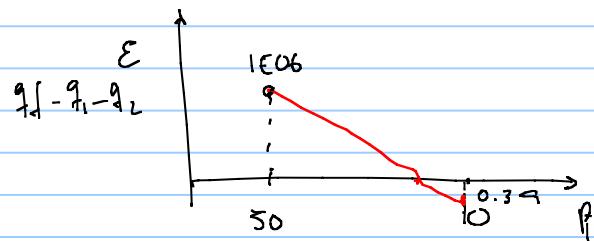
$$p_j = 70 \text{ bara}$$

$$q_1 = 1.0 \times 10^6 \text{ Sm}^3/\text{d}$$

$$q_2 = 1.35 \times 10^6 \text{ Sm}^3/\text{d}$$

$$7.8 \times 10^6$$

$$-0.39$$



$$\frac{100 - (-0.39 \times 100)}{50 - 10} = \frac{100 - 0}{50 - p_j^*}$$

$$\text{the solution is } p_j^* = 69 \text{ bara}$$

$$q_1 = 1.1 \times 10^6 \text{ Sm}^3/\text{d}$$

$$q_2 = 1.45 \times 10^6 \text{ Sm}^3/\text{d}$$

impose rate $q_1 = 0.8 \text{ E } 06 \text{ Sm}^3/\text{d}$

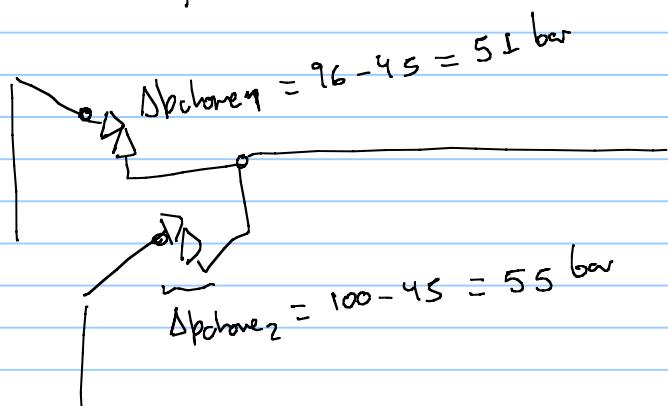
$$q_2 = 0.8 \text{ E } 06 \text{ Sm}^3/\text{d}$$

calculate available pressure and required pressure at junction.

$$p_{j1} = 96 \text{ bar} \rightarrow p_{wh1}$$

$$p_{j2} = 100 \text{ bar} \rightarrow p_{wh2}$$

$$p_j = 45 \text{ bar} \rightarrow p_{whj}$$



with depletion $p_{r1} \rightarrow p_{r2}$ the feasible area "shrinks"

