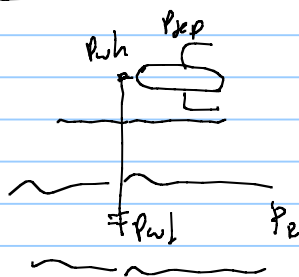
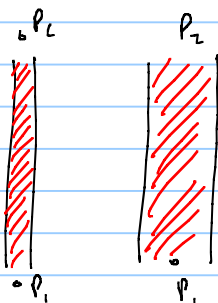
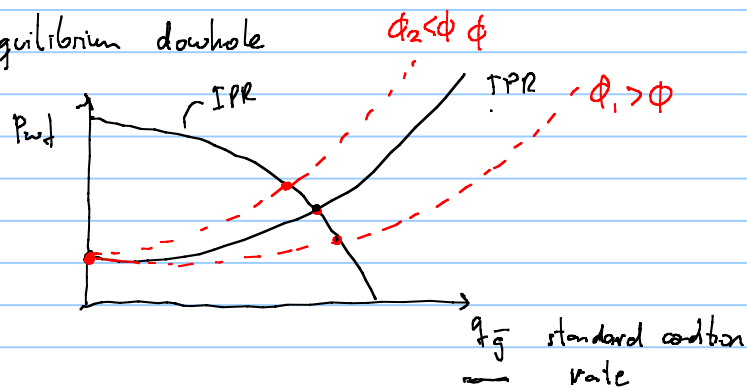


Day 2

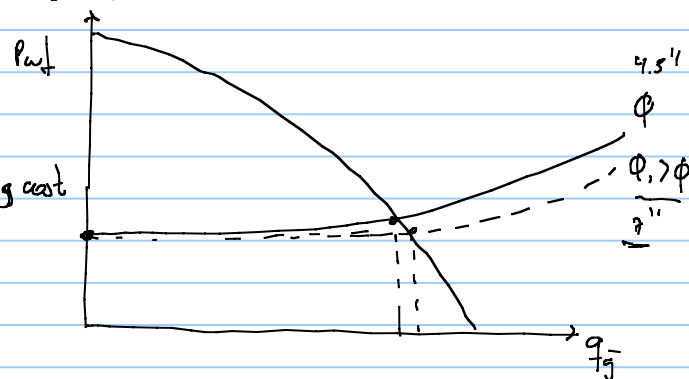


flow equilibrium downhole

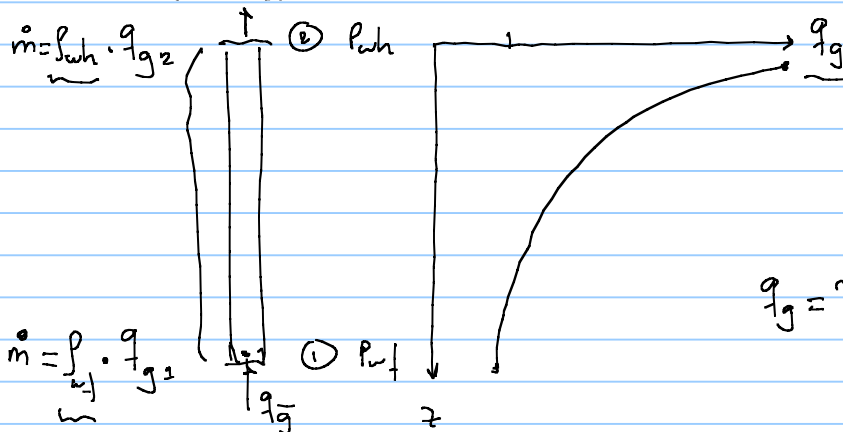
variation of tubing size " ϕ "How to choose ϕ tubing

- minimize tubing $\Delta p \rightarrow$ max rate

- minimize tubing cost



- avoid erosion



$$p \bar{V} = zRT$$

$$p \frac{1}{\bar{V}} = \frac{zRT}{\bar{V}}$$

$$\frac{p'}{zRT} = \bar{V}'$$

$$q_g = v_g \cdot A$$

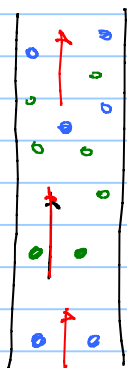
$$p_{wf} > p_{wh} \rightarrow q_{g1} < q_{g2}$$

- Select ϕ such that we don't get erosion in tubing

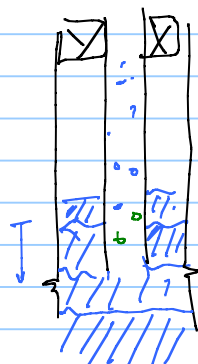
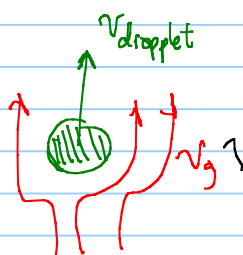
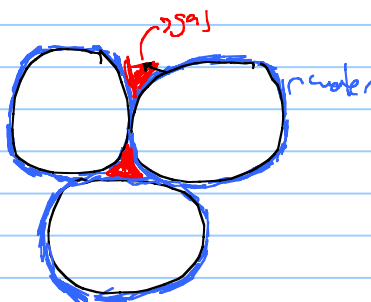
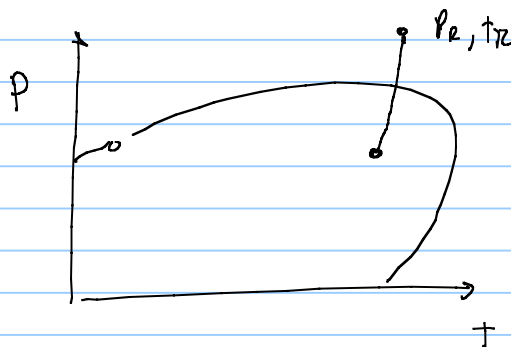
$$v_{g @ wh} < v_{erosion} \rightarrow \text{API 14E}$$

American petroleum institute

• liquid loading

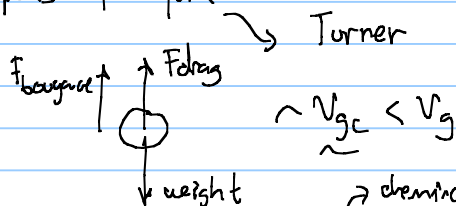


→ condensate
→ water in solution dissolved in the gas



liquid loading → accumulation of liquid in wellbore
→ additional backpressure against formation which brings $q_g \downarrow$

Select ϕ of tubing such that v_g is high enough to lift droplets of liquid



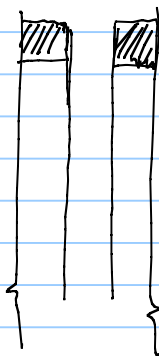
Turner

$$\sim v_{gc} < v_g$$

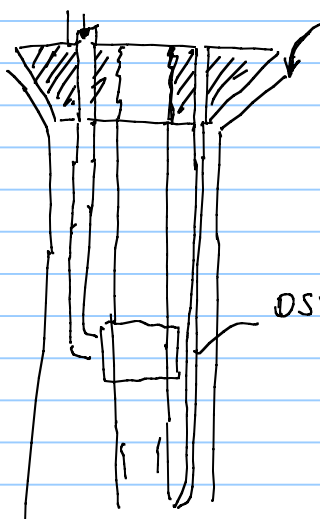
$F_{buoyant}$ ↑
 F_{drag} ↑
weight ↓

chemical injection (scale inhibitor)
downhole pressure gauge
power cable
landing shoulder

• tubing hanger

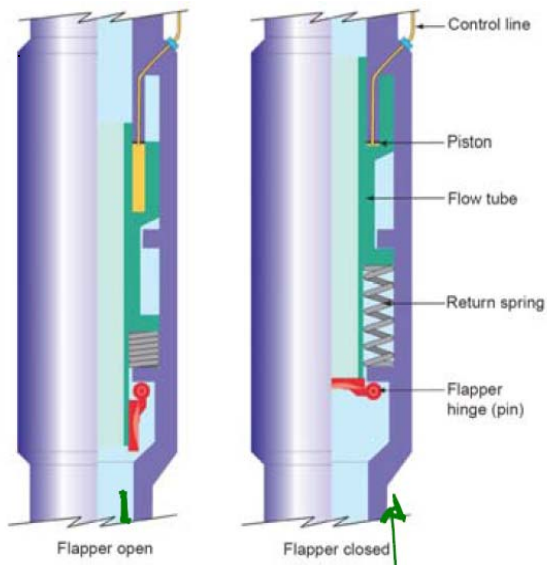


ϕ of the tubing has to be small enough to allow tubing hanger integrity

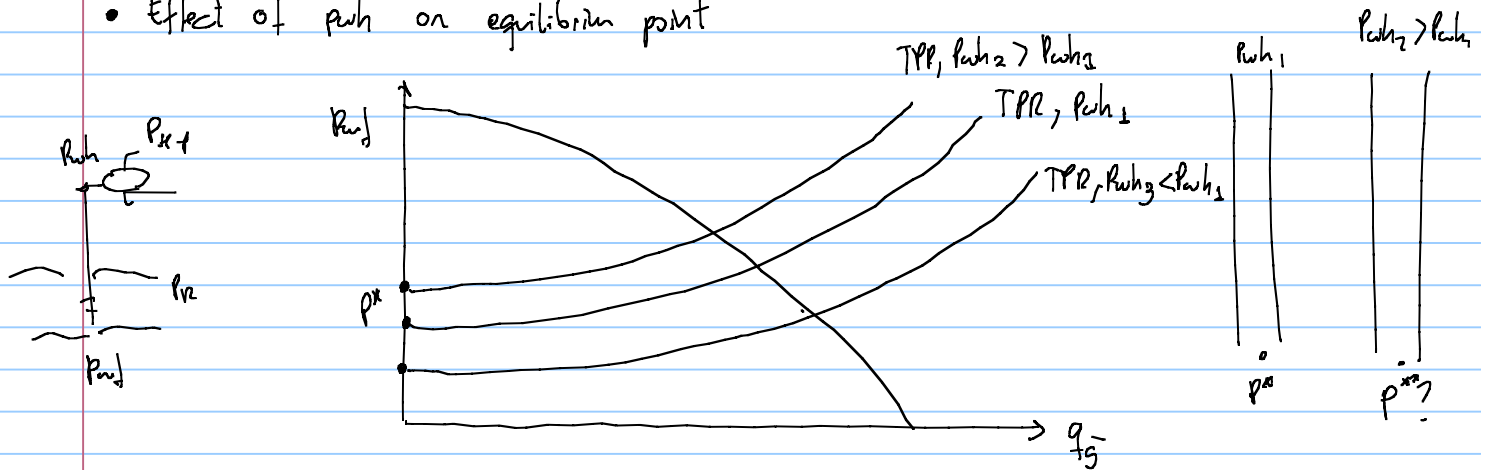


DSV downhole safety valve
100m - 200m below wellhead

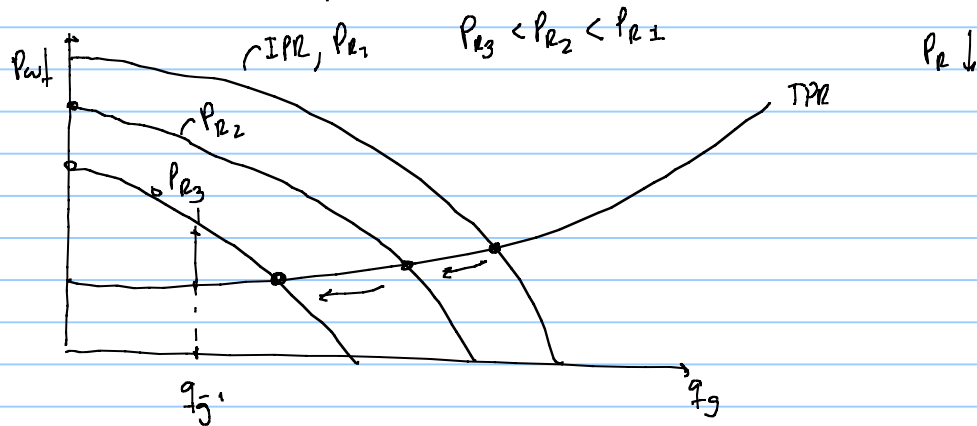




- Effect of p_{wh} on equilibrium point

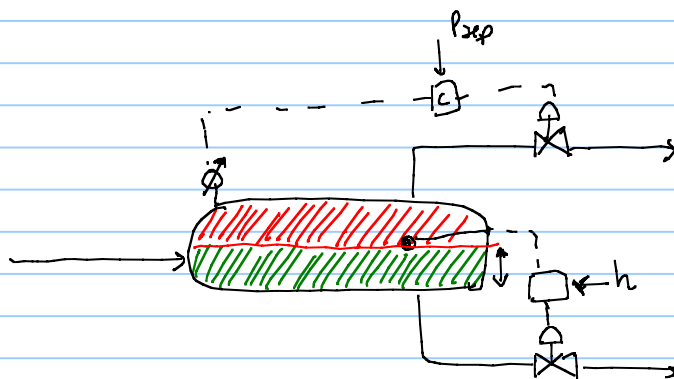


- effect of depletion on flow equilibrium



Short

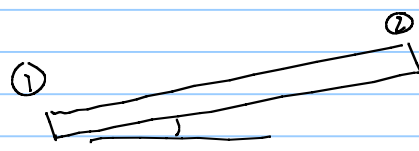
separator



flowline

$$q_g = C_T \left(\frac{P_1^2}{e^s} - P_2^2 \right)^{0.5}$$

$$q_g = C_{FL} \left(\frac{P_{in}^2}{e^s} - P_{out}^2 \right)^{0.5}$$

if pipe is horizontal $s=0$

$$\left(P_{in}^2 - P_{out}^2 \right)^{0.5} \quad C_T ?$$

$$C_{FL} = \text{const.} \cdot \left(\frac{s e^s}{e^s - 1} \right)$$

 $s=0$

$$\frac{0-1}{1-1} = \frac{0}{0} \text{ undefined!}$$

l'Hopital

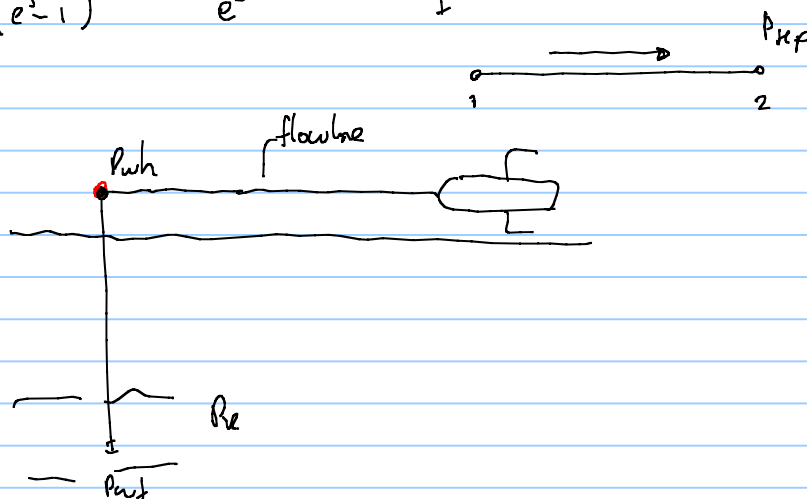
 $\lim_{x \rightarrow 0} f(x) \rightarrow \text{undefined}$

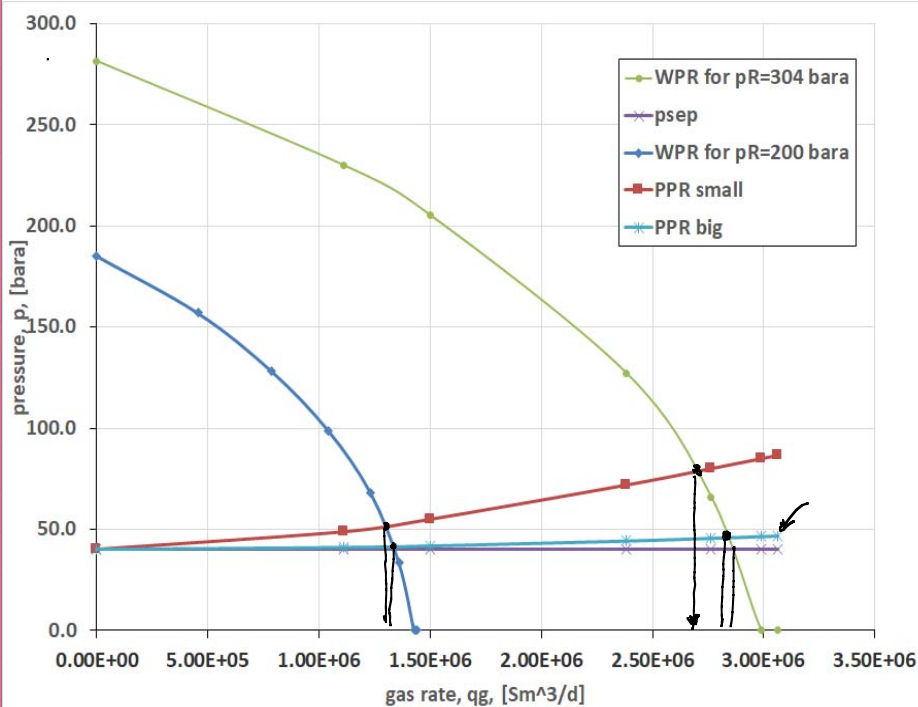
$$\lim_{x \rightarrow 0} \frac{f(x)}{g(x)} \rightarrow \lim_{x \rightarrow 0} \frac{f'(x)}{g'(x)}$$

$$\frac{\frac{d}{ds}(s e^s)}{\frac{d}{ds}(e^s - 1)} = \frac{s \cdot e^s + e^s}{e^s} = \frac{1}{1} = 1$$

$$q_g = C_{FL} (P_{in}^2 - P_{out}^2)^{0.5}$$

Exercise



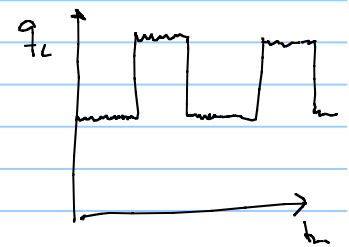
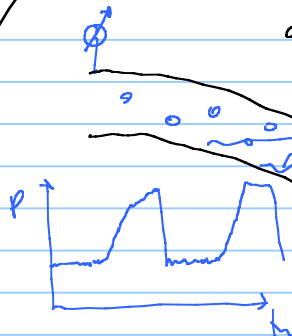


• pipeline sizing $\rightarrow$ minimize Δp , maximize rate q_g

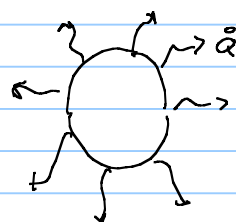
$\rightarrow$ cost !

$\rightarrow$ erosion

liquid accumulation $\rightarrow$ liquid slugging (intermittent flow of gas and liquid)
design our flowlines to avoid accumulation



big Φ leads to more cooling $\rightarrow$ more oil/water condensation, more liquid accumulation



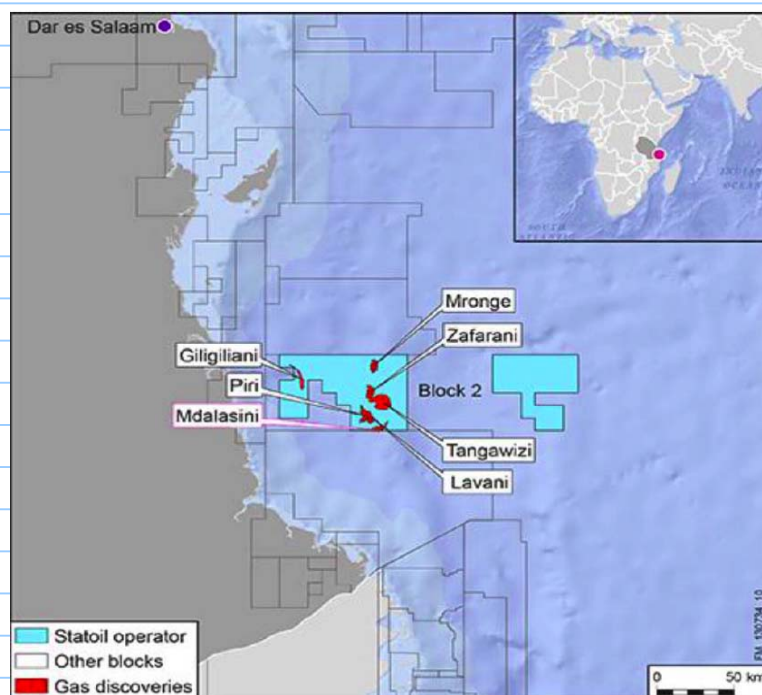
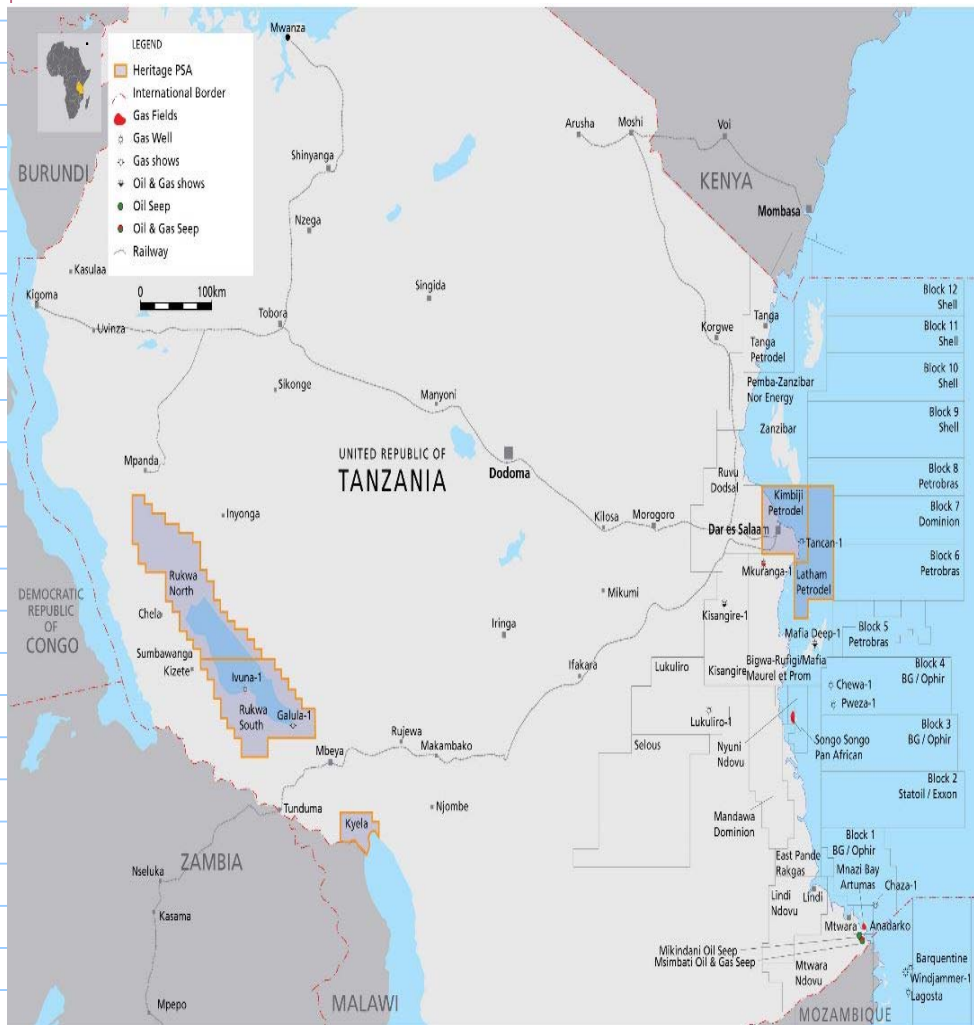
corrosion $\rightarrow$ corrosion TOL top of line

$\rightarrow$ Hydrates if T is low

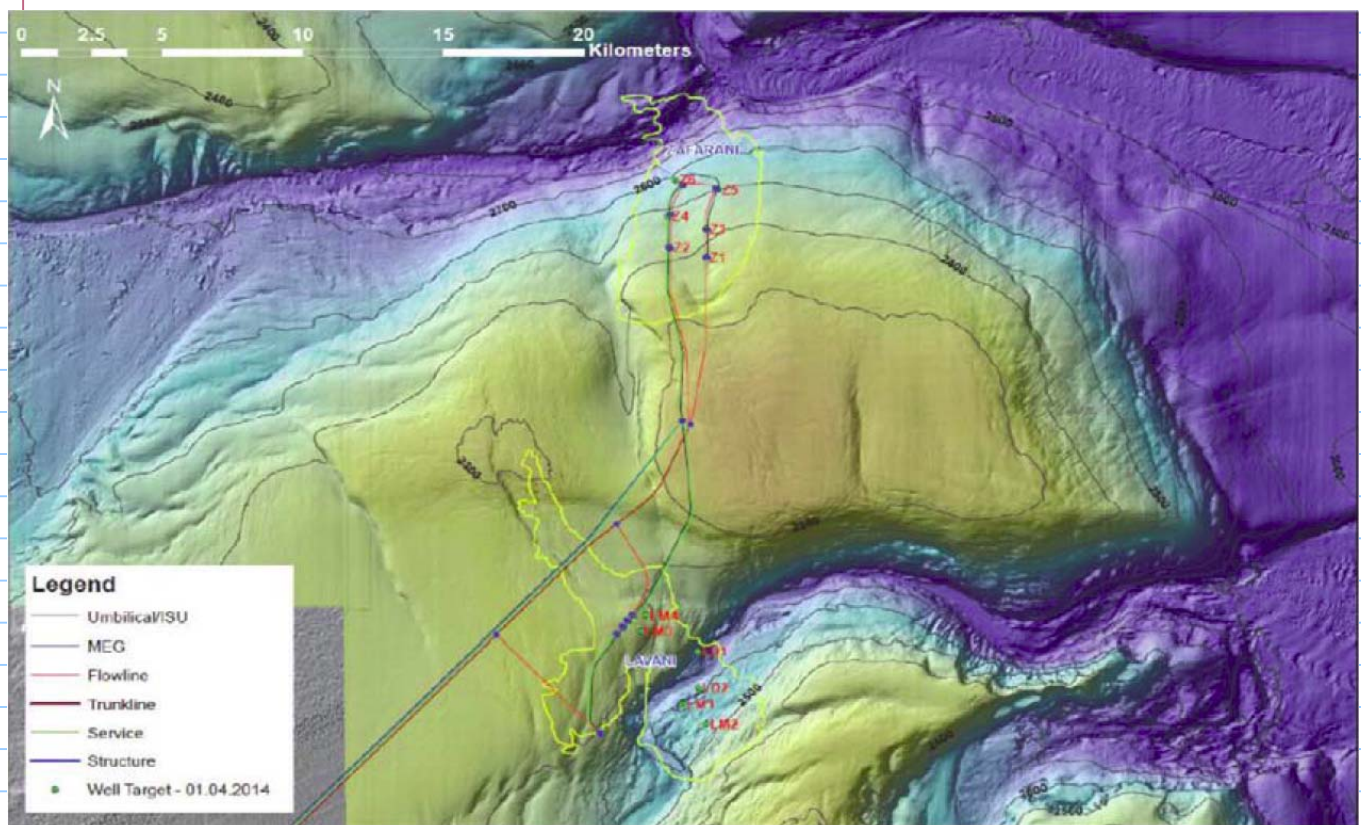
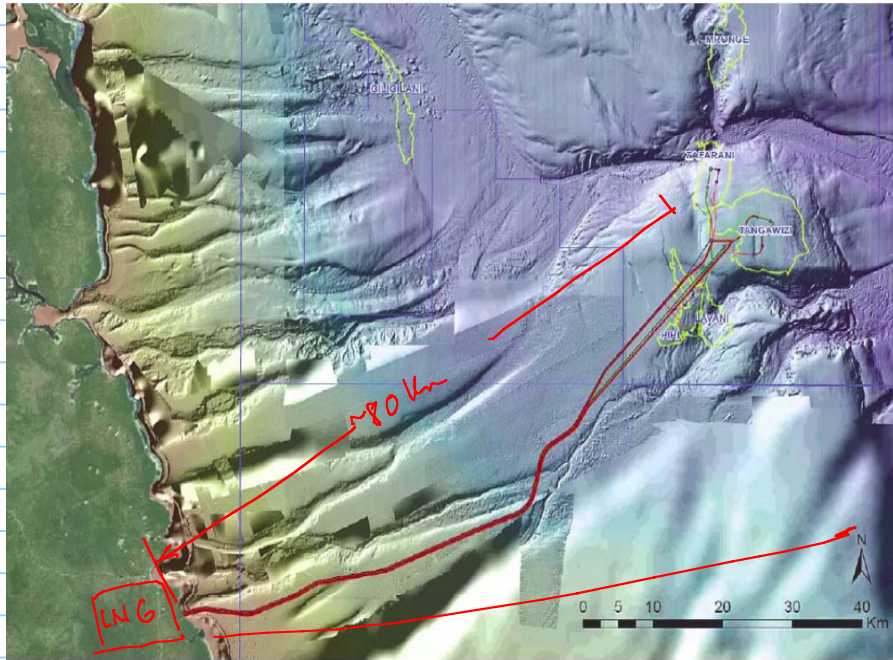
$\rightarrow$ oil flowlines max, ΔT Δp $\uparrow$

field production scheduling → define, calculate/estimate the field production profile with time

Block 2 offshore Tanzania

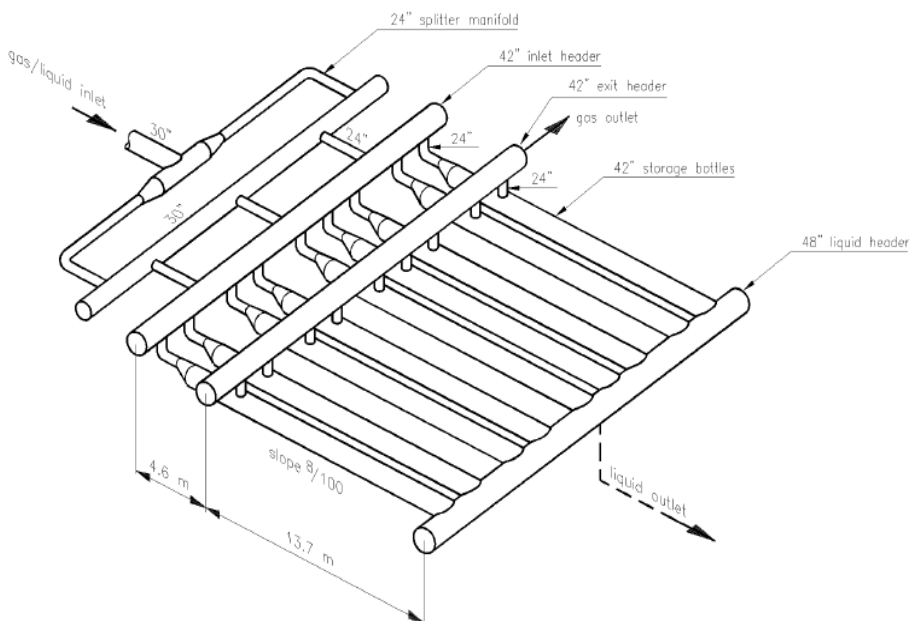
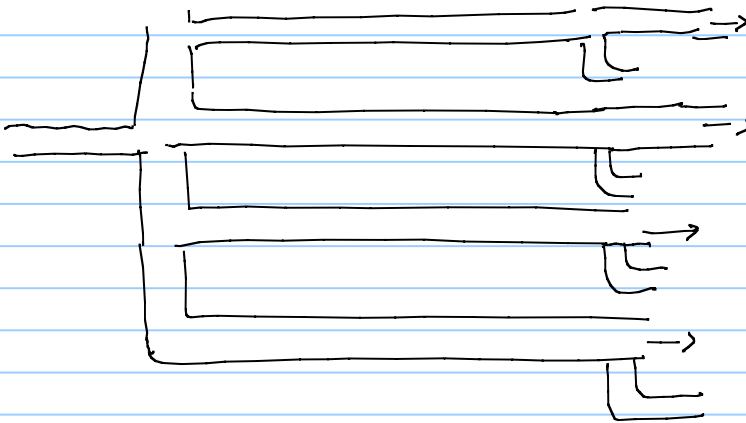


water depth 2200 - 2600 m

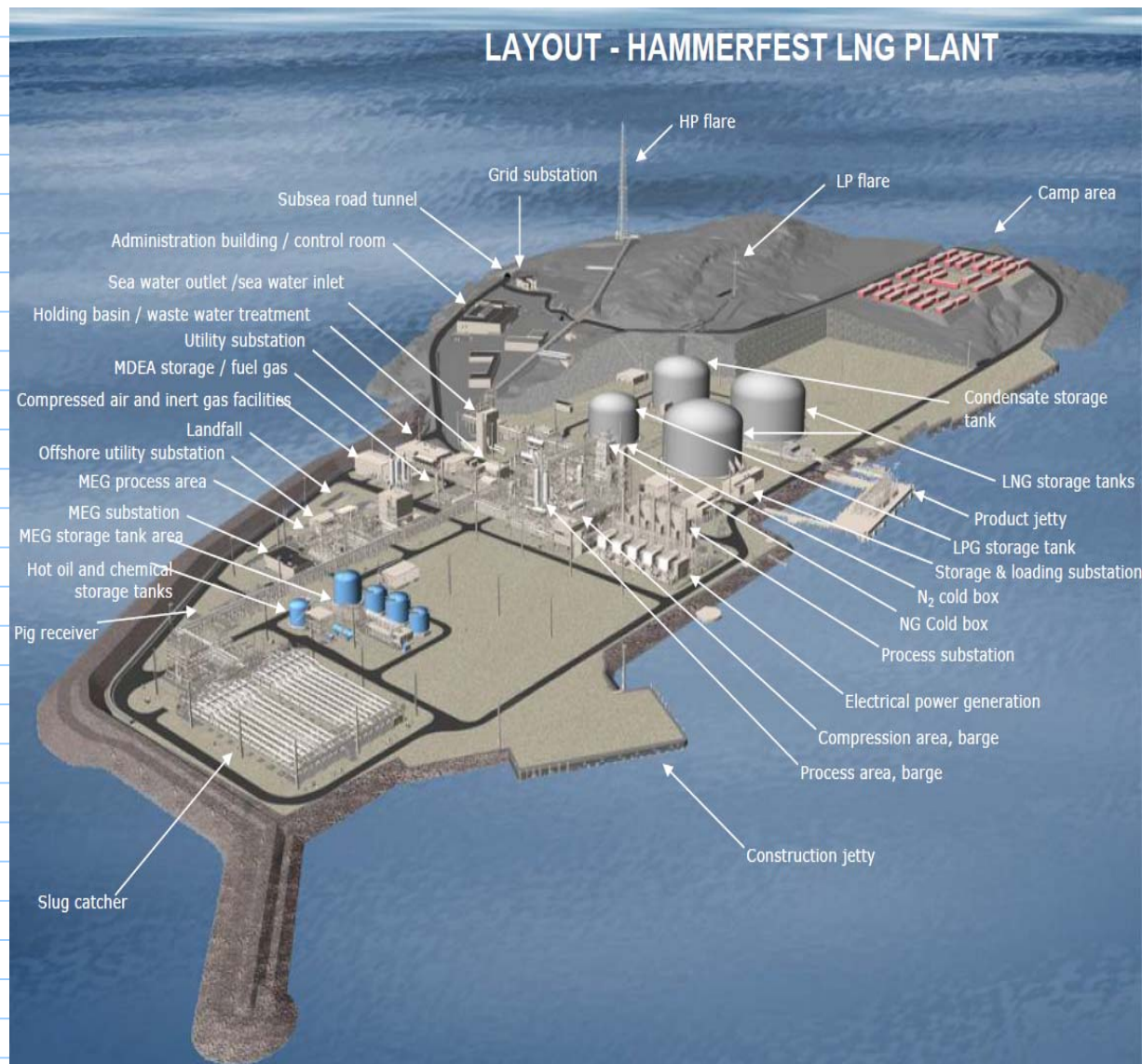


Snowwhite (Snøhvit) Subsea to beach

onshore facilities: slugcatcher



LNG plant



- contract for a fixed amount of gas $18 \text{ EG Sm}^3/\text{d}$

↳ plateau length $\rightarrow$ changing node A

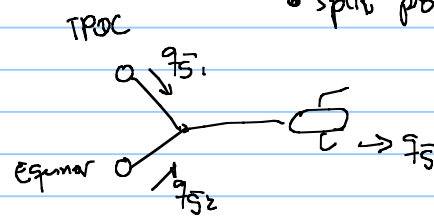
↳ post plateau production profile $\rightarrow$ open choke (more B)

- Subsea layout/architecture

Pr

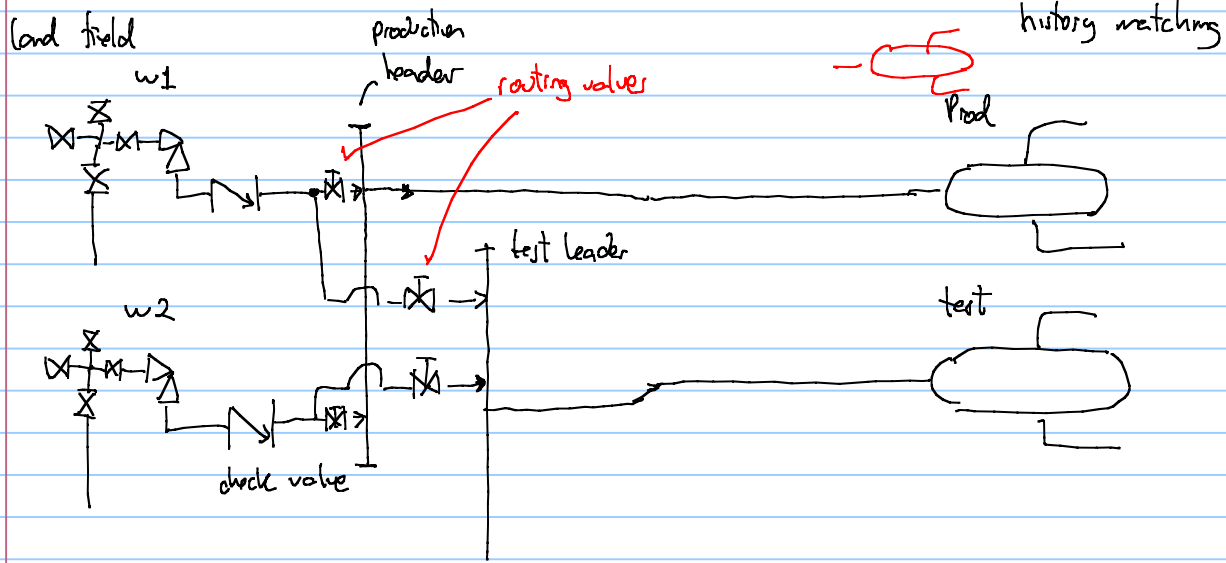
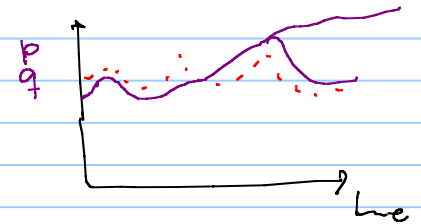
Production manifold

- route the production of wells
 - test wells
- allocation → determine source of gas/oil



- split profit

- to improve reservoir models
- compare model v.s. data

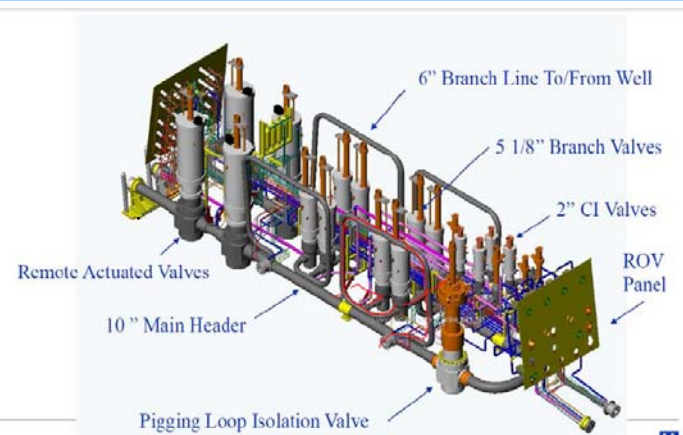
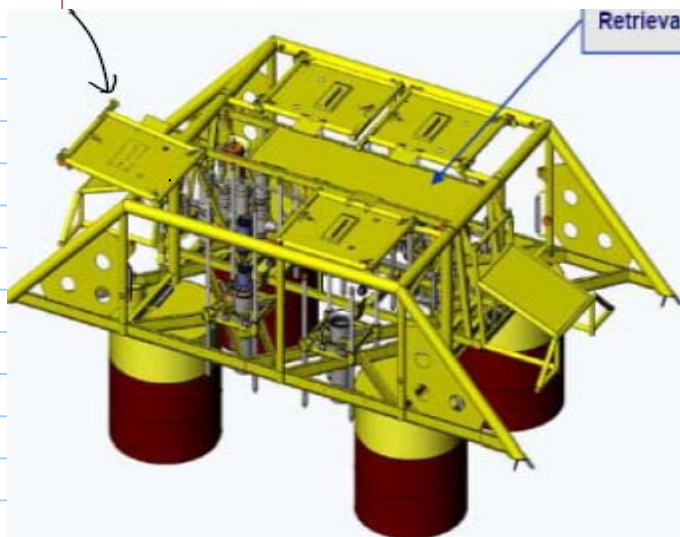
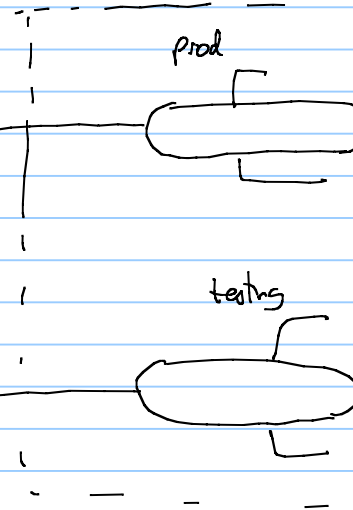
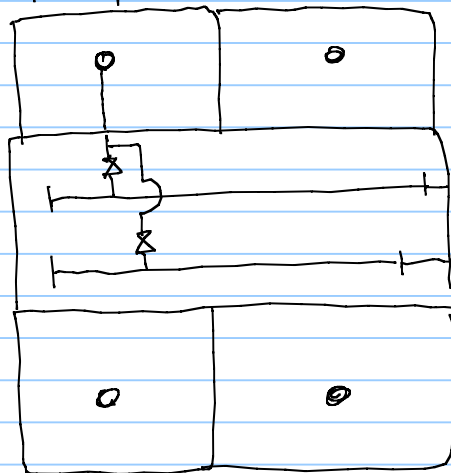




floating, production, storage offloading vessel
platform / FPSO

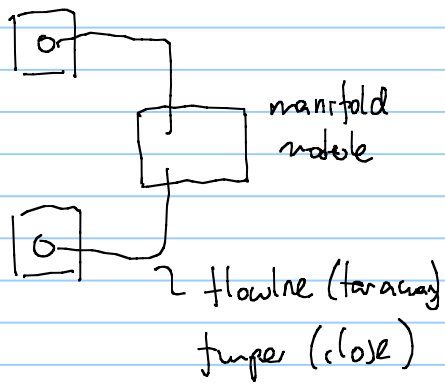
Subsea systems
template wells

4-well template

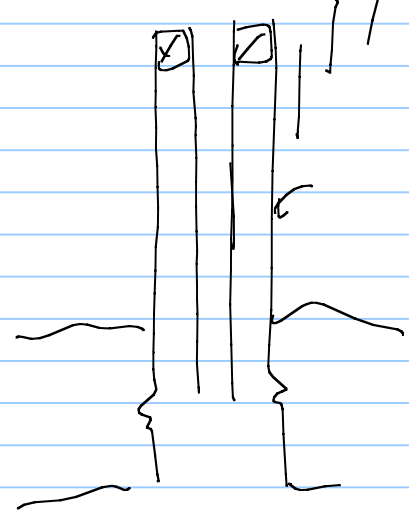
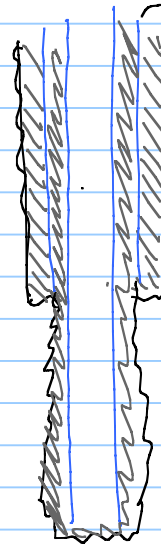


two types of subsea wells

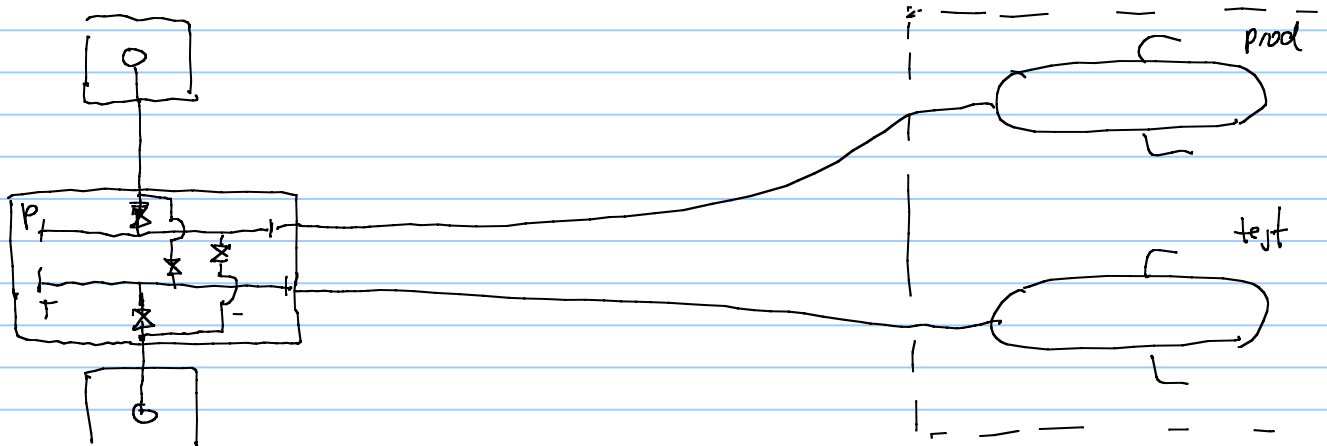
Satellite wells

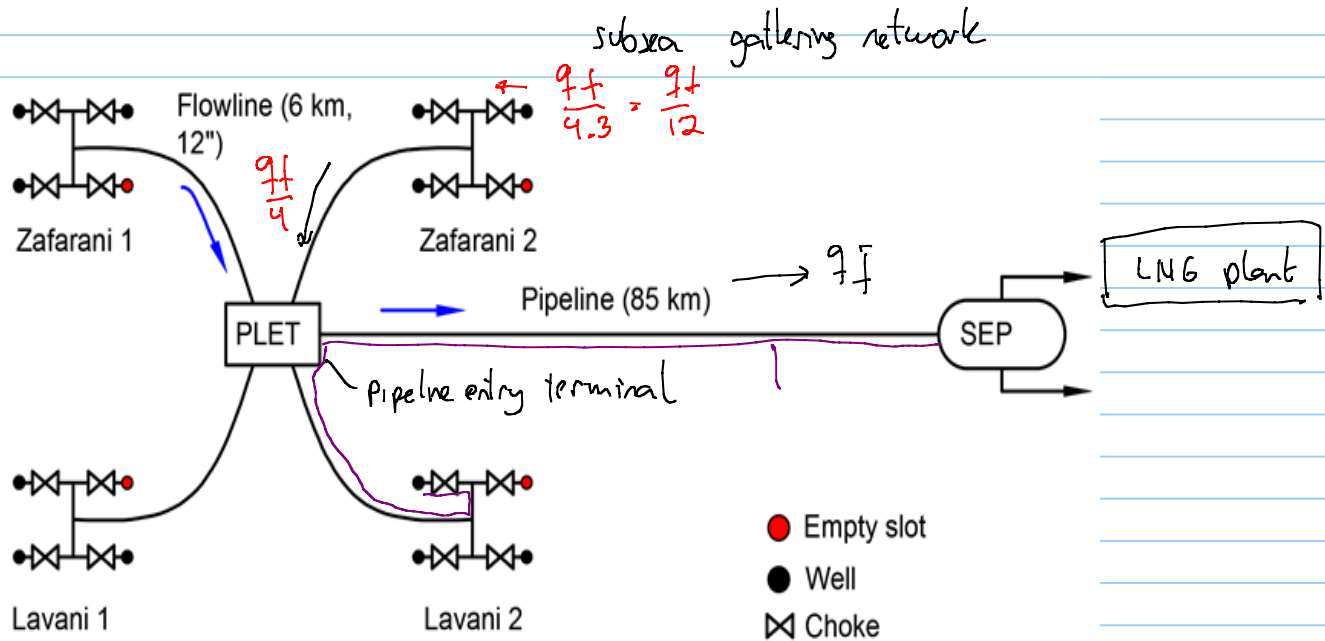
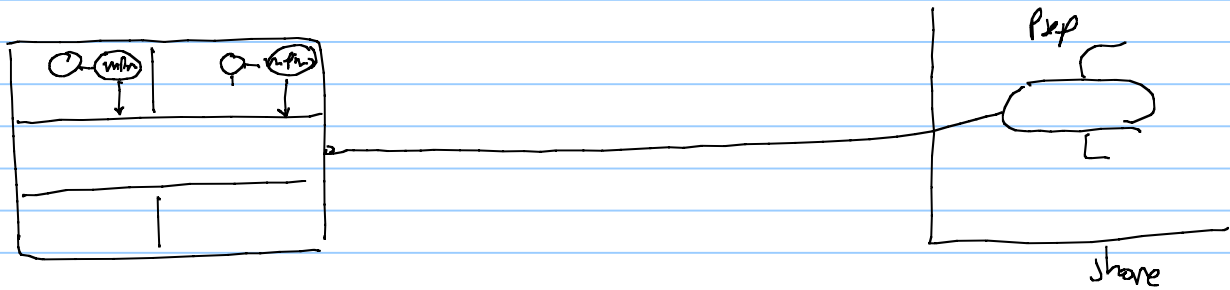


first pipe that is placed in hole $\rightarrow$ conductor

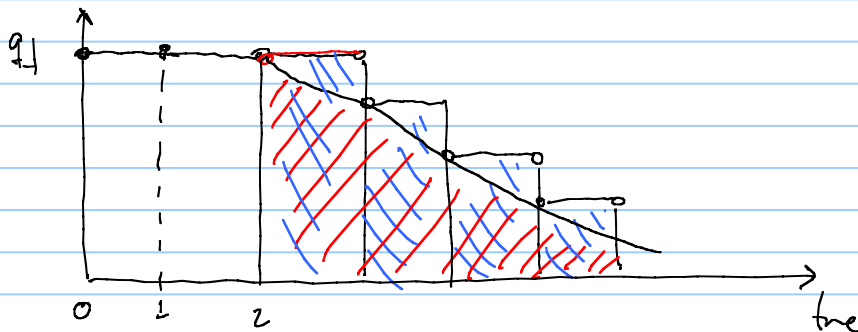


CONDUCTOR / DRILLING PROCESS

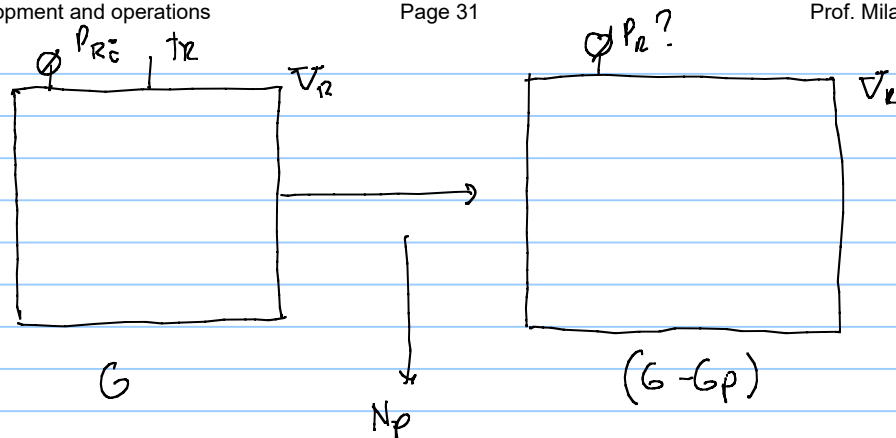




How to calculate $P_2 = f(t)$?



Dry gas material Balance



$$P V = R Z T_R$$

$$P \frac{V}{m} = R Z T_R$$

$$m_i = \frac{P_i V_R}{R Z_i T_R}$$

$$m^* = \frac{P_R V_R}{R Z_R T_R}$$

$$G_p \approx (m_i - m^*)$$

final equation

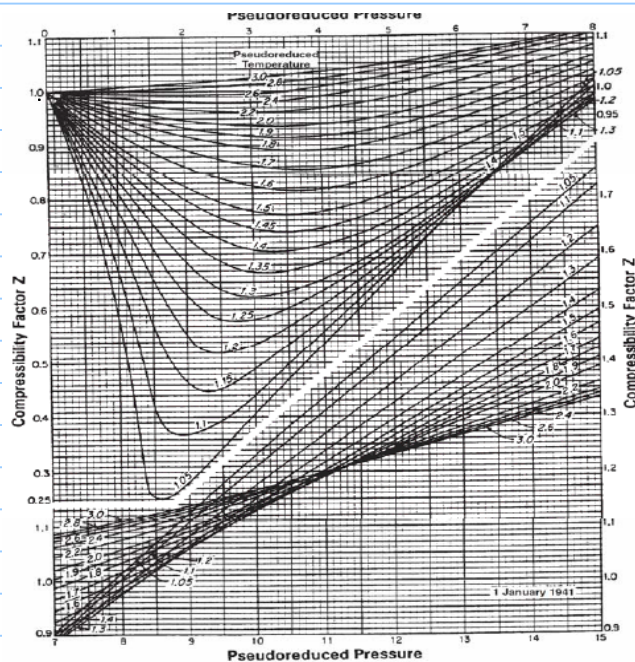
$$P_R = \frac{P_i}{Z_i} \left(1 - \frac{G_p}{G} \right)$$

neglecting rock compressibility

Recovery factor

$$P_R = P_i \frac{Z_R}{Z_i} \left(1 - RF \right)$$

0 q_{field}
1 q_{field}



$$Z_R = f(T_R, P_R)$$

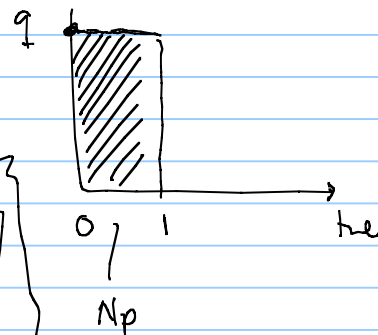
assume $P_{R,assumed}$

calculate Z_R

equation calculate P_R

is $P_{R,assumed} = P_{R,calc}$?

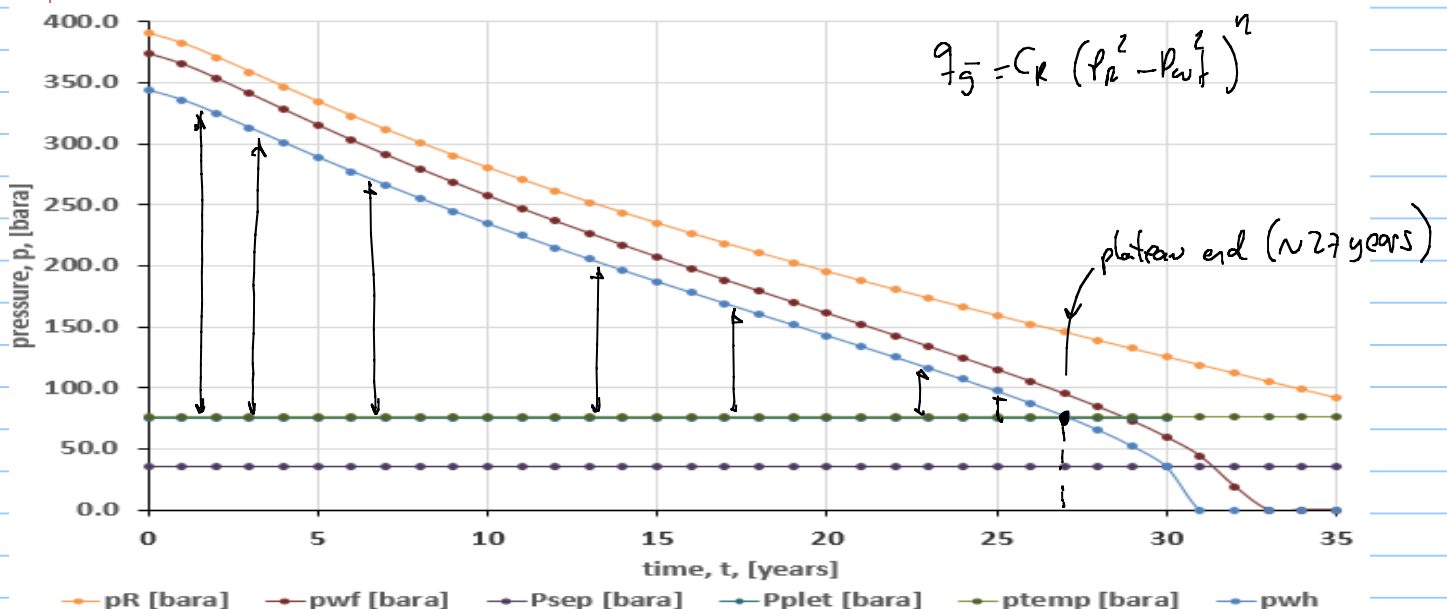
yes

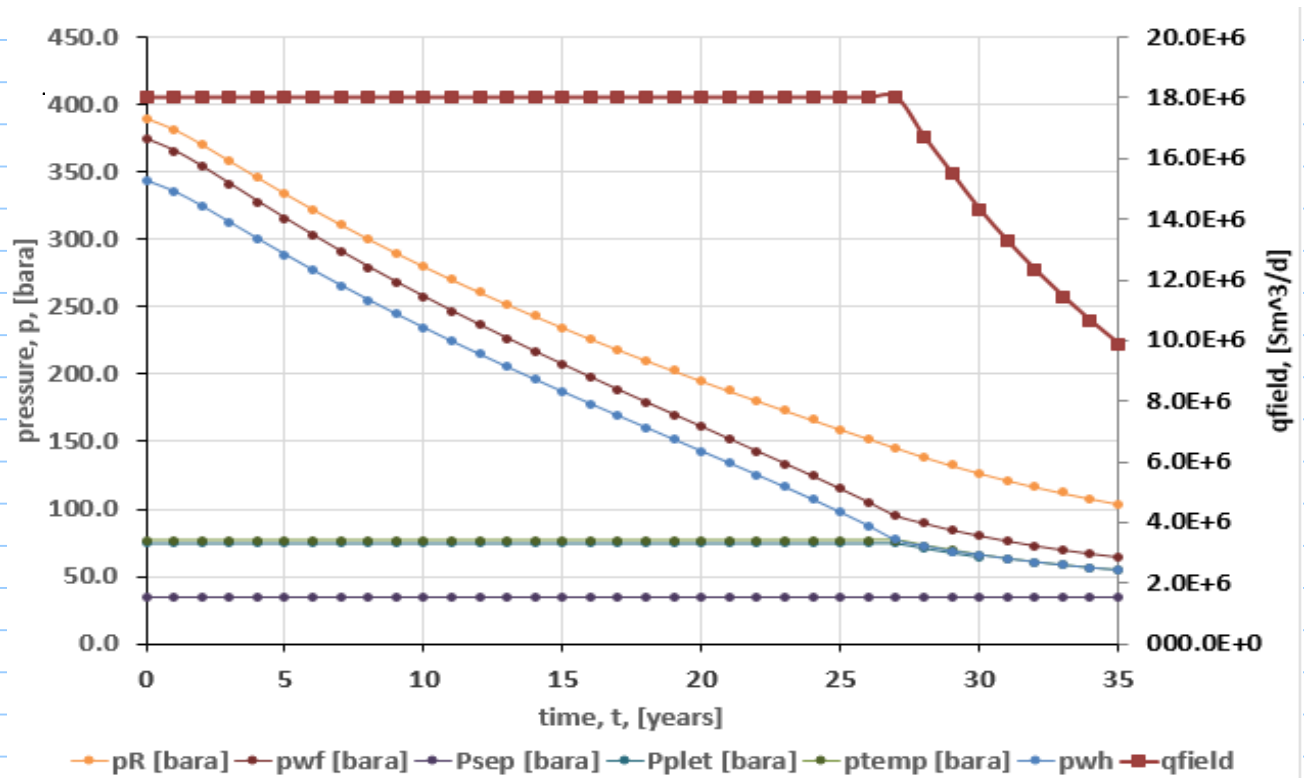


t_{ne} p_R $p_{R_1} \rightarrow p_{R_2}$ slow changing
 t_1 p_{R_1} Z_{R_2} with (p_{R_1})
 t_2 p_{R_2} Z_{R_i} with $p_{R_{i-1}}$
 t_3 p_{R_3}
 $\vdots$
 $\vdots$

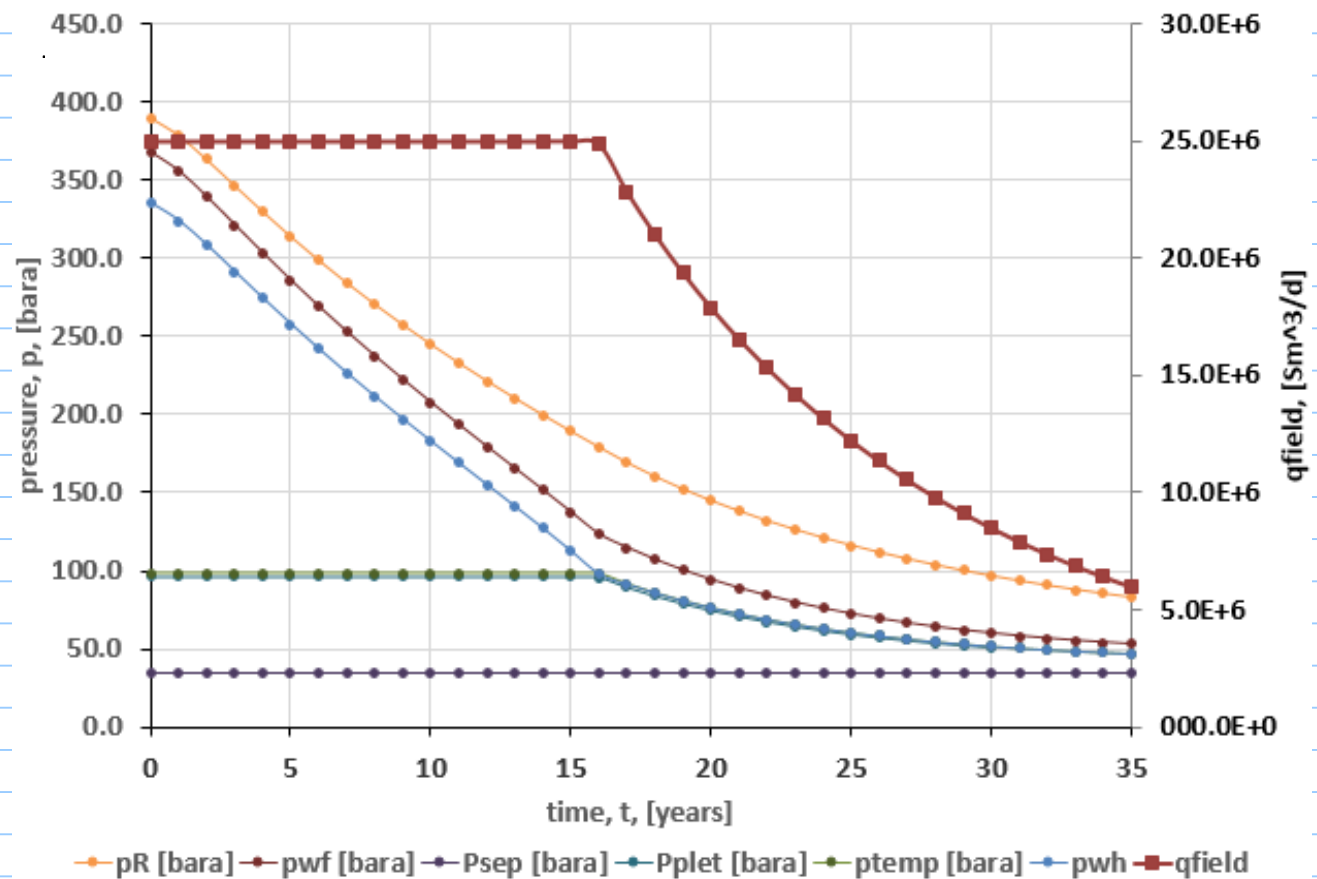
$$\Delta p = q_{\text{year}} \left(\frac{\text{Sm}^3/\text{d}}{\text{years}} \right) \left(\frac{\text{Ndays}}{\text{year}} \right) \frac{t_i - t_{i-1}}{\text{upline}}$$

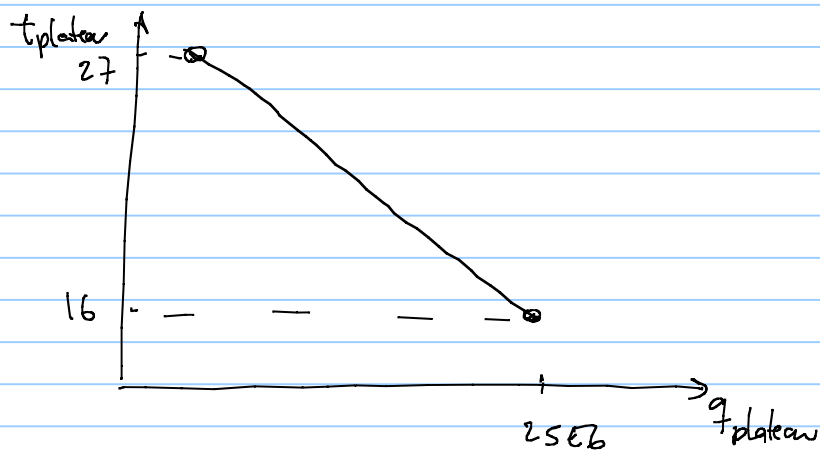
time	qwell	qfield	ΔGp	Gp	RF	pR	Z	pwf	pwh	Psep	Pplet	qtemp	ptemp	Deltphchoke	time
[years]	[Sm ³ /d]	[Sm ³ /d]	[Sm ³]	[Sm ³]	[-]	[bara]	[-]	[bara]	[bara]	[bara]	[bara]	[Sm ³ /d]	[bara]	[bara]	[years]
0	1.50E+06	18.0E+6	6.5E+9	000.0E+0	0.00	390.0	1.045	374.0	343.6	35.0	75.1	4.50E+06	76.7	267	0
1	1.50E+06	18.0E+6	6.5E+9	6.5E+9	0.02	381.9	1.036	365.6	335.7	35.0	75.1	4.50E+06	76.7	259	1
2	1.50E+06	18.0E+6	6.5E+9	13.0E+9	0.04	370.6	1.024	353.8	324.7	35.0	75.1	4.50E+06	76.7	248	2
3	1.50E+06	18.0E+6	6.5E+9	19.4E+9	0.06	358.4	1.012	340.9	312.7	35.0	75.1	4.50E+06	76.7	236	3
4	1.50E+06	18.0E+6	6.5E+9	25.9E+9	0.08	346.1	0.999	328.0	300.6	35.0	75.1	4.50E+06	76.7	224	4
5	1.50E+06	18.0E+6	6.5E+9	32.4E+9	0.10	334.0	0.987	315.3	288.7	35.0	75.1	4.50E+06	76.7	212	5
6	1.50E+06	18.0E+6	6.5E+9	38.9E+9	0.13	322.4	0.976	302.9	277.1	35.0	75.1	4.50E+06	76.7	200	6
7	1.50E+06	18.0E+6	6.5E+9	45.4E+9	0.15	311.2	0.966	291.0	265.9	35.0	75.1	4.50E+06	76.7	189	7
8	1.50E+06	18.0E+6	6.5E+9	51.8E+9	0.17	300.4	0.957	279.4	255.1	35.0	75.1	4.50E+06	76.7	178	8
9	1.50E+06	18.0E+6	6.5E+9	58.3E+9	0.19	290.0	0.948	268.2	244.6	35.0	75.1	4.50E+06	76.7	168	9
10	1.50E+06	18.0E+6	6.5E+9	64.8E+9	0.21	280.0	0.940	257.3	234.4	35.0	75.1	4.50E+06	76.7	158	10
11	1.50E+06	18.0E+6	6.5E+9	71.3E+9	0.23	270.4	0.933	246.8	224.5	35.0	75.1	4.50E+06	76.7	148	11
12	1.50E+06	18.0E+6	6.5E+9	77.8E+9	0.25	261.0	0.926	236.5	214.8	35.0	75.1	4.50E+06	76.7	138	12
13	1.50E+06	18.0E+6	6.5E+9	84.2E+9	0.27	252.0	0.920	226.5	205.3	35.0	75.1	4.50E+06	76.7	129	13
14	1.50E+06	18.0E+6	6.5E+9	90.7E+9	0.29	243.2	0.915	216.7	196.0	35.0	75.1	4.50E+06	76.7	119	14
15	1.50E+06	18.0E+6	6.5E+9	97.2E+9	0.31	234.7	0.910	207.1	186.9	35.0	75.1	4.50E+06	76.7	110	15
16	1.50E+06	18.0E+6	6.5E+9	103.7E+9	0.33	226.4	0.906	197.6	178.0	35.0	75.1	4.50E+06	76.7	101	16
17	1.50E+06	18.0E+6	6.5E+9	110.2E+9	0.35	218.3	0.902	188.3	169.1	35.0	75.1	4.50E+06	76.7	92	17
18	1.50E+06	18.0E+6	6.5E+9	116.6E+9	0.38	210.4	0.899	179.1	160.3	35.0	75.1	4.50E+06	76.7	84	18
19	1.50E+06	18.0E+6	6.5E+9	123.1E+9	0.40	202.7	0.897	170.0	151.6	35.0	75.1	4.50E+06	76.7	75	19





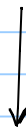
for higher plateau $25 \times 10^6 \text{ Sm}^3/\text{d}$





NPV calculations Net present value ← $\text{cost (CAPEX + OPEX)}$ Revenue

$\text{capital expenditures}$ $\text{operational expenditures}$



year	ΔG_p	Revenue	P_g
	$\square$	$\Delta G_p \cdot P_g$	$\square$
		$\Delta G_p \cdot P_g$	