

# AVO Sensitivity to Shale Reservoirs

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# Outline

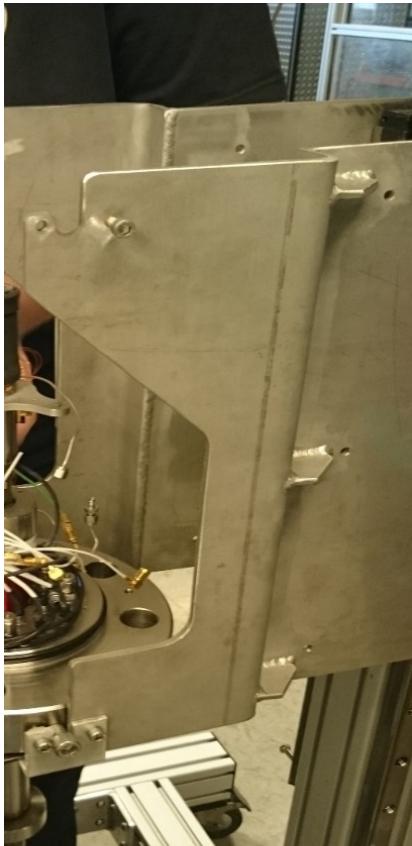
- ▶ Objectives
- ▶ Laboratory Experiment
- ▶ Data and Model
- ▶ Results
- ▶ Conclusion
- ▶ Next
- ▶ Acknowledgment

# Objectives

- ▶ Examine unconventional shale reservoir sensitivity to:
  - ▶ Saturation
  - ▶ Stress
  - ▶ Frequency
  - ▶ Anisotropy
  - ▶ Cracks

# Laboratory Experiments

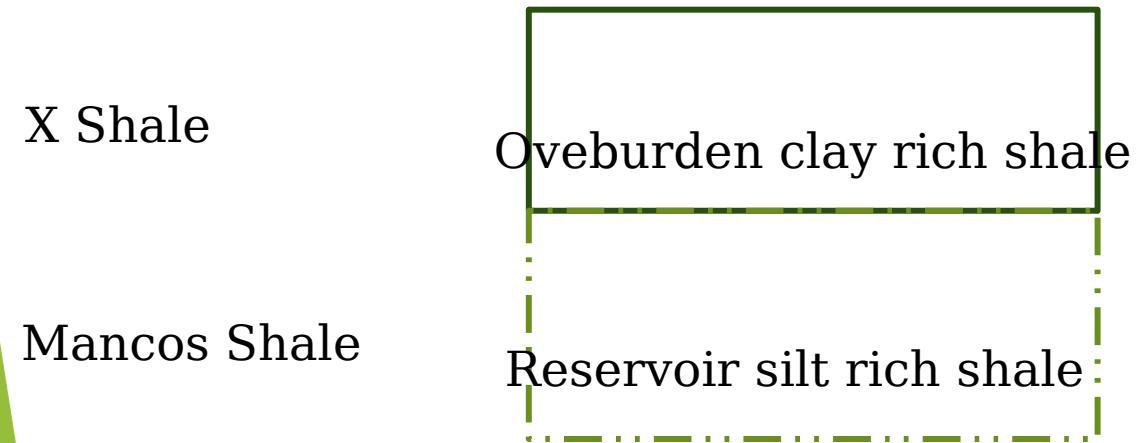
- Two experiments:
  - Constant stress and varying saturation. (done previously - data available)
  - Constant saturation and varying confining and axial stresses. (April 2015 - data processing)
- Measured ultra sonic velocities and low frequency velocities calculated from strain measurements. ( $E$ ,  $\nu$ )
- Three different orientations in each experiment to calculate the stiffness tensor elements and anisotropy parameters.



# Data and Model

	Saturation	Frequency	Crack density	Stress
Saturation				
Frequency				
Crack density				
Stress				

# Data and Model



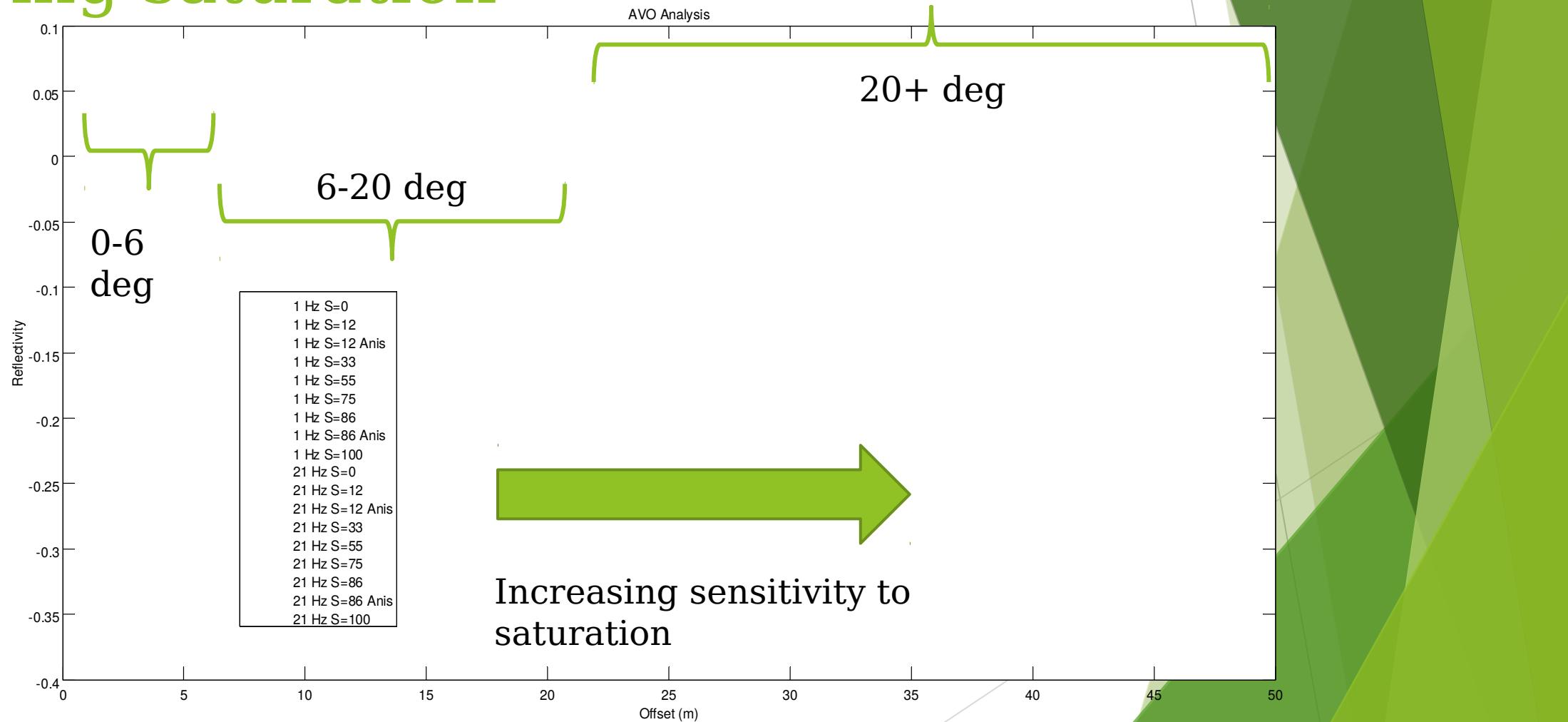
$V_p = 3000 \text{ m/s}$ ,  $V_s = 1500 \text{ m/s}$ , density=2.4 g/cc, epsilon=0.2 and delta=0.1

Lab data

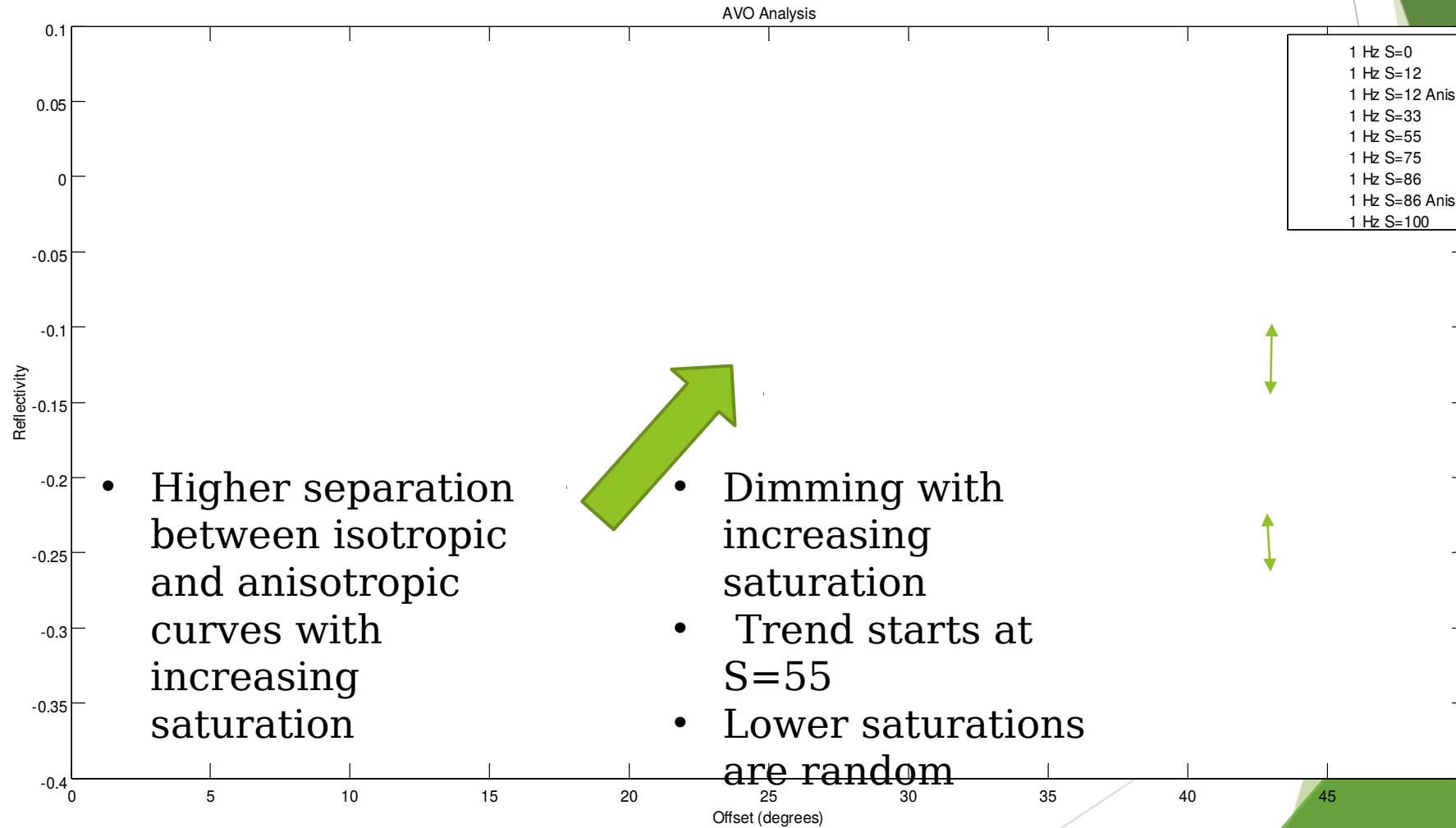
# Results



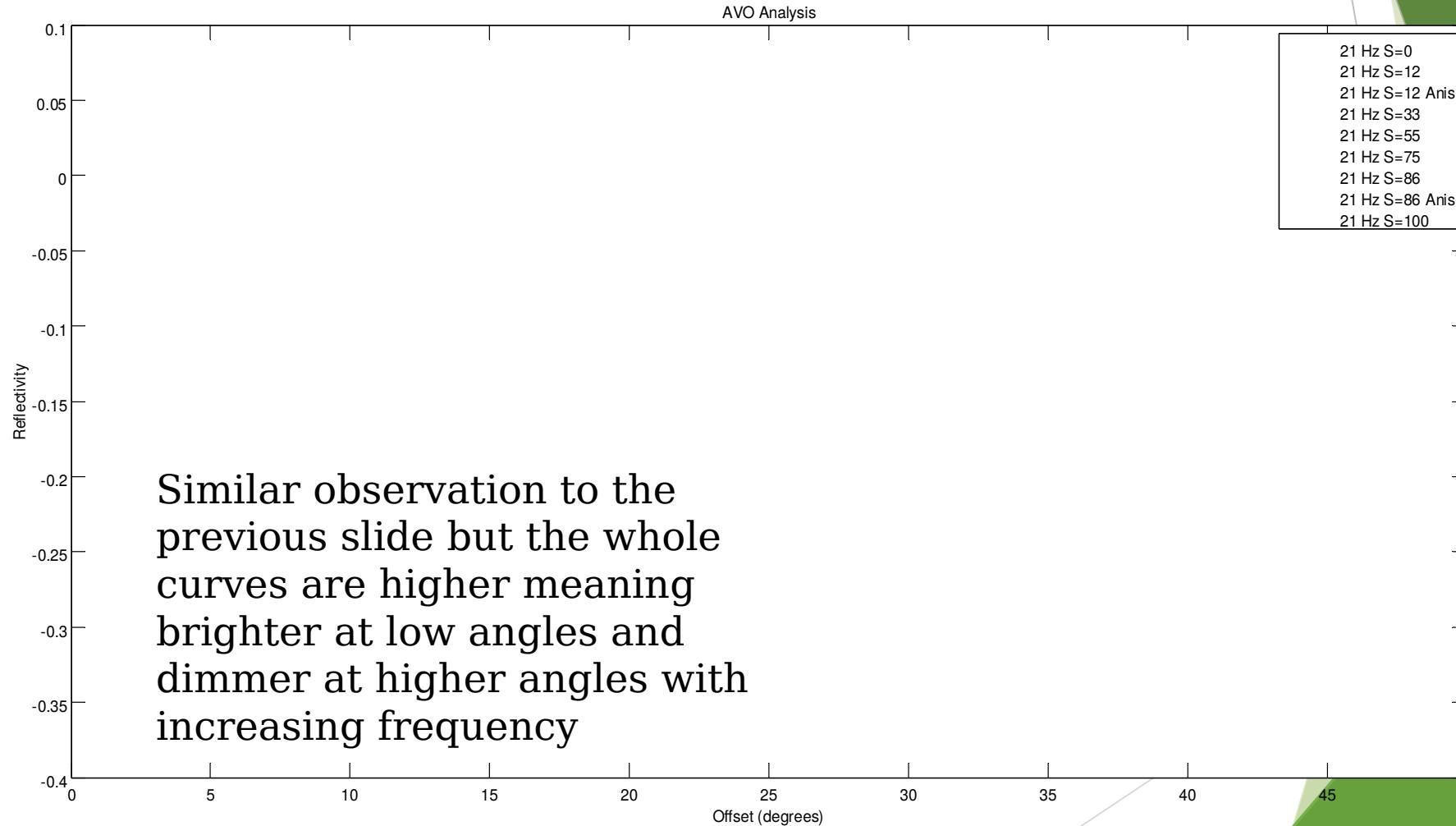
Two freq. (1 Hz & 21 Hz) while varying saturation



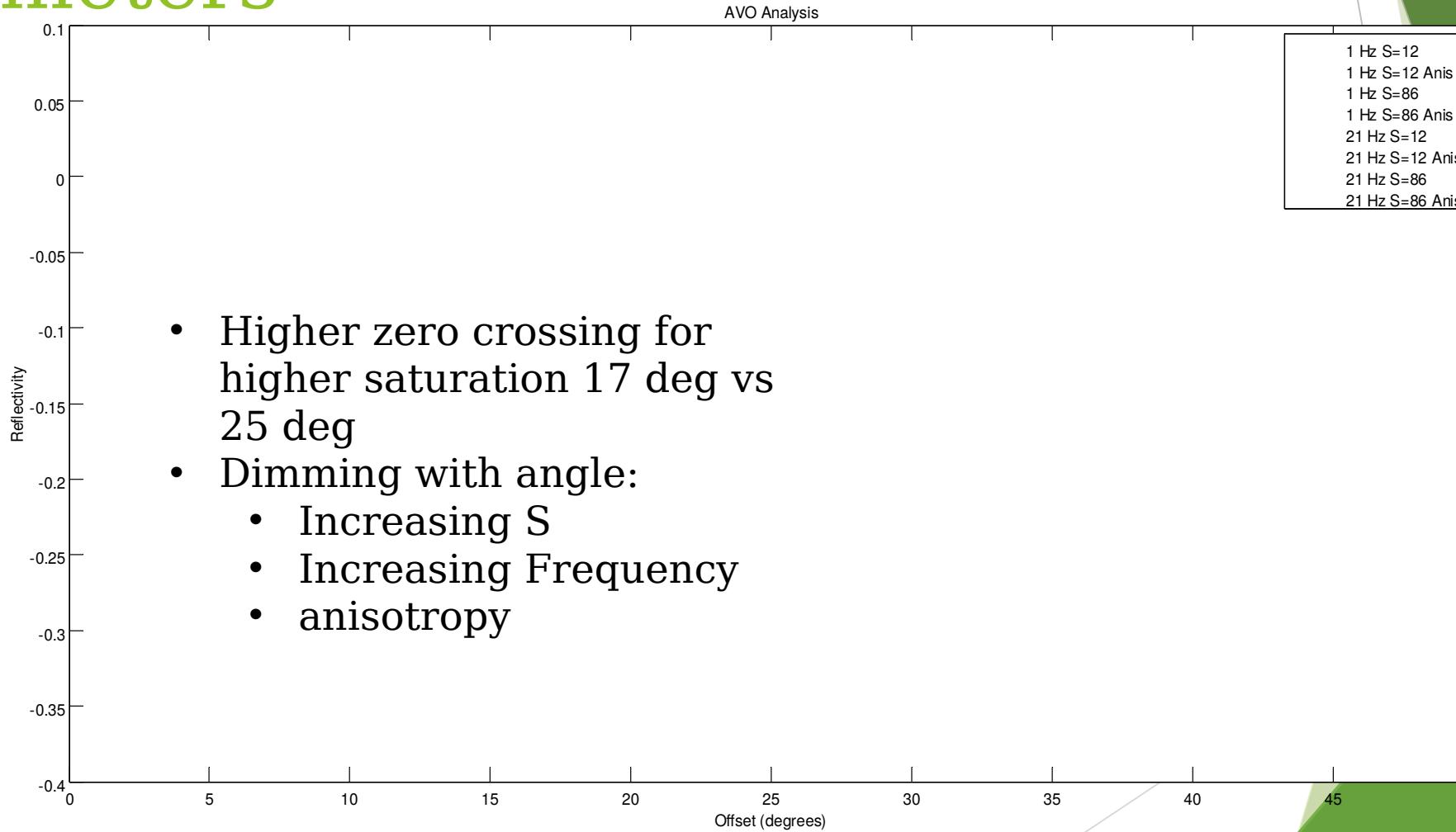
# Shale samples measured at 1 Hz



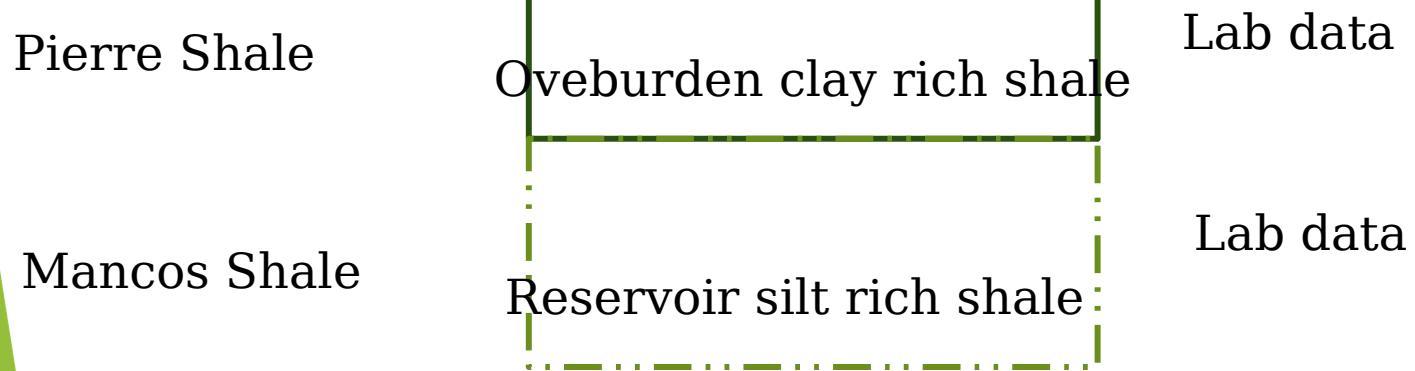
# Shale samples measured at 21 Hz



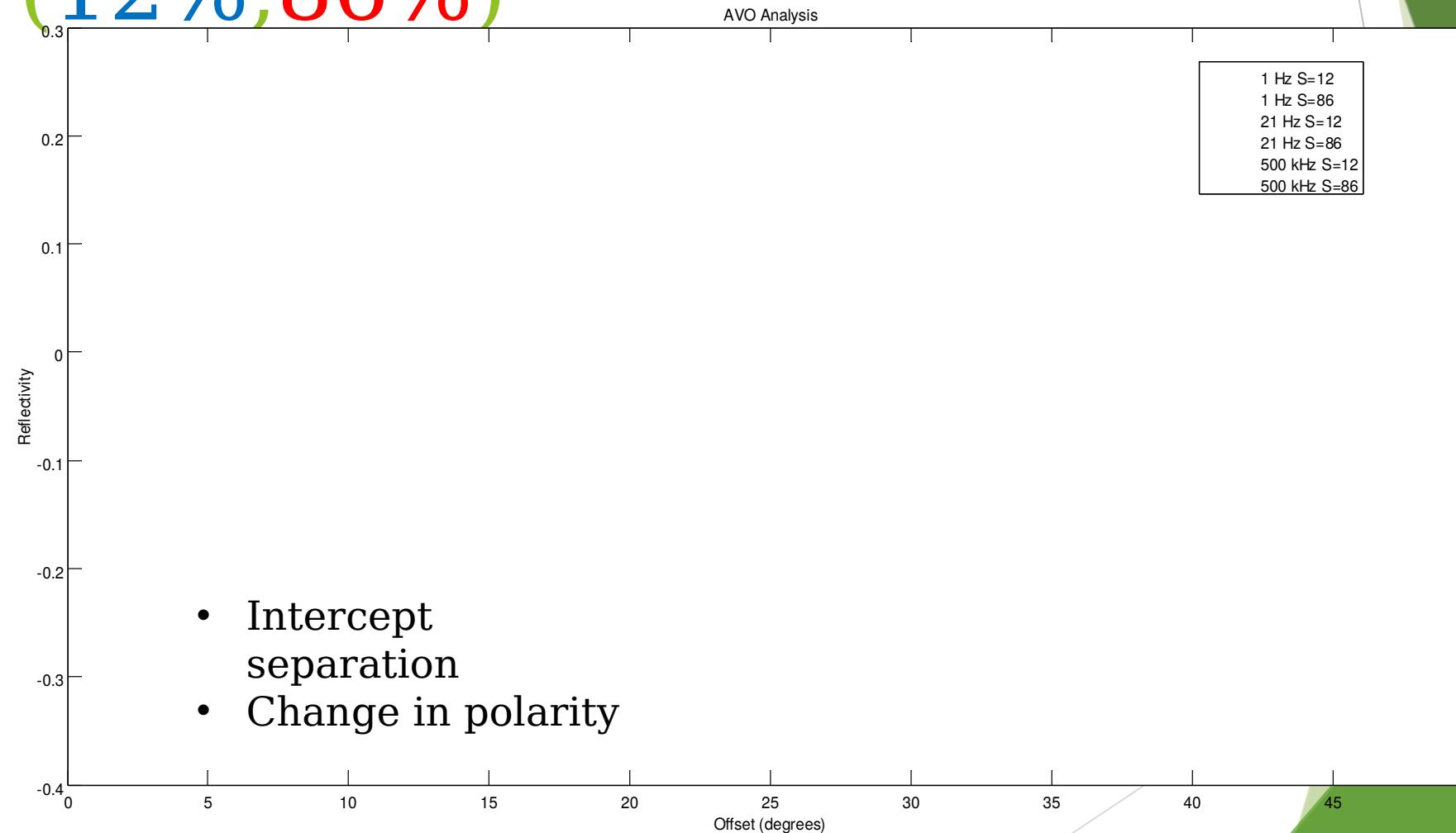
# Data with measured anisotropic parameters



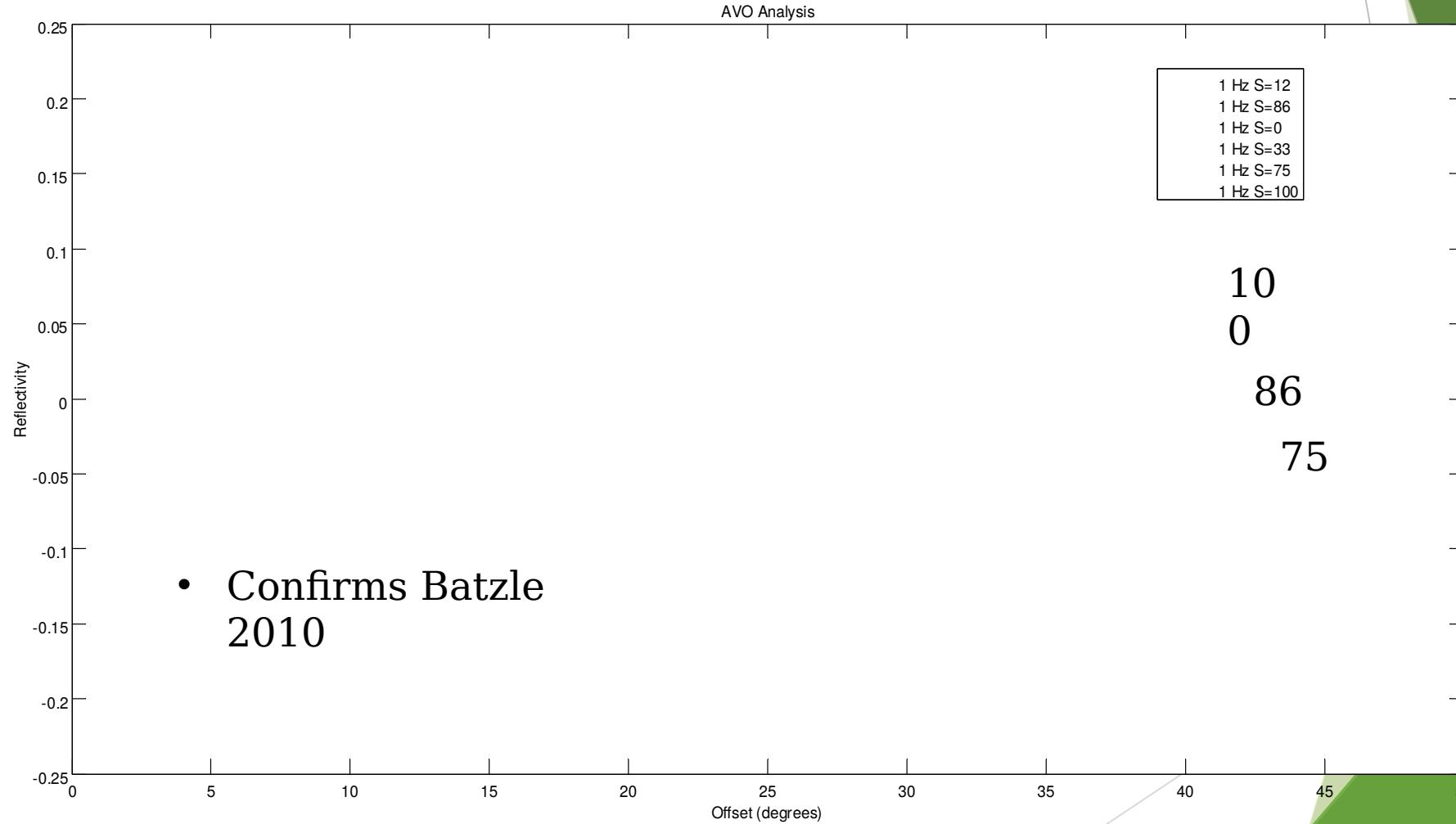
# Data and Model



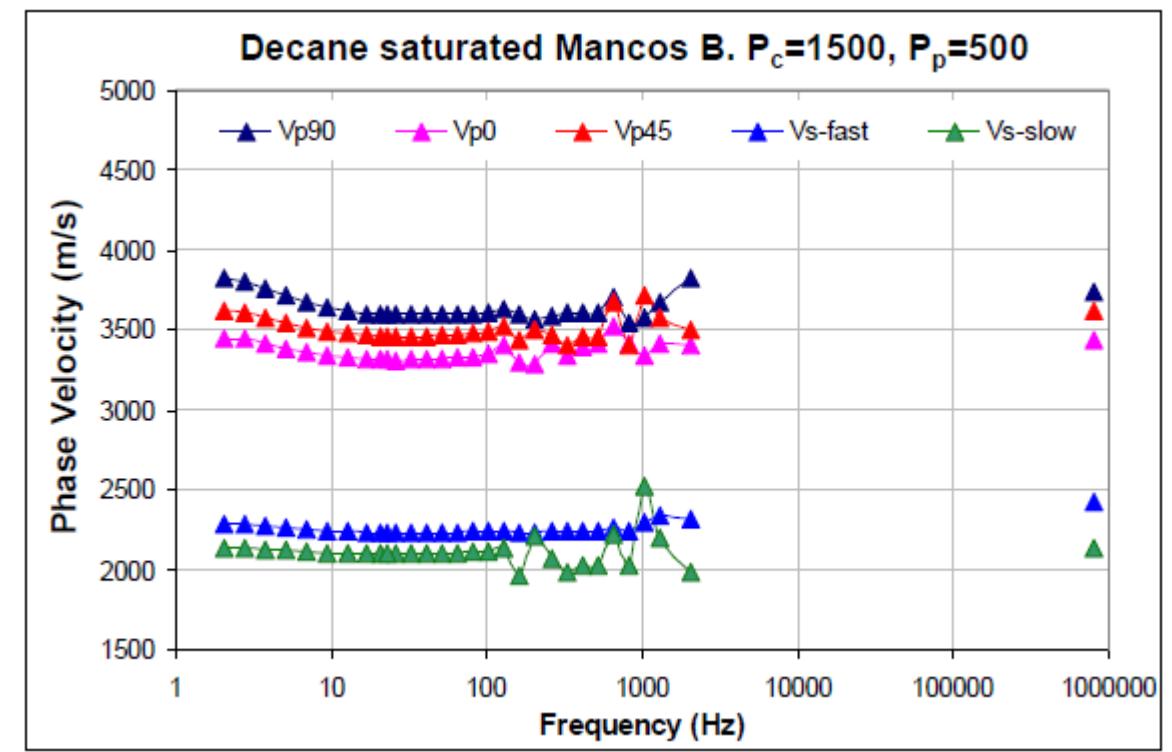
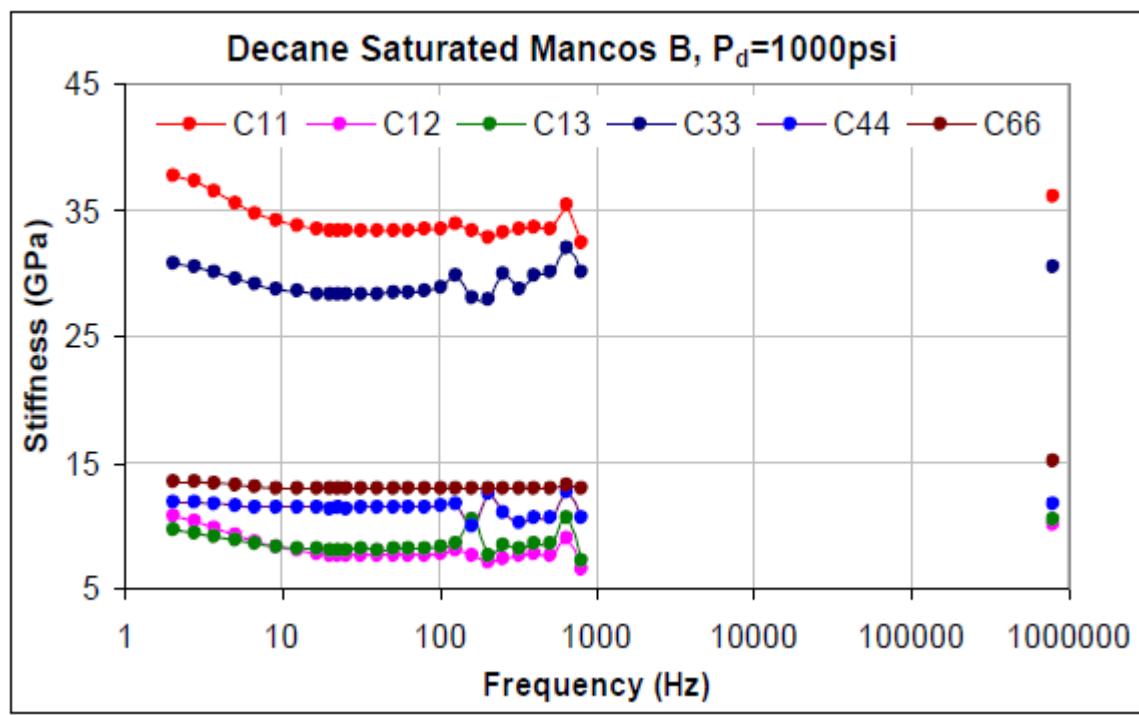
3 Freq. (1 Hz, 21 Hz, 500 kHz), 2  
Sat. (12%, 86%)



# 1 Hz and varying saturation

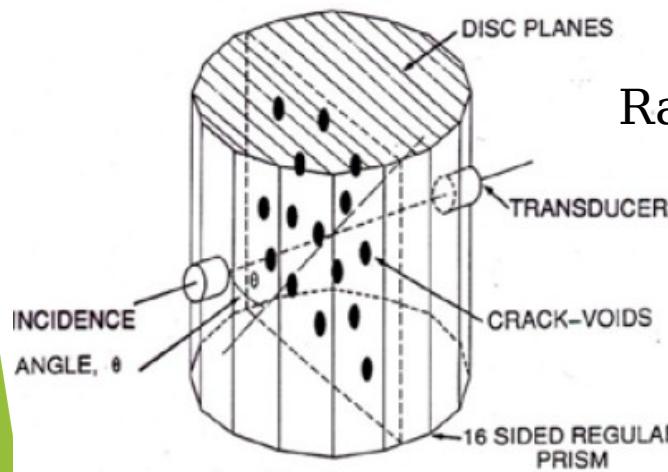


# Plots from Batzle and Sarker 2010

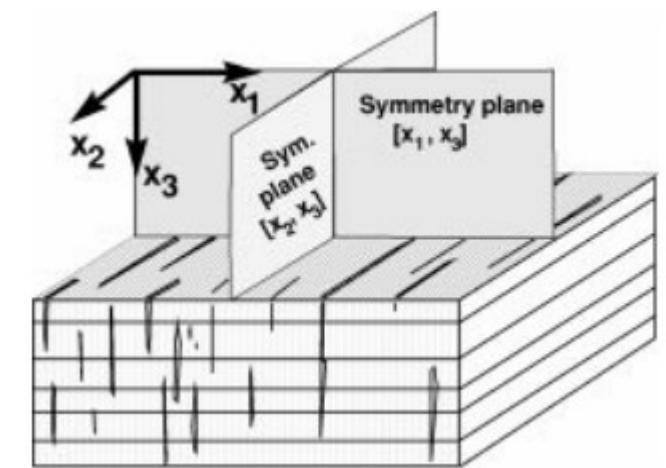


# Sensitivity to Cracks

$$\vec{C} = \begin{pmatrix} C_{11} & C_{12} & C_{13} & 0 & 0 & 0 \\ C_{12} & C_{11} & C_{13} & 0 & 0 & 0 \\ C_{13} & C_{13} & C_{33} & 0 & 0 & 0 \\ 0 & 0 & 0 & C_{44} & 0 & 0 \\ 0 & 0 & 0 & 0 & C_{44} & 0 \\ 0 & 0 & 0 & 0 & 0 & C_{66} \end{pmatrix} \quad \left[ \begin{array}{ccccccc} \frac{\nu_s^2}{1-2\nu_s} & \frac{\nu_s(1-\nu_s)}{1-2\nu_s} & \frac{(1-\nu_s)^2}{1-2\nu_s} & 0 & 0 & 0 \\ \frac{\nu_s(1-\nu_s)}{1-2\nu_s} & \frac{\nu_s^2}{1-2\nu_s} & \frac{(1-\nu_s)^2}{1-2\nu_s} & 0 & 0 & 0 \\ \frac{(1-\nu_s)^2}{1-2\nu_s} & \frac{(1-\nu_s)^2}{1-2\nu_s} & \frac{(1-\nu_s)^2}{1-2\nu_s} & 0 & 0 & 0 \\ 0 & 0 & 0 & \frac{1-\nu_s}{2-\nu_s} & 0 & 0 \\ 0 & 0 & 0 & 0 & \frac{1-\nu_s}{2-\nu_s} & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 \end{array} \right]$$



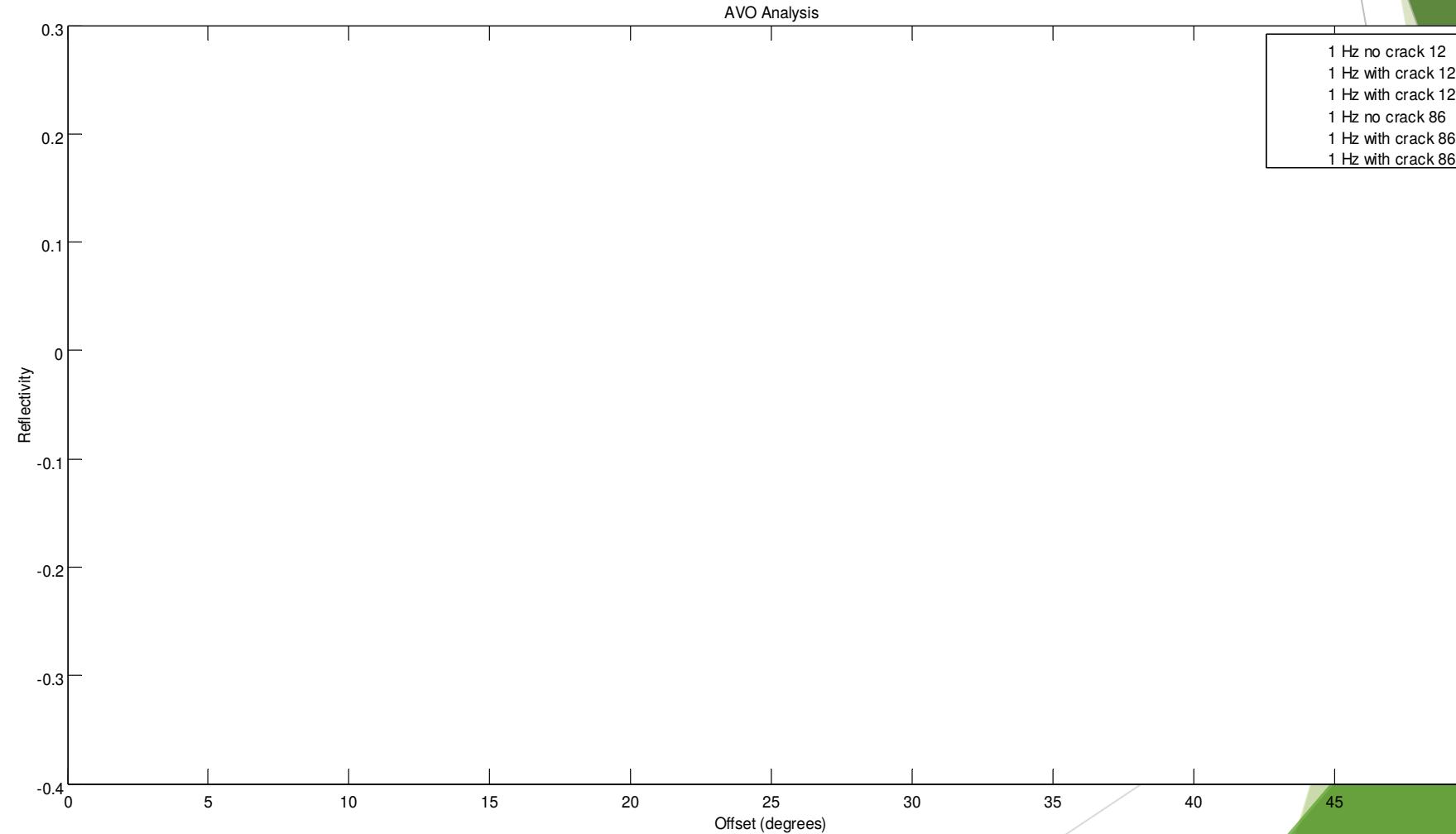
Rathore 1995



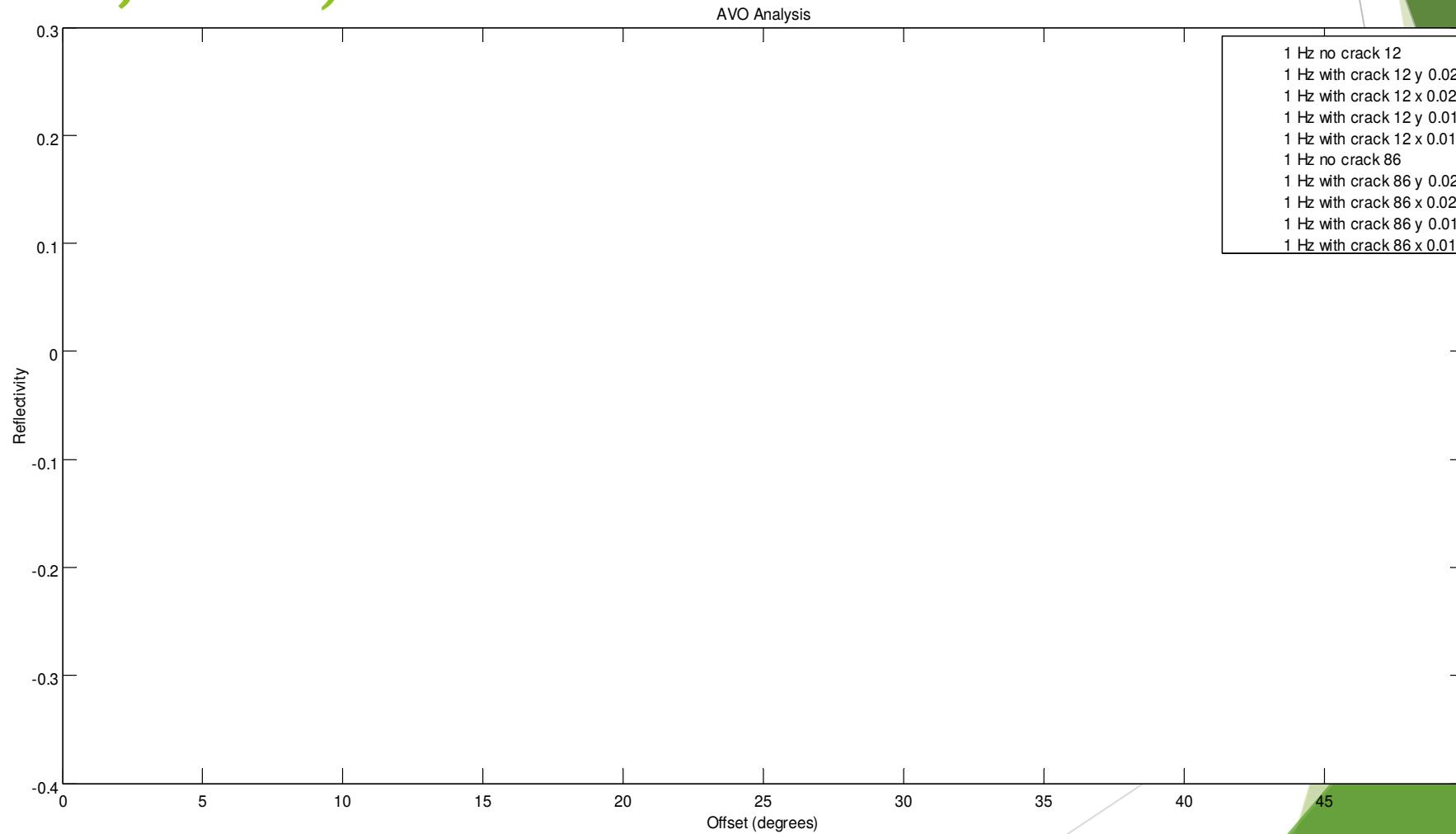
Tsvankin

$$C_{\text{orthor}} = \begin{pmatrix} c_{11} & c_{12} & c_{13} & 0 & 0 & 0 \\ c_{12} & c_{22} & c_{23} & 0 & 0 & 0 \\ c_{13} & c_{23} & c_{33} & 0 & 0 & 0 \\ 0 & 0 & 0 & c_{44} & 0 & 0 \\ 0 & 0 & 0 & 0 & c_{55} & 0 \\ 0 & 0 & 0 & 0 & 0 & c_{66} \end{pmatrix}$$

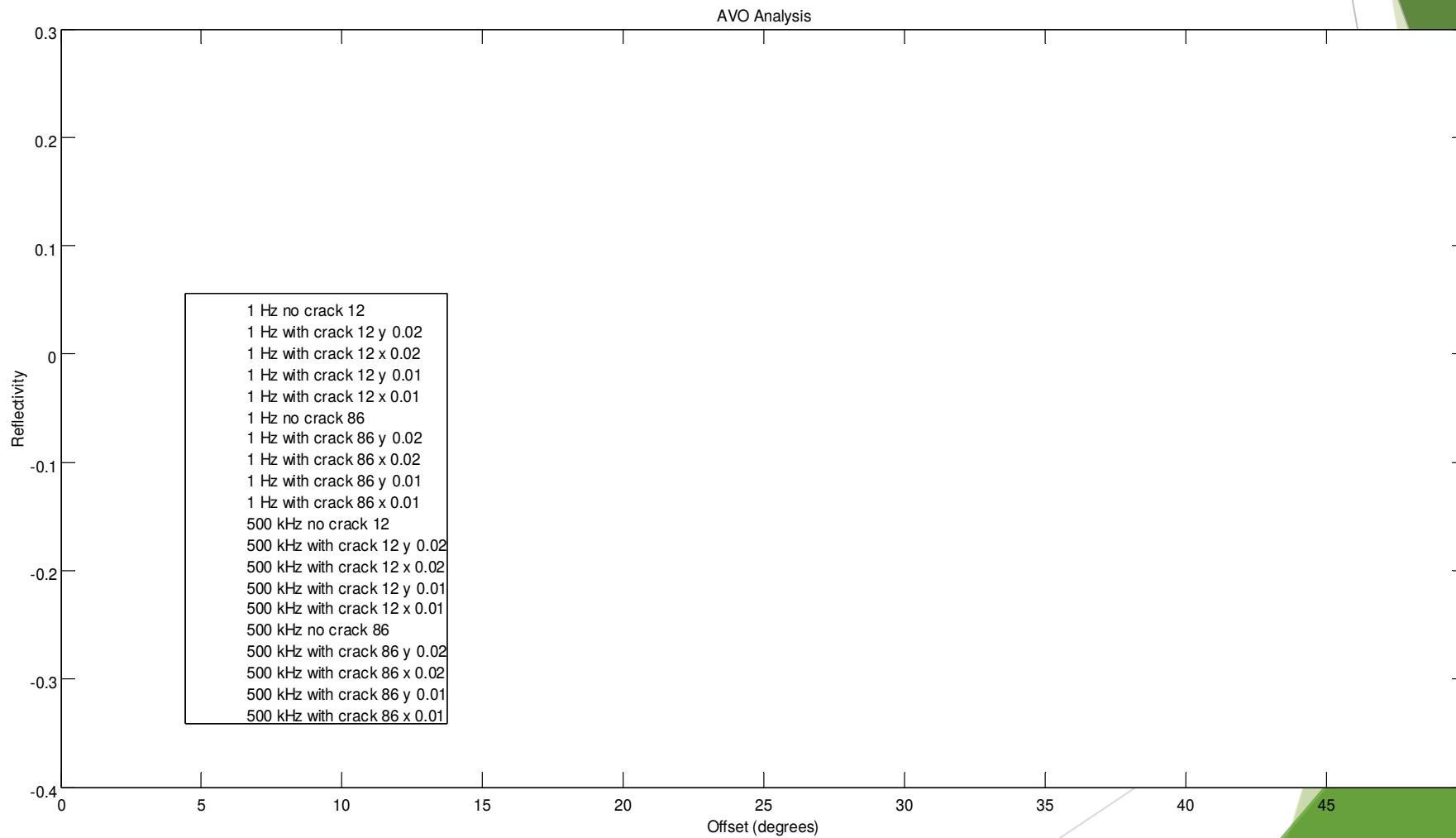
# Adding vertical cracks to 1 Hz, S=12% & 86%



# Varying crack density (1 Hz, S=12%,86%)



# Adding 500 kHz



# Conclusion

- ▶ Sensitivity to saturation at angles higher than 20
- ▶ Higher affect of anisotropy with higher saturation
- ▶ Dimming reflectivity with increasing saturation for angles higher than 20
- ▶ Lack of saturation trend for low saturations until  $\sim S=55\%$
- ▶ The higher the frequency the brighter the reflectivity at low angles and the dimmer it gets at higher angles
- ▶ At higher saturations, larger separations between zero intercepts of the different frequencies
- ▶ Small influence of cracks at angles higher than 30

# Next

- ▶ Include the stress varying data in the analysis after processing
- ▶ Plot all the data on intercept-gradient for further analysis

# Acknowledgment

- ▶ PhD student: Dawid Szewczyk
- ▶ Supervisors: Rune Holt / Per Avseth
- ▶ Sintef