

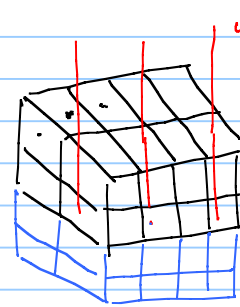
- Production scheduling
- Dry gas equations
- introduction to excel VBA (functions)
- class exercise

Production profiles (field performance) are typically estimated with:

examples of commercial software

- ECLIPSE
- CMG
- Intersect
- Nexus
- MRST
- OPM
- SENSOR

• Reservoir simulator.



- target rate q_f
- minimum bottomhole pressure $\rightarrow$

try to produce target rate, if not, change to minimum bottomhole pressure

in PD, a workflow that is typically used by oil companies to compute realistic production profiles is:

Reservoir engineering

- 3D reservoir model

$$q_{\text{target rates}}(t) \sim q(t)$$

$$P_{\text{bottom}}(t) \quad P_{\text{wf}}(t)$$

Production and facilities engineering

production simulator (steady-state)
check at each point in time is

$q(t)$ } feasible?
 $P_{\text{wf}}(t)$ } is it enough to reach separator?

example of commercial software

- Pipesim
- Prosper, gap
- olga
- pipesoft
- PeO

if not, try to make it feasible
flag years in which it is not possible to produce the rates

send feedback to

At early PD, there is usually no information on wells, gathering network or facilities, thus they are typically neglected

- Reservoir simulator coupled with a well + gathering network simulator in a IAM software

↳ integrated asset management

examples
of
software

- Resolve
- Avocet
- Pipe-it (now Tieto)

- material balance + Inflow performance relationship

p_R
 S_o vs t
 S_g
 S_w

$$q = f(p_R, p_{wf})$$

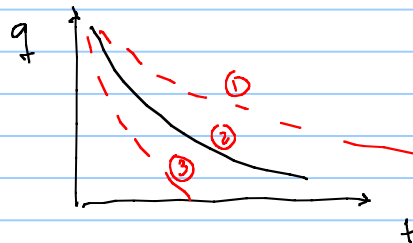
needs assumption on p_{wfmin}

- material balance + well + network model

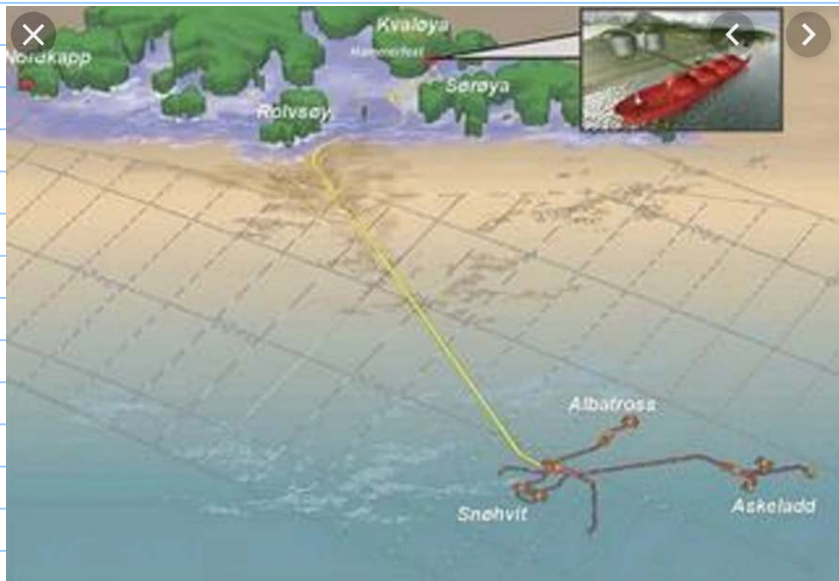
p_R
 S_o vs t
 S_g
 S_w

$$q = f(p_R, p_{wp})$$

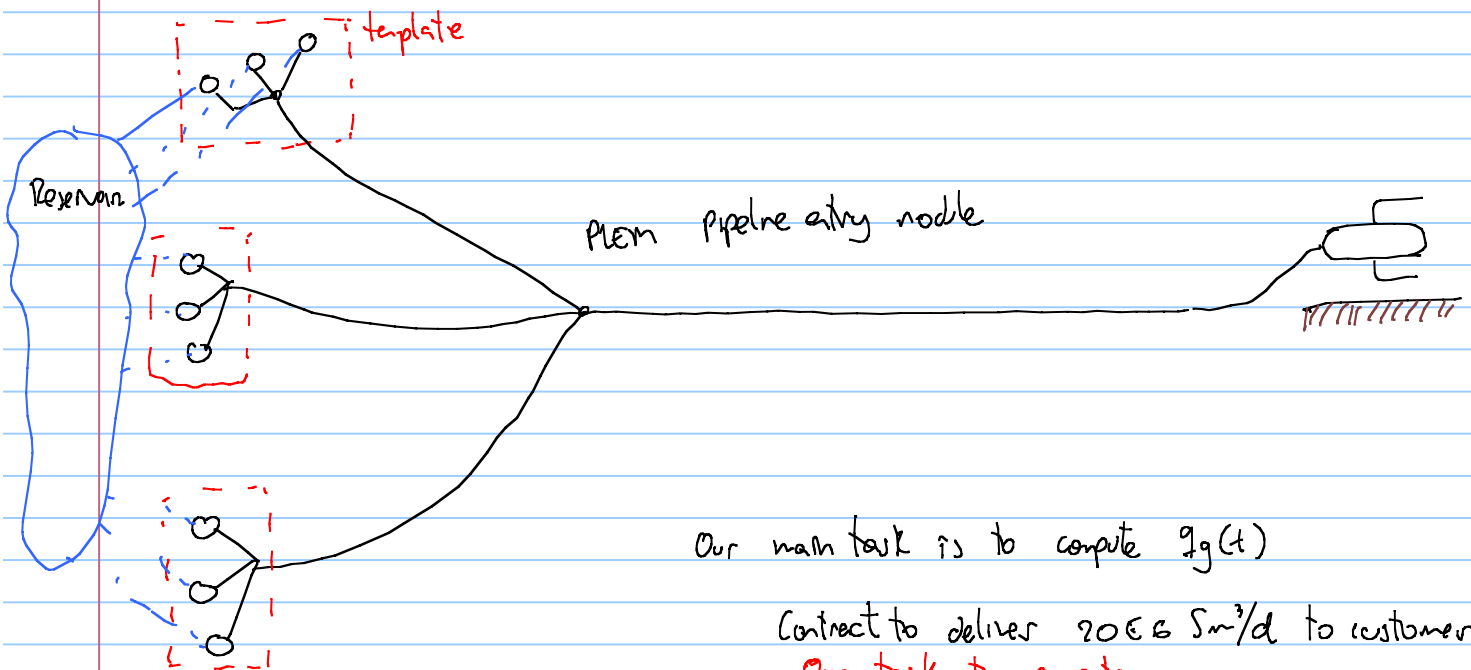
- decline or type curves { very early FO }



Class exercise: Production scheduling of Snowwhite field



Dry gas field



Our main task is to compute $q_g(t)$

Contract to deliver $20 \text{ to } 25 \text{ Sm}^3/\text{d}$ to customer

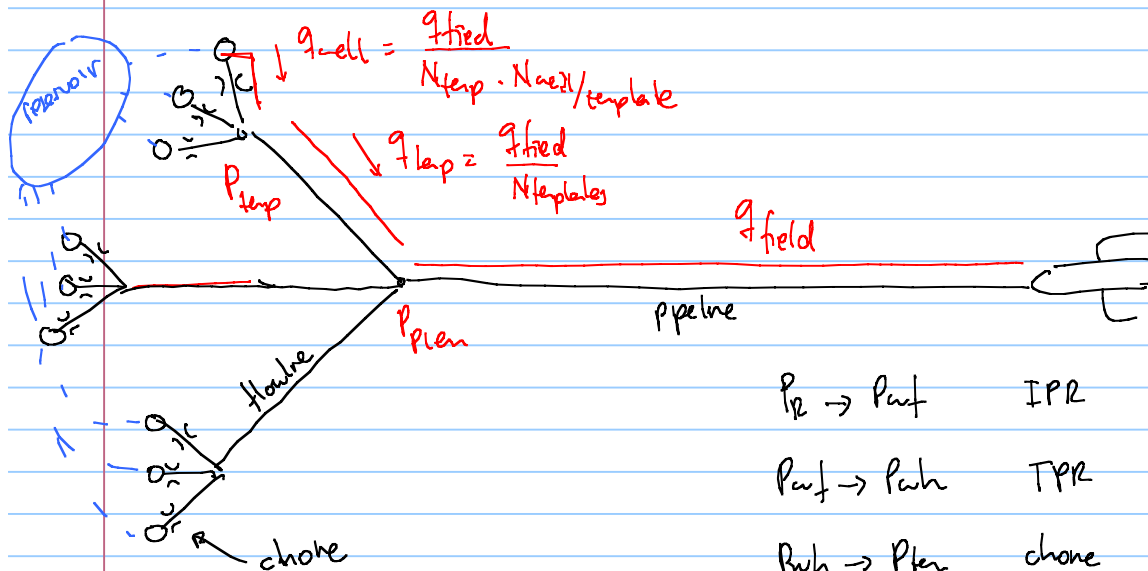
Our task, to compute

- plateau duration and post-plateau production

- Only dry gas, no liquid
 - { no condensate
 - { no water
 - { no production chemicals

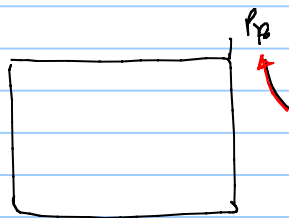
- all wells are identical (same production, same characteristics)

- templates are located symmetrically from the plan



$P_R \rightarrow P_{wf}$	IPR	$q_j = f(P_R, P_{wf})$
$P_{wf} \rightarrow P_{wh}$	TPR	$q_j = f(P_{wf}, P_{wh})$
$P_{wh} \rightarrow P_{plan}$	choke	$q_j = f(P_{wh}, P_{plan}, C_d)$
$P_{temp} \rightarrow P_{plan}$	FPR	$q_j = f(P_{temp}, P_{plan})$
$P_{plan} \rightarrow P_{sep}$	PPR	$q_j = f(P_{plan}, P_{sep})$

Reservoir model



Dry gas material balance

$$P_R = P_{Ri} \frac{z_R}{z_i} \left(1 - \frac{G_p}{G} \right) \quad \begin{matrix} f(q_j) \\ q_j = f(P) \end{matrix}$$

uncertain value

R_F recovery factor

gas deviation factor

$$z = f(P_R, T_R) \quad \begin{matrix} T_R \\ T_c \end{matrix}$$

$\frac{P_R}{P_c} \rightarrow f(\text{gas composition})$

MB dry gas equation is implicit

- Given R_F , assume P_R
- with P_R compute z_R
- verify that $\varepsilon = P_R - P_{Ri} \frac{z_R}{z_i} \left(1 - R_F \right) = 0 \leq \text{Tolerance}$
- if not,

3.3.2 Z-Factor Correlations. Standing and Katz⁴ present a generalized Z-factor chart (**Fig. 3.6**), which has become an industry standard for predicting the volumetric behavior of natural gases. Many empirical equations and EOS's have been fit to the original Standing-Katz chart. For example, Hall and Yarborough^{21,22} present an

accurate representation of the Standing-Katz chart using a Carnahan-Starling hard-sphere EOS,

$$Z = ap_{pr}/y, \dots \dots \dots (3.42)$$

where $\alpha = 0.06125t \exp[-1.2(1-t)^2]$, where $t = 1/T_{pr}$.

The reduced-density parameter, y (the product of a van der Waals covolume and density), is obtained by solving

$$f(y) = 0 = -ap_{pr} + \frac{y + y^2 + y^3 - y^4}{(1-y)^3} - (14.76t - 9.76t^2 + 4.58t^3)y^2 + (90.7t - 242.2t^2 + 42.4t^3)y^{2.18+2.82t}, \dots \dots \dots (3.43)$$

$$\text{with } \frac{df(y)}{dy} = \frac{1 + 4y + 4y^2 - 4y^3 + y^4}{(1-y)^4} - (29.52t - 19.52t^2 + 9.16t^3)y + (2.18 + 2.82t)(90.7t - 242.2t^2 + 42.4t^3) \times y^{1.18+2.82t}, \dots \dots \dots (3.44)$$

The derivative $\partial Z/\partial p$ used in the definition of c_g is given by

$$\left(\frac{\partial Z}{\partial p}\right)_T = \frac{\alpha}{p_{pc}} \left[\frac{1}{y} - \frac{ap_{pr}/y^2}{df(y)/dy} \right], \dots \dots \dots (3.45)$$

Equation approximation to Z chart

to predict T_c, p_c we will use

Sutton correlations

Sutton⁷ suggests the following correlations for hydrocarbon gas mixtures.

$$T_{pcHC} = 169.2 + 349.5\gamma_{gHC} - 74.0\gamma_{gHC}^2 \dots \dots \dots (3.47a)$$

$$\text{and } p_{pcHC} = 756.8 - 131\gamma_{gHC} - 3.6\gamma_{gHC}^2 \dots \dots \dots (3.47b)$$

$$\gamma_g = \frac{M_{wgas}}{M_{wair}(28.97)}$$

$$M_{wgas} = \sum_{i=1}^N z_i M_{wi}$$

$P_R \rightarrow P_{wf}$

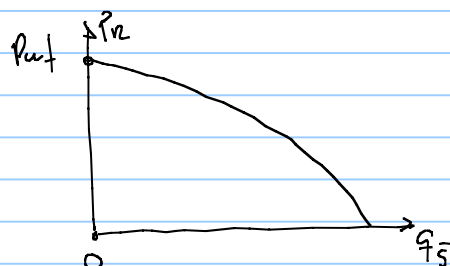
IPR equation

low-pressure dry gas equation

$$q_g = C_R (P_R^2 - P_{wf}^2)^n \quad \leftarrow \text{backpressure exponent}$$

laminar $n \sim 1$
turbulent $n \sim 0.5$

inflow coefficient $\{ T_R, K, h, s \text{ (skin factor)}$



= pseudosteady state regime
(boundary dominated flow)
page 37 of compendium

• $P_{wf} \rightarrow P_{wh}$ Dry gas tubing equation

$$q_g = C_T \left(\frac{P_{wf}^2}{e^S} - P_{wh}^2 \right)^{0.5}$$

tubing coefficient (friction losses)
 elevation coefficient
 (hydrostatic losses)

$$q_g = 0$$

$$P_{wf} = P_{wh} e^{S/2}$$

Page 156, Appendix A of compendium

$$q_{sc} = \left(\frac{\pi}{4} \right) \cdot \left(\frac{R}{M_{air}} \right)^{0.5} \cdot \left(\frac{T_{sc}}{p_{sc}} \right) \cdot \left(\frac{D^5}{f_M \cdot L \cdot \gamma_g \cdot Z_{av} \cdot T_{av}} \right)^{0.5} \cdot \left[(p_{wf}^2 - p_t^2 \cdot e^S) \cdot \left(\frac{S}{e^S - 1} \right) \right]^{0.5}$$

$$C_T = \left(\frac{\pi}{4} \right) \cdot \left(\frac{R}{M_{air}} \right)^{0.5} \cdot \left(\frac{T_{sc}}{p_{sc}} \right) \cdot \left(\frac{D^5}{f_M \cdot L \cdot \gamma_g \cdot Z_{av} \cdot T_{av}} \right)^{0.5} \cdot \left(\frac{S \cdot e^S}{e^S - 1} \right)^{0.5}$$

$$S = 2 \cdot L \cdot C_a = 2 \cdot \frac{M_g}{Z_{av} \cdot R \cdot T_{av}} \cdot L \cdot g \cdot \cos(\alpha)$$

$P_{wh} \rightarrow P_{hydrost}$ choke no need for equation

$P_{sep} \rightarrow P_{plen}$ flowline $\rightarrow$ tubing equation can be used for flowline

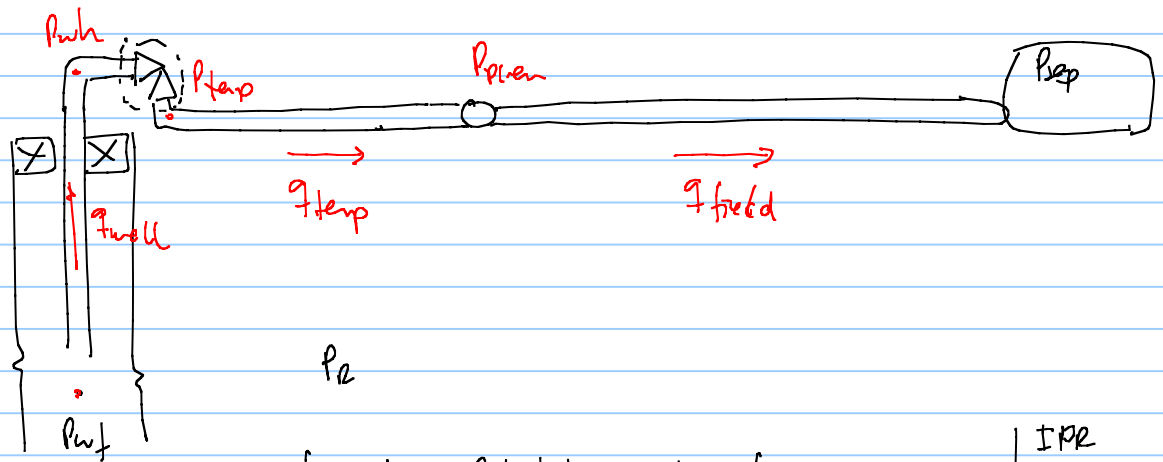
horizontal flowline, the tubing equation simplifies to

$$q_g = C_{FL} \left(P_{sep}^2 - P_{plen}^2 \right)^{0.5}$$

$S=0$ (l'Hopital)

$P_{plen} \rightarrow P_{sep}$

$$q_g = C_{FL} \left(P_{plen}^2 - P_{sep}^2 \right)^{0.5}$$



fix rate. Calculate P_{wh} from reservoir $\left\{ \begin{array}{l} IPR \\ TPR \end{array} \right.$
 Calculate P_{sep} from sep $\left\{ \begin{array}{l} PPR \\ FPR \end{array} \right.$

verify $P_{wh} > P_{sep} \rightarrow$ rate is feasible
 $P_{wh} < P_{sep} \rightarrow$ rate not feasible, must be reduced

http://www.ipt.ntnu.no/~stanko/files/Courses/TPG4230/2020/Class_files/20200124/

VBA Visual Basic for applications

for pipe equations in VBA (1) is upstream
 (2) is downstream

