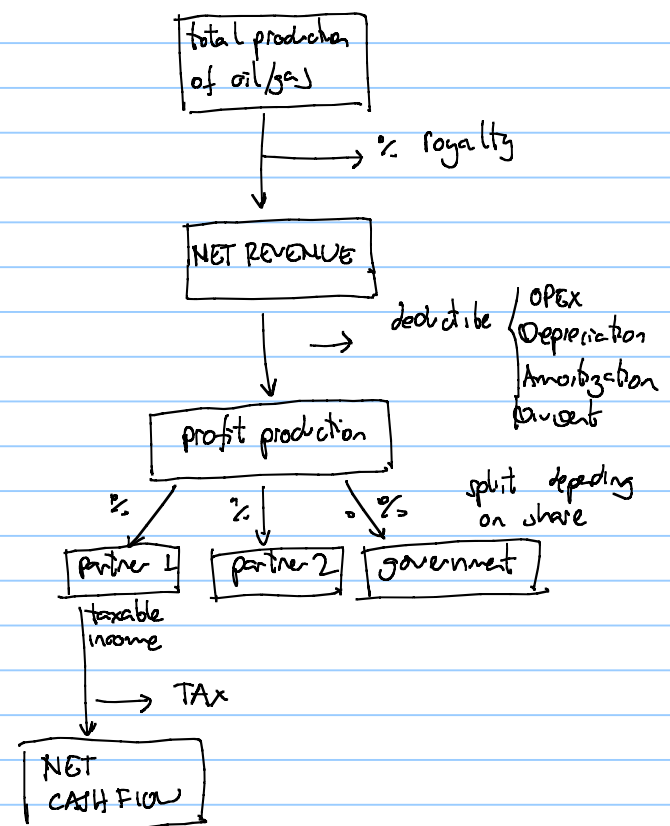
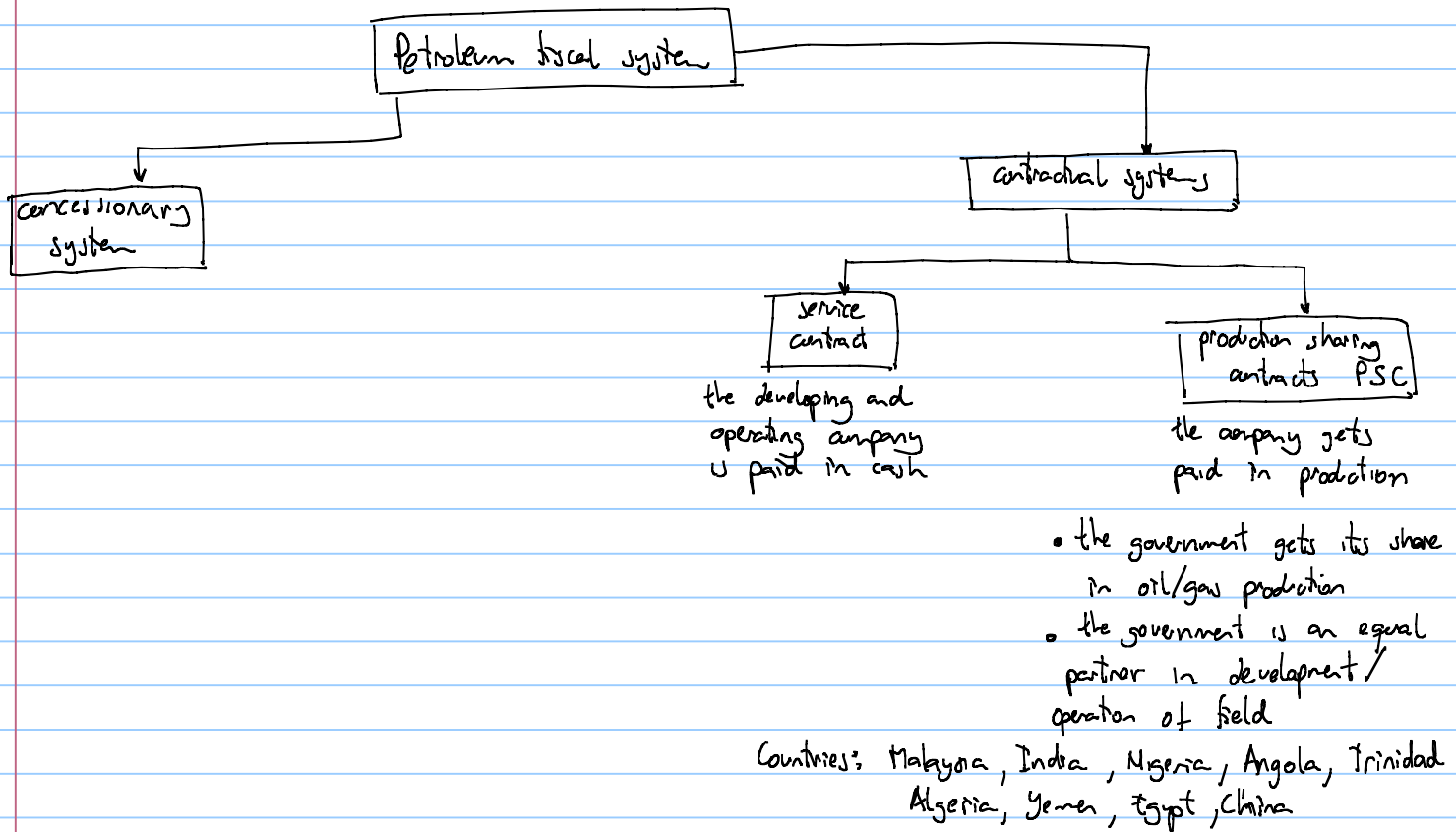


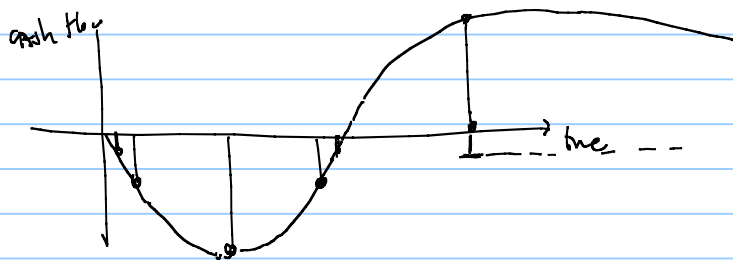
20180205



Net Present Value (NPV) { there must be a minimum of information to be able to compute NPV

Project start: year 0

end of project year	CAPEX [USD]	Driller [USD]	Opex [USD]	ROYALTY TAXES [USD]	q_0 q_j	USD/ bbl	Revenues [USD]	CASH FLOW [USD]	discounted cash flow $\frac{CF_j}{(1+i)^j}$
1			0		0			$CF_1 = \text{REVENUE} - \text{EXPENSES}$	i year required from project startup discount rate (inflation)
2			0		0			CF_2	
3			0		0			$CF_3 = 10$	
⋮			0		0				
⋮			0		0				
⋮			OPEX ₁		q_0				
⋮			OPEX ₂		q_0				
⋮					q_0				
									$\Sigma ()$

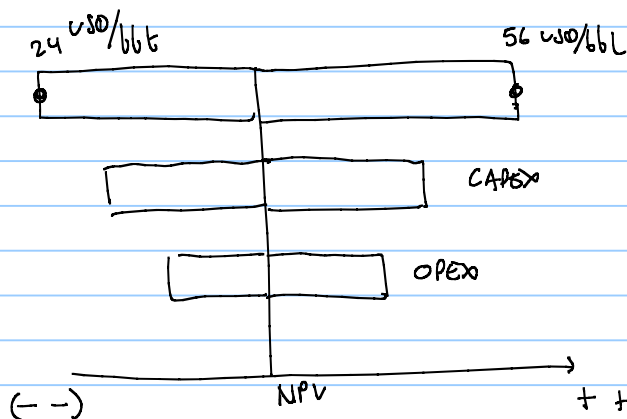
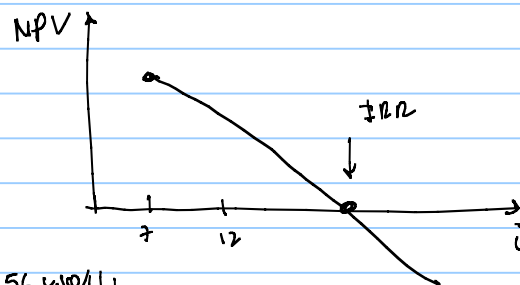


$$NPV = \sum_{j=1}^N \frac{CF_j}{(1+i)^j}$$

N total number of years

i depends on company { 6 - 10%

IRR internal rate of return is " i " that gives $NPV = 0$



take points from an existing plot:

<https://automeris.io/WebPlotDigitizer/>

Quantifying uncertainty using Monte-Carlo method

Probabilistic estimation of hydrocarbon volume / total recoverable reserves

suggestion: read

Hebron PDO

Hebron Project
Development Plan

Section 5
Reserve Estimates

5 RESERVE ESTIMATES

5.1 Introduction

This section presents the range of hydrocarbon-in-place and recoverable resource estimates for the resources targeted in the initial development phase of the project. In-place and recovery estimates for the remaining resources are provided in Section 6.8 – Contingent Developments.

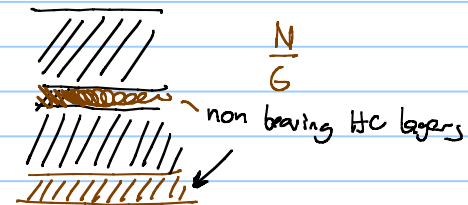
$$\text{Oil in place} = N, \underbrace{\text{OOIP}}_{\text{original oil in place}}, \underbrace{\text{IOIP}}_{\text{initial oil in place}}$$

$$G, \text{OGIP}, \text{IGIP}$$

$$\frac{N_{pu}}{N} = F_{ru} \quad \text{ultimate recovery factor}$$

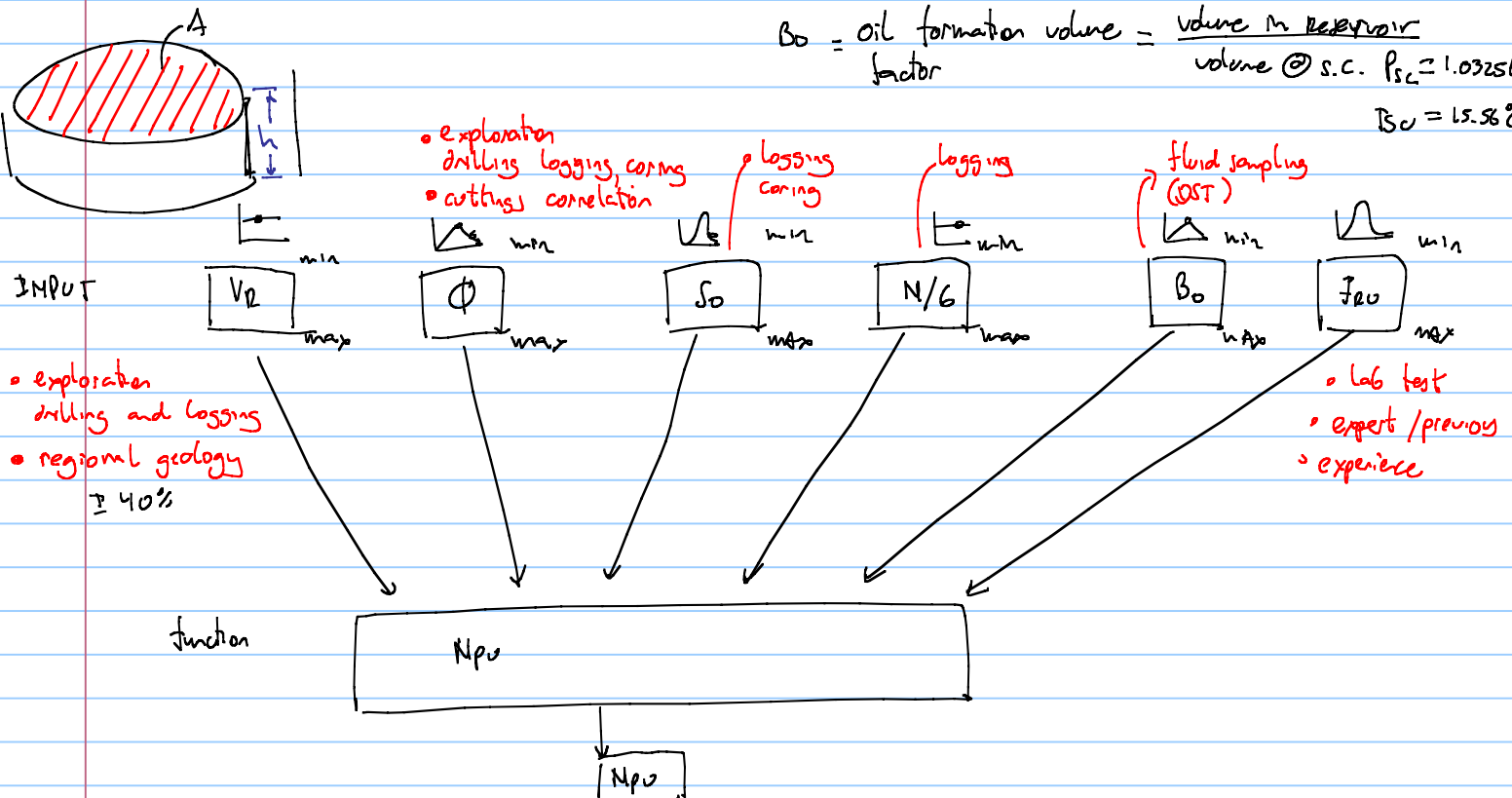
$$F_{ru} = \frac{G_{pu}}{G}$$

$$N_{pu} = \text{TRR} = \frac{\underbrace{V_R}_{\text{pore volume}} \cdot \underbrace{\Phi}_{\text{pore volume fraction}} \cdot \underbrace{S_o}_{\text{net to gross}} \cdot \underbrace{N/G}_{\text{net to gross}} \cdot F_{ru}}{B_o} \quad [\text{Sm}^3] \quad [\text{stb}]$$

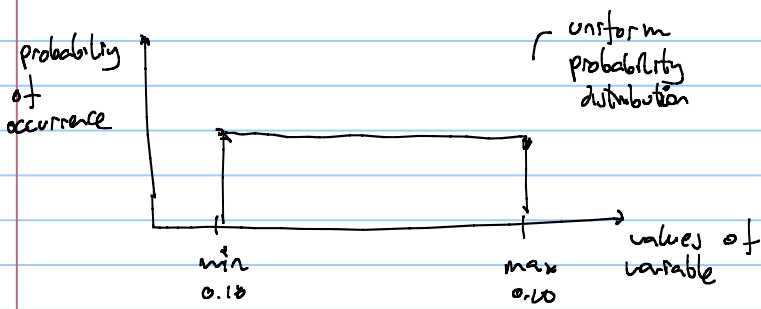


$$B_o = \text{oil formation volume factor} = \frac{\text{volume in reservoir}}{\text{volume @ s.c. } P_{sc} = 1.01325 \text{ bar}}$$

$$B_o = 1.5.5\% \text{ } ^\circ\text{C}$$

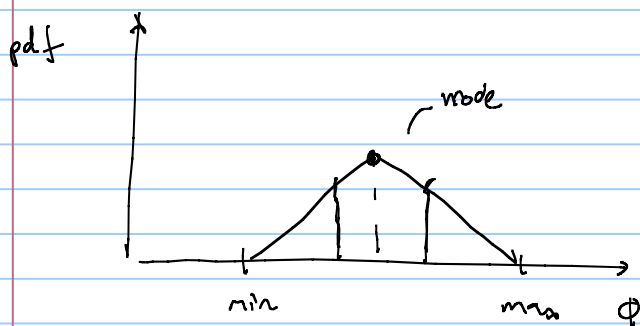


Usually we use a probability distribution function to describe the input parameters that are uncertain



other types

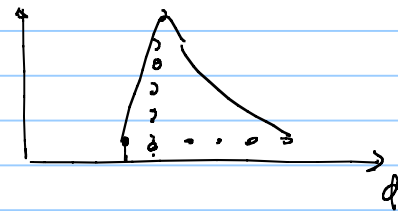
triangle distribution



collecting more field data e.g. more exploration wells

number of occurrences

• expert



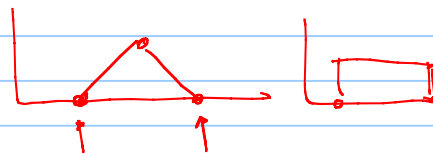
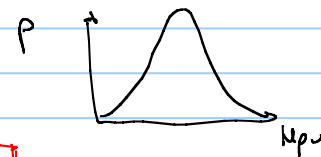
Monte Carlo - steps

① Take a random sample of each input variable

② Compute the N_{pv} (using the equation)

③ if N_{ri} iterations $\leq N_{max}$ else ④ make frequency diagram (pdf) with the results saved
↓ then

Save the result and repeat from ①



	input						output
st	ϕ [-]	V_{r2} [bbl]	S_o [-]	B_o [bbl/stb]	$N/6$ [-]	F_{r2} [-]	N_{pv} [stb]
1	○	○	○	○	○	○	compute N_{pv}
2	○	○	○	○	○	○	→ N_{pv}
3							
4							
5							
6							