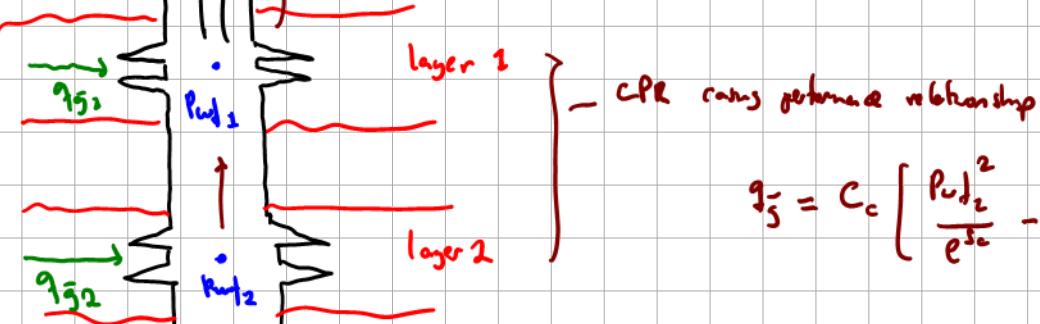


$$\rho_{wh} = 10 \text{ bar} \rightarrow P_{wf}, P_{uf}, q_{s1}, q_{s2}$$

$$q_{sc} = C_T \cdot \left[\left(\frac{P_{wf}^2}{e^S} - P_t^2 \right) \right]^{0.5}$$



$$q_s = C_c \left[\frac{P_{wf}^2}{e^{S_c}} - P_{uf}^2 \right]^{0.5}$$

$$\begin{aligned} C_c &> C_T \\ Q_c &> Q_T \end{aligned} ?$$

$$C_T = \left(\frac{\pi}{4} \right) \cdot \left(\frac{R}{M_{air}} \right)^{0.5} \cdot \left(\frac{T_{sc}}{P_{sc}} \right) \cdot \left(\frac{D^5}{f_M \cdot L \cdot \gamma_g \cdot Z_{av} \cdot T_{av}} \right)^{0.5} \cdot \left(\frac{S \cdot e^S}{e^S - 1} \right)^{0.5}$$

$D \uparrow \rightarrow C \uparrow$

$$S = 2 \cdot \frac{M_g \cdot g}{Z_{av} \cdot R \cdot T_{av}} \cdot L \cdot \cos(\alpha) = 2 \cdot \frac{28.97 \cdot \gamma_g \cdot g}{Z_{av} \cdot R \cdot T_{av}} \cdot L \cdot \cos(\alpha)$$

$$S_1 > S_c$$

$$L_1 > L_c$$

TPR $\dot{q}_{well} = C_T \left(\frac{\dot{P}_{wf1}}{e^{S_c}} - \dot{P}_{wh} \right)^{0.5}$ eq (1) new unknowns 2

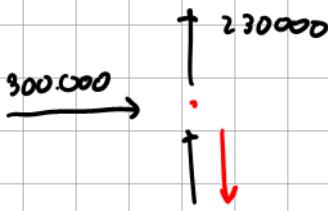
IPR1 $\dot{q}_{\bar{g}_1} = C_{R_1} \left(\dot{P}_{R_1}^2 - \dot{P}_{wf1}^2 \right)^{n_1}$ 1 1

IPR2 $\dot{q}_{\bar{g}_2} = C_{R_2} \left(\dot{P}_{R_2}^2 - \dot{P}_{wf2}^2 \right)^{n_2}$ 1 2

mass generation $\dot{q}_{well} = \dot{q}_{\bar{g}_1} + \dot{q}_{\bar{g}_2}$ 1 0
5 5 ✓

$$\dot{P}_{wf1} = 150 \text{ bara}$$

||



pwh [bara]	pwf1 [bara]	qwell [Sm ³ /d]	q1 [Sm ³ /d]	q2 [Sm ³ /d]
10	150.0	2.34E+05	3.23E+05	-8.94E+04

	p_R [bara]	C [Sm ³ /bar ² n]	n
Layer 1	200	2010	0.52
Layer 2	250	1150	0.54

$$q_g = c(p_R^2 - p_{wf}^2)^n$$

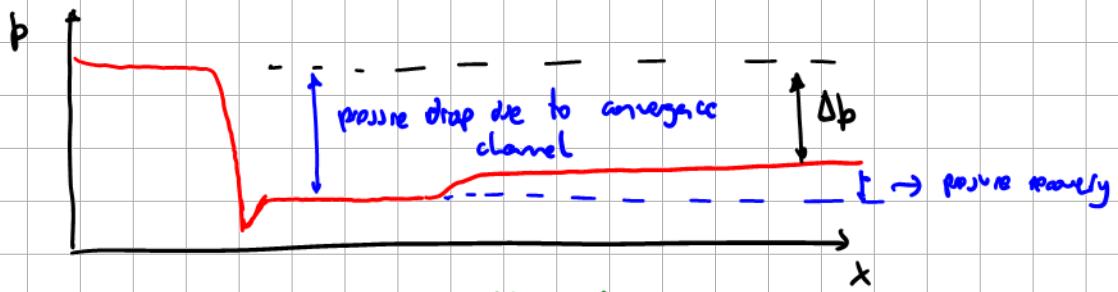
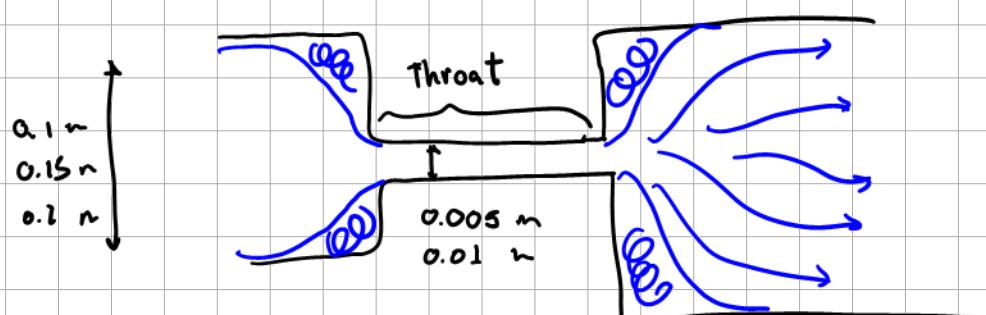
	C_f [Sm ³ /d/bar]	s
Tubing	2.09E+03	0.58
Casing between 1-2	4.00E+03	0.02

Tubing performance relationship (TPR)

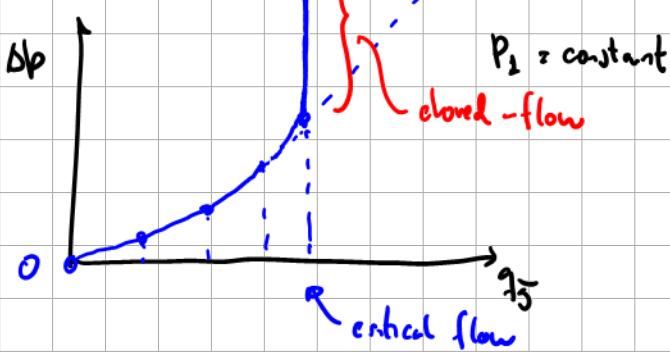
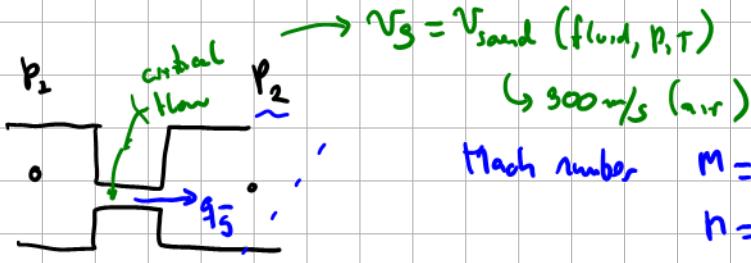
$$P_{wh} = P_2 = \left(\frac{P_1^2}{e^s} - \frac{q_g^2}{C_T^2} \right)^{0.5}$$

p_{wh} [bara]	p_{wf1} [bara]	q_{well} [Sm ³ /d]	q_1 [Sm ³ /d]	q_2 [Sm ³ /d]	p_{wf2} (from TPR) [bara]	p_{wf2} (from IPR) [bara]	error [bar]
10	197.5	3.08E+05	7.21E+04	2.36E+05	208.1	208.1	0.0

Production alone

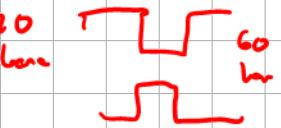


Dry gas



$$\frac{p_c^{out}}{p_s^{in}} = 0.5$$

$$(0.7 - 0.6)$$



- flow performance $f(p_{in}, p_{out}, \bar{A}_5, \Phi_{throat})$

- Temperature performance

B. CHOKE EQUATIONS

UNDERSATURATED OIL FLOW

Based on a frictionless flow contraction from an upstream point 1 to a downstream point 2.

The single-phase Bernoulli equation for steady state frictionless flow along a streamline, neglecting elevation changes, is:

$$\frac{dp}{\rho} + V \cdot dV = 0 \quad \text{Eq. B-1}$$

Where:

p Pressure

ρ Density

V Velocity

$$p_{throat} \approx p_2 \quad \Delta p_{recovery} \approx 0$$

undersaturated oil

$$q_{\bar{o}} = \frac{A_2 \cdot C_d}{B_{o,@2}} \cdot \sqrt{\frac{2 \cdot (p_2 - p_1)}{\rho \cdot (1 - \beta^4)}}$$

dry gas

$$q_{\bar{g}} = \frac{p_1 \cdot T_{sc} \cdot A_2 \cdot C_d}{p_{sc}} \cdot \sqrt{2 \cdot \frac{R}{Z_1 \cdot T_1 \cdot M_w} \cdot \frac{k}{k-1} \cdot \left(y_c^{\frac{2}{k}} - y_c^{\frac{k+1}{k}} \right)}$$

$$\frac{p_2}{p_1} \rightarrow y_c = \left(\frac{2}{k+1} \right)^{\frac{k}{k-1}}$$

$$\kappa = \frac{C_p}{C_v}$$

$$\kappa = 1.3$$

$$\frac{p_2}{p_1} > y_c \quad \frac{p_2}{p_1} < y_c$$

$$q_{\bar{g}} = \frac{p_1 \cdot T_{sc} \cdot A_2 \cdot C_d}{p_{sc}} \cdot \sqrt{2 \cdot \frac{R}{Z_1 \cdot T_1 \cdot M_w} \cdot \frac{k}{k-1} \cdot \left(y_c^{\frac{2}{k}} - y_c^{\frac{k+1}{k}} \right)}$$