

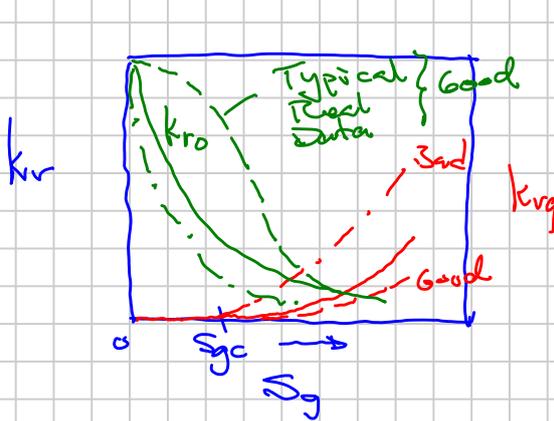
# LNK Modeling of EOR Processes

## Layered No-Crossflow

$k_{xy} \neq 0 \quad v_z \approx 0$

Depletion SED Oil Reservoirs: 5 - (10 - 25%)

RP  
Encl      RP  
Good



Carey:  $k_{ro} \propto (1 - S_g)^{n_0}$   $n_0 \sim 2-5$   
 ---  $k_{ro}$ : Chierici Geranda

EOR: Inject  $\Rightarrow$  Success / Failure

KPI / Key Layer Permeability Variation

high-k, low-k layers

Distribution  $k(z)$   
 horizontal x-y      geological depth (layer to layer)

1944 : Laws k distribution

1948 : ① Trans. AIME

Standing, Lindblad, Parsons : Gas Cycling Gas Condensate

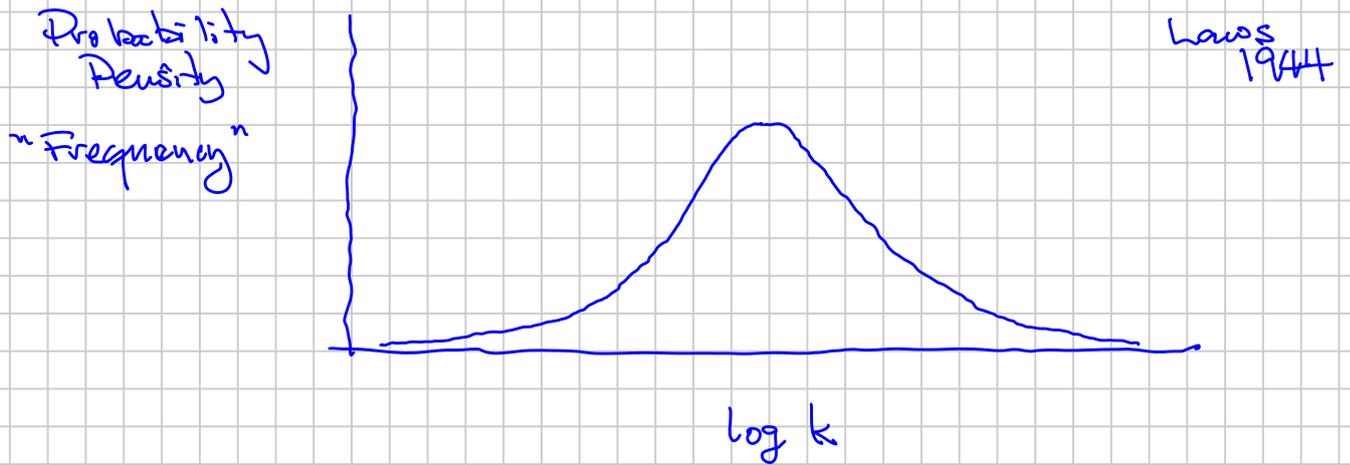
"Charts"

② API : Leaky Piston, Dykstra & Parsons : Water Flooding

Analytical

③ Muskat :  $k = \text{exponential}$   
 Laws log-normal  
 June 1948 (Trans AIME 1949)      Gas Cycling Gas Condensate

$k(z)$  using a log-normal permeability distribution



Property  
eg. Grain Size / Porosity

$\phi$ : normal dist.  $\bar{\phi} = \frac{1}{N} \sum \phi_i$

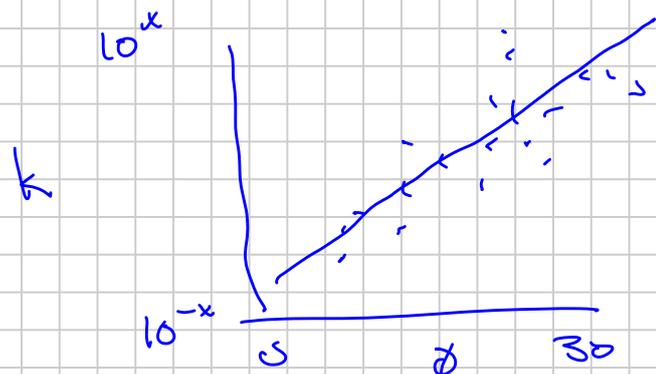
$k$ : log-normal dist  $\log \bar{k} = \frac{1}{N} \sum \log k_i$

→ Geometric Average

$$\bar{k}_G = \left( \prod k_i \right)^{1/N}$$

→ Approximation

$$\log k \approx a + b\phi$$



1949: • Muskat Trans AIME Gas Cycling

• Stiles WF EOR

Any  $k(z)$  distribution  $\Rightarrow$  Computational Procedure  $N$  layers

$k, \phi$   
heavy Piston Displacement

1950

Muskat WF Analytical Solutions

$k(z)$  linear  
exponential  
log-normal

heavy Piston assumption

(1967)

BW in each layer

Snyder & Payne: log-normal dist

# LNK EOR Publications History

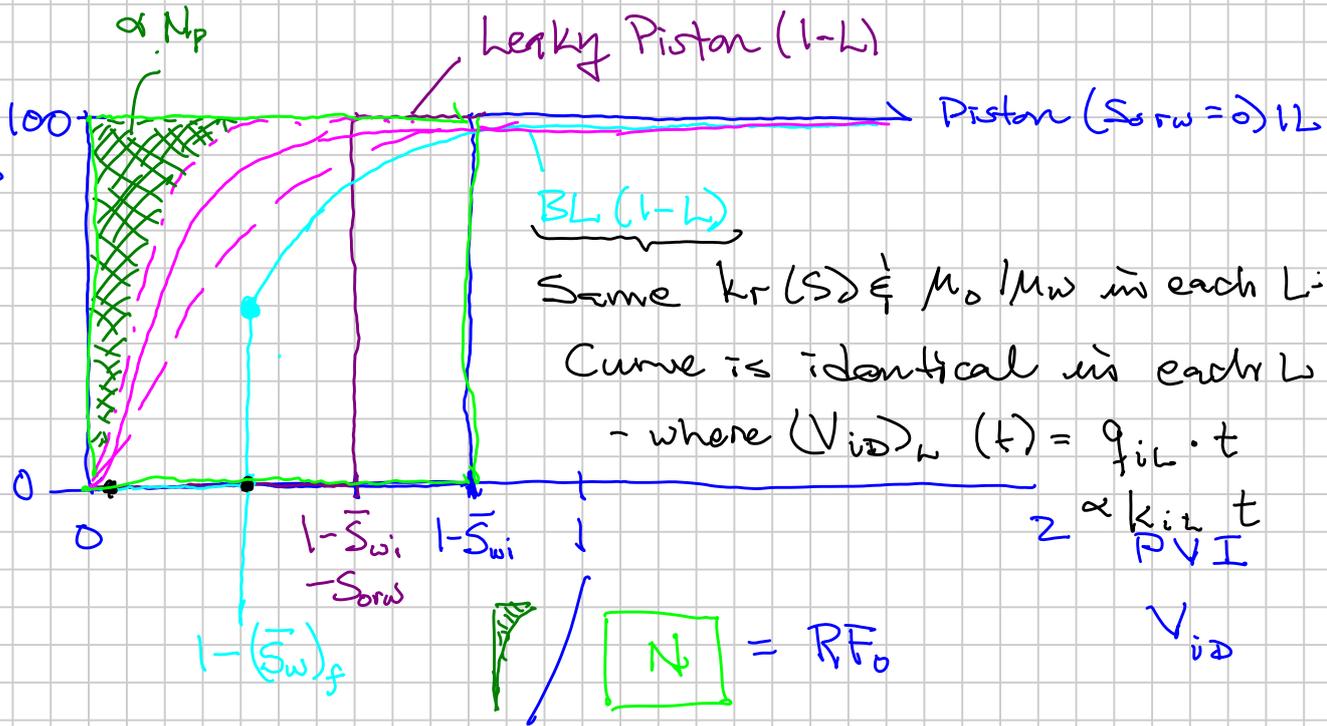
⇒ Production Performance of LNK Systems

"F<sub>w</sub>" =

$$\left( \frac{q_w}{q_w + q_o} \right) P$$

$$\frac{STB}{STB}$$

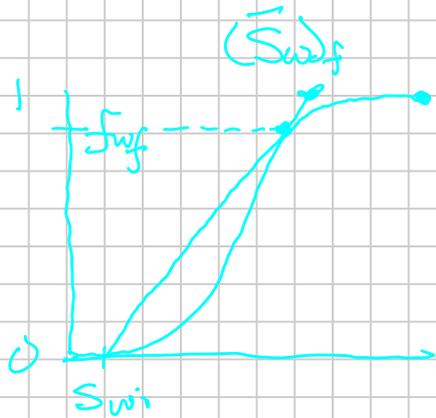
~ f<sub>w</sub> related



$$f_w = \left( \frac{q_{WR}}{q_{WR} + q_{OR}} \right) P$$

$$F_w = \frac{q_{WR}/B_w}{q_{WR}/B_w + q_{OR}/B_o}$$

$B_w \neq B_o @ \bar{P}_e$   
in WF Unit



LNK

$$q_{WR}(t) = \sum_{L=1}^{N_L} f_w(V_{id,L}(t)) \cdot q_{tL}$$

f<sub>w</sub>(V<sub>id</sub>) same for all layers

z ⇔ V<sub>id</sub> different for all layers ∝ k<sub>L</sub>

q<sub>tL</sub> may vary somewhat over time

$$V_{iDL} \approx V_{iDt} \cdot \frac{\bar{k}}{\sum k_L}$$

$$\bar{k} = \frac{\sum k_L}{N_L}$$

LNK: ① Earlier BT

② Lower  $R_{F0} = N_p(t) / N$

↑  
at a given time

Larger  
the  
 $k(t)$   
variation  
"V"

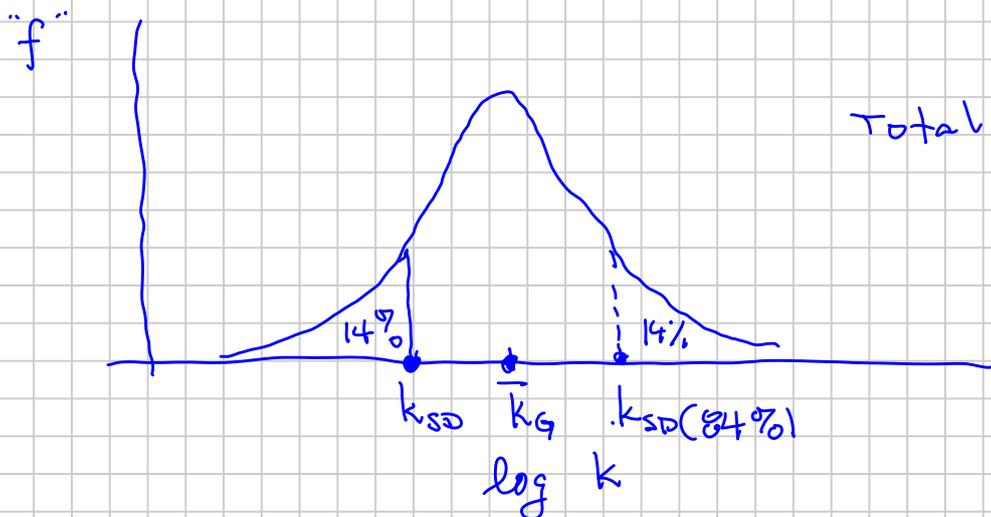
Laws (DP (Muskat / Standung...))

$$"V" \equiv \frac{|\bar{k}_G - k_{SD}|}{\bar{k}_G}$$

0 - 1  
no max  
 $\infty$

SD: standard deviation

(0.3 - 0.7)  
real data



Total Area = 1