

ME683 Field development and operations

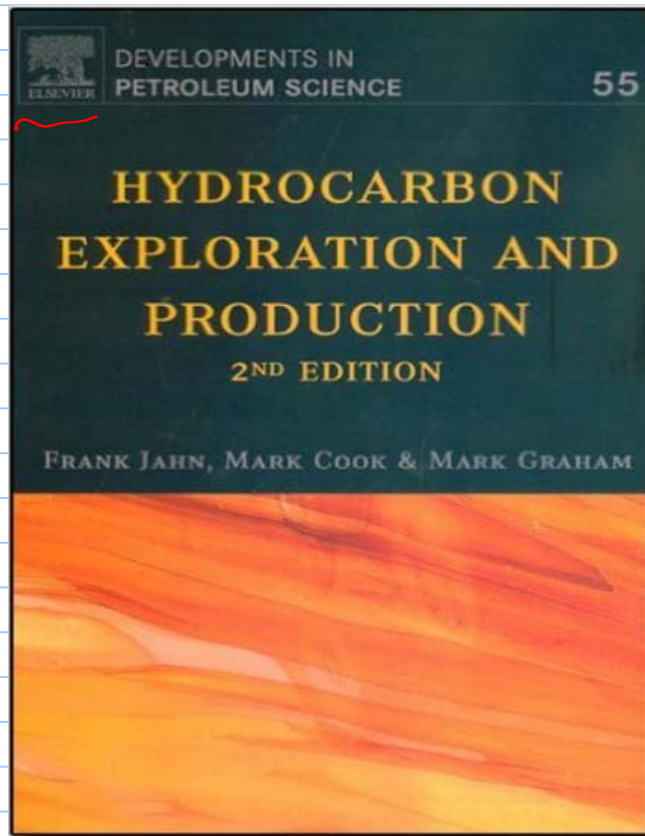
Prof: Milan Stanko (NTNU, Norway)

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Reference material:
youtube channel

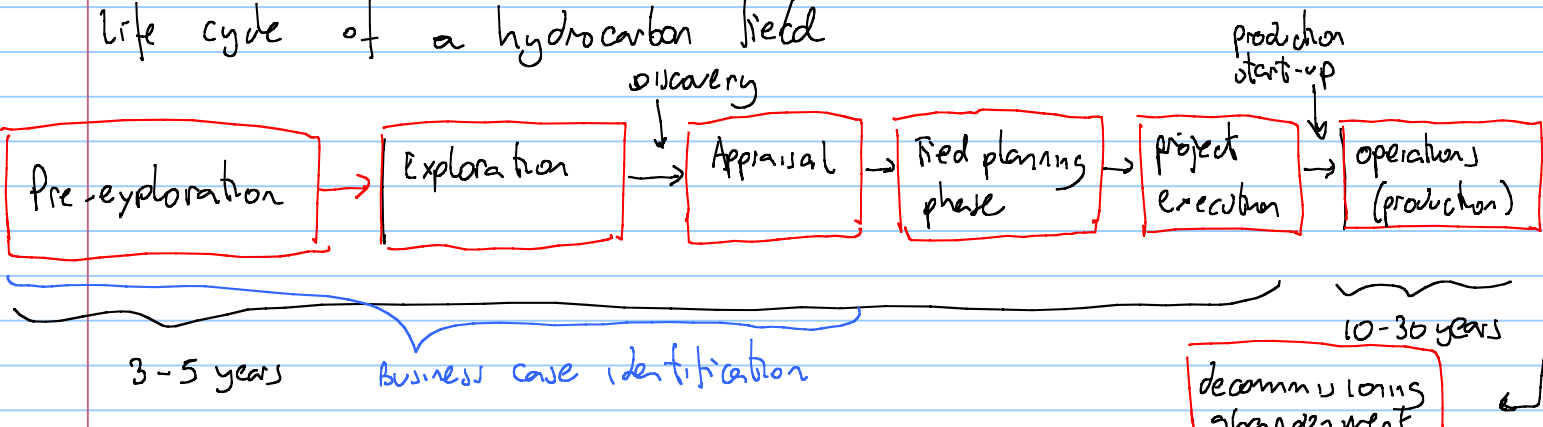
<https://www.youtube.com/playlist?list=PLXfmJiG2tXbrD3-nQDnRQnGohlIFrK6tye>

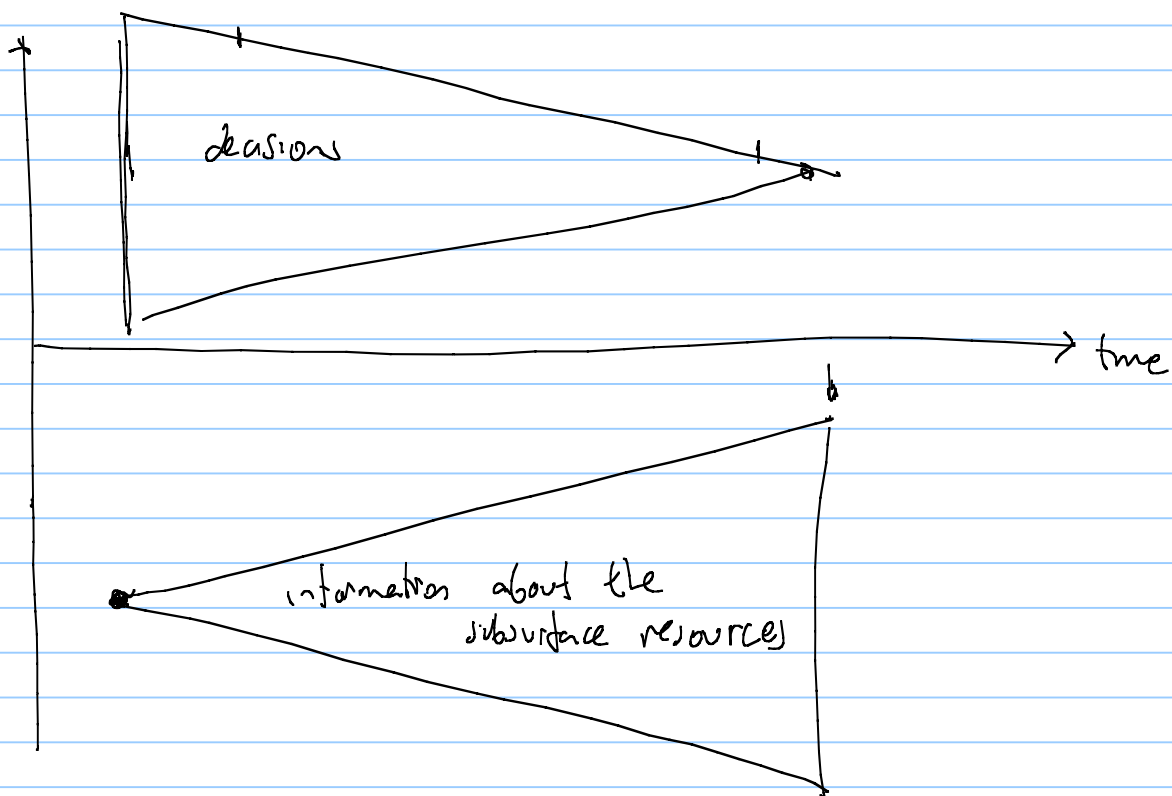
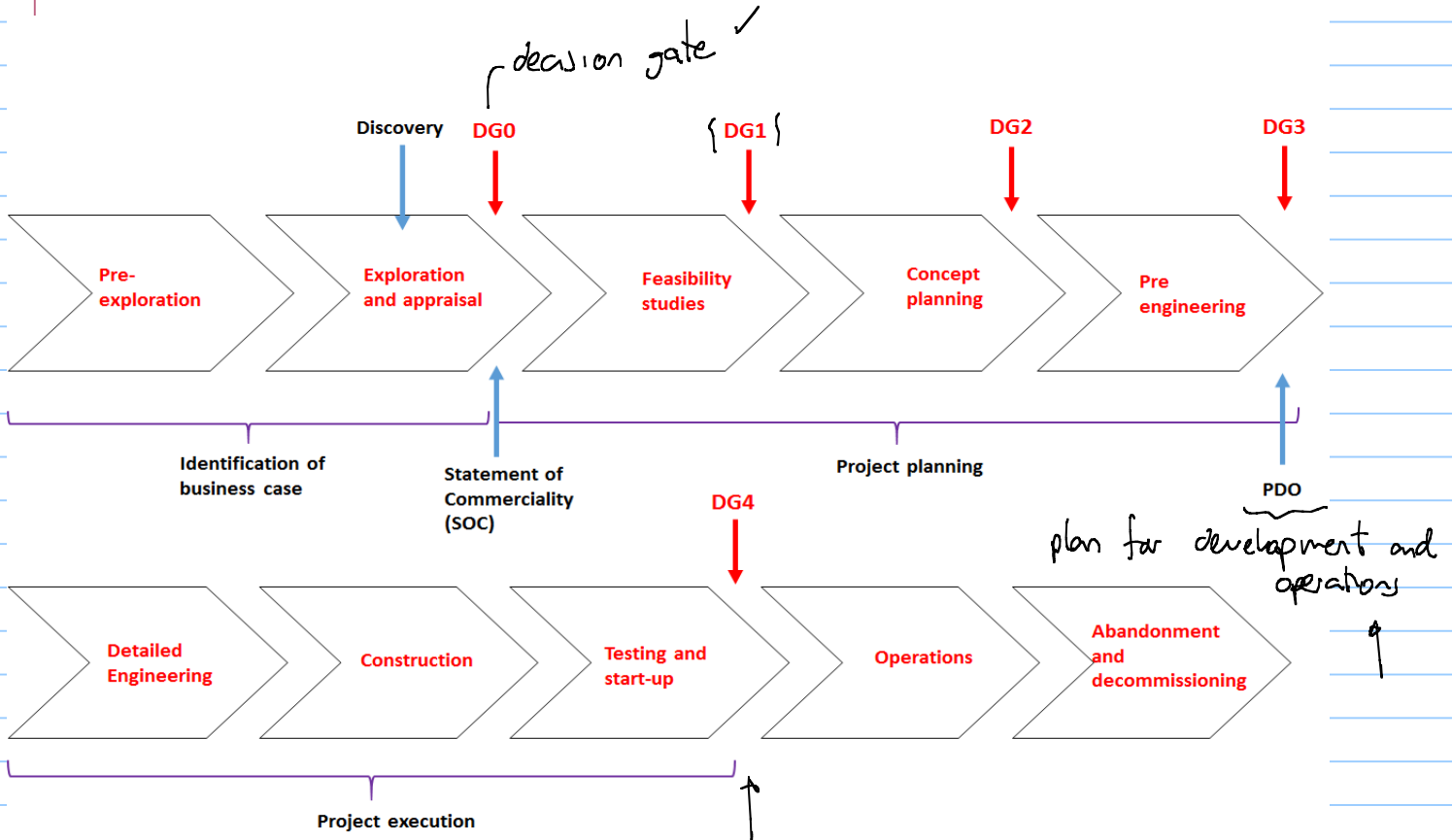
TPG 4230 field development and operations



Elsevier.

Life cycle of a hydrocarbon field





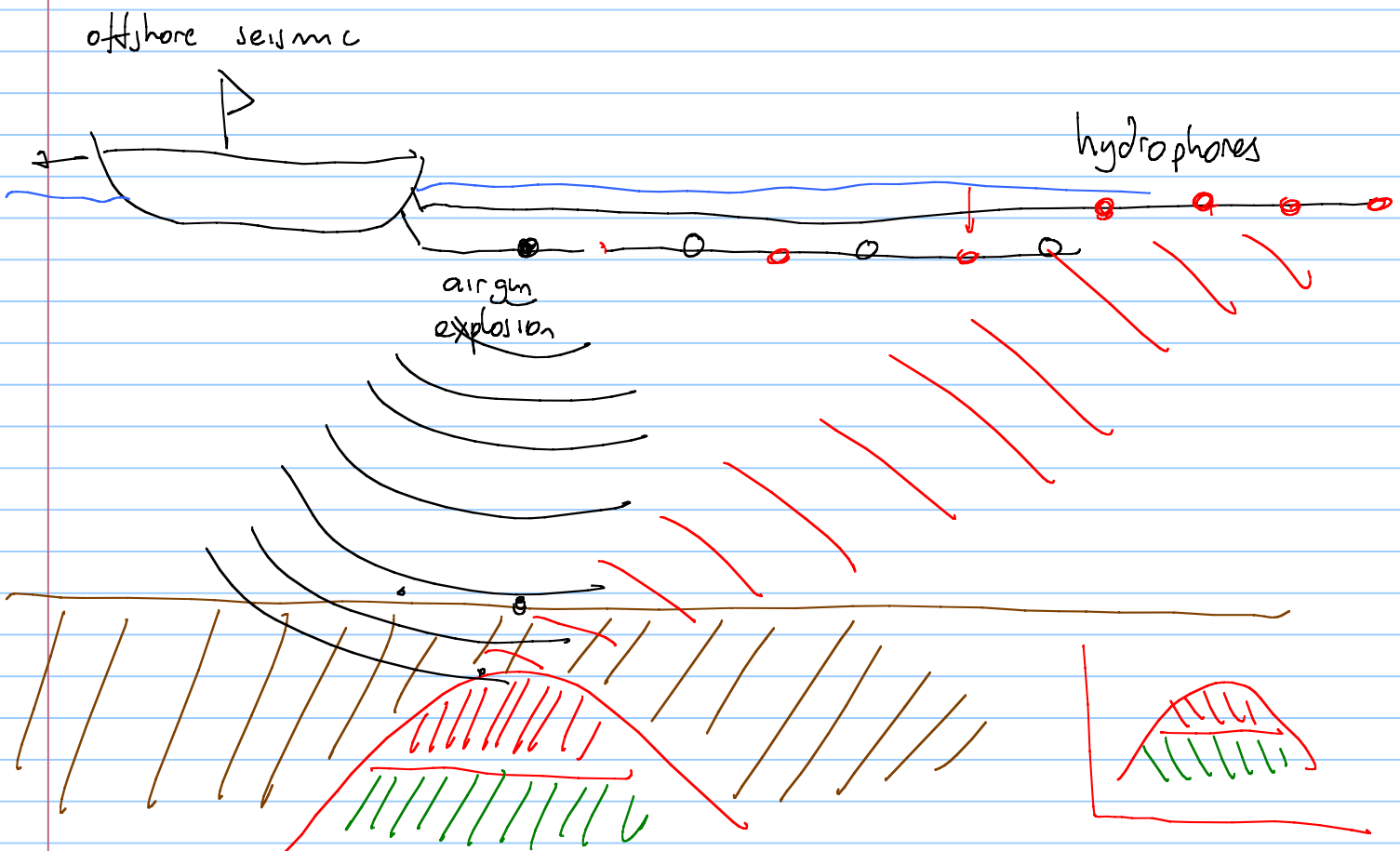
things we are going to focus on this course's

- estimation of TRR (TOTAL recoverable reserves)
- NPV calculations ~ economic value of project
- Predicting production profiles

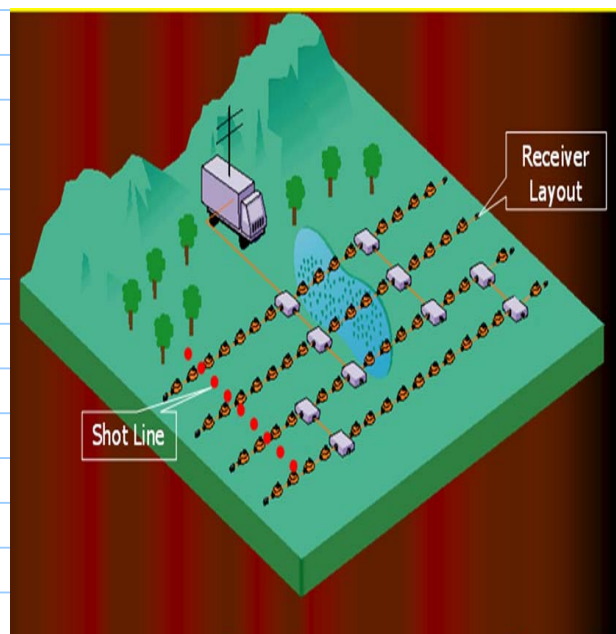
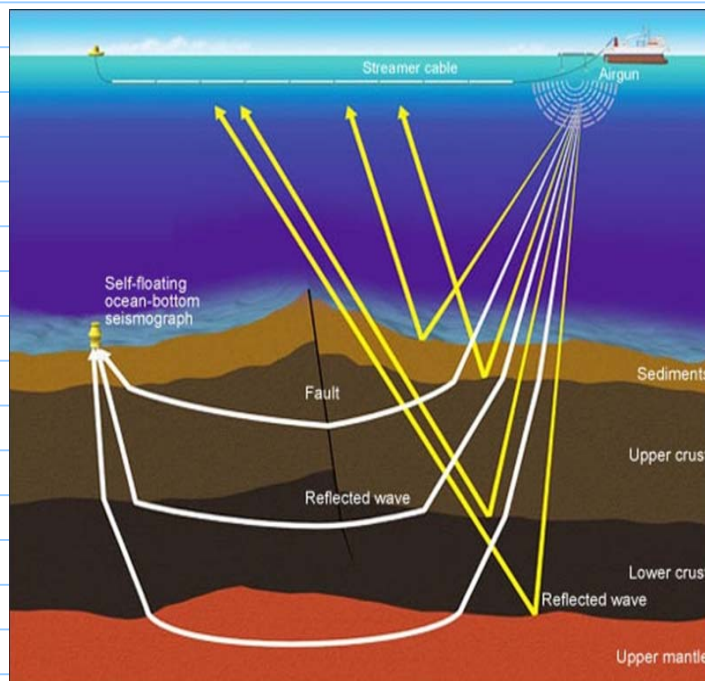
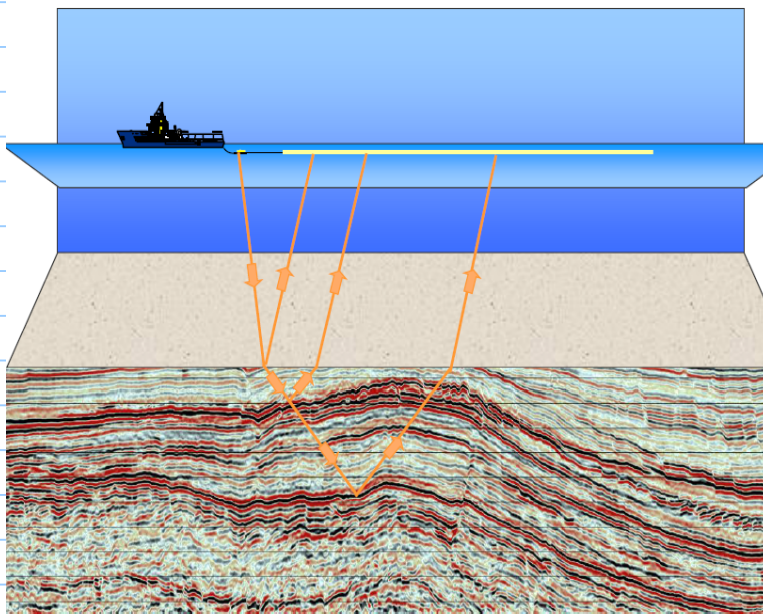
IMPORTANT source of revenue of field →

- pre-exploration : 1) scouting - gathering information about different areas of interests, taking into account:
 - expectation to find hydrocarbons
 - geo-political
 - social
 - geographical
 - technical (logistics, access)
 - environmental
 - taxation regime
 - personnel security
 - experience in the region

2) pre-exploration seismic to map the subsurface performed by a smaller company that applies for pre-exploration license.



2D – (cross section)



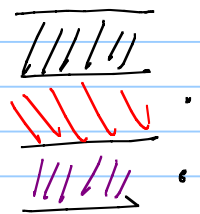
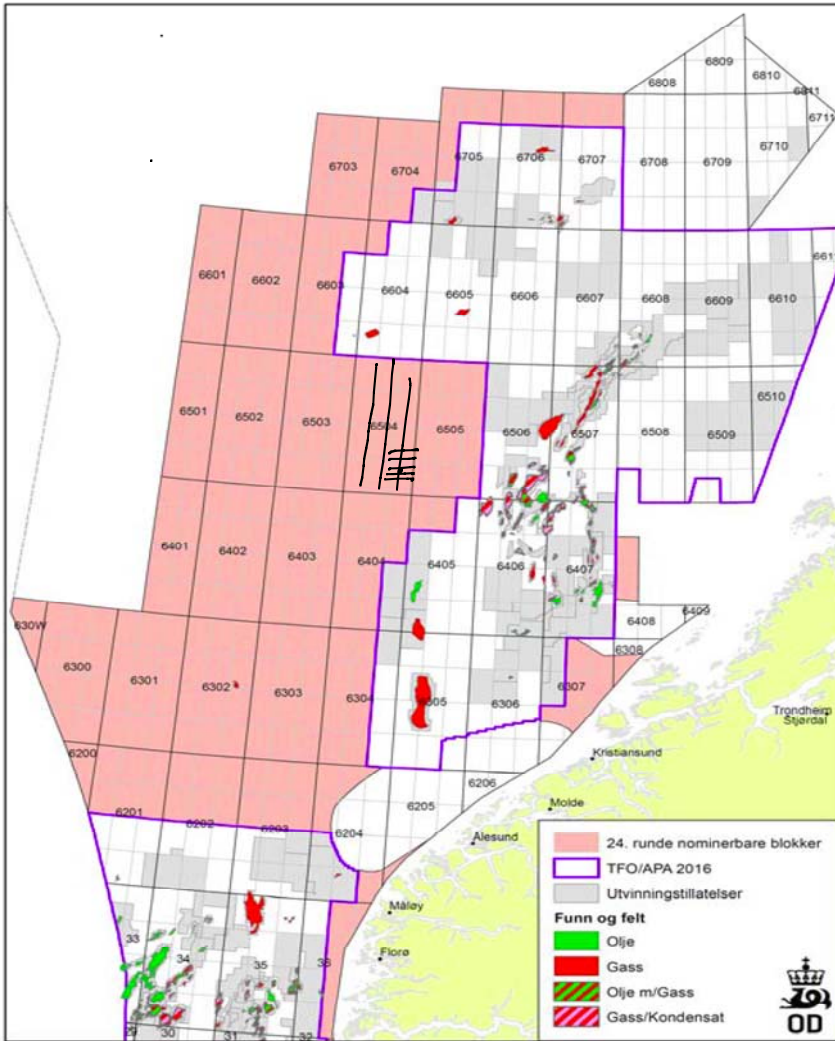
• apply for production . License with government

for Norway

year 1 4000 USD/km²

year 2 8000 USD/km²

year 3 16000 USD/km²



Exploration =

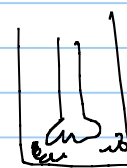
• geological studies

• geophysical surveys

(seismic)

• exploration drilling

{ well cores

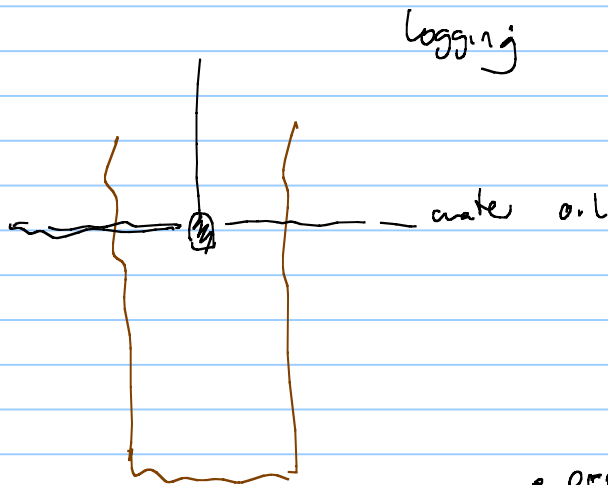


• cuttings analysis

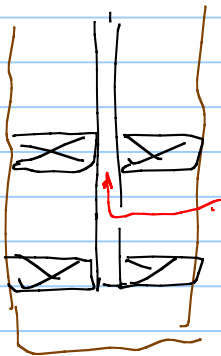
• logging



- drilling mud {
 - avoiding kicks of formation fluid into the wellbore
 - cooling the bit
 - bring cuttings to surface

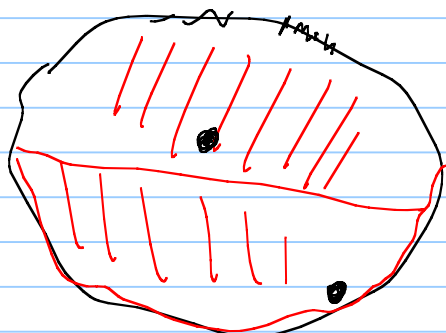


- productivity test (fluids, how productive the formation is, etc.)

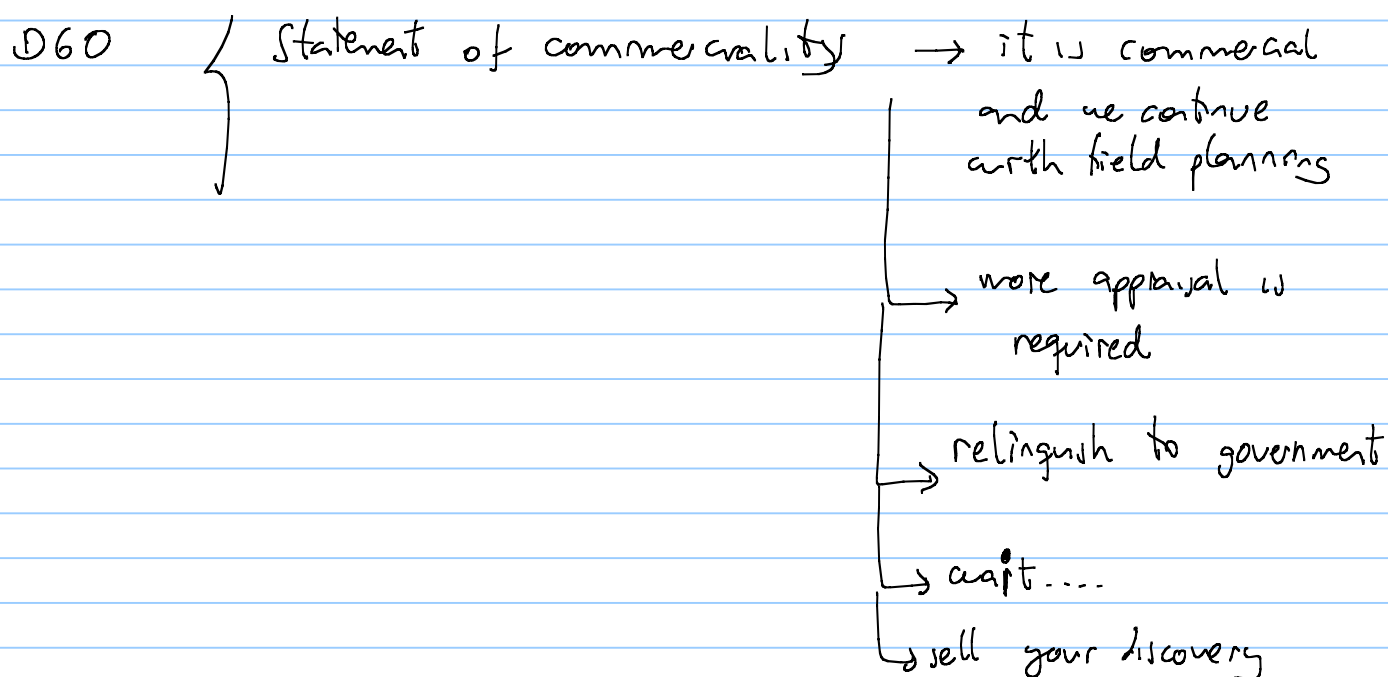


- OOIP (N) { original oil in place
- OGIP (G) { original gas in place

Discovery ↓



- estimation of reserves { probabilistic estimation of reserves
- perform a simplified valuation of reserves
- Appraisal to reduce uncertainties {
 - more refined seismic
 - drilling another well appraisal wells
- find reservoir extent, size



field planning phase

1) Feasibility studies

- define an objective inline with corporate strategy.
- establish feasible field development scenarios
- establish a project timeline and a plan
- identify potential technology gaps.
- start creating the value chain model
- cost evaluation

D61

2) Concept planning :

PEP → project execution plan

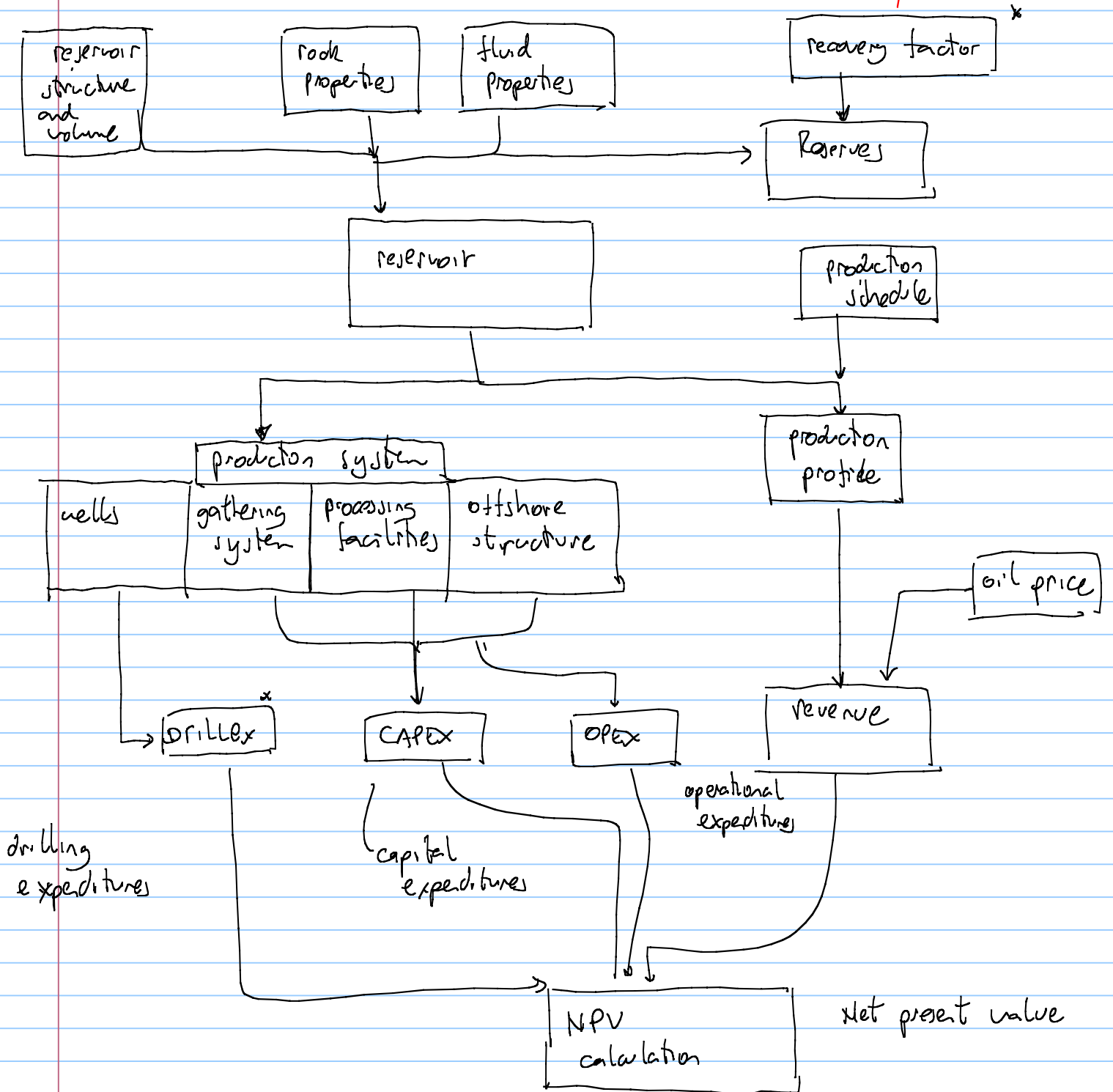
- evaluate and compare different development options and discard non viable options
- define commercial aspects : legislation, licensing, agreements, financing, taxes
- refine reservoir model → compute production profile

- refine cost figures
- detecting the best viable concept

Ob2

$$R_p = \frac{N_p}{N} \begin{cases} \text{for oil} \rightarrow 10\% - 50\% \\ \text{for gas} \rightarrow 30\% - 70\% \end{cases}$$

value chain model:



end of year time	costs			oil/gas produced in year			
	CAPEX	DRILLEX	OPEX	Q_0	ΔNP	revenue	cash flow
1	□	□	○	○	○	○	revenue-cost
2	□	□	○	○	○	○	□
3	□	□	○	○	○	○	□
4	○	○	□	□	□	□	□
·	○	○	□	□	□	□	□
·	○	○	□	□	□	□	□
·	○	○	□	□	□	□	□
·	○	○	□	□	□	□	□

discounted present value

calculated the present value of cash flow

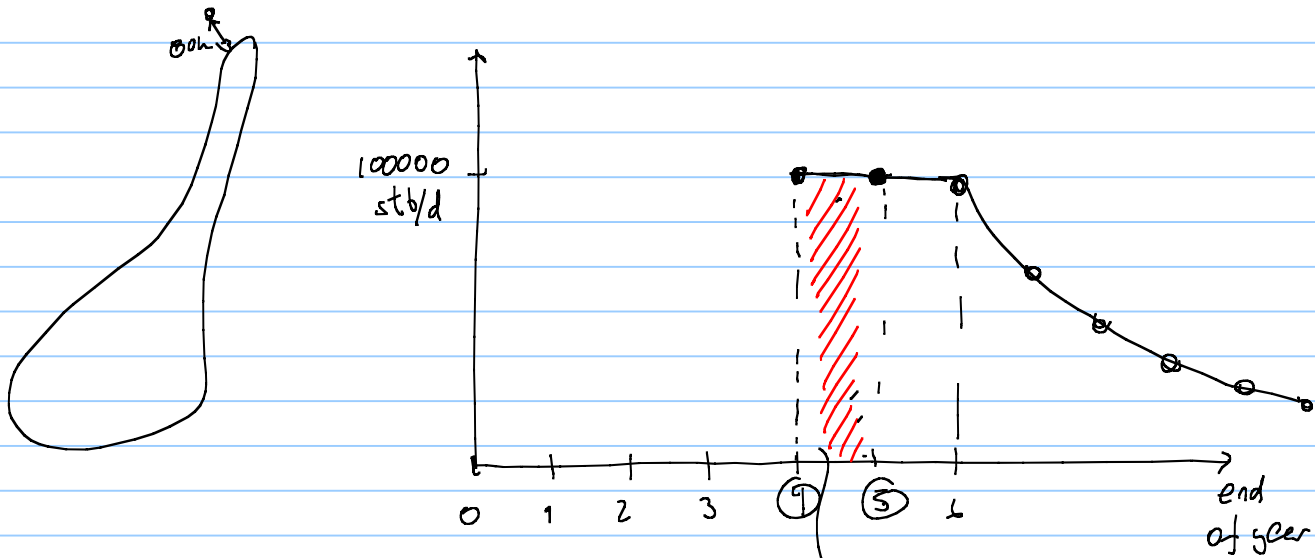
$$PV = \frac{\text{Cash flow}}{(1+i)^{\text{year}}}$$

discounted cash flow
□
□
□
□
□
□
□

$$NPV = \sum ()$$

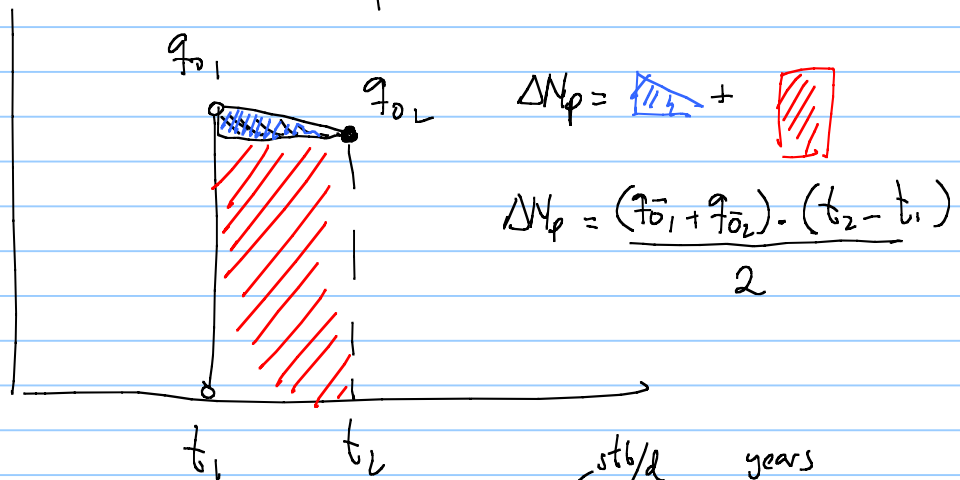
(+)
(-)

Class exercise - Gobrat field



$$\Delta N_p = \int_{t_1}^{t_2} q_o dt = q_o (t_2 - t_1)$$

trapezoidal rule



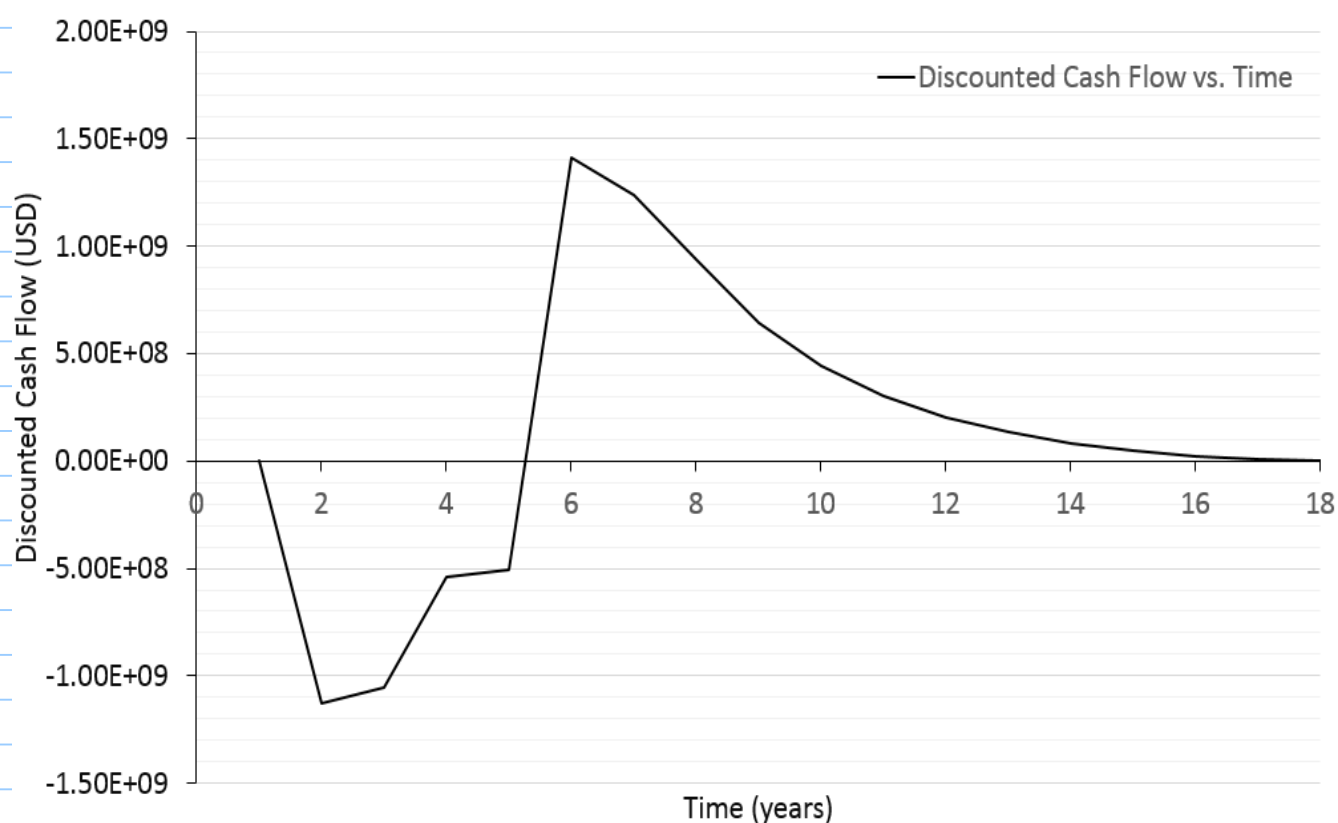
$$\Delta N_p = \frac{(q_{o1} + q_{o2}) \cdot (t_2 - t_1)}{2}$$

uptime = $\frac{N^r \text{ operational days in year}}{N_{\text{days year}}} = 100$ $\Delta N_p = \left[\frac{\text{stb}}{\text{d}} \cdot \text{years} \cdot \frac{N_{\text{days}}}{\text{year}} \right]$

70 %

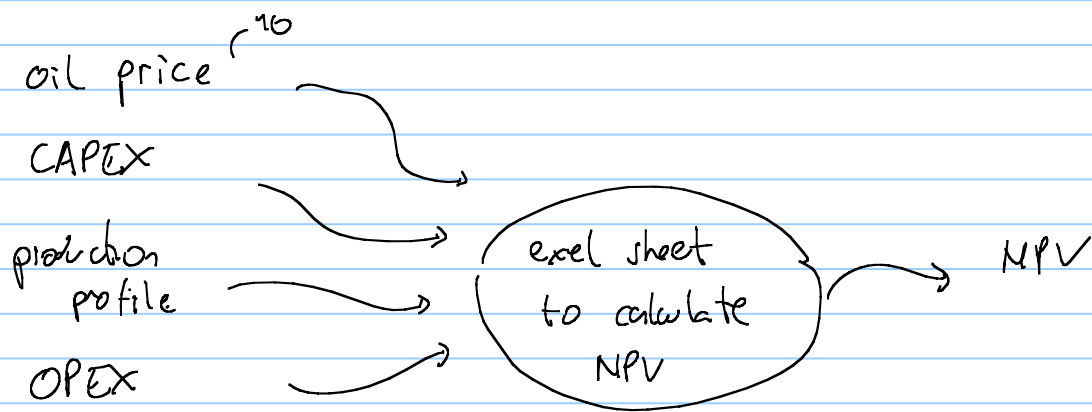
Oil Production stb/d	Oil production in year [stb]	Revenue USD	DRILLEX USD	CAPEX USD	OPEX USD	Total Cost USD	Cash Flow USD	Discounted Cash Flow: PV(i) USD
0	0.00E+00	0.00E+00	6.60E+08	5.50E+08		1.21E+09	-1.21E+09	-1.13E+09
0	0.00E+00	0.00E+00	6.60E+08	5.50E+08		1.21E+09	-1.21E+09	-1.06E+09
0	0.00E+00	0.00E+00	6.60E+08			6.60E+08	-6.60E+08	-5.39E+08
100000.0	0.00E+00	0.00E+00	6.60E+08			6.60E+08	-6.60E+08	-5.04E+08
100000.0	3.47E+07	2.08E+09			1.00E+08	1.00E+08	1.98E+09	1.41E+09
88357.2	3.27E+07	1.96E+09			1.00E+08	1.00E+08	1.86E+09	1.24E+09
65601.4	2.67E+07	1.60E+09			1.00E+08	1.00E+08	1.50E+09	9.35E+08
50056.1	2.01E+07	1.20E+09			1.00E+08	1.00E+08	1.10E+09	6.42E+08
38174.4	1.53E+07	9.18E+08			1.00E+08	1.00E+08	8.18E+08	4.45E+08
28694.0	1.16E+07	6.96E+08			1.00E+08	1.00E+08	5.96E+08	3.03E+08
21618.0	8.72E+06	5.23E+08			1.00E+08	1.00E+08	4.23E+08	2.01E+08
16586.8	6.62E+06	3.97E+08			1.00E+08	1.00E+08	2.97E+08	1.32E+08
12329.0	5.01E+06	3.01E+08			1.00E+08	1.00E+08	2.01E+08	8.33E+07
9164.6	3.73E+06	2.24E+08			1.00E+08	1.00E+08	1.24E+08	4.79E+07
6765.7	2.76E+06	1.66E+08			1.00E+08	1.00E+08	6.57E+07	2.38E+07
5327.5	2.10E+06	1.26E+08			1.00E+08	1.00E+08	2.58E+07	8.74E+06
3845.9	1.59E+06	9.54E+07			1.00E+08	1.00E+08	-4.57E+06	-1.45E+06
2801.6	1.15E+06	6.92E+07			1.00E+08	1.00E+08	-3.08E+07	-9.13E+06
2102.5	8.50E+05	5.10E+07			1.00E+08	1.00E+08	-4.90E+07	-1.35E+07
							NPV [USD]	2.22E+09

Discounted Cash Flow vs. Time

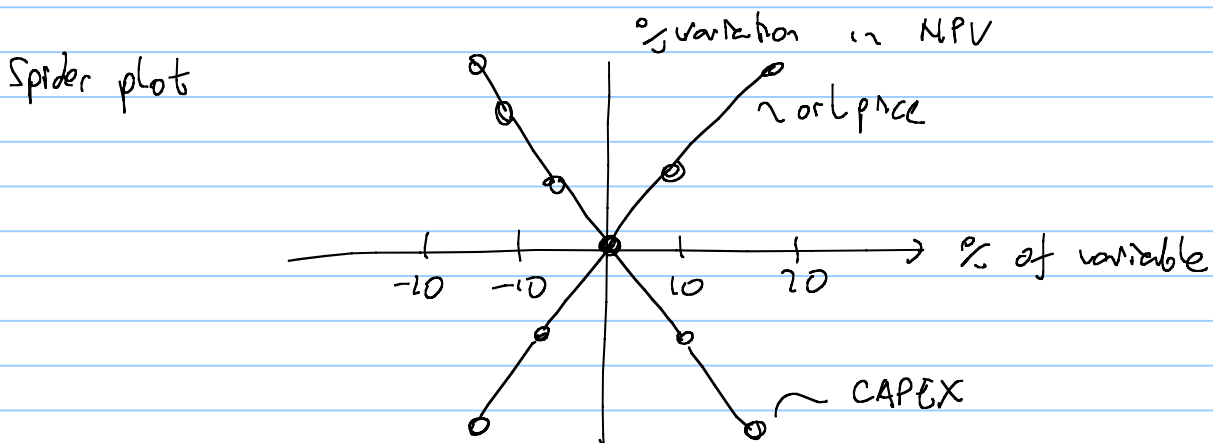
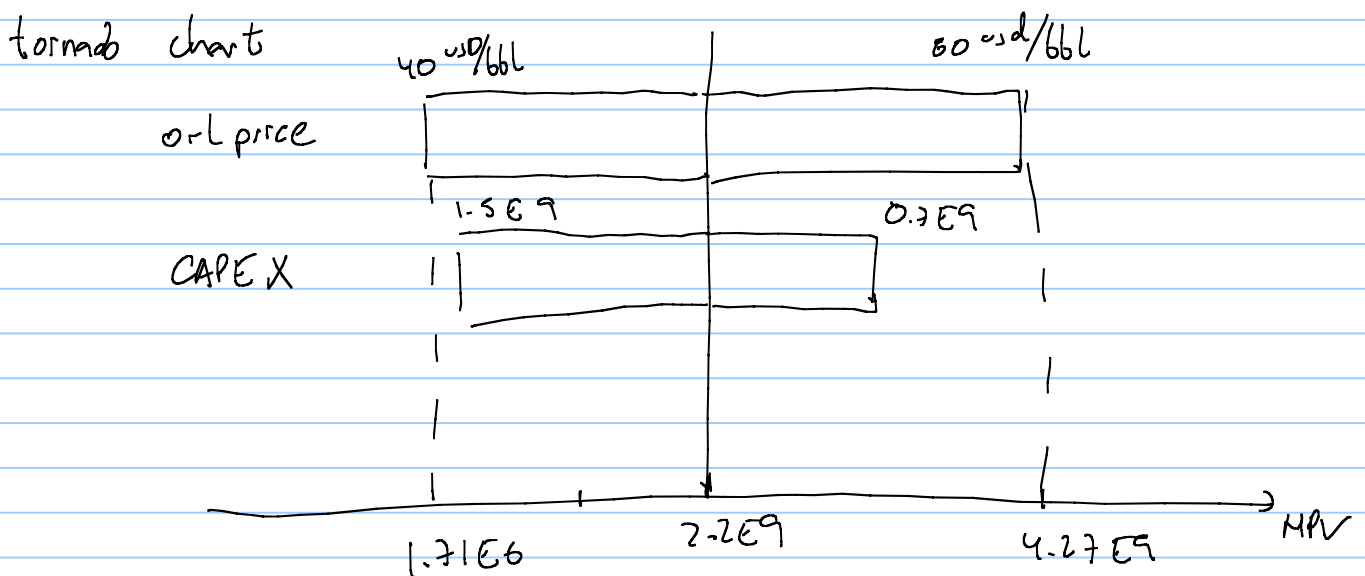


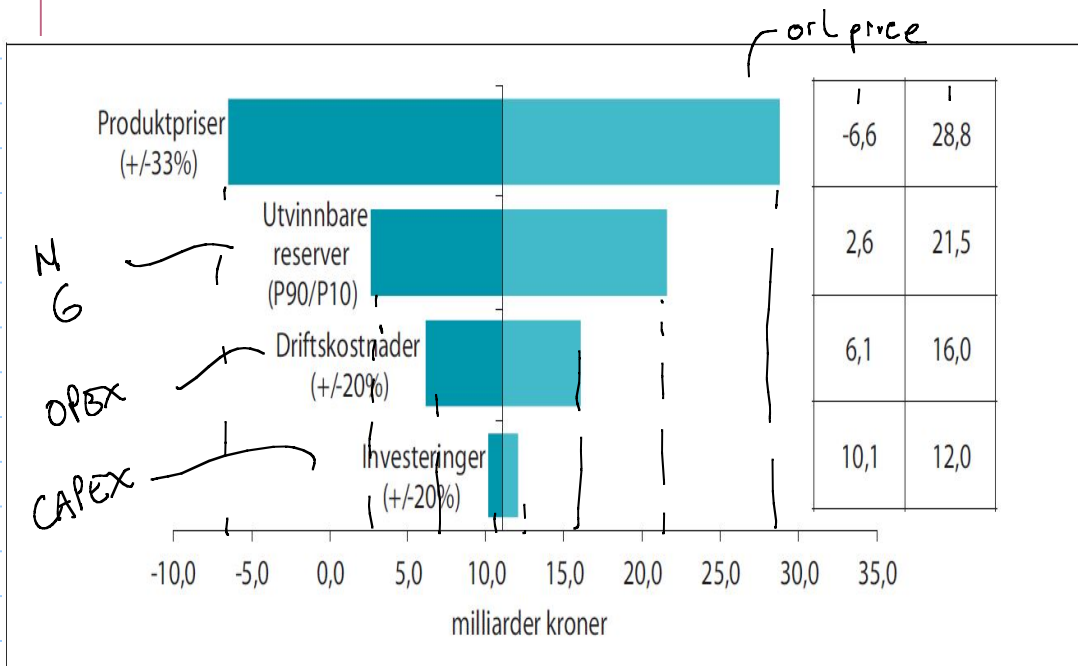
perform sensitivity analysis on the results : there are some input parameters that are very uncertain
 what happens if oil price = 40. usd/bbl ?

make sensitivity analysis by modifying the input



	NPV _{min}	NPV	NPV _{max}
oil price ± %	1.71 E6	2.2 E9	4.27 E9
CAPEX ±	1.06 E9	2.2 E9	2.58 E9
OPEX			





Pre-engineering :

- select the final solution

- FEED Front end engineering design. Define the requirements for all packages in the value chain model. Estimate the cost of each package.

- plan and prepare the execution phase

- prepare the submission of PDD plan for development and operations

- perform a socio-economical evaluation of project

- establish the base for awarding contracts

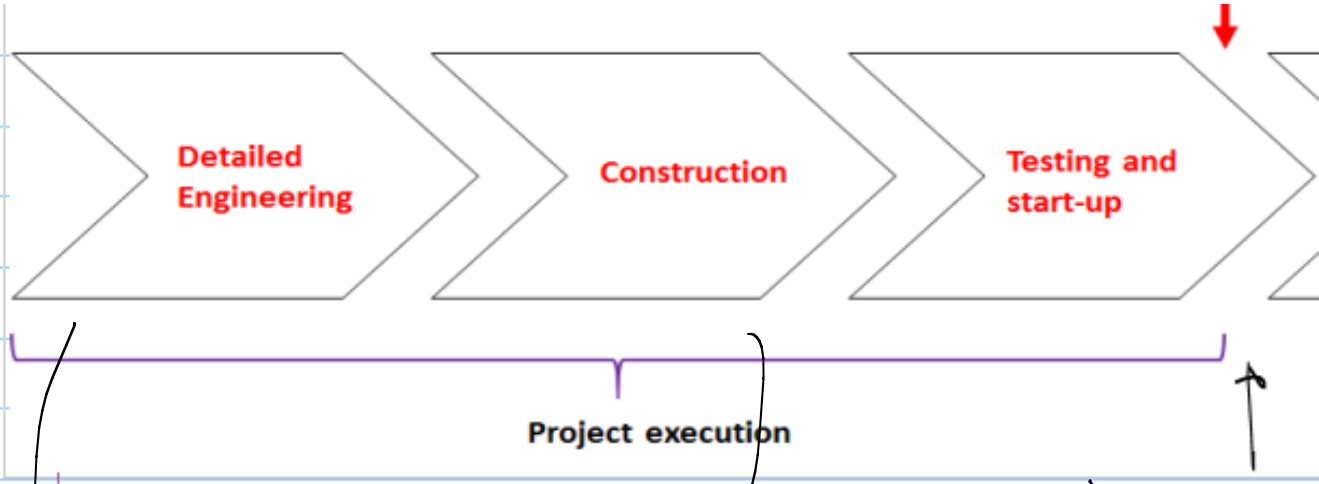
063 → issue the PDD

make modifications

NOT APPROVED

↓ if approved by authorities

↓ execution phase



detailed design of all components of the field.

Individual contract for each package

EPCM

Engineering, procurement, construction, management
single contract with vendor

• well are drilled

• processing facilities are build and assembled in place

• documentation

• testing and prepare to handover to operations

• operations : producing the field

• maintenance

• optimize production (produce more and reduce cost)

• IOR Improved oil recovery

increase production

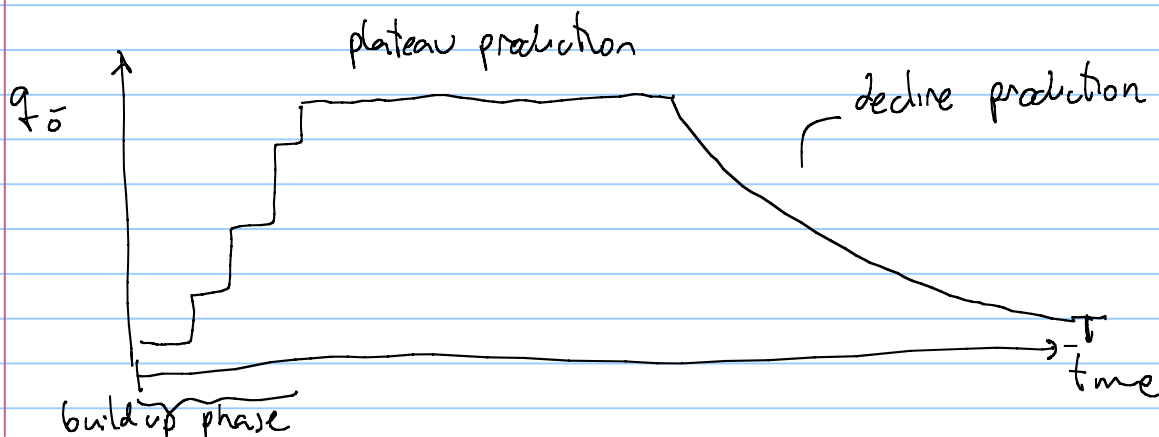
increase recovery factor

prolong the life of field

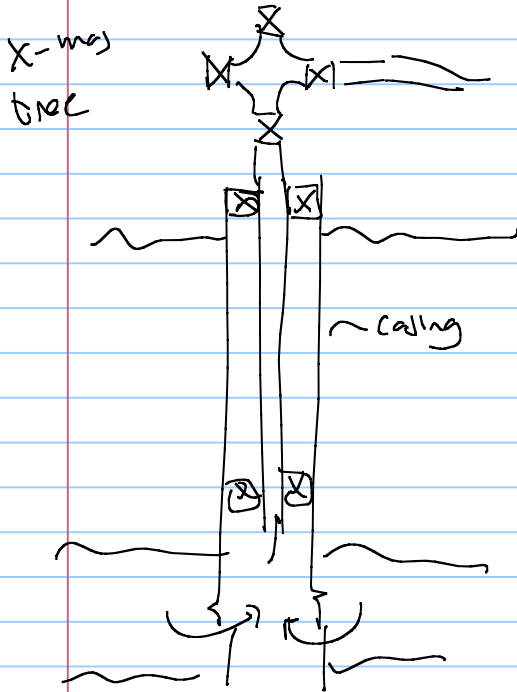
• infill drillings

• boosting

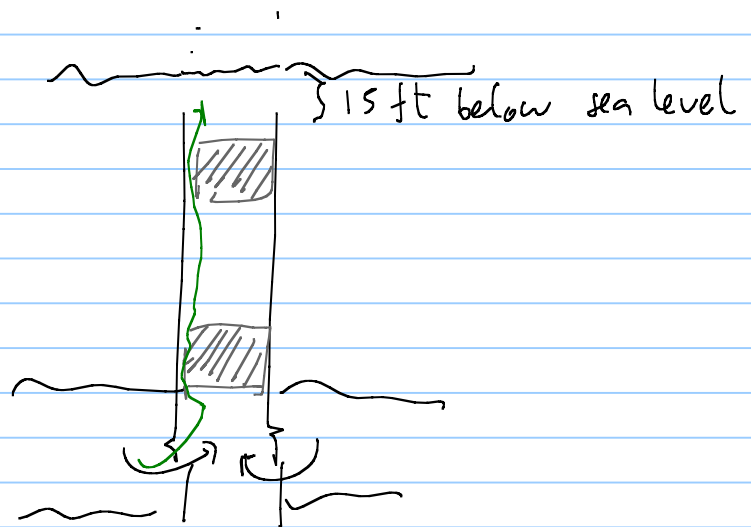
• gas or water injection



- abandonment and decommissioning:
- plan decommissioning with authorities following regulations
 - cleaning and flushing production system, separator, pipes
 - well plugging and abandonment



X-mas
tree



- remove processing plant
- removal of offshore structure
- remove pipelines
- monitor plugged wells
- mark and register installations in maritime maps
- recovery of scrap material
- disposal of residues

ABEX
abandonment
expenditures

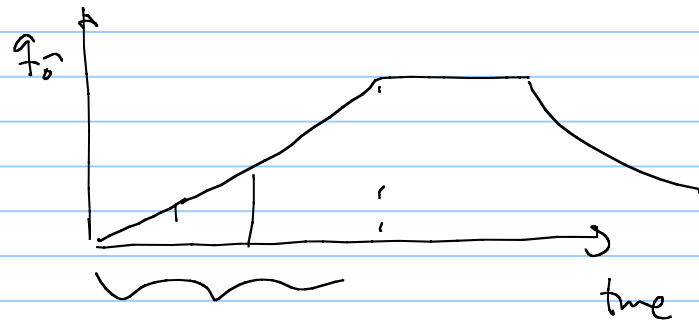
Offshore



short
build up
phase

- start production as soon as possible
- the platform must be in place before starting production
- few wells decided beforehand

Onshore



long
build up
phase

- perform appraisal while producing
- verify reservoir size, communication
- get revenue sooner
- export neighboring field

oil fields

- is easy to transport

5 - 15 years

Gas fields

- pipeline • customer / destination
- long term supply contracts

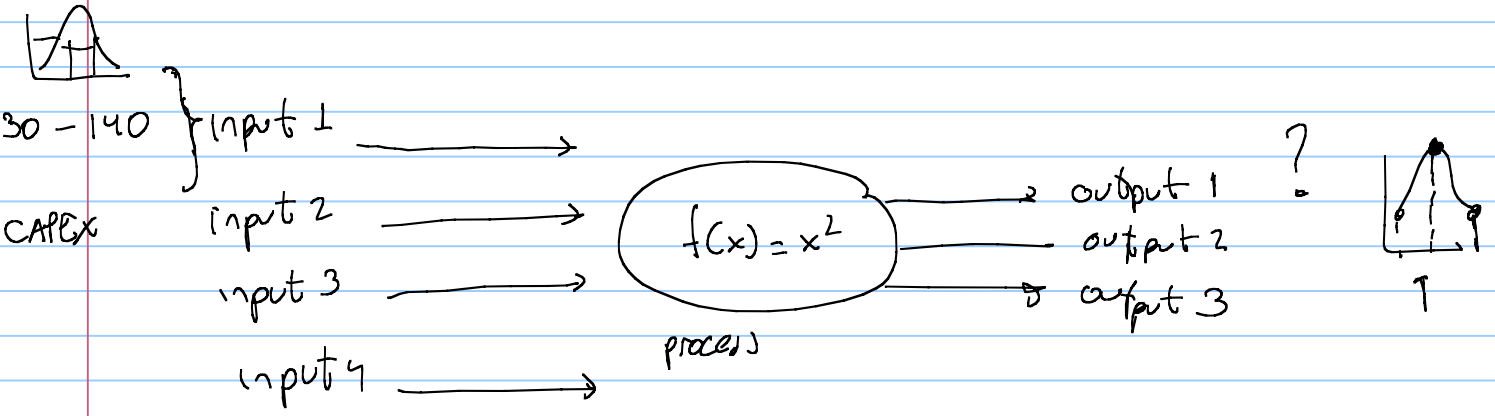
15 - 30 years

- LNG liquefied natural gas

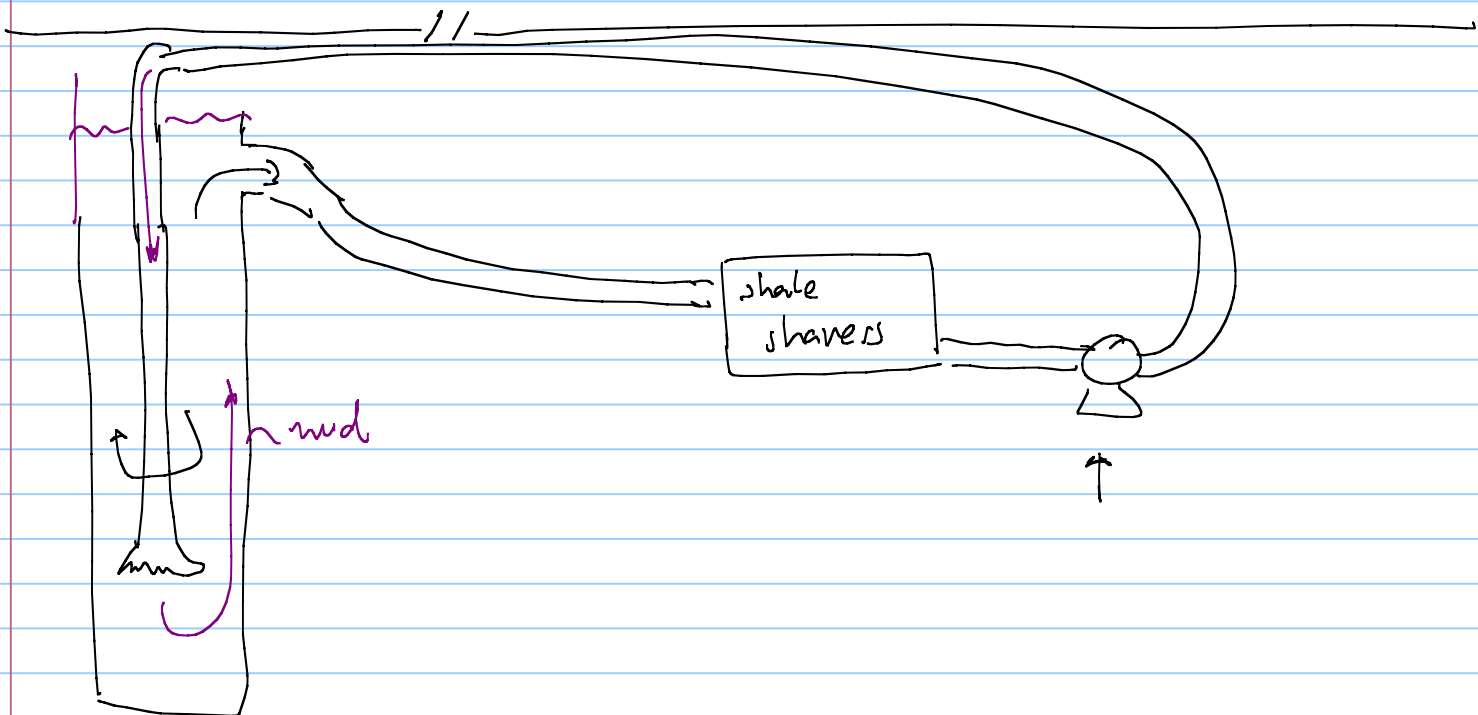
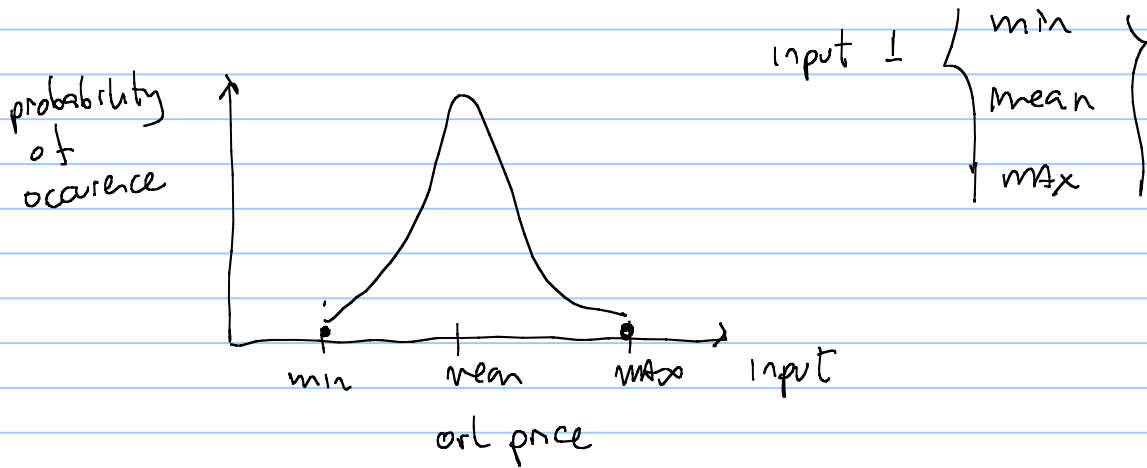
LNG plant to cool and compress the gas → turns into liquid

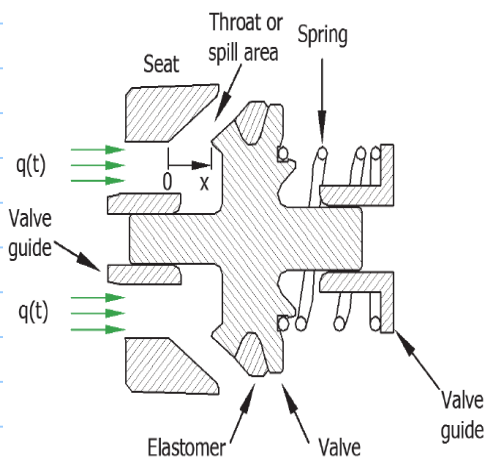
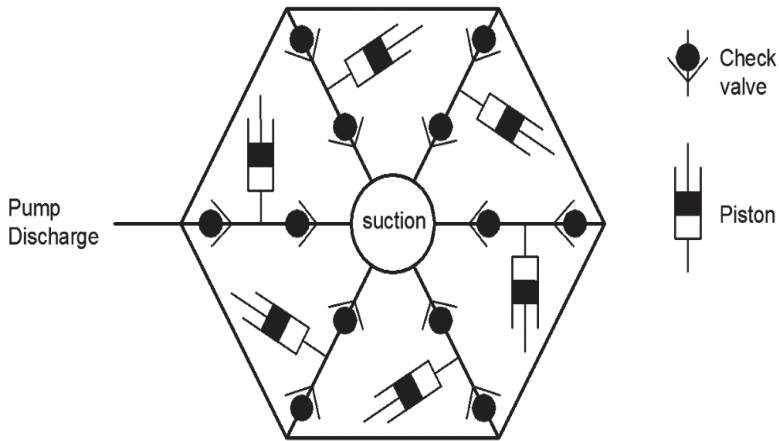
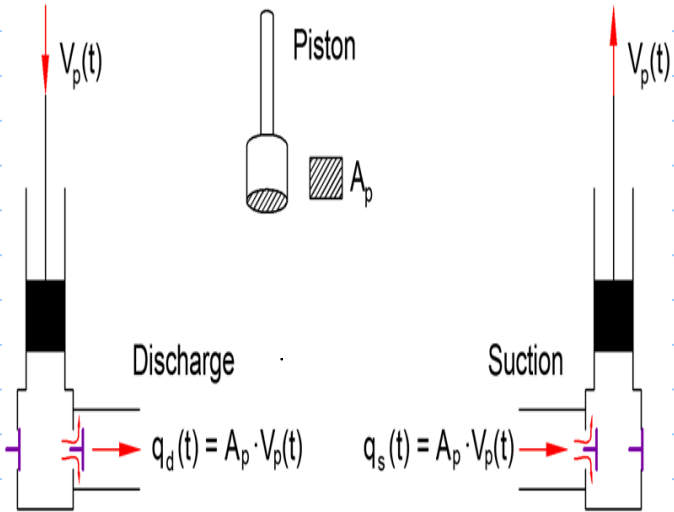
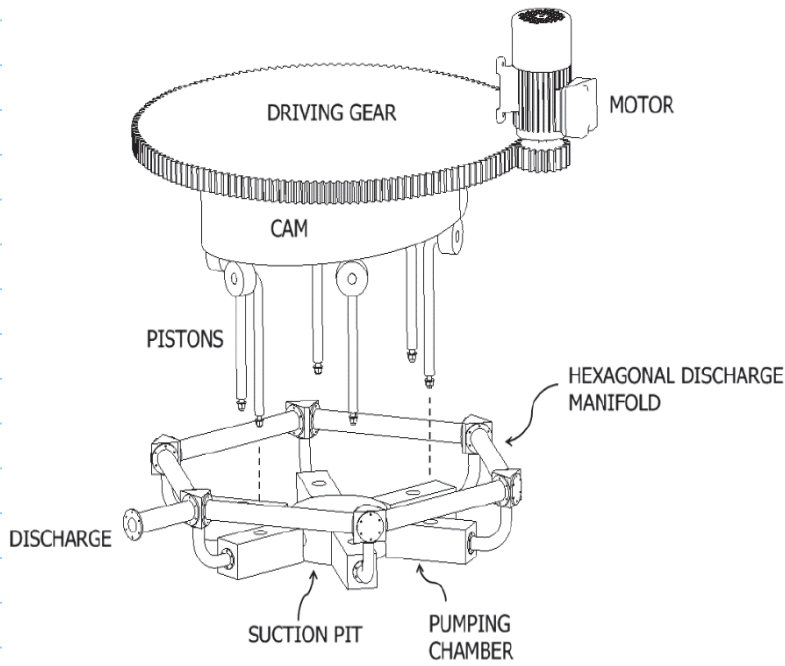
receive it → LNG terminal

Uncertainty management in field development



probabilistic distribution of input data for every input

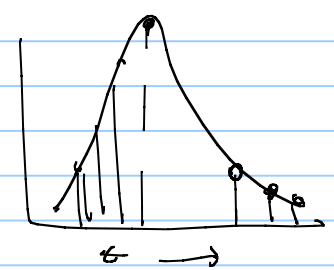
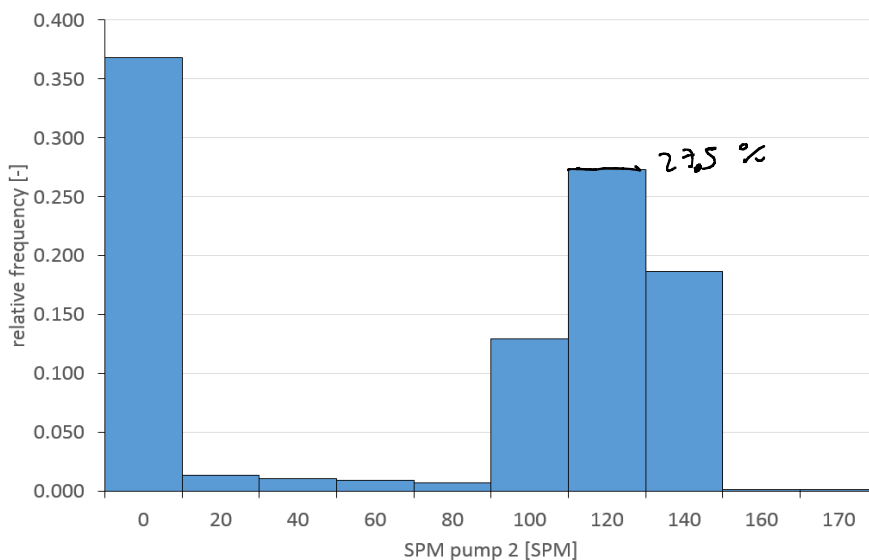
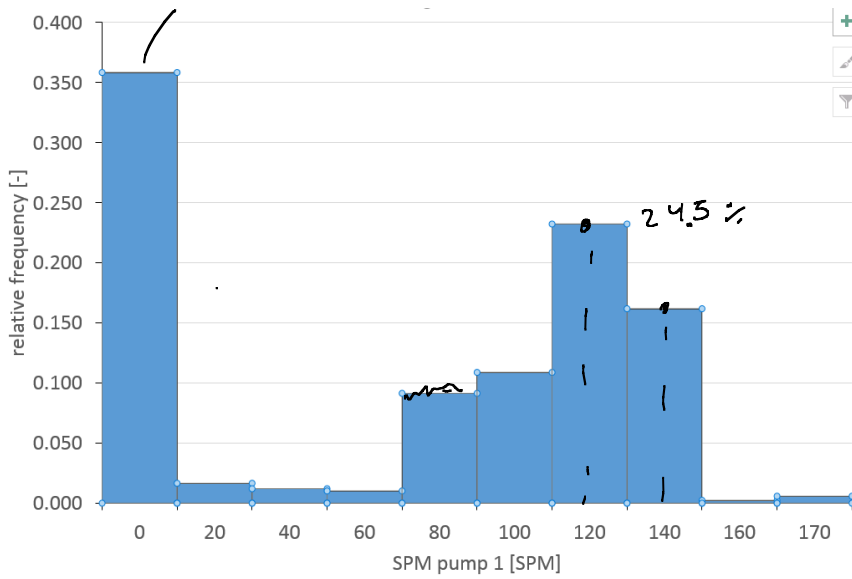




frequency analysis

time	SPM pump 1	SPM pump 2	SPM	pump 1
	0	160	0	1
	20	155	20	2
	25	130	40	1
	30	90	60	

30
80
100
120
140
160
170



Day 2

Evaluation:

10% delivery of class exercises. Deadline: 8 Dec. 2017

2 x 15% Exam (13/12/2017) → January

60% final exam (end of semester → Feb-March).

uptime: 30% - 96%

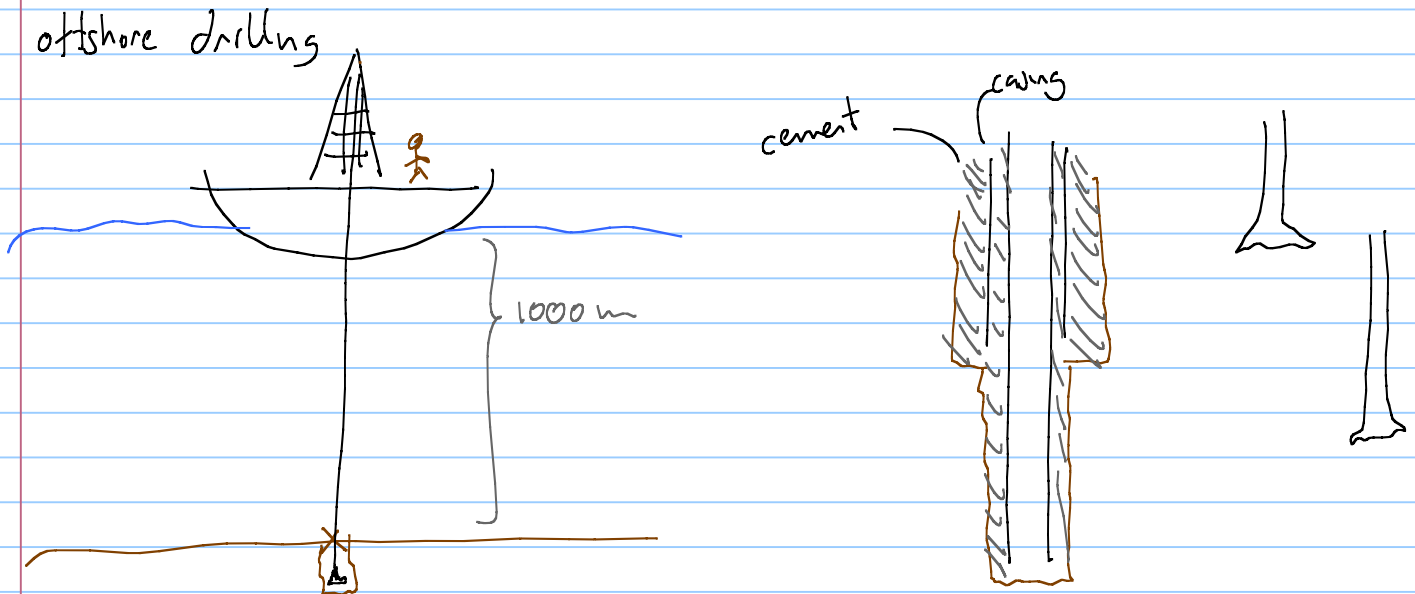
365 days in year

350 producing days in year

$$\text{uptime} = \frac{350}{365} = 0.9589 \text{ fraction}$$

x 100

95.89 %



Drillcost per well = 120 €6 USD ± 20% accurate

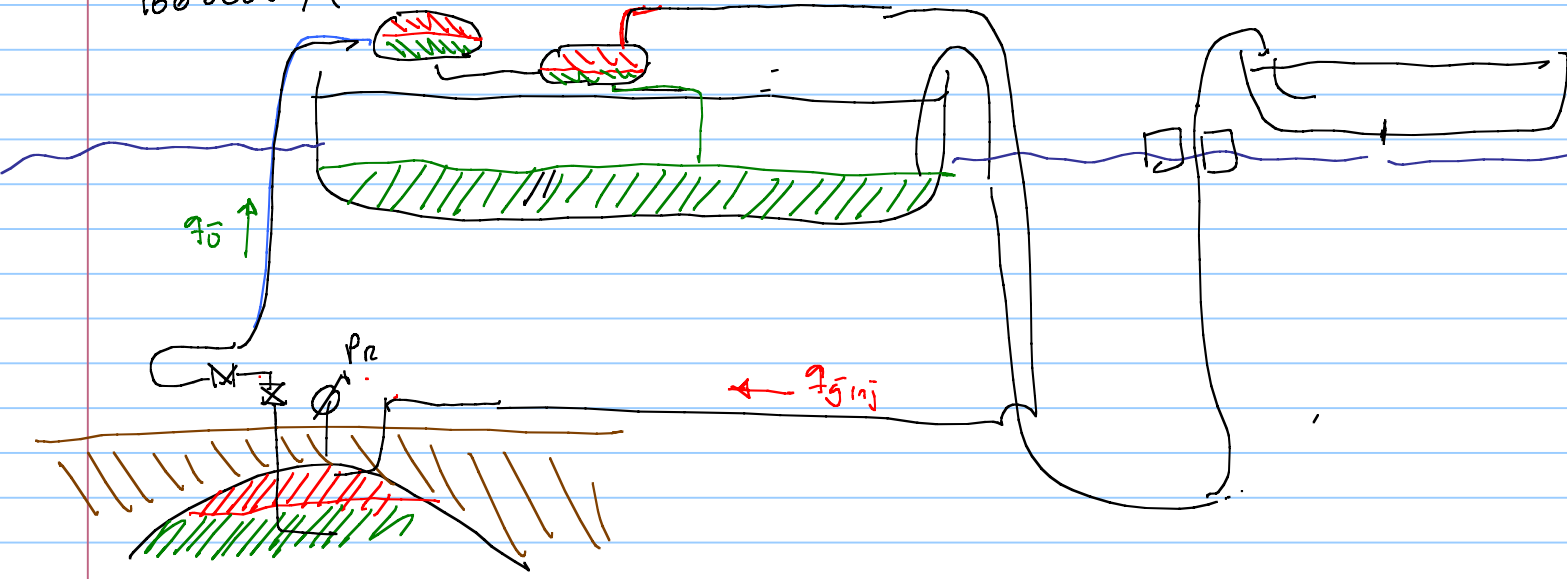
0.8 · 120 €6 USD ≤ drillcost per well ≤ 1.2 · 120 €6 USD

96 USD ≤ ≤ 144 €6 USD

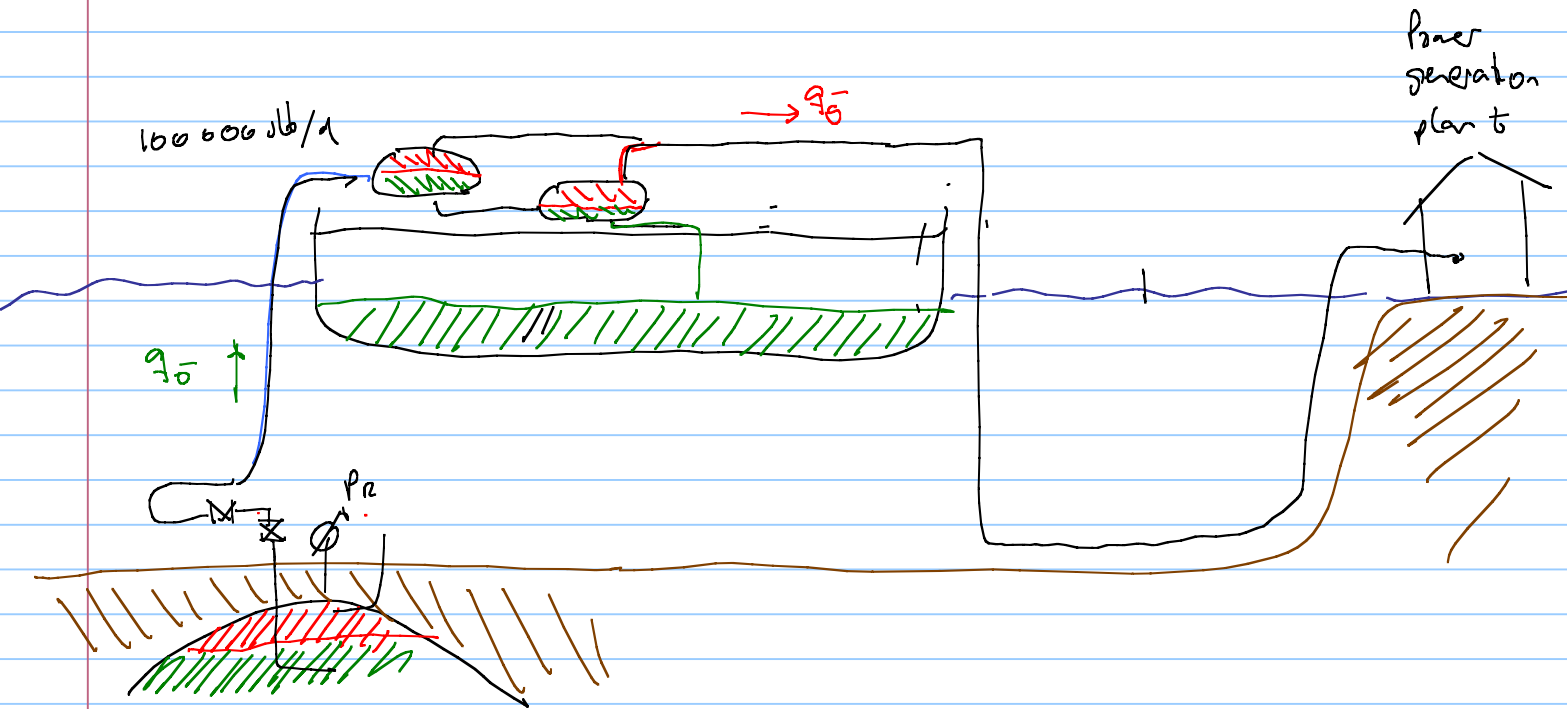
CAPEX = 1.1 €6 USD ± 20% accurate

FPLO - floating - production storage offloading

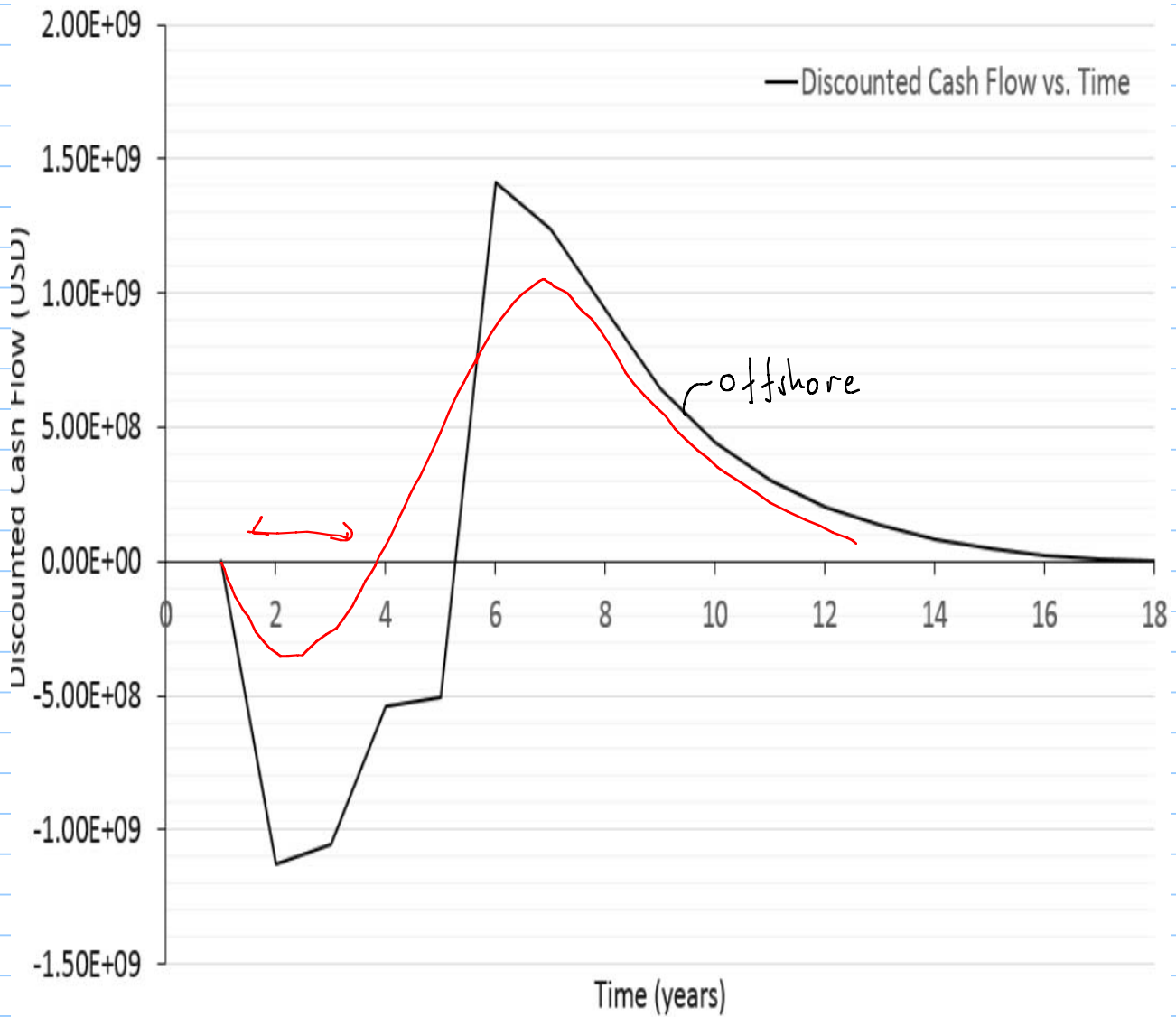
100 000 bbl/d



100 000 bbl/d

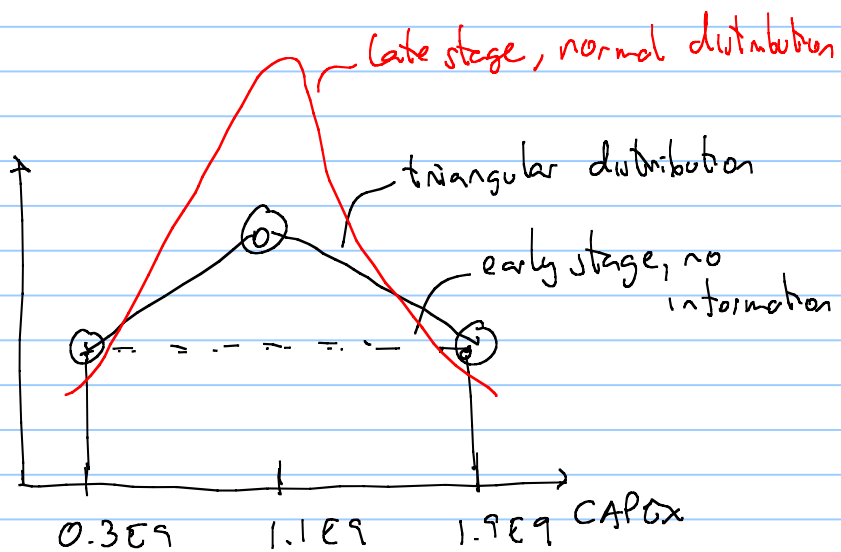


Discounted Cash Flow vs. Time



probability distribution function (pdf)

probability



Class exercise TRR total recoverable reserves

SPE

society of petroleum engineers

only one letter must be used for a variable, current time

$$N_p = \int_0^t q_o dt$$

when time is t_{final}

$$N_{pu} = \int_0^{t_{final}} q_o dt$$

↑
ultimate

$$TRR = N_{pu}$$

recovery factor

$$RF = \frac{N_{pu}}{N}$$

is a very important number to know when developing a field

SPE nomenclature $F_{RU} = \frac{N_{pu}}{N}$

value of field $N_{pu} \cdot \text{oil price}$

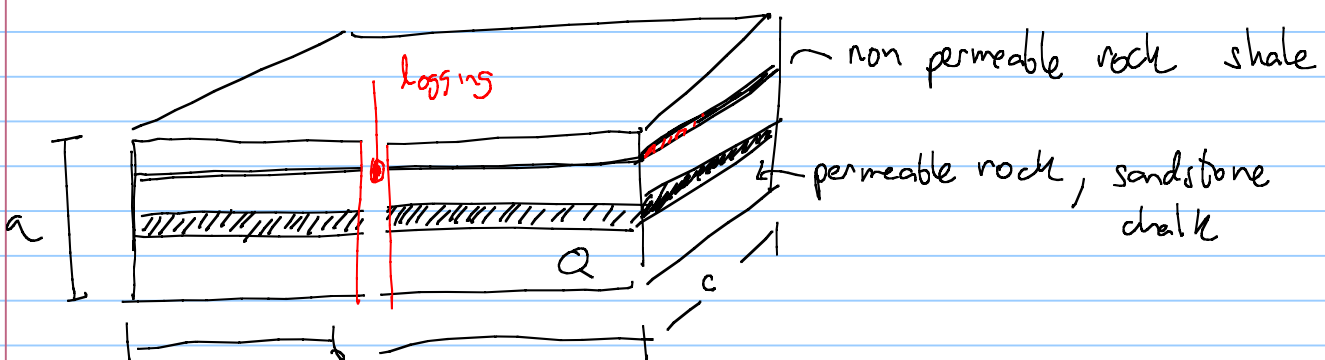
example $N_{pu} = 100 \text{ Eb stb}$

$$\text{value of field} = 100 \text{ Eb} \cdot 60 \frac{\text{USD}}{\text{bbl}}$$

$$= 6, \text{ Ea USD}$$

We are in phase feasibility studies

we already have some information about the reservoir



$$N_{pu} = F_{Rv} \cdot N$$

$$N = V_R \cdot \phi \cdot S_o \cdot (N/G) \dots$$

if reservoir is rectangular then $V_R = a \cdot b \cdot c$

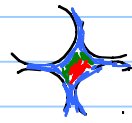
volume occupied by fluid (V_f)



$$\phi = \text{porosity} = \frac{\text{pore volume}}{\text{rock volume}}$$

10% - 30%

water wet rock



$$\text{saturation} = S = \frac{\text{volume occupied/orl by phase}}{\text{fluid volume}}$$

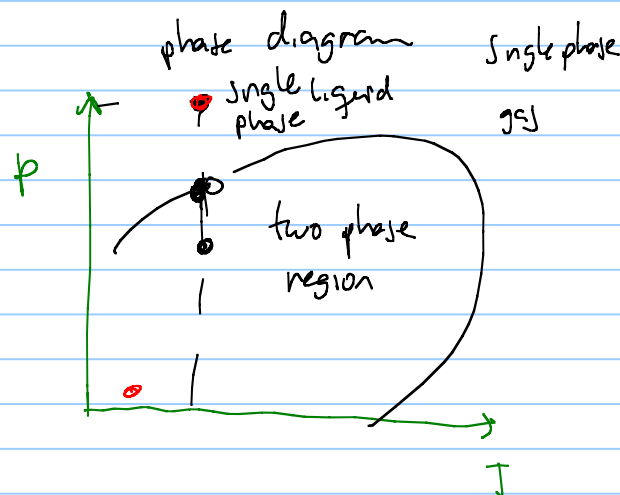
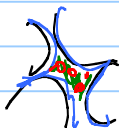
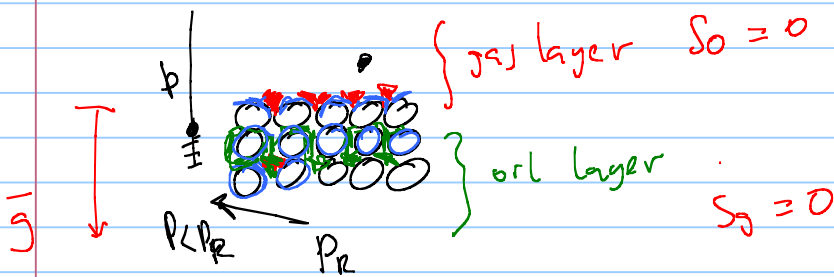
if in the reservoir i have only oil and water
 $0.8 + 0.2$
 $S_o + S_w = 1$

S_o only oil = 1 → 100%
 0 - 0%

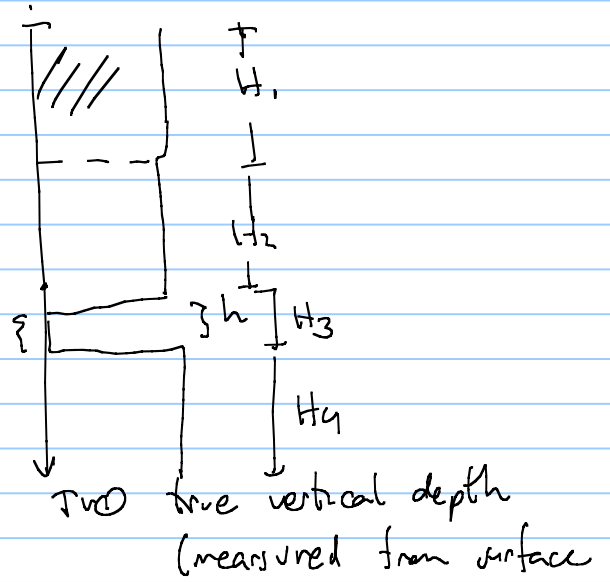
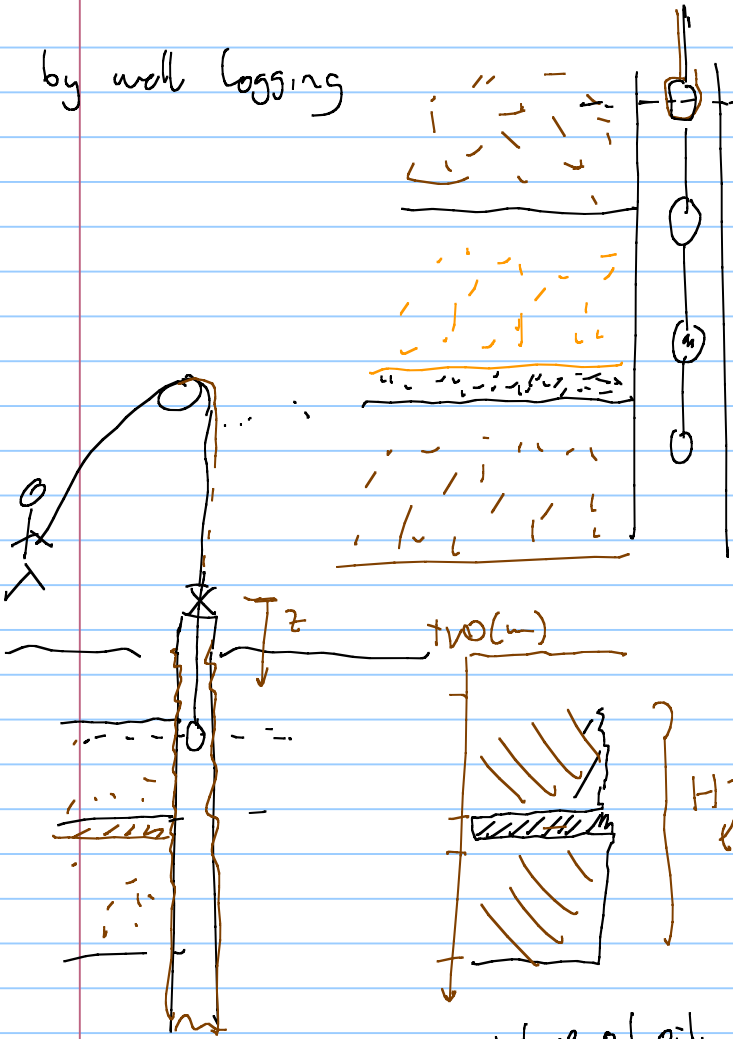
$$\frac{V_o + V_w}{V_f} = 1$$

$$\frac{V_o}{V_f} + \frac{V_w}{V_f} = 1$$

$S_o \quad S_w$



by well logging



Net to gross = (N/G)

$$\left(\frac{N}{G}\right) = \frac{H_1 + H_2 + H_4}{H_1 + H_2 + H_3 + H_4}$$

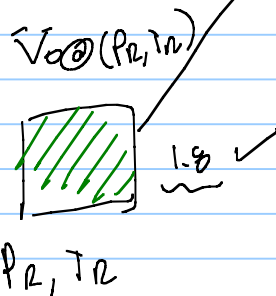
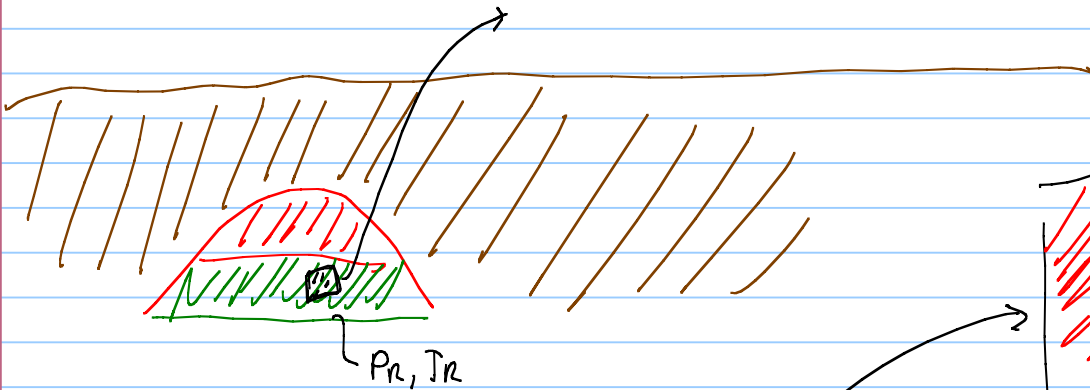
H formation thickness

volume of oil

$$N = V_R \cdot \phi \cdot S_o \cdot (N/G)$$

this oil volume is in the reservoir

surface conditions ~ 15.56°C T_{sc}
1.01325 bara P_{sc}



API 8-10 API 40

oil formation volume factor $B_o = \frac{V_{o@P_2, T_2}}{\bar{V}_o} = 1.05 \rightarrow 1.8$

volume of oil

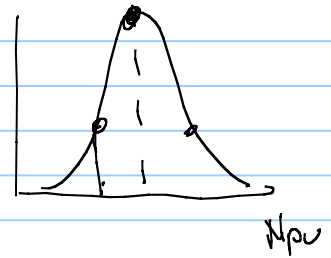
$$V_{o@P_2, T_2} = V_R \cdot \phi \cdot S_o \cdot (N/G)$$

\bar{V}_o ?

$$\bar{V}_o = \frac{V_{o@P_2, T_2}}{B_o}$$

$$N = \frac{V_R \cdot \phi \cdot S_o \cdot (N/G)}{B_o}$$

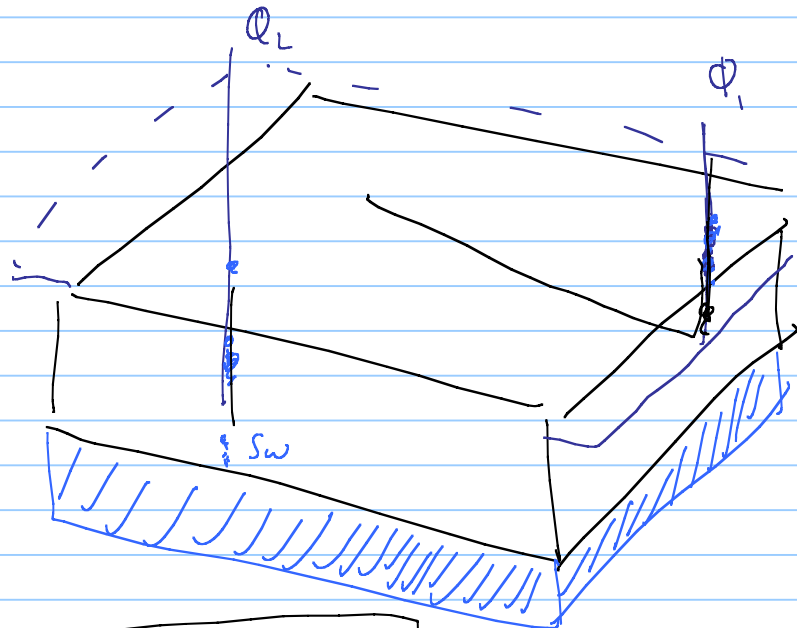
IRR = NPV = N · F₂₀ = $\frac{V_R \cdot \phi \cdot S_o \cdot (N/G) \cdot F_{20}}{B_o}$



not uncertain

$$\frac{V_R \cdot \phi \cdot S_o \cdot (N/G) \cdot F_{20}}{B_o}$$

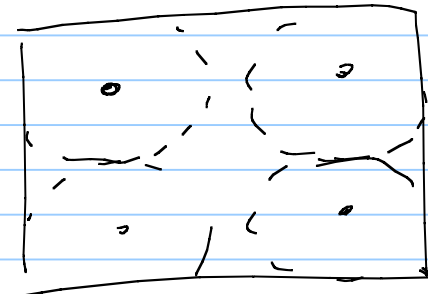
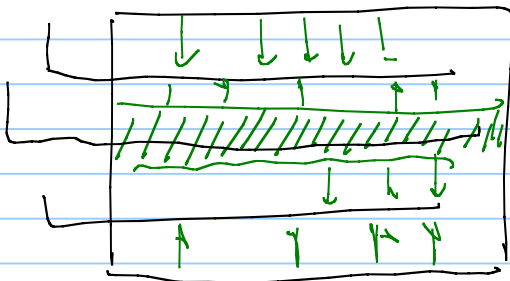
NPV · Oil price



depends on many things

- well number
- well type

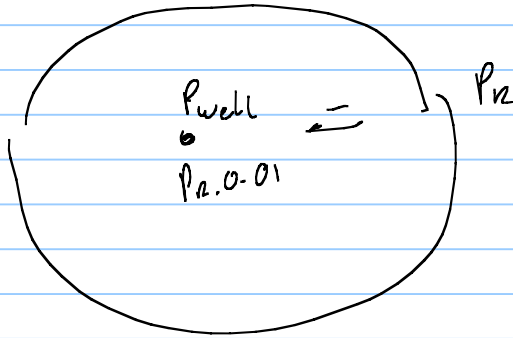
reservoir from top



• formation properties

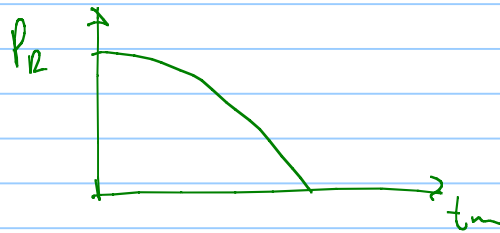
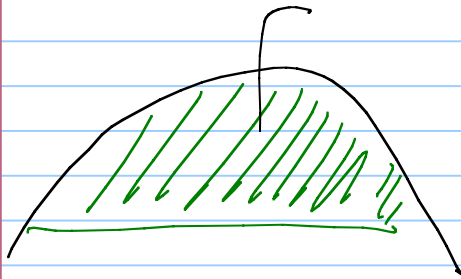
k permeability

k { 10 Darcy \rightarrow
 1-6-9 darcy \leftarrow



• fluid properties (oil viscosity)

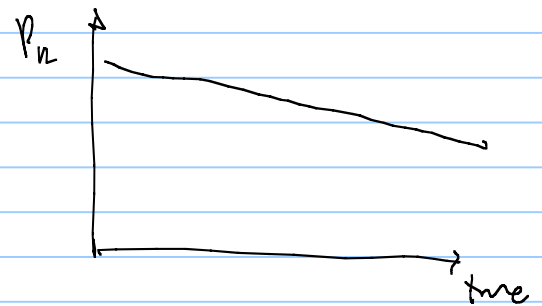
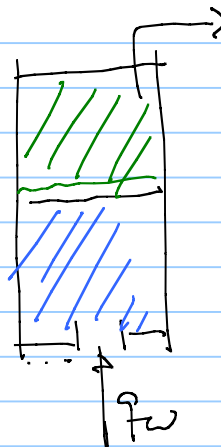
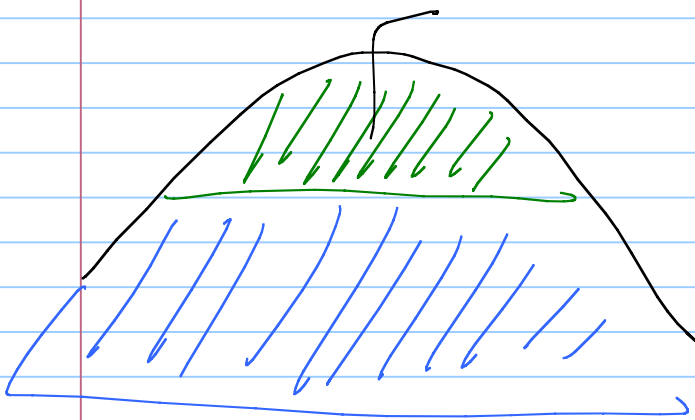
• Pressure support of reservoir.



Natural pressure support { gas expansion
 aquifer support

artificial EOR { water injection
 gas injection

enhanced oil recovery



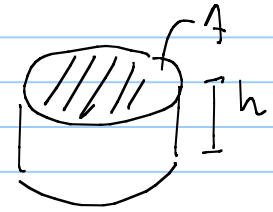
$$q_{well} \propto (P_R - P_{well})$$

Uncertainties in IOIP Estimation

Factor	Typical source of estimate	Approximate range of expected accuracy (%)
Area	drill holes	± 10–20
	geophysical data	± 10–20
	regional geology cores	± 50–80
Pay thickness	logs	± 5–10
	drilling time records and samples	± 10–20
	regional geology	± 20–40
Porosity	cores	± 40–60
	logs	± 5–10
	production data	± 10–20
	drill cuttings correlations	± 20–40
Interstitial water saturation	capillary pressure data	± 30–50
	oil base cores	± 5–15
	saturation logs	± 5–15
	routine cores with adjustments correlations	± 10–25
Formation volume factor	pressure volume temperature analysis of fluid samples	± 25–50
	correlation	± 25–60
		± 5–10

$$V_n = a \cdot b \cdot c$$

$$V_n = A \cdot h$$

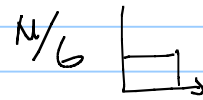
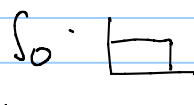
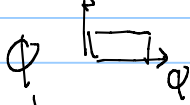
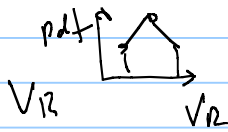


- Recovery factor, F_R depends on:
 - Permeability and Permeability distribution
 - Relative permeability characteristics
 - Drive mechanism
 - Pressure support, displacement and sweep efficiency
 - Reservoir architecture-continuity, shape, layering, fault blocks
 - Reservoir anisotropy
 - Reservoir fluid properties
 - Well placement. Number of wells
 - Artificial lift
 - Minimum economical field rate

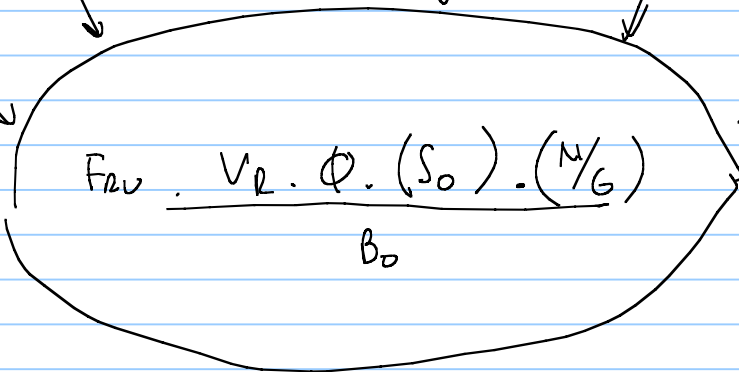
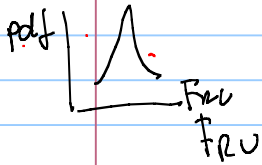
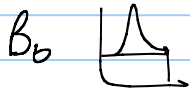
probability distributions of input parameters are usually defined by experts

N_{pu}

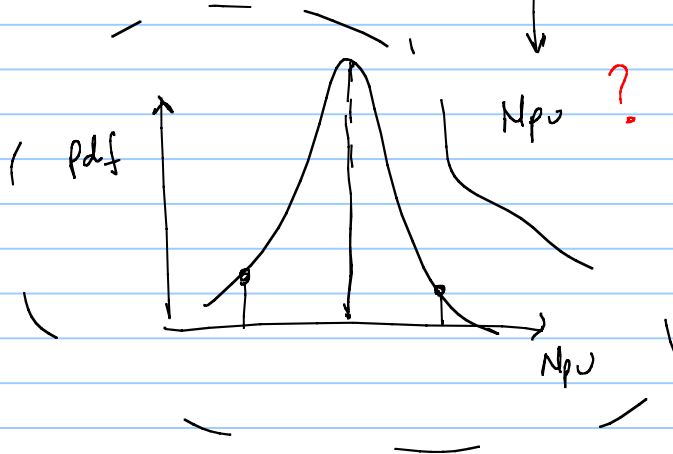
TRR



INPUT



FUNCTION EQUATION



OUTPUT

Monte Carlo ~ Los Alamos

Stanislaw Ulam

JOURNAL OF THE AMERICAN STATISTICAL ASSOCIATION

Number 247

SEPTEMBER 1949

Volume 44

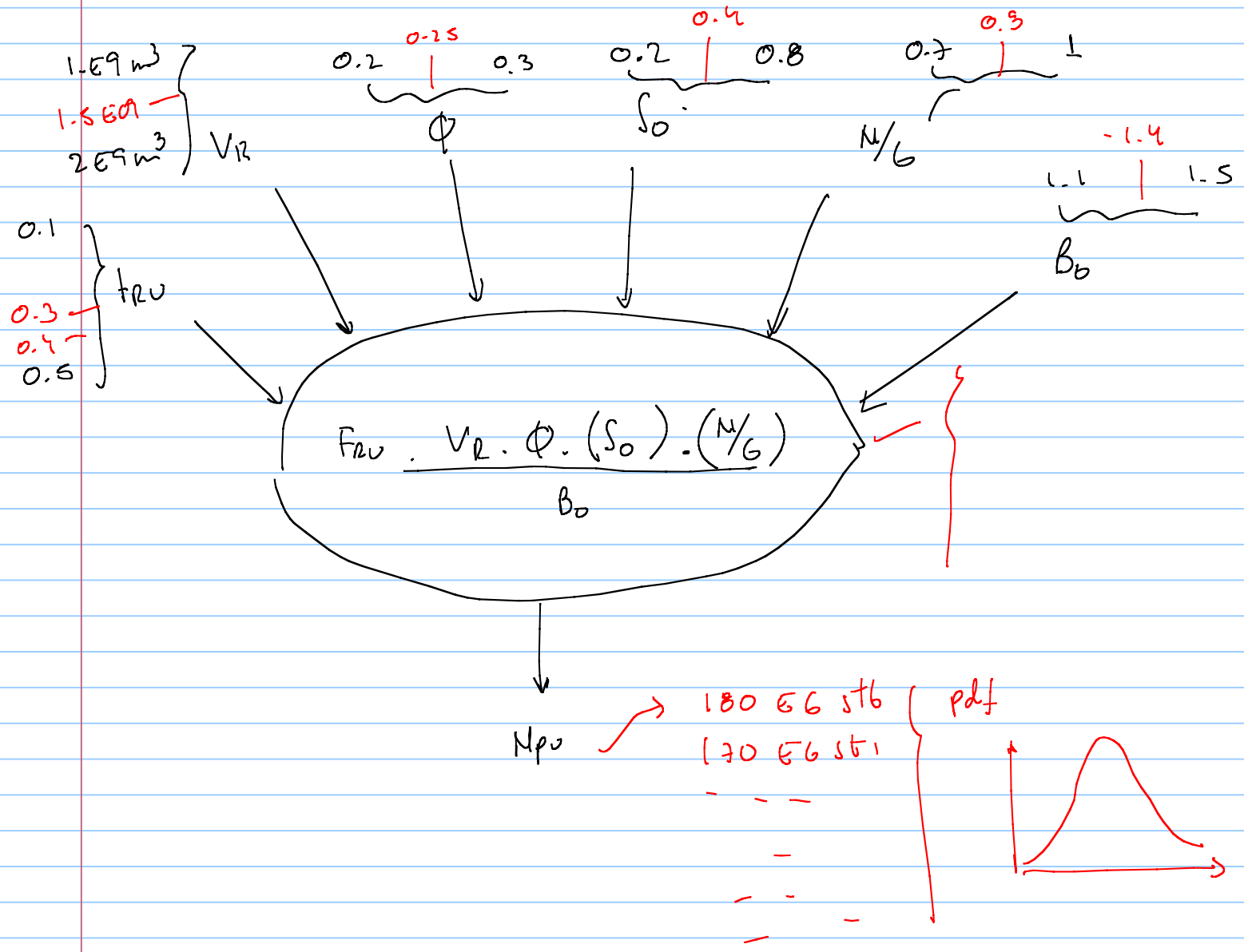
THE MONTE CARLO METHOD

NICHOLAS METROPOLIS AND S. ULAM

Los Alamos Laboratory

steps

- 1) • take a random number for all inputs (has to be in the range)
- 2) • perform the computation of the output variable
- 3) • save the result
- 4) • repeat from 1) the number of iterations depends on the problem
 ↓ done with iterations
- 5) calculate the pdf (using frequency analysis) of the output variable



Class exercise : Probabilistic estimation of Total recoverable reserves

	Rock volume	Porosity	Net to Gros	Oil Saturation	Formation Volume Factor	Ultimate Recovery Factor
	bbl	fraction	N/G	So=(1-Sw)	Bo	Fr
			fraction	fraction	Res bbl/STB	fraction
Min	2000000000	0.18	0.3	0.8	1.35	0.42
Max	2500000000	0.3	0.5	0.9	1.6	0.65

MC iterater	Rock volume bbl	ϕ	N/G	S	Bo	Fr	Npv
1	<input type="text"/>	<input type="text"/>	<input type="text"/>				$V_r \cdot \phi \cdot N/G \cdot S \cdot \frac{Fr}{Bo}$
2	$= \min + RAND() \cdot (\max - \min)$						
3							
4							
5							

gives you a random number 0-1

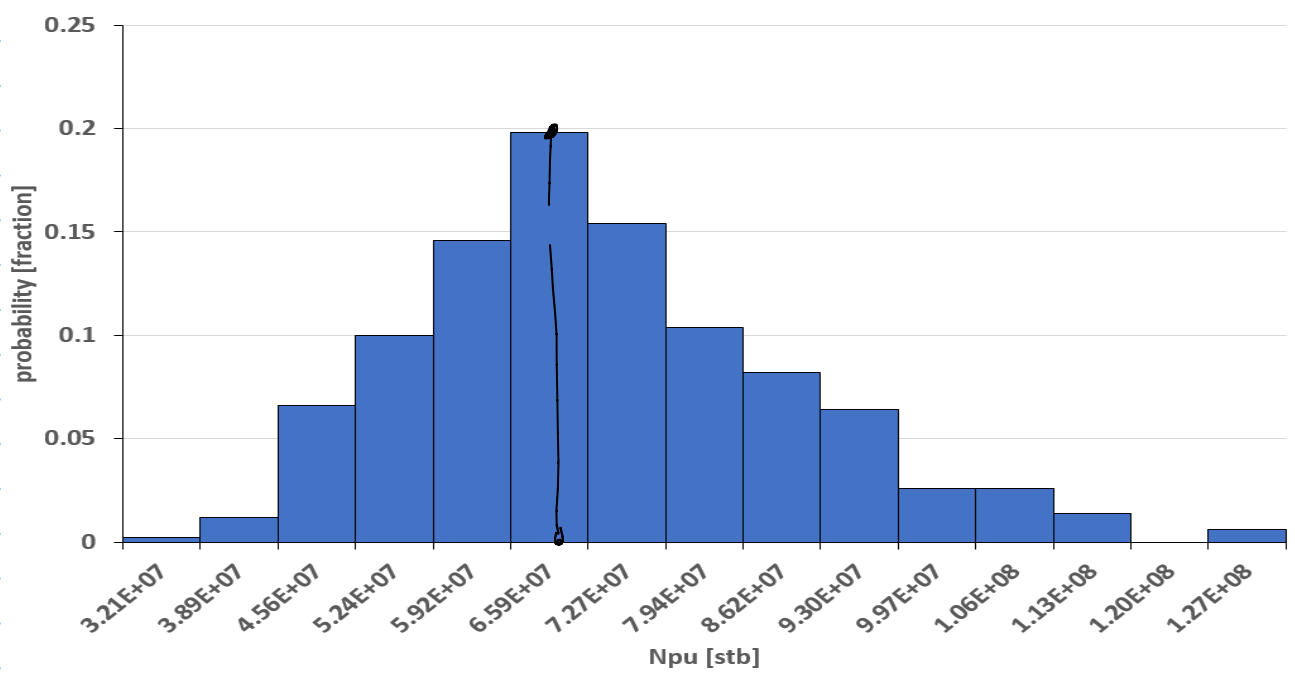
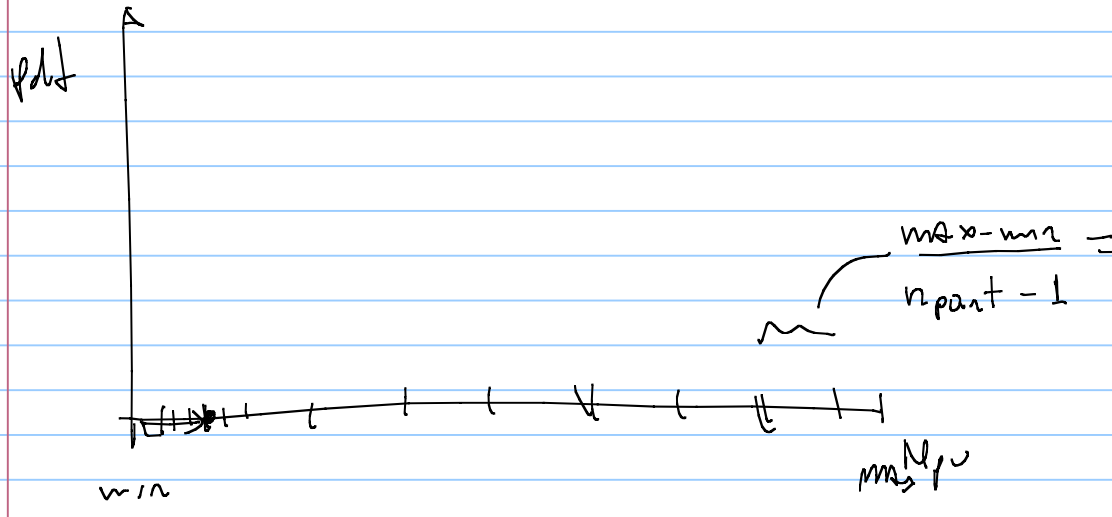
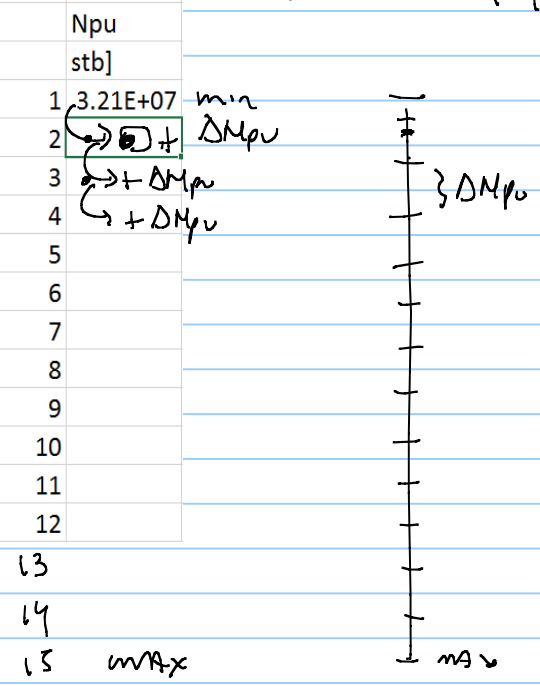
Class example TPG4230, Michael Golan and Milan Stanko

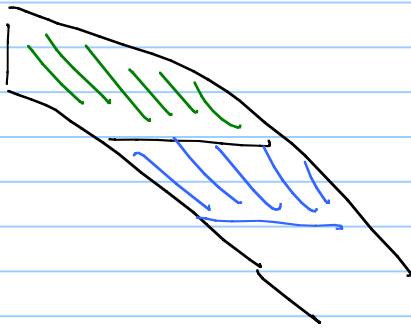
	Rock volume	Porosity	Net to Gros	Oil Saturation	Formation Volume	Ultimate Recovery Factor
	bbl	fraction	N/G	So=(1-Sw)	Bo	Fr
			fraction	fraction	Res bbl/STB	fraction
Min	2000000000	0.18	0.3	0.8	1.35	0.42
Max	2500000000	0.3	0.5	0.9	1.6	0.65

MC it	Rock volume	Porosity	N/G	So=(1-Sw)	Bo	Fr	Npv
[-]	bbl	fraction	fraction	fraction	Res bbl/STB	fraction	[stb]
1	2020728372	0.18558	0.3782988	0.860746572	1.567215613	0.588794858	4.59E+07
2	2027103687	0.27871	0.4559073	0.859547478	1.572255682	0.57794969	8.14E+07
3	2244507704	0.22387	0.4309593	0.899014514	1.461948068	0.454182581	6.05E+07
4	2064960527	0.19461	0.3850365	0.846769099	1.458154221	0.421192174	3.78E+07
5	2409265466	0.23786	0.3522728	0.831730977	1.363105188	0.462438723	5.70E+07
6	2174336685	0.2807	0.3836723	0.823121152	1.527348792	0.540170926	6.82E+07
7	2468570171	0.23443	0.3400107	0.804494224	1.358463656	0.603918786	7.04E+07
8	2220185179	0.23463	0.4064523	0.837530278	1.414866359	0.636911743	7.98E+07
9	2329260119	0.21656	0.3356574	0.861782889	1.442495708	0.631760539	6.39E+07

MC it [-]	Npu [stb]	Min [stb]	Max [stb]
1	5E+07	3.21E+07	1.27E+08
2	8.8E+07		
3	7.1E+07		
4	4.2E+07		
5	7.5E+07		
6	5.2E+07		
7	1E+08		
8	7.4E+07		
9	6.1E+07		
10	6E+07		
11	5.8E+07		
12	3.8E+07		
13	6.9E+07		
14	7E+07		
15	7E+07		
16	8.1E+07		

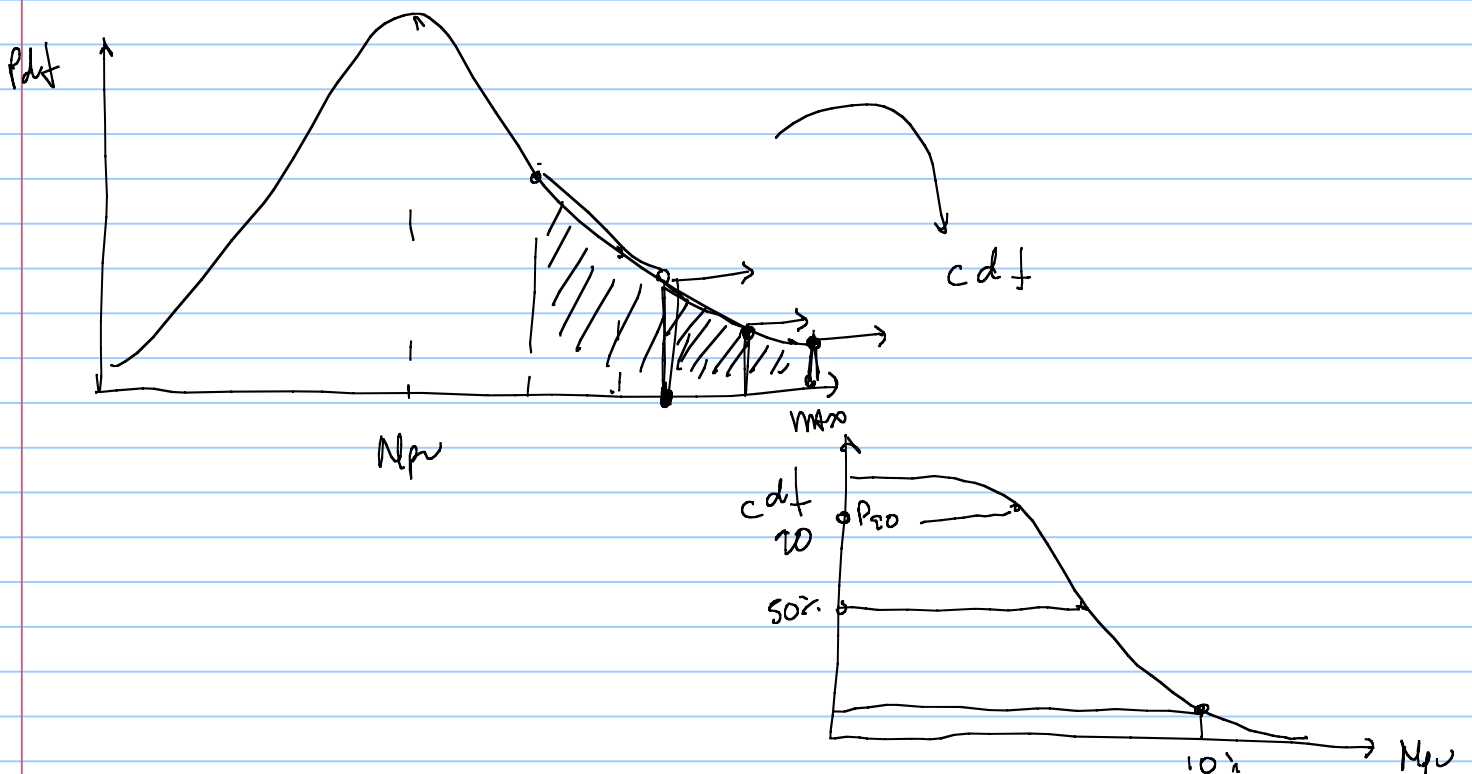
$$\Delta N_{pu} = \frac{max - min}{14} = \frac{1.27E+08 - 3.21E+07}{14}$$





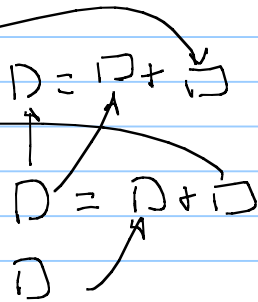
cumulative distribution function (cdf)

- Proven reserves (100-66%) $\rightarrow P_{90}$ there is a 90% probability that reserves are equal or higher than P_{90}
 depends on country P_x
- Proven + probable (60%-33%) $\rightarrow P_{50}$ there is a 50% probability that reserves are equal or higher than P_{50}
- Proven + Probable + possible (30%-0%) P_{10} there is a 10% probability that reserves are equal or higher than P_{10}



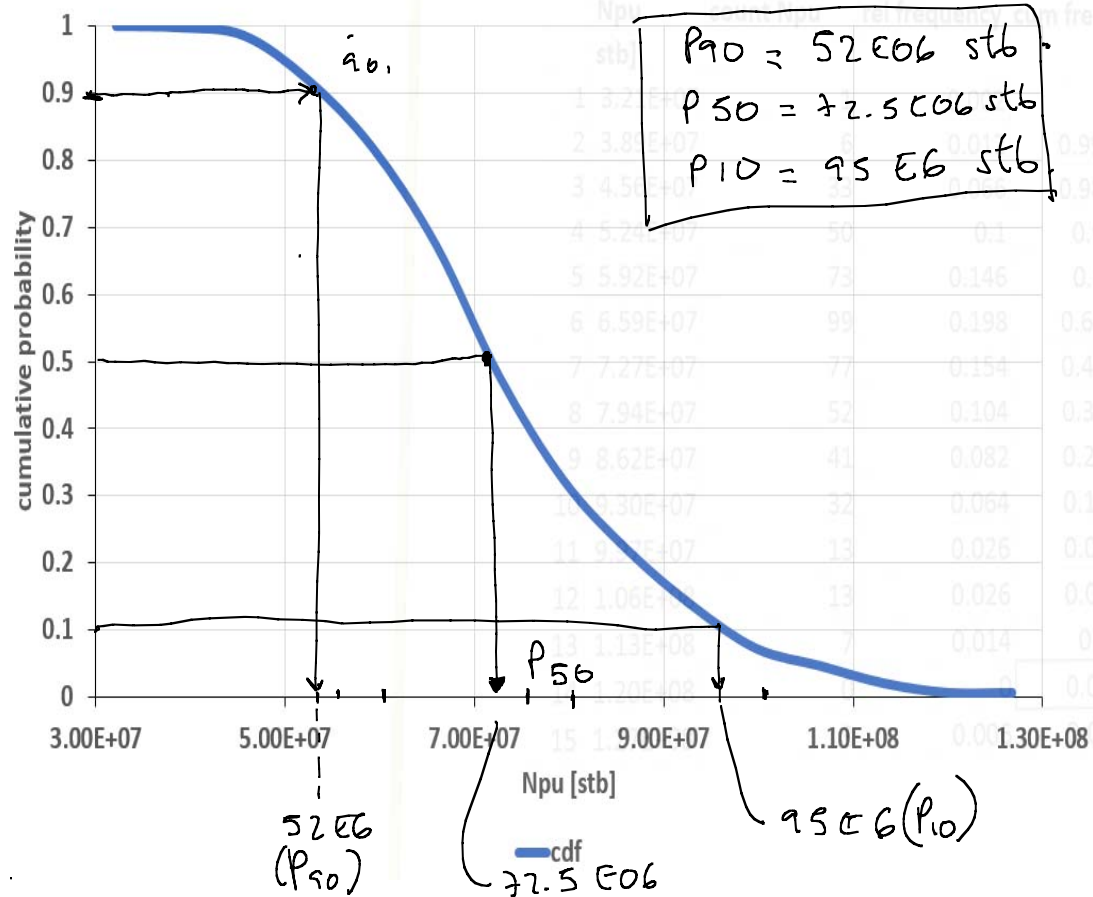
frequency
 Npu pdf cdf

min
 D
 D
 D
 D
 D
 D
 max



distribution (cpd)
 cumulative probability function (cdf)

Npu [stb]	count	rel frequency	cum freq
1 3.21E+07	1	0.002	1
2 3.89E+07	6	0.012	0.998
3 4.56E+07	33	0.066	0.986
4 5.24E+07	50	0.1	0.92
5 5.92E+07	73	0.146	0.82
6 6.59E+07	99	0.198	0.674
7 7.27E+07	77	0.154	0.476
8 7.94E+07	52	0.104	0.322
9 8.62E+07	41	0.082	0.218
10 9.30E+07	32	0.064	0.136
11 9.97E+07	13	0.026	0.072
12 1.06E+08	13	0.026	0.046
13 1.13E+08	7	0.014	0.02
14 1.20E+08	0	0	0.006
15 1.27E+08	3	0.006	0.006



Homework repeat calculations with 2000 iterations

//

What happens when dealing with choices? & which platform?

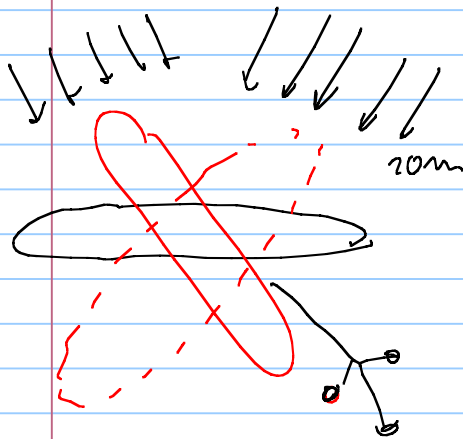
• well configuration on the seabed

• drill or not?

FPSO (regular)



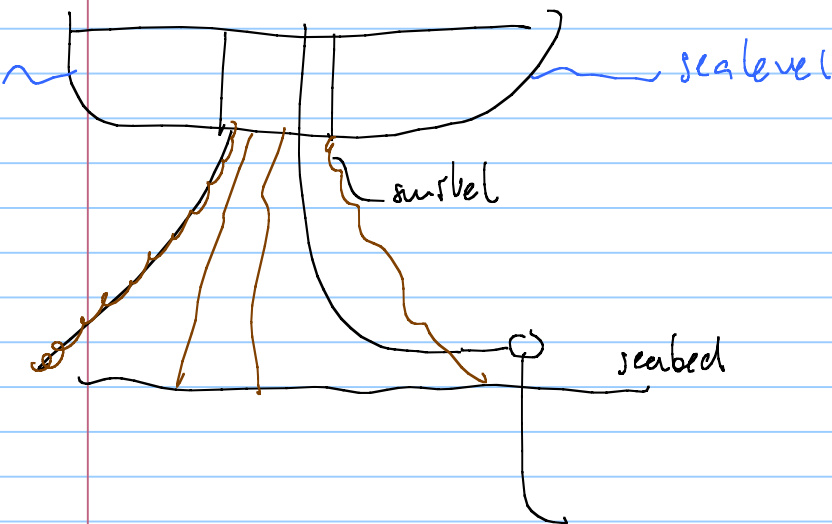
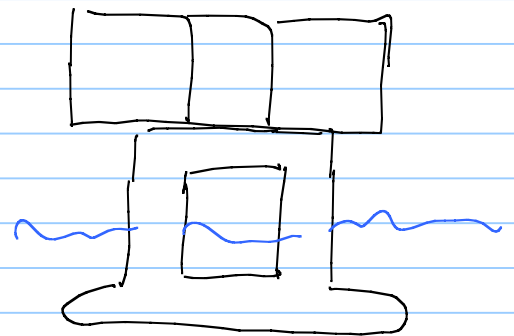
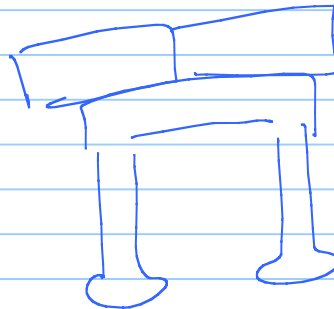
sketch
view from above



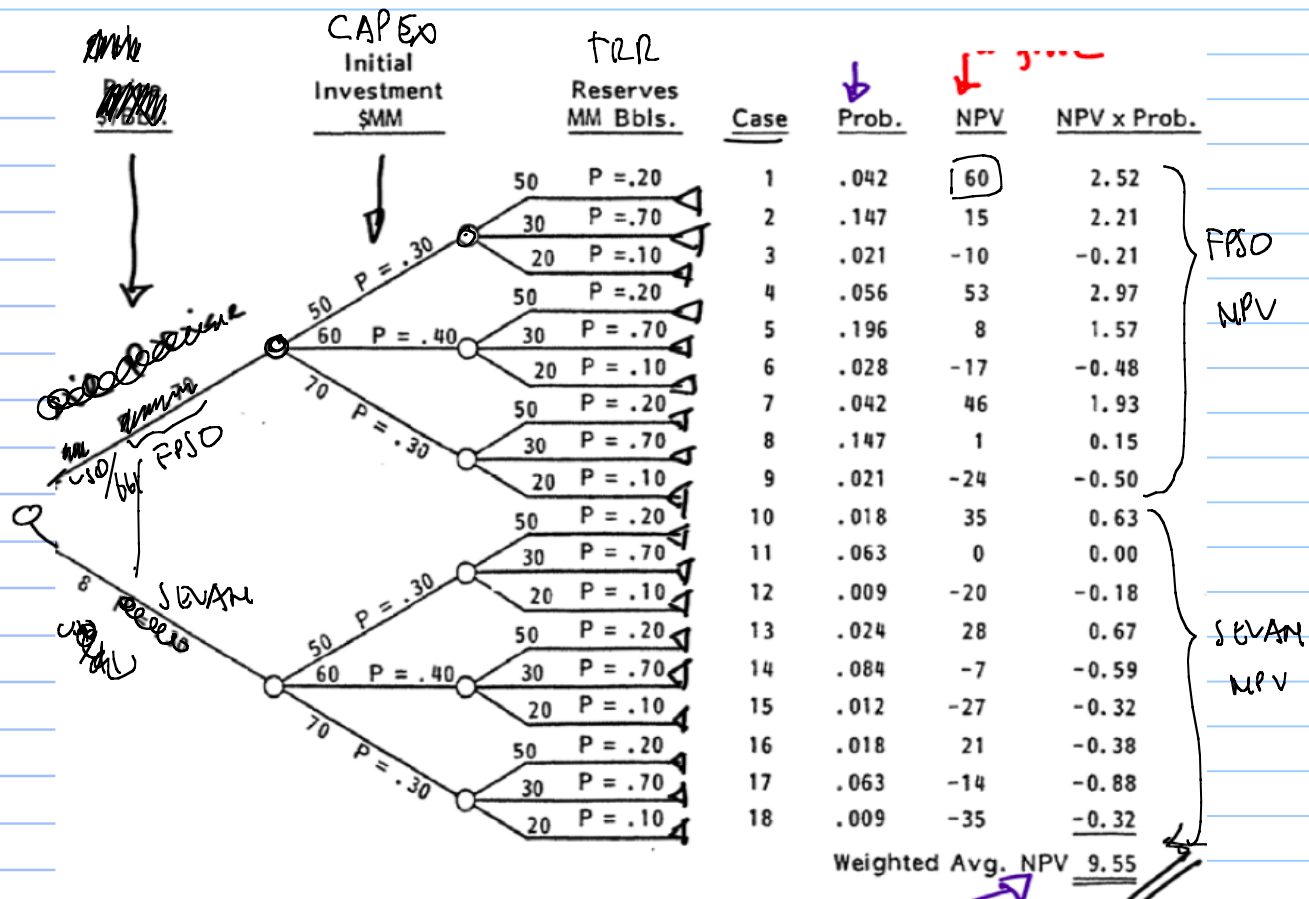
Sevan



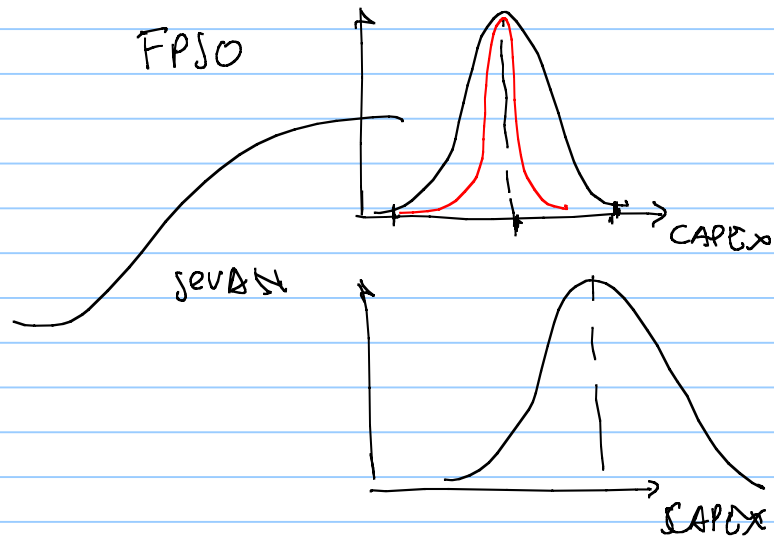
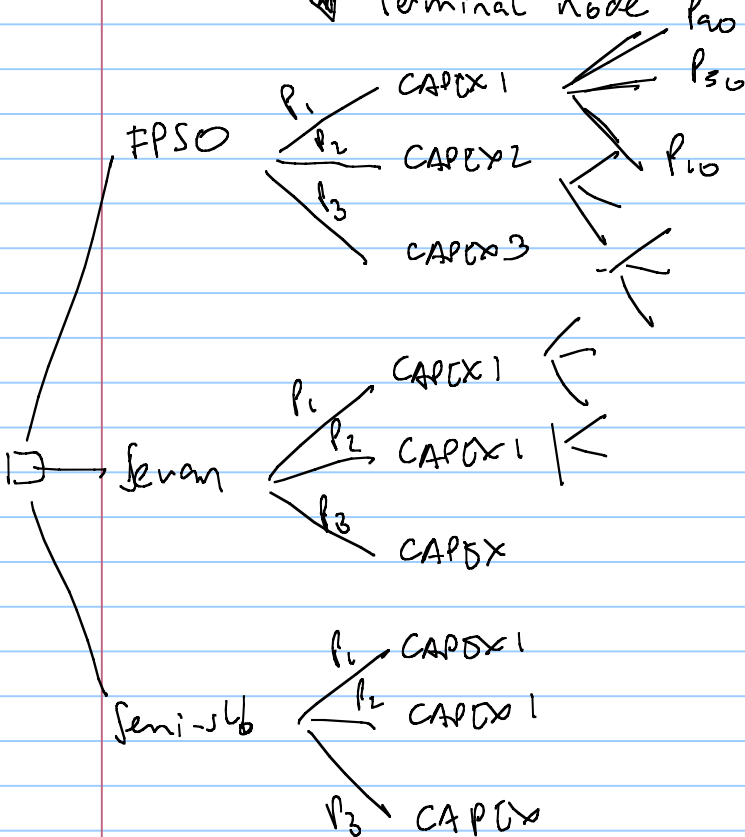
semi submersible



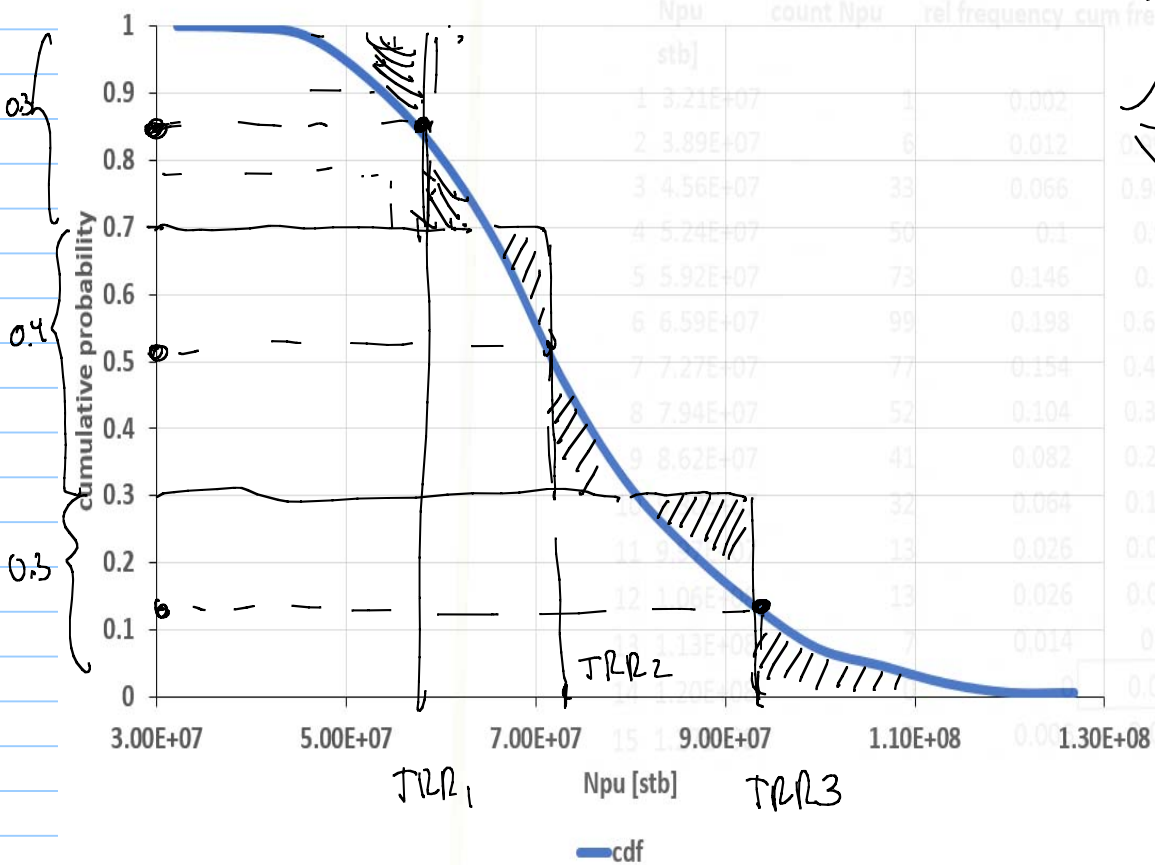
decision tree - probability tree



- decision
- chance node
- ▴ terminal node



Converting a continuous cdf to discrete



30
 P_1 TRR₁
 P_2 TRR₂
 P_3 TRR₃

	Probability CAPEX	CAPEX	Probability TRR	TRR	MV	Probability	MV*Prob
	[-]	[USD]	[-]	[stb]	(USD)	Prob	
Sevan FPSO	0.3	700000000	0.25	1.3E+08	2.3E+09	0.075	1.73E+08
			0.5	1.7E+08	3.5E+09	0.15	5.18E+08
			0.25	2.4E+08	4.9E+09	0.075	3.71E+08
	0.4	1100000000	0.25	1.3E+08	1.9E+09	0.1	1.90E+08
			0.5	1.7E+08	3.1E+09	0.2	6.10E+08
			0.25	2.4E+08	4.5E+09	0.1	4.54E+08
	0.3	1500000000	0.25	1.3E+08	1.5E+09	0.075	1.13E+08
			0.5	1.7E+08	2.7E+09	0.15	3.98E+08
			0.25	2.4E+08	4.1E+09	0.075	3.11E+08
FPSO	0.3	500000000	0.25	1.3E+08	2.5E+09	0.075	1.88E+08
			0.5	1.7E+08	3.7E+09	0.15	5.48E+08
			0.25	2.4E+08	5.1E+09	0.075	3.86E+08
	0.4	800000000	0.25	1.3E+08	2.2E+09	0.1	2.20E+08
			0.5	1.7E+08	3.4E+09	0.2	6.70E+08
			0.25	2.4E+08	4.8E+09	0.1	4.84E+08
0.3	1300000000	0.25	1.3E+08	1.7E+09	0.075	1.28E+08	
		0.5	1.7E+08	2.9E+09	0.15	4.28E+08	
		0.25	2.4E+08	4.3E+09	0.075	3.26E+08	3.38E+09
Semi-sub	0.3	600000000	0.25	1.3E+08	2.4E+09	0.075	1.80E+08
			0.5	1.7E+08	3.6E+09	0.15	5.33E+08
			0.25	2.4E+08	5E+09	0.075	3.78E+08
	0.4	900000000	0.25	1.3E+08	2.1E+09	0.1	2.10E+08
			0.5	1.7E+08	3.3E+09	0.2	6.50E+08
			0.25	2.4E+08	4.7E+09	0.1	4.74E+08
	0.3	1400000000	0.25	1.3E+08	1.6E+09	0.075	1.20E+08
			0.5	1.7E+08	2.8E+09	0.15	4.13E+08
			0.25	2.4E+08	4.2E+09	0.075	3.18E+08

27 cases

3.38 ES USD

Handwritten red bracket on the left side of the table, spanning from the Sevan FPSO section down to the Semi-sub section.

Handwritten red arrow pointing to the 3.38E+09 value in the table.

Day 3

- Brief: cash flow in field project
- Brief: petroleum fiscal systems
- Offshore structures for hydrocarbon production. Selecting criteria
- marine loads \rightarrow wave statistics \rightarrow marine environment
- Production scheduling
- Flow equilibrium

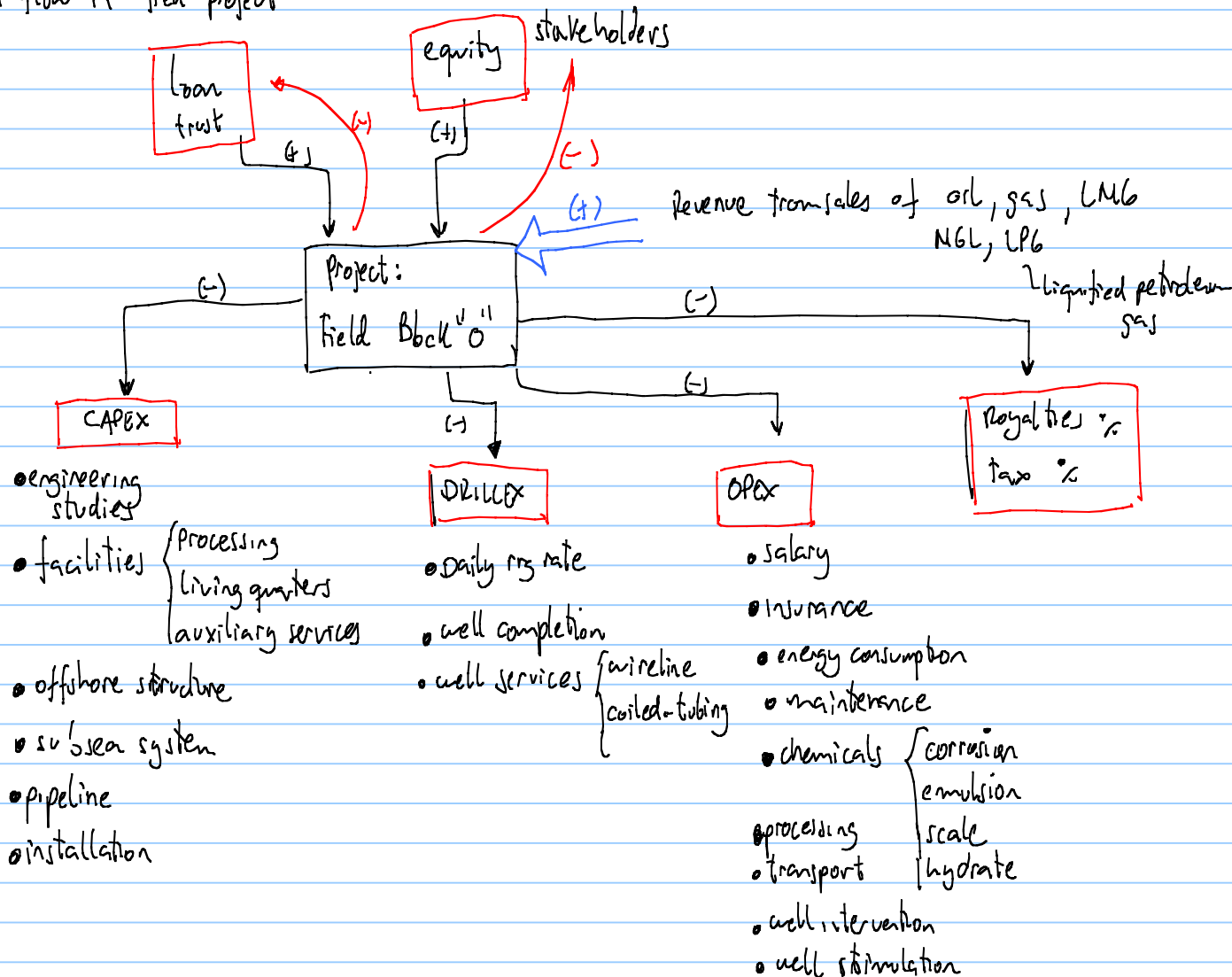
Index of /stanko/Courses/TPG4230/2017

Name	Last modified	Size	Description
Parent Directory		-	
Class_files/	2017-04-04 08:05	-	
Exam/	2017-05-15 14:12	-	
Exercises/	2017-04-07 11:14	-	
Notes/	2017-04-21 15:47	-	
Previous_years/	2017-03-22 13:49	-	
TPG4230_emnerapport.pdf	2017-06-01 09:20	1.4M	
Videos/	2017-04-07 11:16	-	

<http://folk.ntnu.no/stanko/Courses/TPG4230>

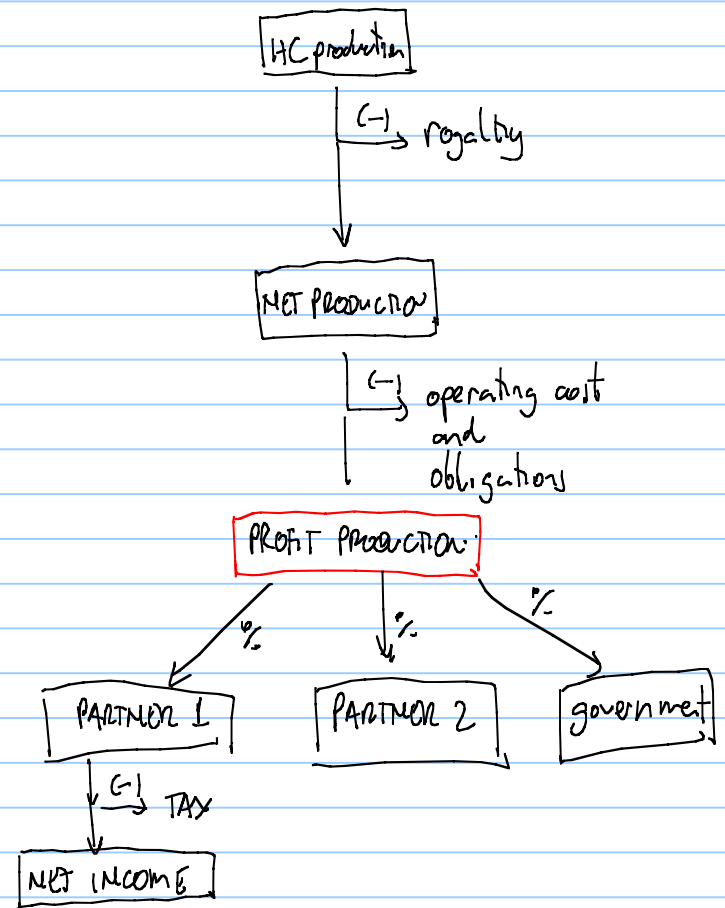
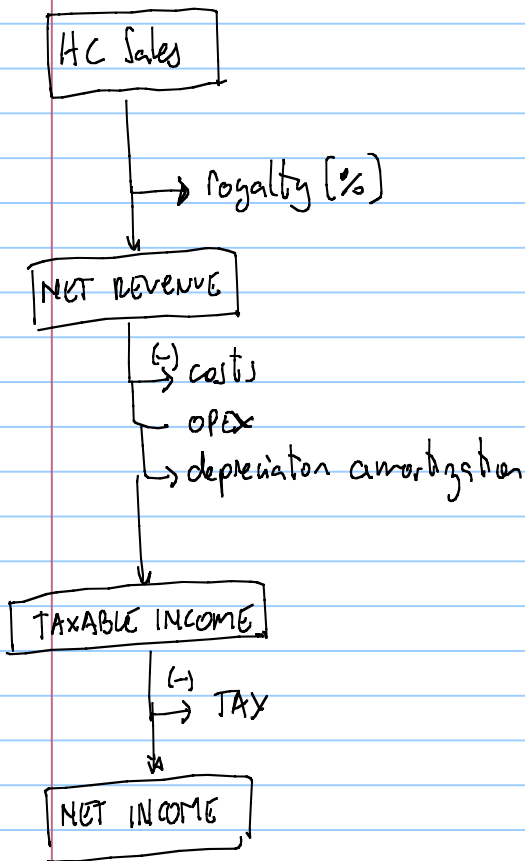
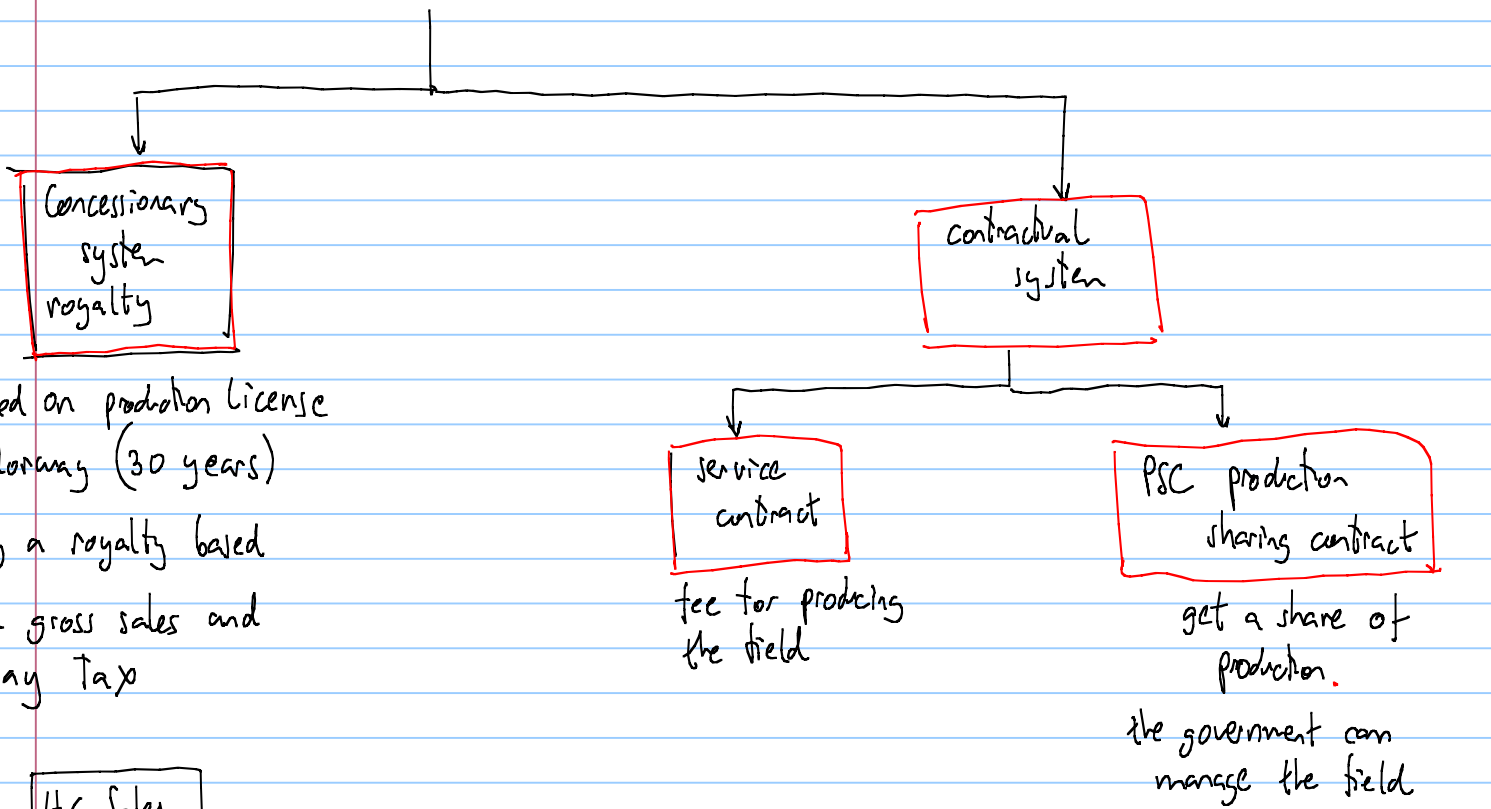
old exams \rightarrow

Cash flow in field project



In almost every place the government is the owner of resources EXCEPT mainland US.

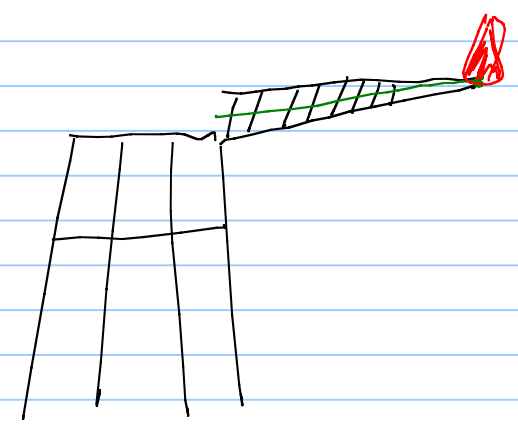
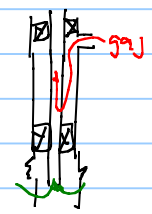
Petroleum fiscal systems / schemes



Offshore structures for HC production

typically includes:

- manifolds to commingle production
- control valves
- processing facilities
 - separators
 - heat exchanger
 - scrubber (separators for high gas fraction)
- gas injection system
- water injection system
 - pumps
- Power generation (diesel engine, gas turbine)
 - compressor
 - coolers
 - skimmer
- fire alarm system
 - hydrocyclones
 - water separation system
- living quarters
- repair workshop
- control system
- gas-lift injection system
- well intervention system
 - light intervention
 - wireline
 - coil tubing
- drilling package
 - rig
- Helideck
- flare
- oil storage
- utility system
 - water, air, ventilation
 - heating



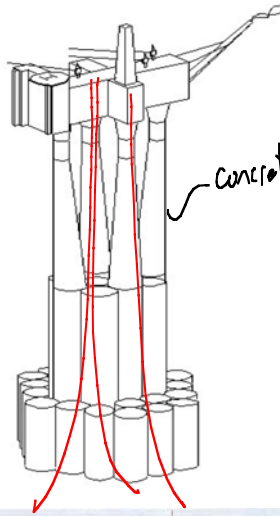
platform

Bottom supported

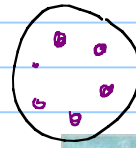
weight is laid on seabed



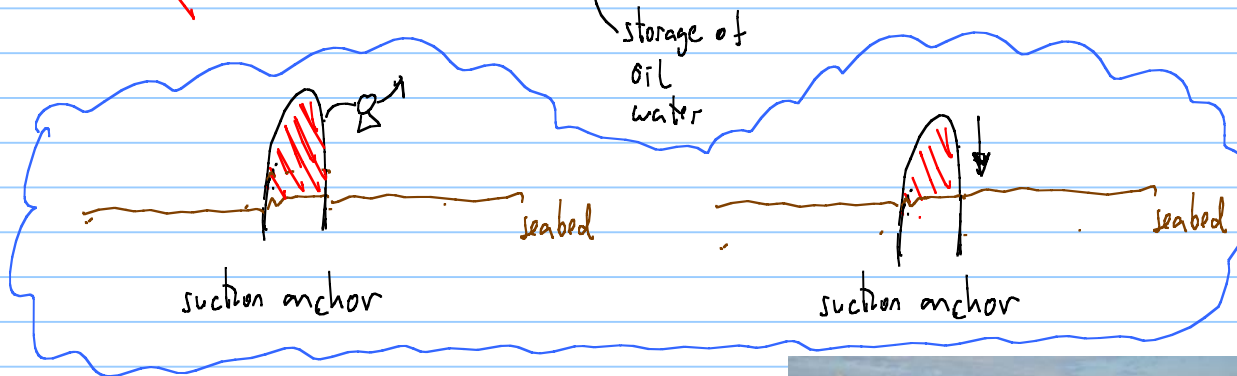
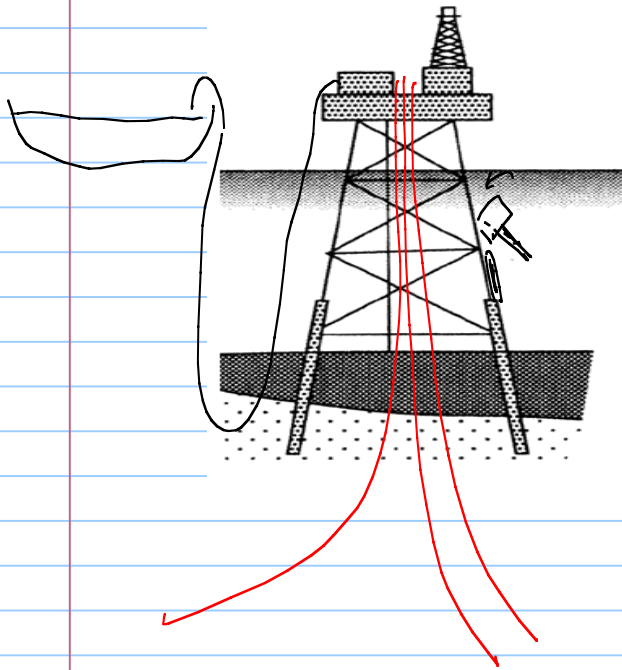
GBS gravity based structure



concrete



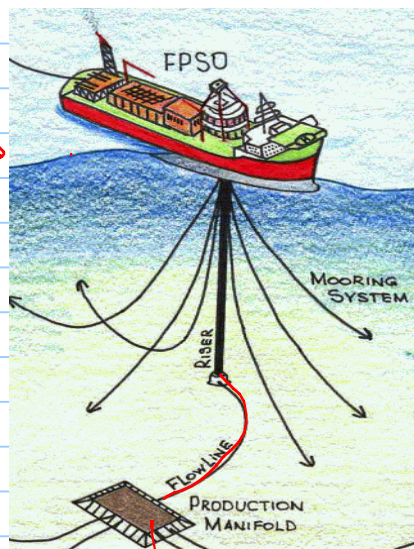
Compliant tower



neutrally buoyant (ship line)

floating structure

FPSO



storage ~ 3 000 000 stb

Sevan FPSO

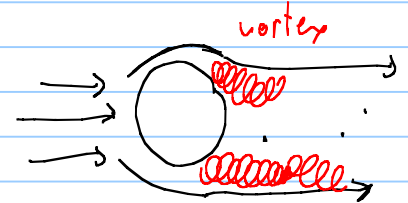
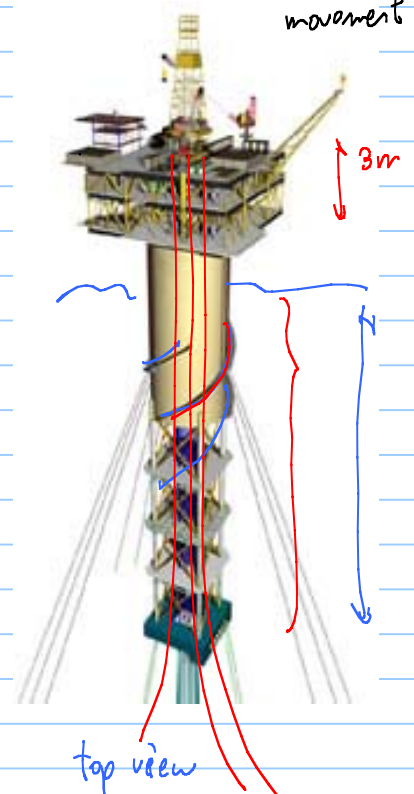


Semi-submersible



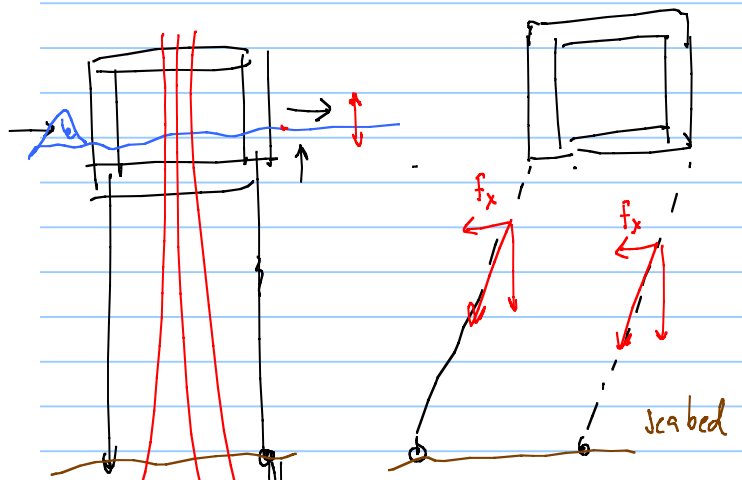
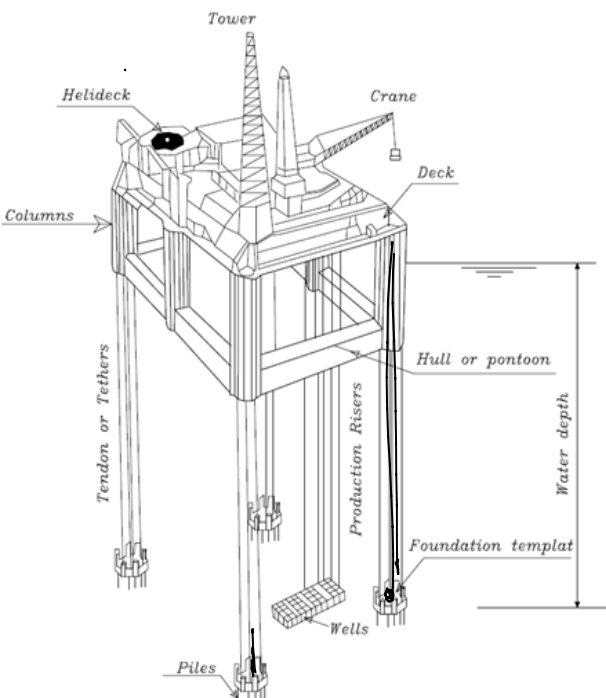
SPAR

radical vertical movement



positively buoyant tension leg platform TLP

Limited vertical movement.



the tension in the tendons brings it back to its original place.

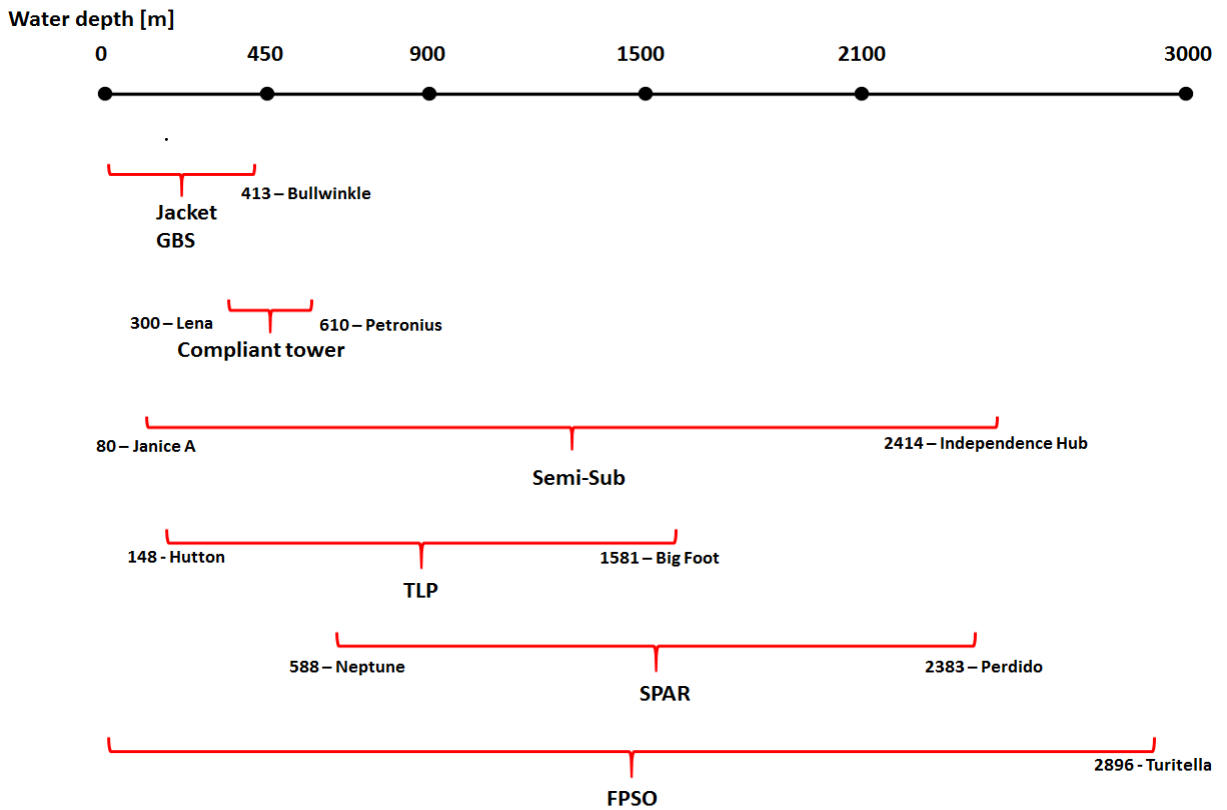


TLP

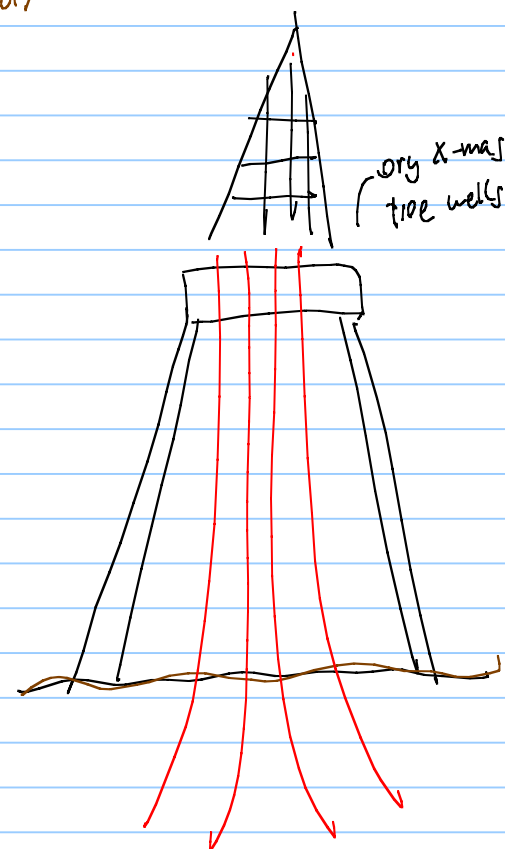
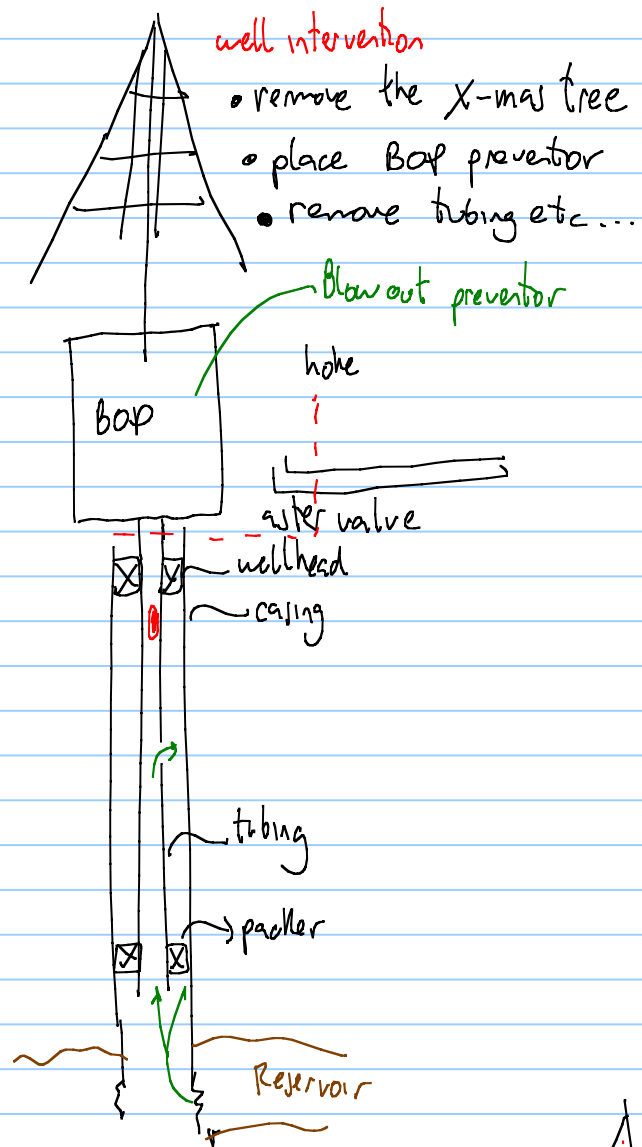
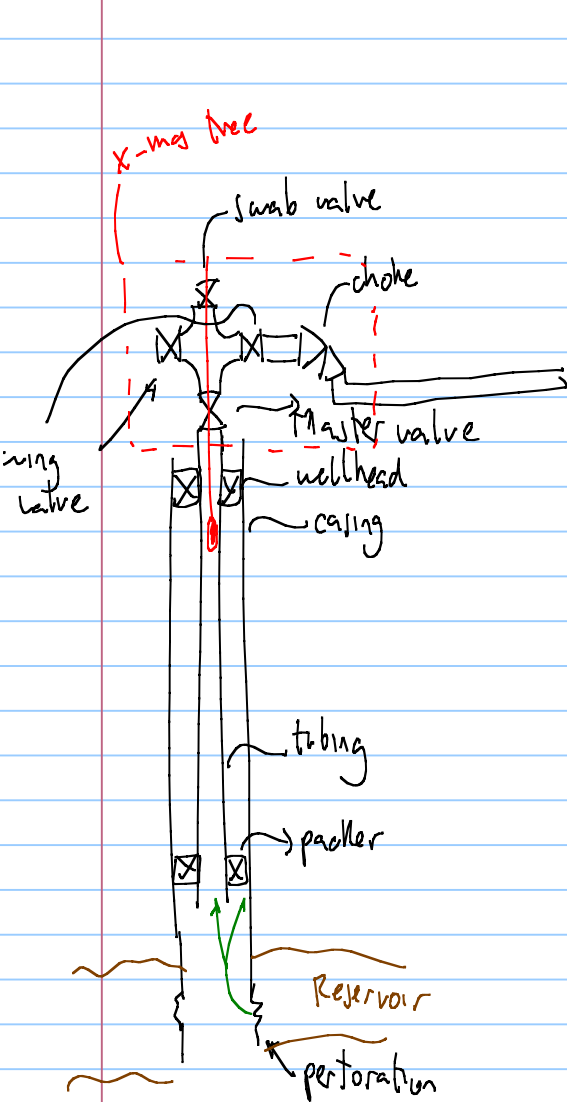
Selection criteria: shallow or not too deep 0 → 450m ✓ → bottom supported structures

deep

500m → 2900m → floating



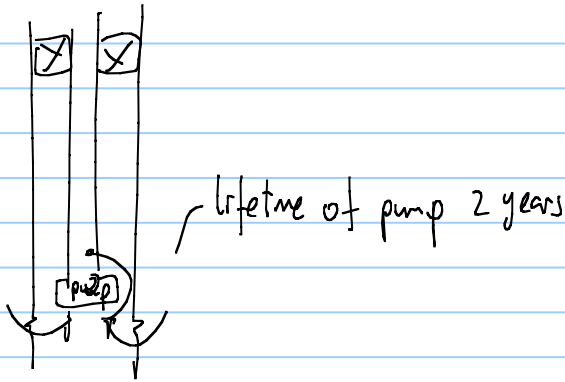
type of well \rightarrow Dry X-mas tree on the deck
wet X-mas tree (subsea)



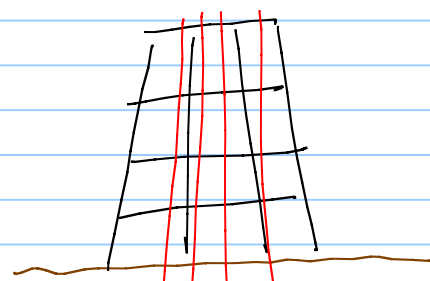
Dry X-mas trees \rightarrow only on platform, GBS, compliant tower, SPAR, TLP

wet X-mas trees \rightarrow FPSO, Jevan, Jenni-sub

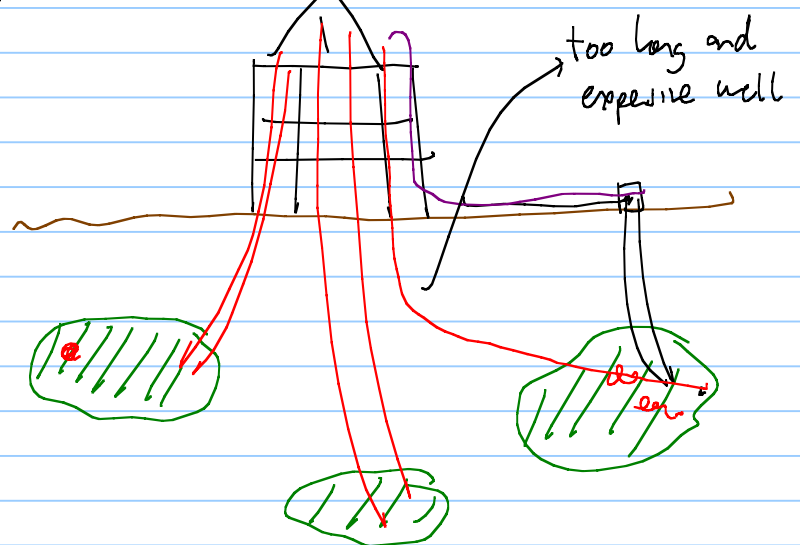
- Intervention frequency required by well in subsea well \approx 5 years
- wells with pump \rightarrow Dry X-mas tree



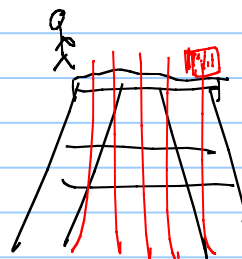
• Structure of reservoir \rightarrow concentrated



\rightarrow spread

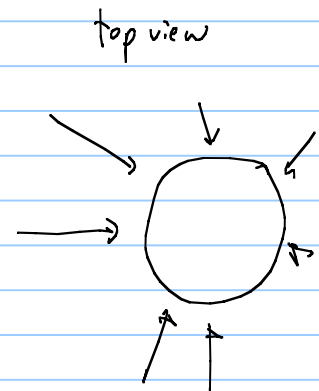
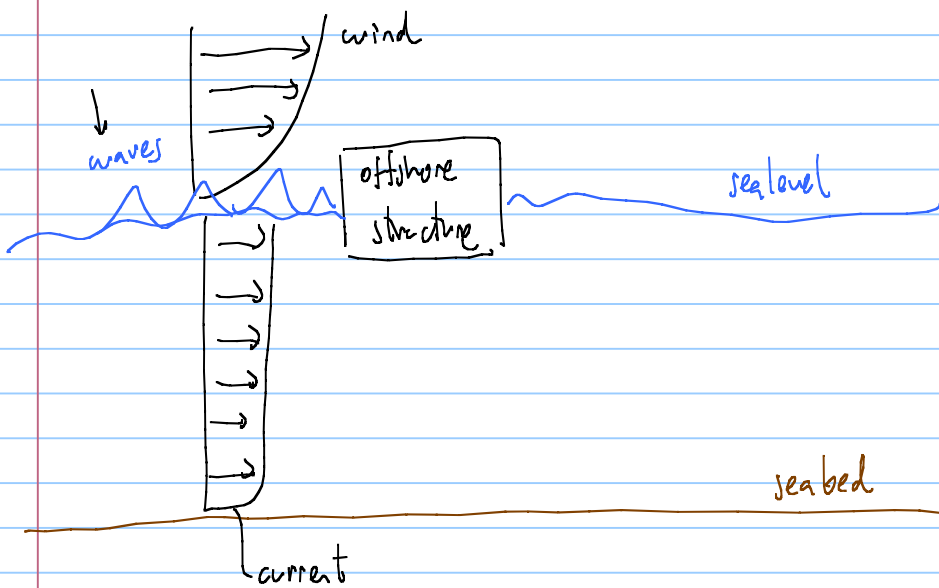


- Offshore structures for Dry X-mas trees have limited space on deck to perform infill drilling



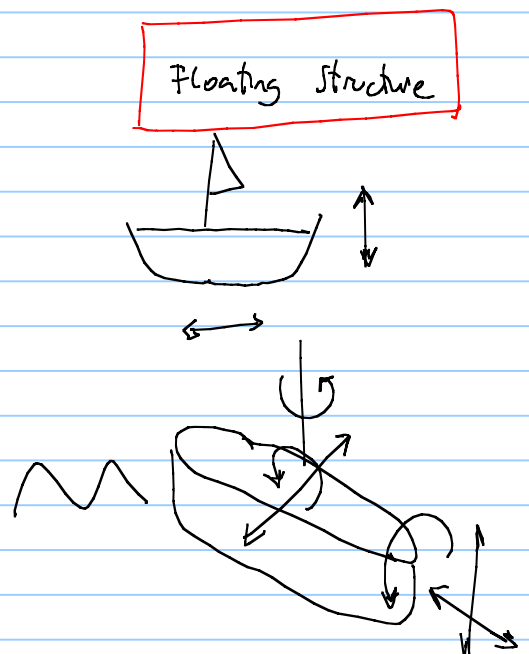
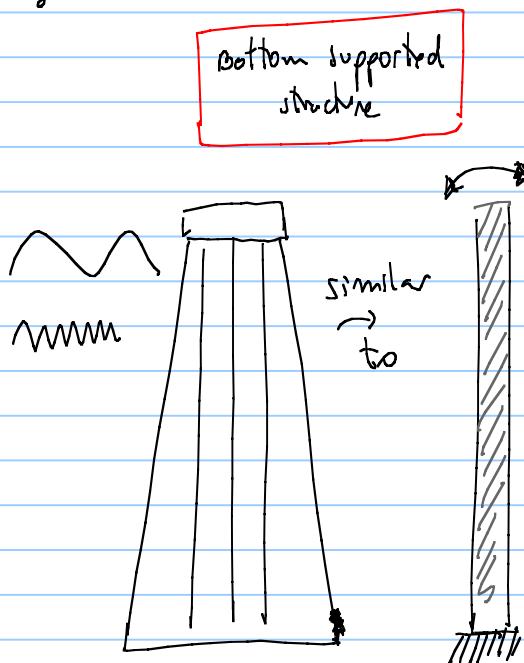
- Storage needs { rough weather, accessibility, tanker delays }
 - FPJO \rightarrow max 3.66 stb
 - GBS \rightarrow 500.000 stb
 - SPAN \rightarrow 150.000 stb

Marine loads

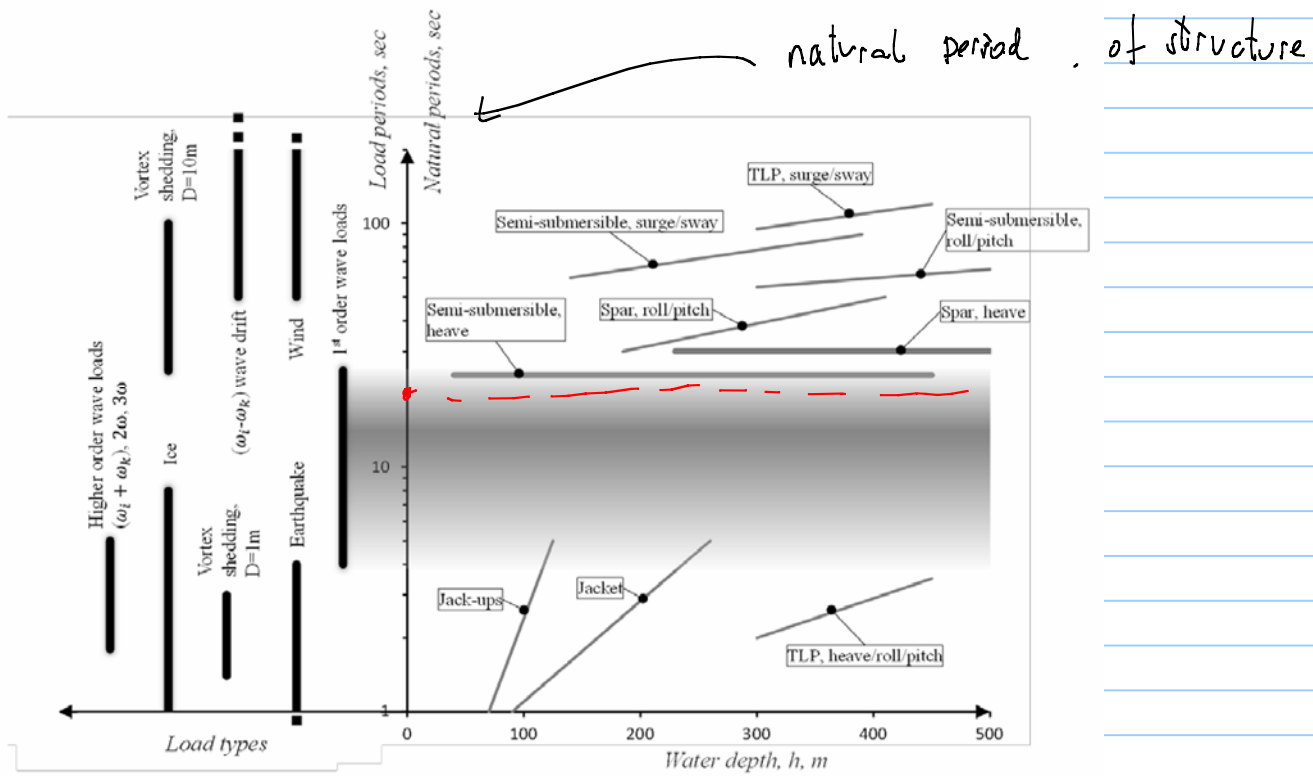


movement of offshore structures is affected by waves, wind and currents...

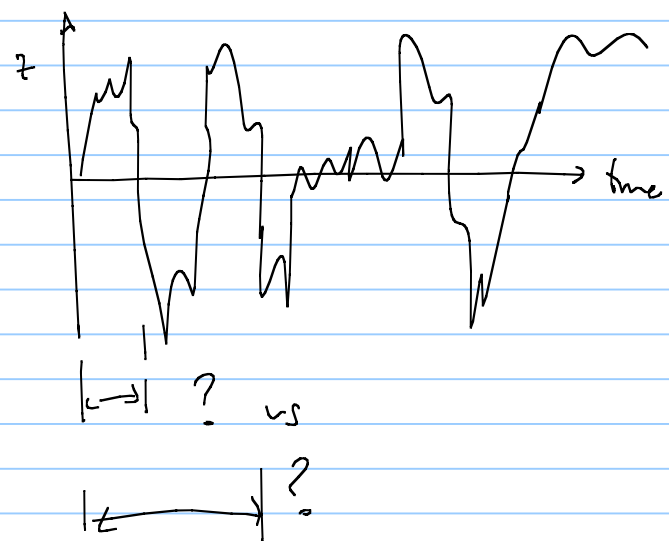
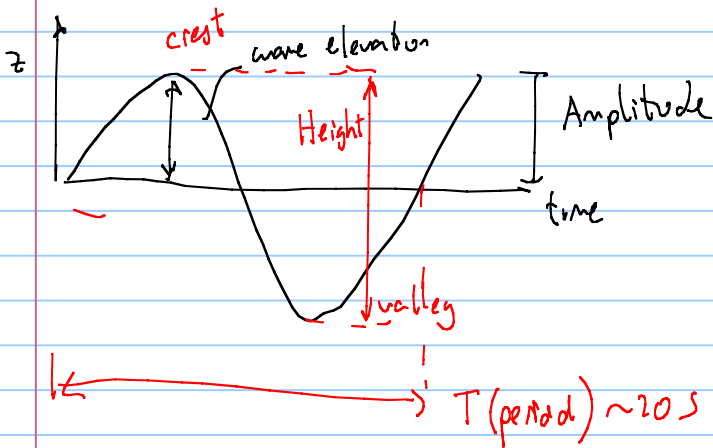
how do they move?



structures are susceptible to different load periods



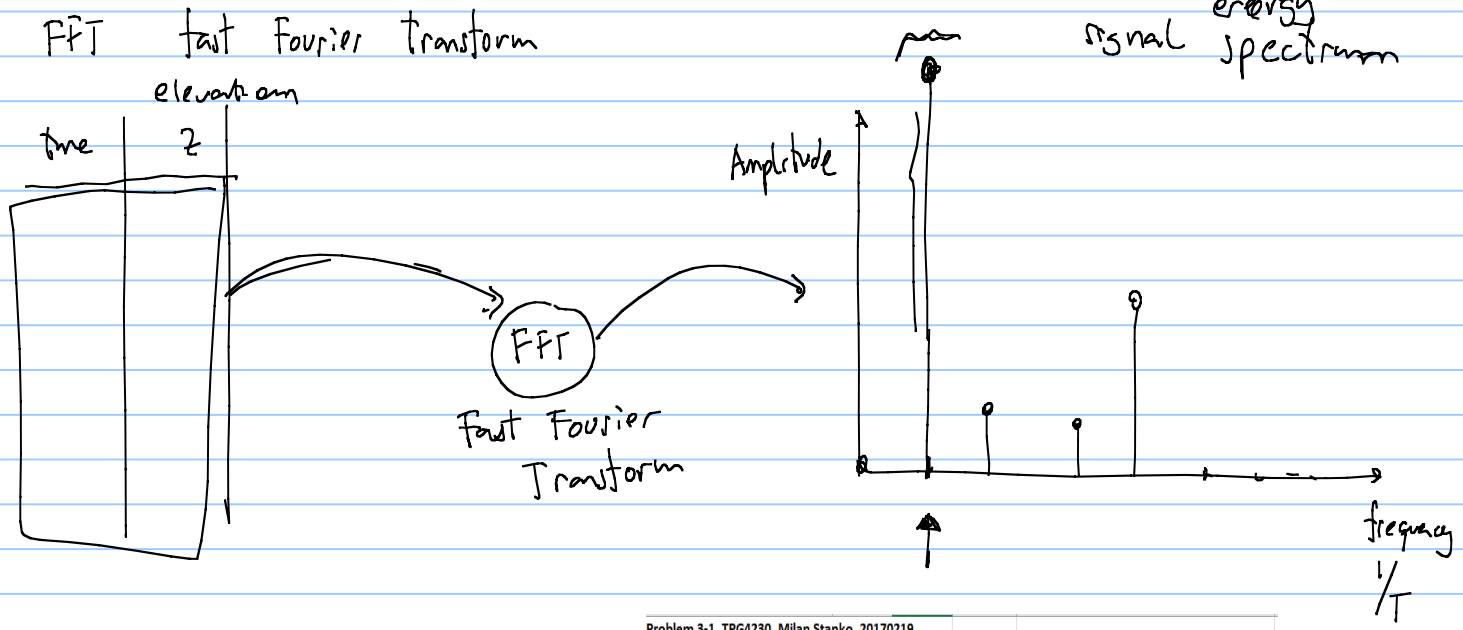
wave



Fourier



$$z \text{ vs time} = \sum_{i=1}^N \underbrace{F_i}_{\frac{1}{T_i}} \sin(\omega_i t + \epsilon_i)$$



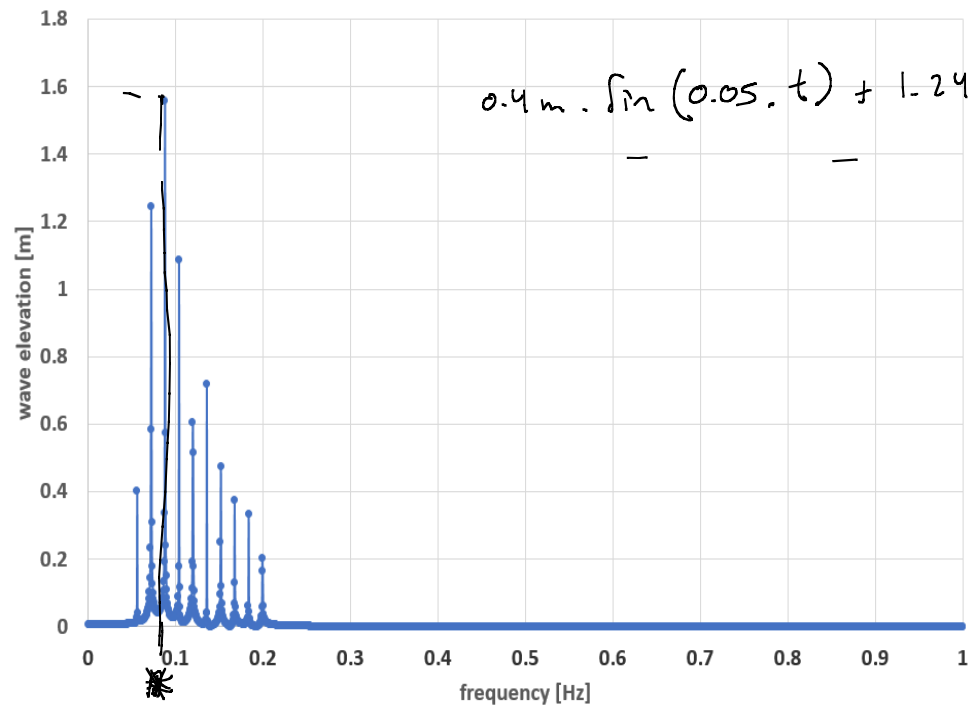
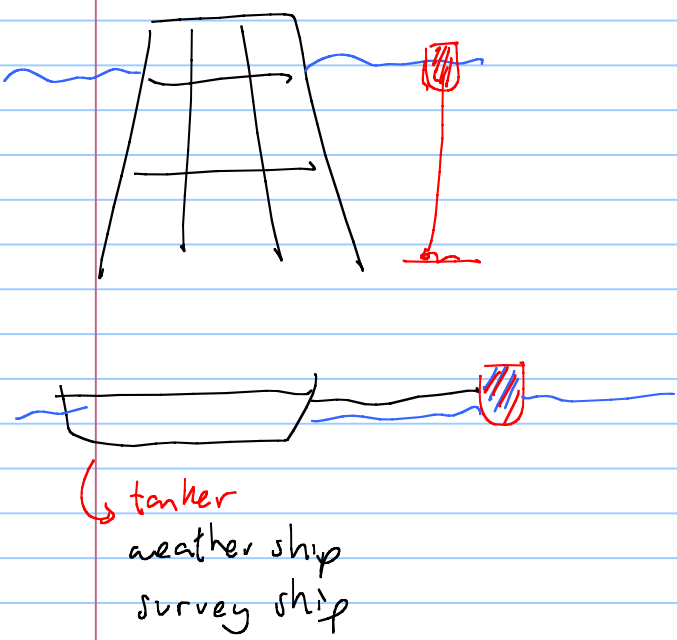
Problem 3-1, TPG4230, Milan Stanko, 20170219

Time interval [s] 2047.5

Number of points 4096

sampling frequency [samples/s] 2.00

Time [s]	Elevation [m]	FFT freq	FFT mag	FFT complex
0.0	0.8	0	0.007144	-14.6310630637753
0.5	0.0	0.000	0.007144	-14.6314355376179-2.17584020171838E-02i
1.0	-0.5	0.001	0.007145	-14.6325531382138-4.35187835418294E-02i
1.5	-0.8	0.001	0.007146	-14.634416403011-6.52831256995594E-02i
2.0	-0.6	0.002	0.007147	-14.6370262285584-8.70534128729824E-02i
2.5	-0.1	0.002	0.007149	-14.6403838717195-0.108831634337723i
3.0	0.5	0.003	0.007151	-14.6444909513754-0.13061978594503i
3.5	1.1	0.003	0.007153	-14.6493494506153-0.152419871829957i
4.0	1.6	0.004	0.007156	-14.6549617194251-0.174233906173646i
4.5	1.7	0.004	0.007159	-14.6613304778867-0.196063915009091i
5.0	1.5	0.005	0.007163	-14.6684588198886-0.217911938100365i
5.5	0.9	0.005	0.007167	-14.6763502173536-0.239780030911572i
6.0	0.2	0.006	0.007172	-14.6850085250036-0.261670266637959i
6.5	-0.7	0.006	0.007176	-14.6944379856753-0.283584738366725i
7.0	-1.6	0.007	0.007182	-14.7046432361733-0.305525561331911i
7.5	-2.3	0.007	0.007187	-14.7156293137251-0.327494875310597i
8.0	-2.7	0.008	0.007193	-14.727401663005-0.349494847163372i
8.5	-2.8	0.008	0.0072	-14.7399661437619-0.371527673534929i
9.0	-2.6	0.009	0.007206	-14.7533290390982-0.393595583725473i
9.5	-2.1	0.009	0.007214	-14.7674970643682-0.415700842783696i
10.0	-1.5	0.010	0.007221	-14.7824773767678-0.43784575480329i
10.5	-0.7	0.010	0.007229	-14.7982775856108-0.460032666467342i
11.0	0.1	0.011	0.007238	-14.8149057633281-0.482263970877489i



gathering data is done by splitting

in periods of sea states \approx 3hrs

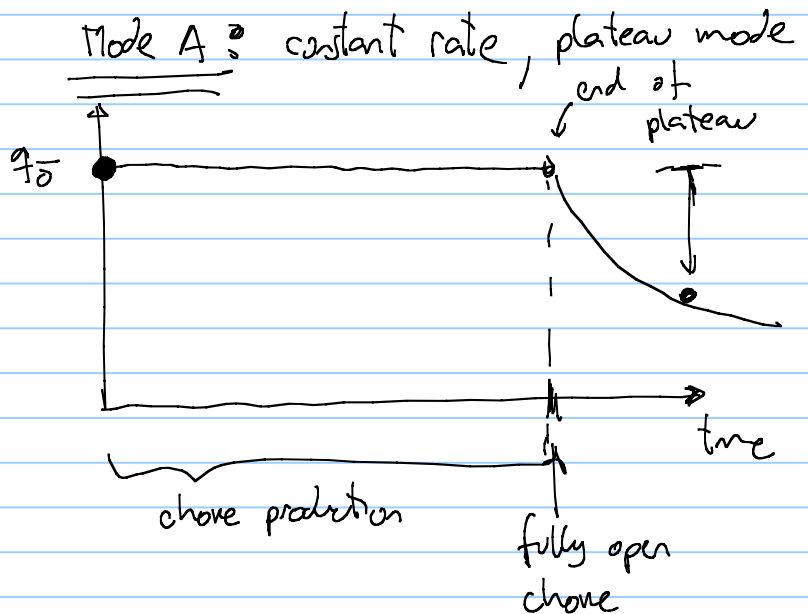
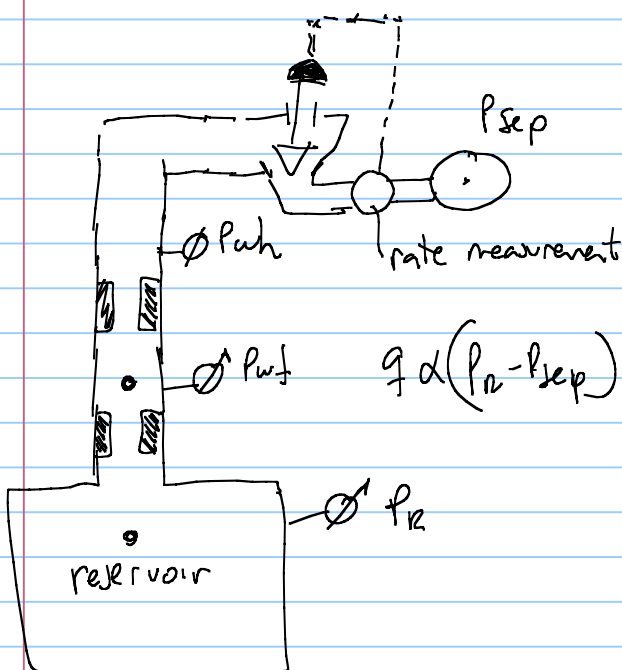
for each sea state { perform fit
 \hookrightarrow peak period *
 \hookrightarrow elevation

generate scatter diagram of wave statistics:

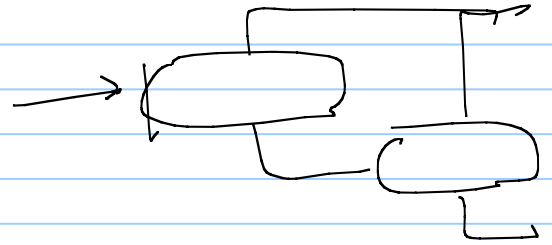
most frequent combination of period and wave height

	Spectral Peak period (T_p) [s]																							
Hs [m]	0-3	3-4	4-5	5-6	6-7	7-8	8-9	9-10	10-11	11-12	12-13	13-14	14-15	15-16	16-17	17-18	18-19	19-20	20-21	21-22	22-23	23-24	24-25	
0-1	15	290	1367	2876	3716	3527	2734	1849	1138	656	362	192	101	52	26	13	7	3	2	1	0	0	0	
1-2	1	81	1153	5308	12083	17323	18143	15262	10980	7053	4169	2316	1229	631	315	155	75	36	17	8	4	5	1	
2-3	0	2	94	1050	4532	10304	15020	15953	13457	9752	5991	3403	1795	894	426	197	88	39	17	7	3	1	1	
3-4	0	0	2	72	686	2782	6171	8847	9189	7493	5082	2991	1577	762	345	148	61	24	9	4	1	0	0	
4-5	0	0	0	2	51	433	1645	3495	4807	4750	3638	2286	1229	584	251	100	37	13	5	1	0	0	0	
5-6	0	0	0	0	2	39	294	1037	2069	2664	2440	1709	968	463	193	72	25	8	2	1	0	0	0	
6-7	0	0	0	0	0	2	32	215	692	1264	1485	1228	767	382	159	57	18	5	1	0	0	0	0	
7-8	0	0	0	0	0	0	2	27	157	447	730	762	555	302	130	46	14	4	1	0	0	0	0	
8-9	0	0	0	0	0	0	0	2	23	112	276	392	355	223	104	38	11	3	1	0	0	0	0	
9-10	0	0	0	0	0	0	0	0	2	19	77	160	192	148	79	31	9	2	0	0	0	0	0	
10-11	0	0	0	0	0	0	0	0	0	2	16	50	85	85	55	24	8	2	0	0	0	0	0	
11-12	0	0	0	0	0	0	0	0	0	0	2	12	29	40	33	18	7	2	0	0	0	0	0	
12-13	0	0	0	0	0	0	0	0	0	0	0	2	8	15	17	12	5	2	0	0	0	0	0	
13-14	0	0	0	0	0	0	0	0	0	0	0	0	2	5	7	6	4	1	0	0	0	0	0	
14-15	0	0	0	0	0	0	0	0	0	0	0	0	0	1	2	3	2	1	0	0	0	0	0	
15-16	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	1	1	1	0	0	0	0	0	
16-17	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
17-18	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
Sum	16	373	2616	9308	21070	34410	44041	46687	42514	34212	24268	15503	8892	4587	2143	921	372	146	55	22	8	6	2	

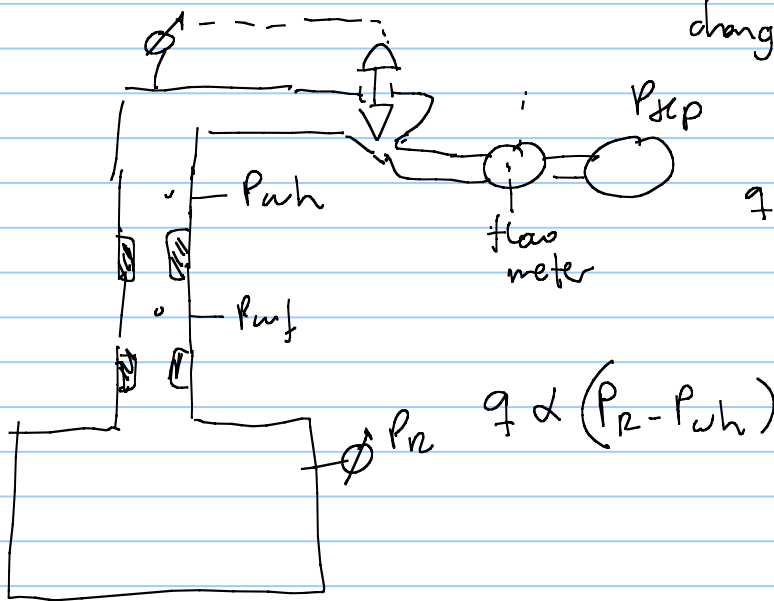
Production scheduling: define production profile



- Complete new development
- Its own facilities and platform
- Contract in place

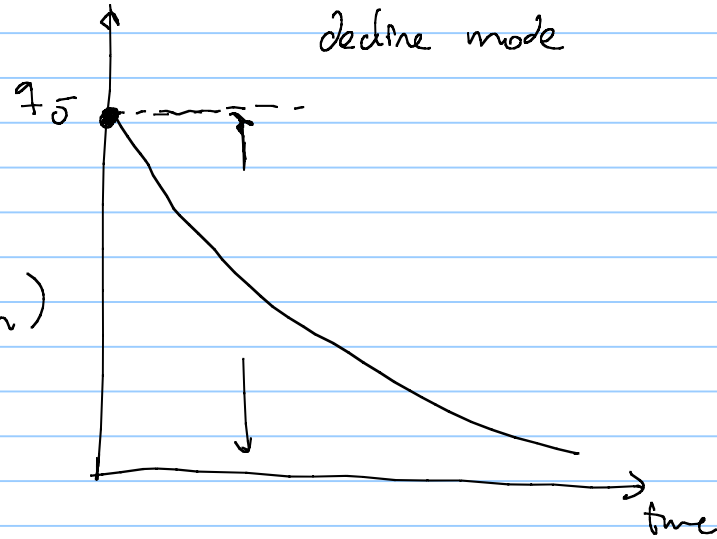


Mode B constant pressure

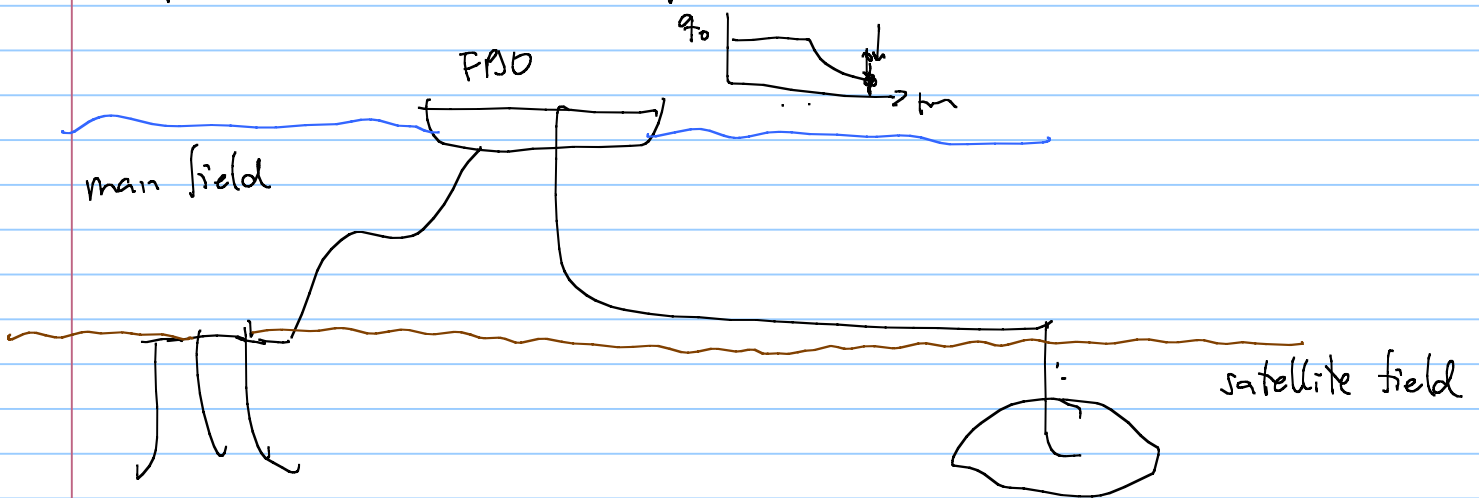


change choke such as $P_{wh} = \text{const}$

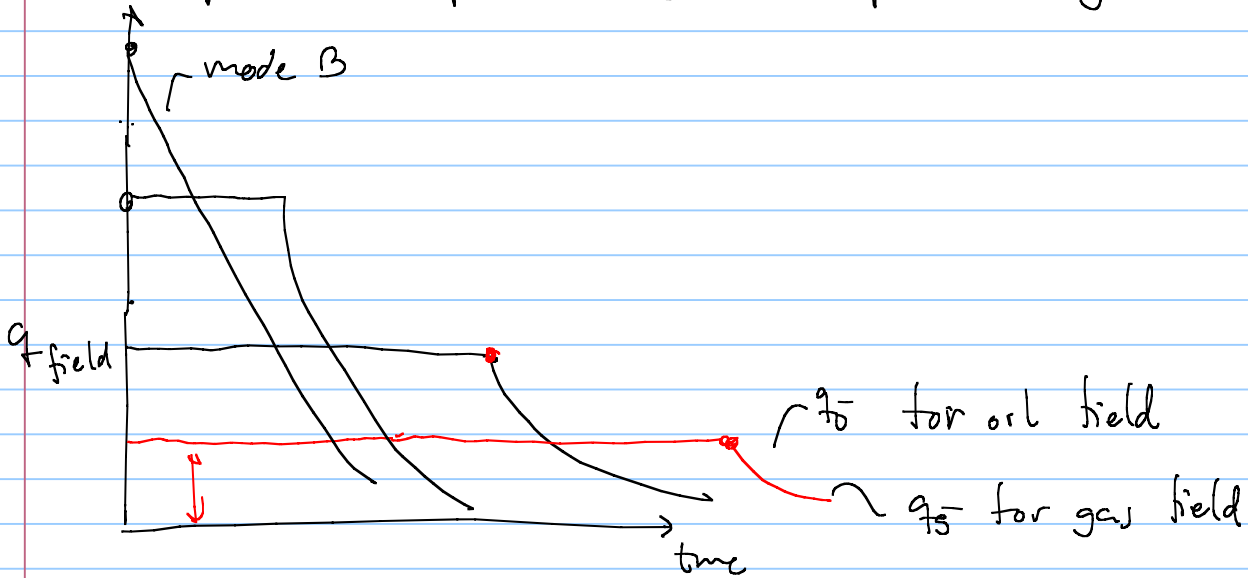
decline mode



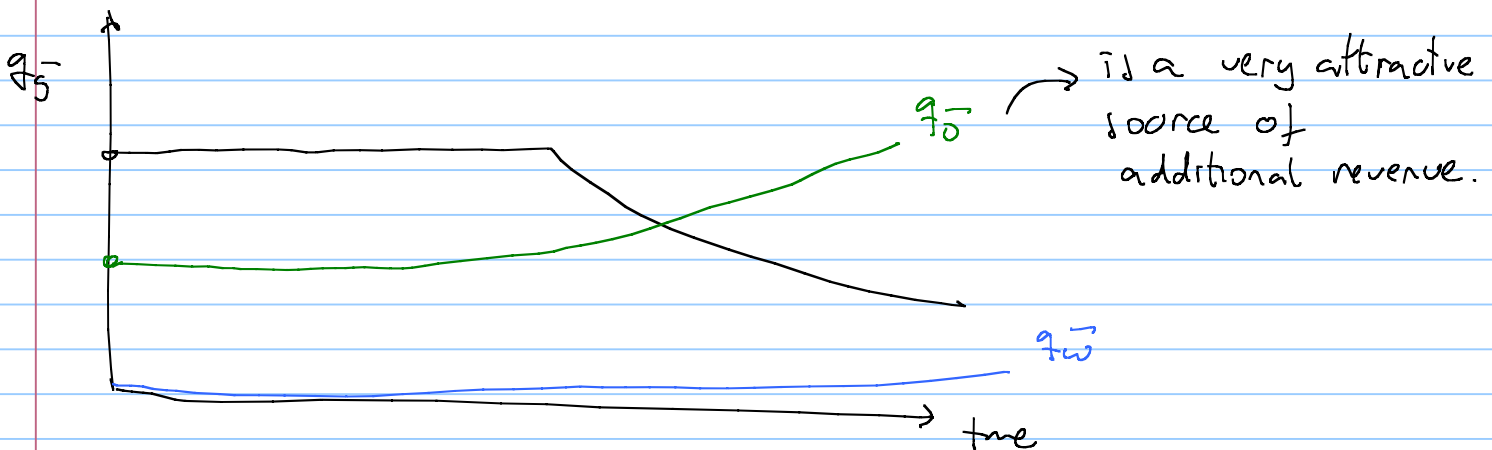
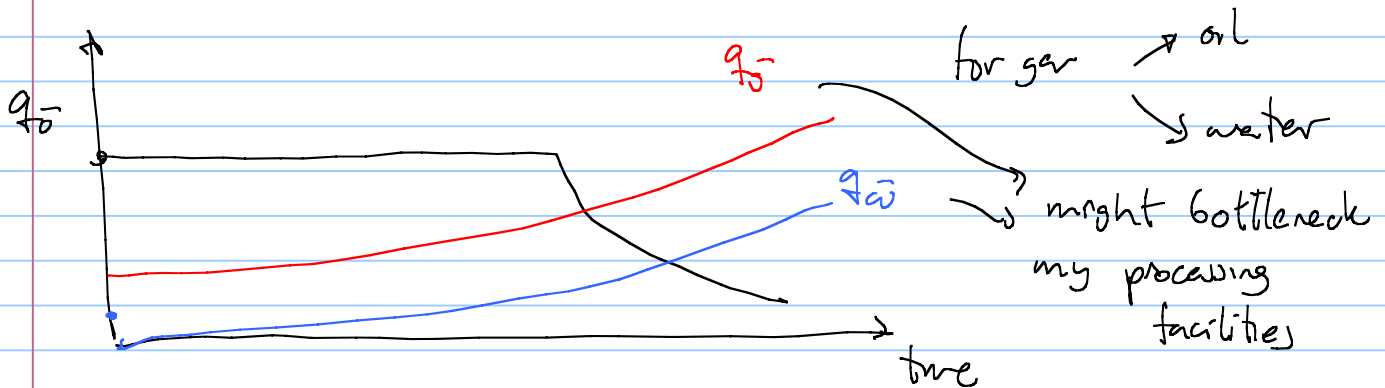
- for satellite fields producing to an existing field with spare capacity
- produce as much as possible, as fast as possible.



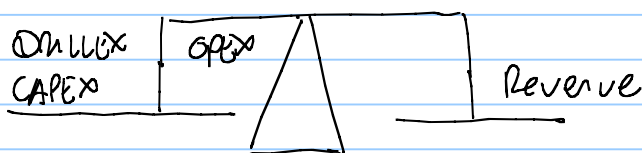
Relationship between plateau length and plateau height



always consider the associated products \rightarrow for oil \nearrow gas
 \searrow water



plateau rate must be defined by performing a sensitivity analysis to maximize NPV.



Rule of thumb to start making studies on plateau heights
for oil field annual offtake of 10% TRR

$$\bar{q}_{\text{plateau}} = \frac{0.1 \cdot N_{\text{pu}}}{N^{\text{operational days/year}}}$$

ex. for our field yesterday $P_{90} \approx 50 \text{ EG stb}$

assuming uptime 100%

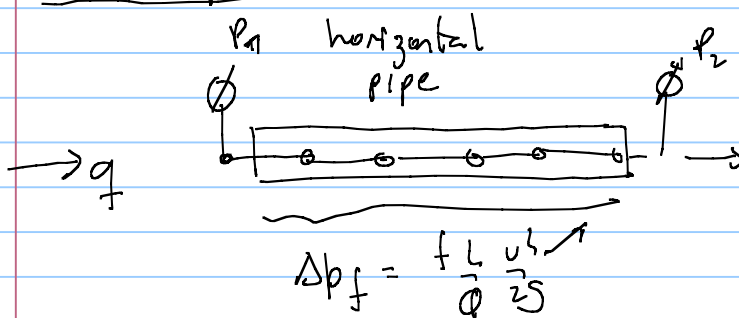
$$\bar{q}_{\text{plateau}} = \frac{0.1 \cdot 50 \text{ EG}}{365} \approx 14000 \text{ stb/d}$$

for a gas field annual offtake 2% - 3% OR TRR (G_{pu})

$$\bar{q}_g = \frac{0.02 \cdot G_{\text{pu}}}{N^{\text{operational days in year}}}$$

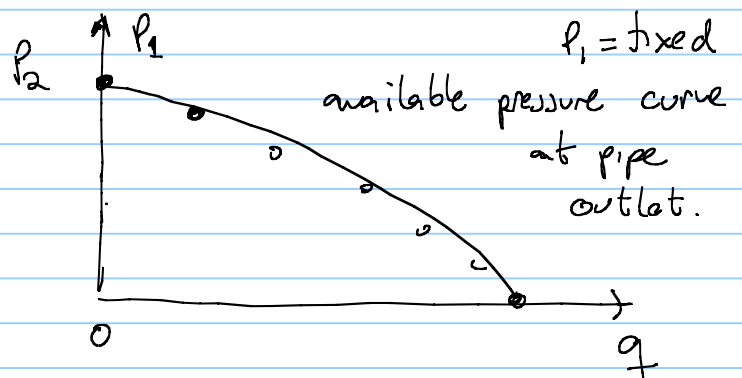
field and well flow performance

Flow equilibrium:

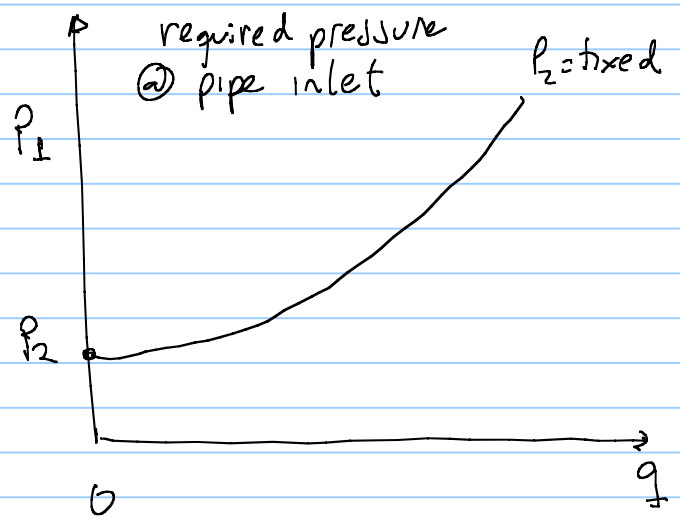


3 ways to make calculations on this pipe

- fix q , fix P_1 calculate P_2
co-current pressure calculations

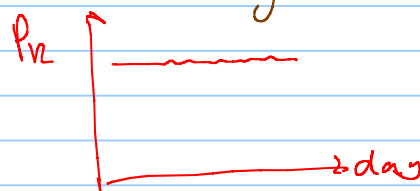
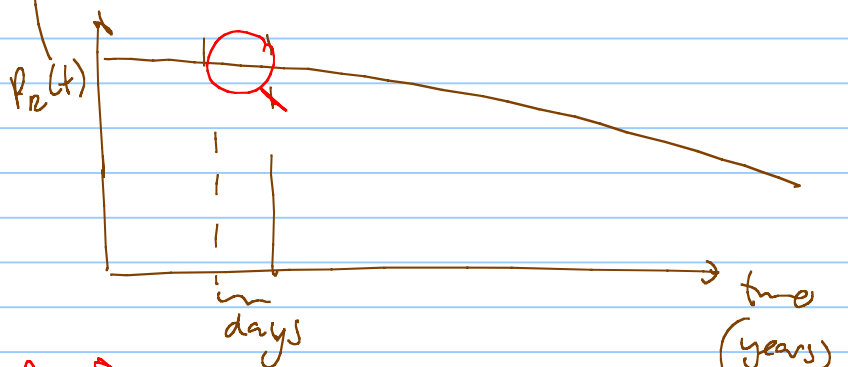
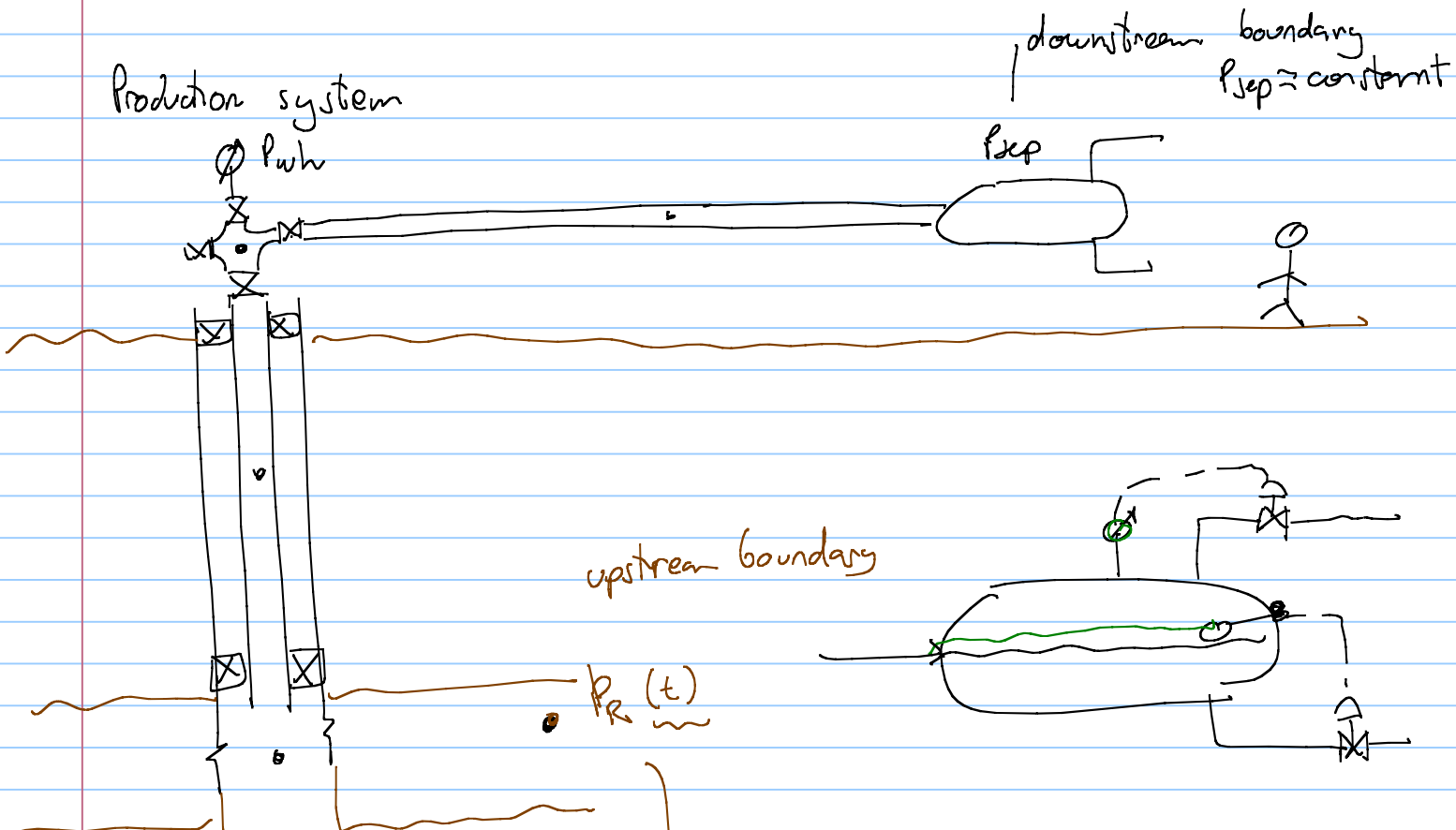


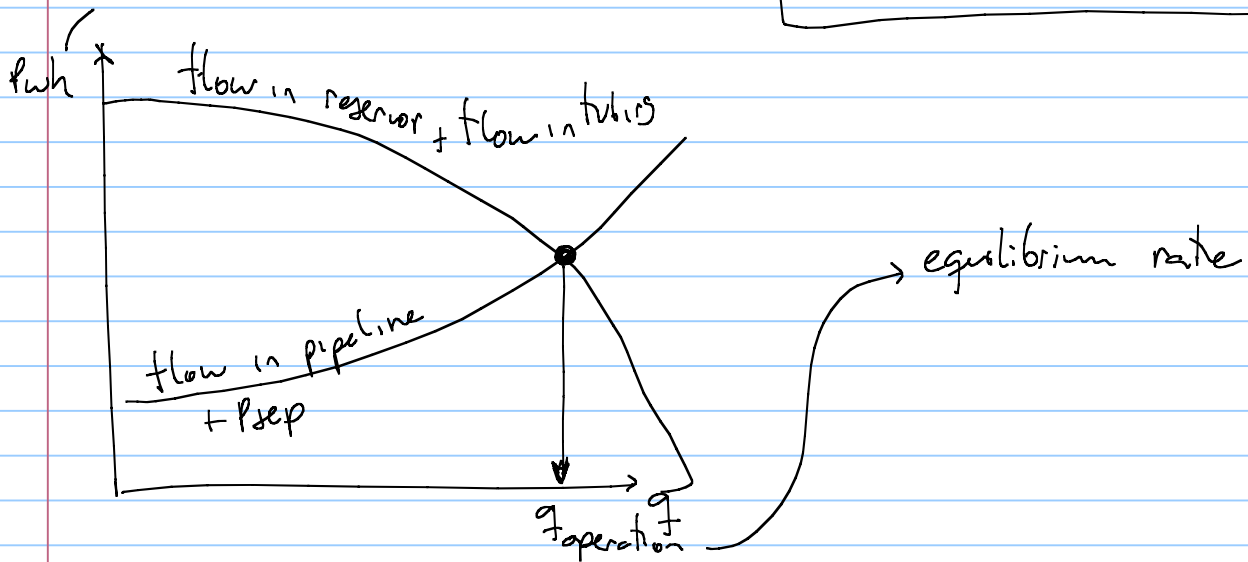
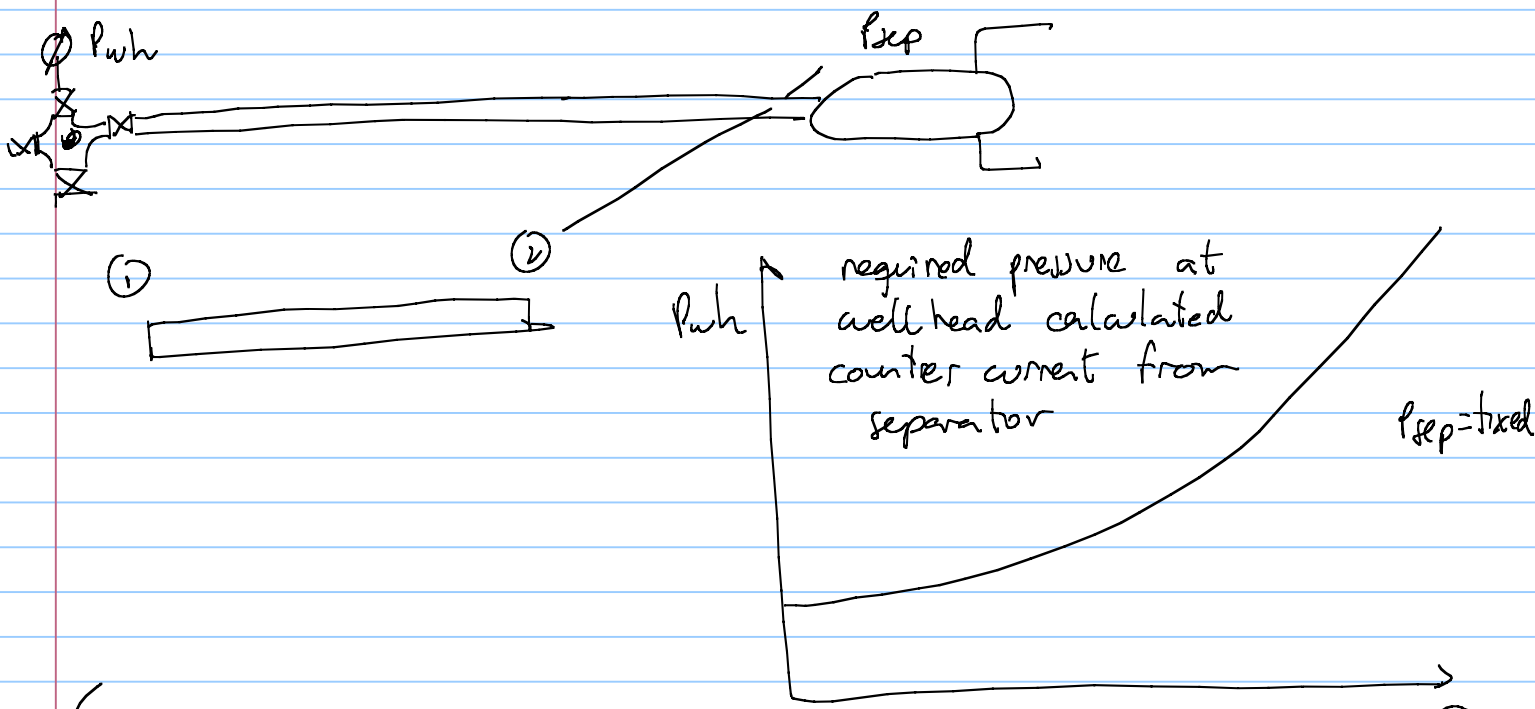
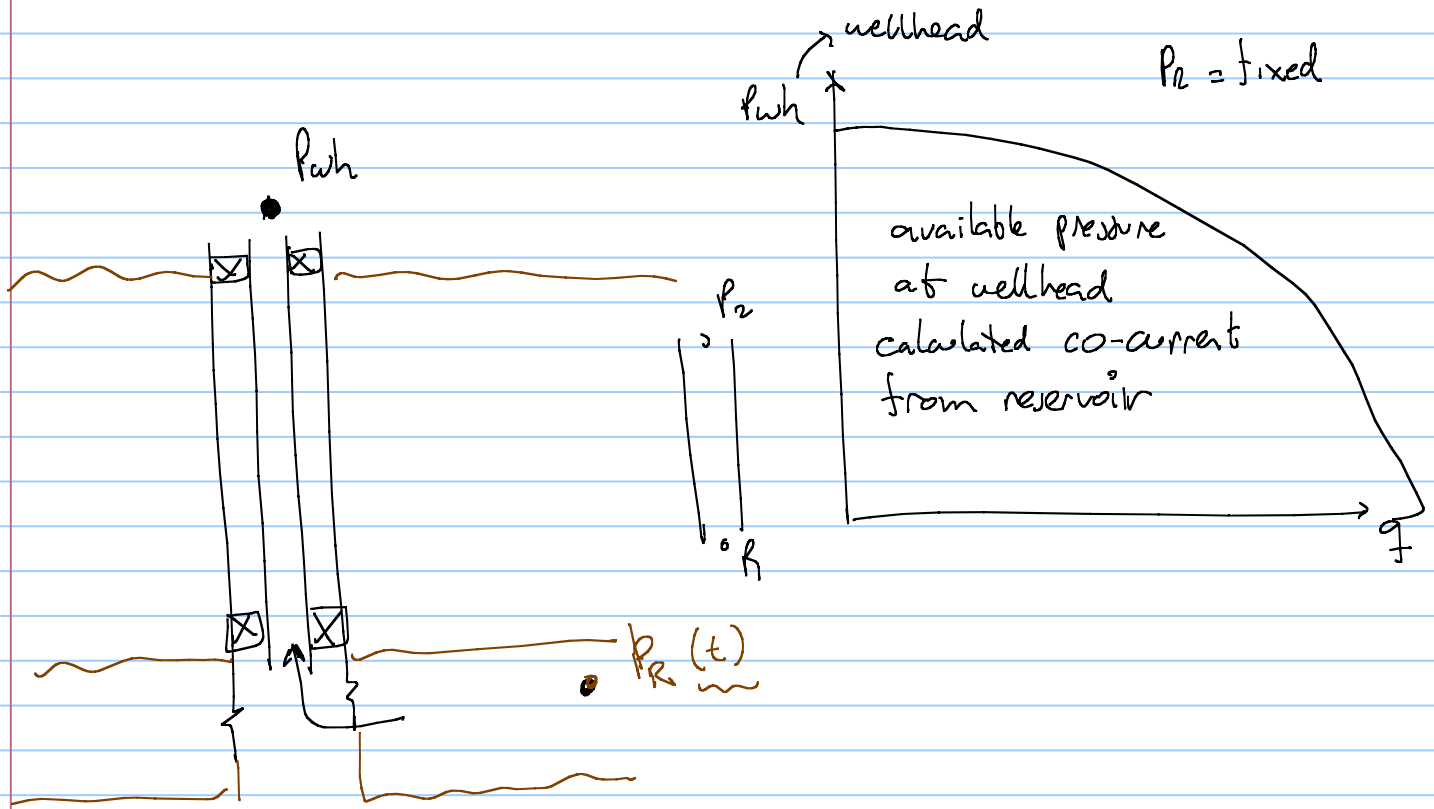
2) fix q , fix P_2 , \rightarrow calculate P_1
 perform counter-current calculations
 until i reach P_1

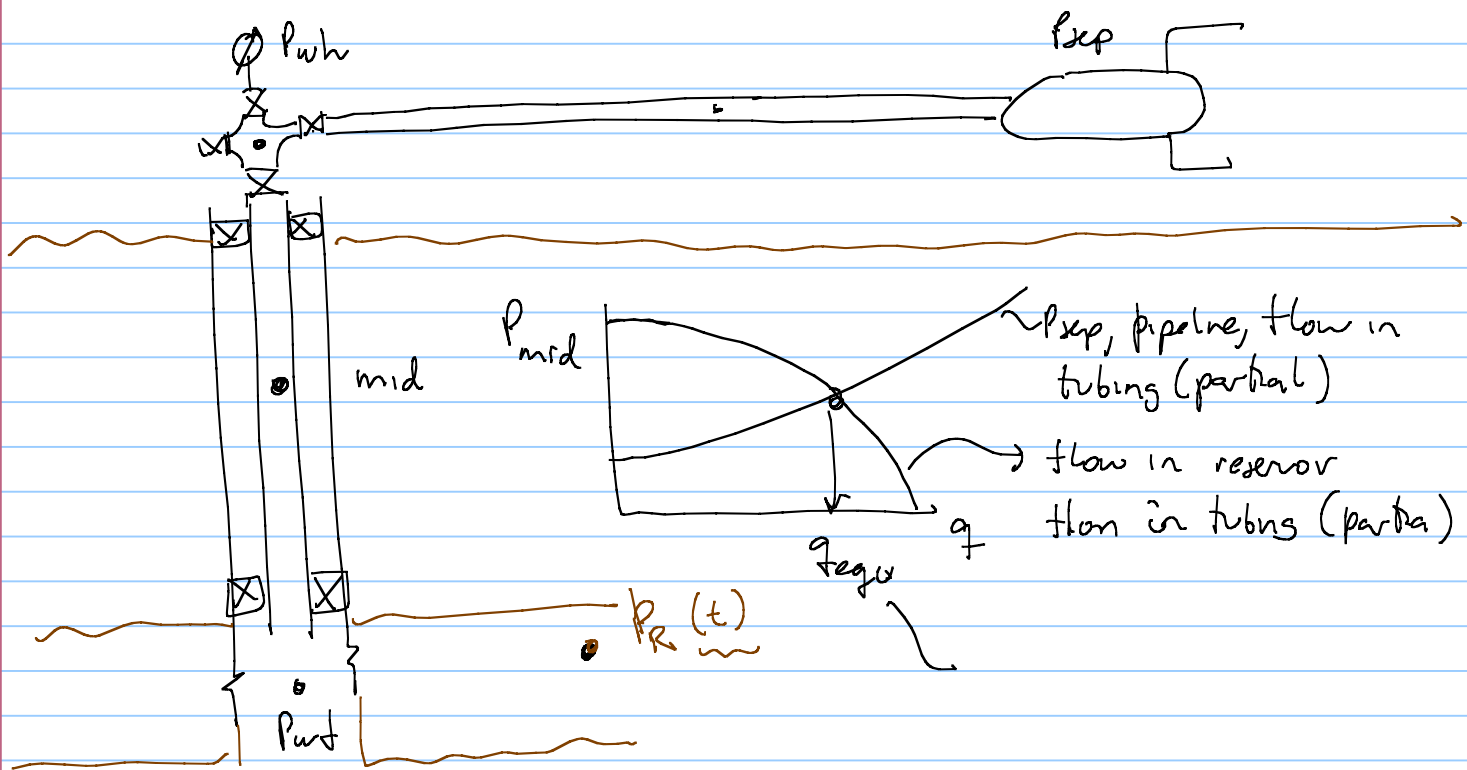
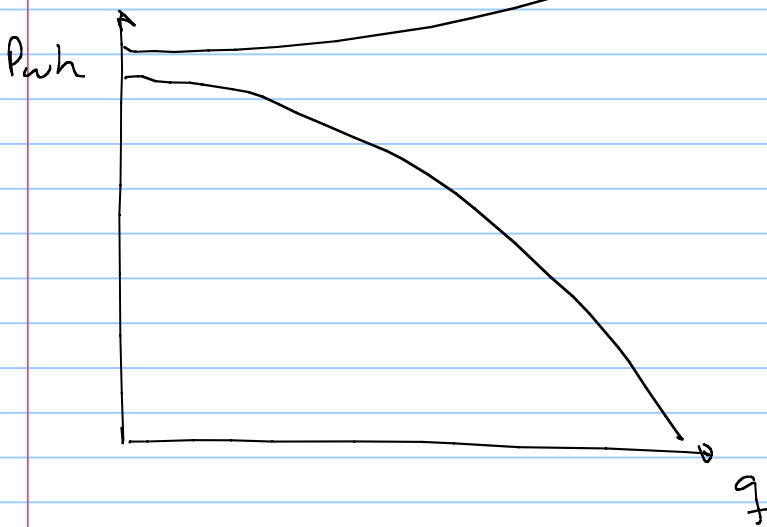


3) fix P_1 , fix $P_2 \Rightarrow$ find q

Production system



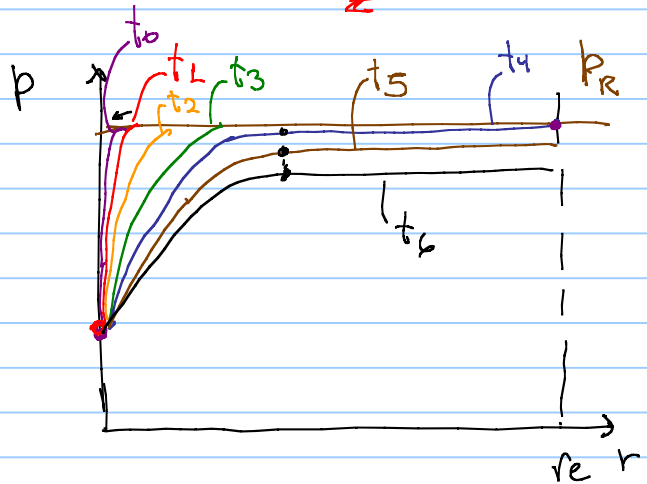
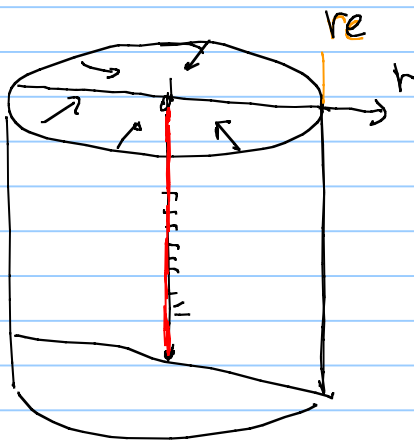




- 1) ◦ flow in reservoir } gas
- 2) ◦ flow in tubing } gas
- 3) ◦ flow in flowline / pipeline } gas

1) ◦ flow in reservoir (IPR : inflow performance relationship)
 equation that relates q , P_R , P_{wf}

focus on vertical well



$t_0 - t_4$ infinite acting transient

$t_4 \rightarrow$ boundary dominated period
 pseudo steady state (PSS)

- mass conservation
- momentum conservation $\rightarrow \frac{\partial p}{\partial r} \frac{k}{\mu} = v$
- Partial differential equation
- solve it for PSS

for gas

$$q_g = C (P_R^2 - P_{wf}^2)^n$$

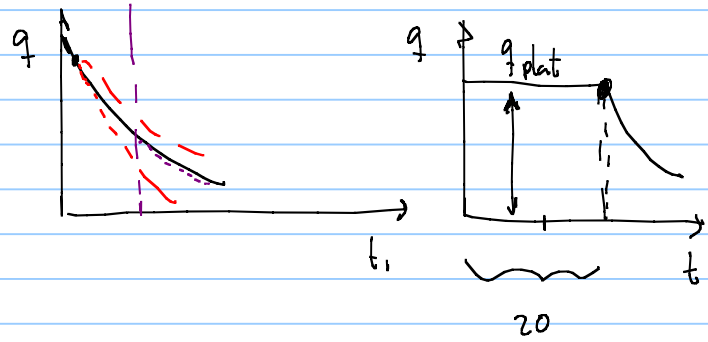
C is SC Backpressure coefficient

backpressure exponent n

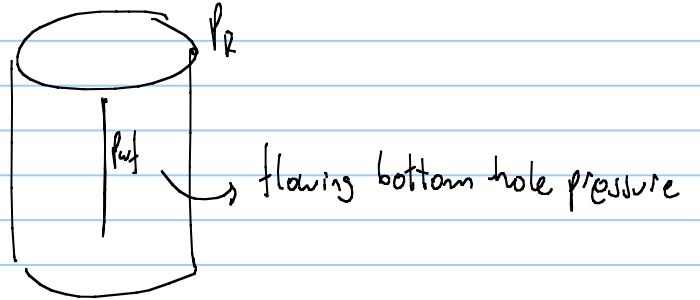
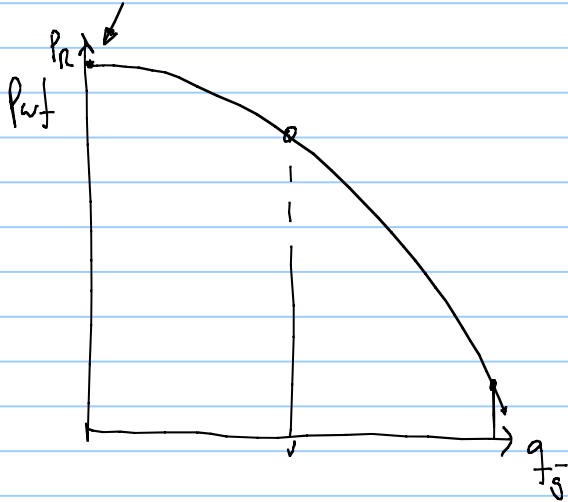
backpressure equation

• Tubing equation tomorrow.

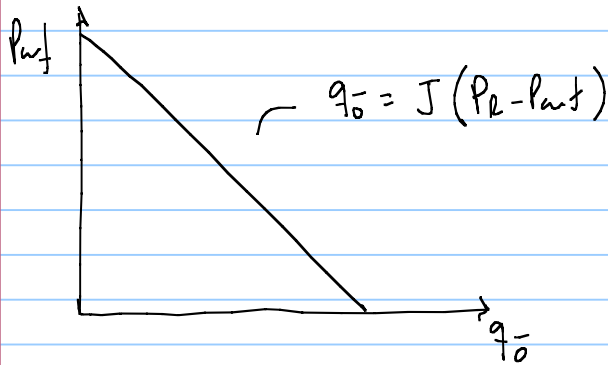
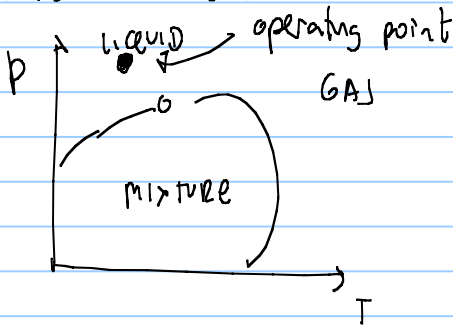
Day 4 • production scheduling q vs time



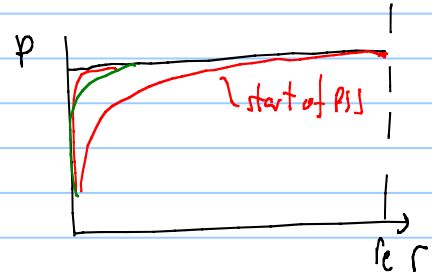
IPR gas $q_g = C(P_R^2 - P_{wf}^2)^n$



• for undersaturated oil $P_{wf} > P_b$



for O+G



$\frac{dp}{dr} \frac{k}{\mu} = v \propto q$
 ← permeability (darcy)

PSS IPR is usually a good approximation for field production over time

need to use a transient IPR

permeable sand 10 Darcy
 1 Darcy

1E-3 Darcy

1E-6 Darcy

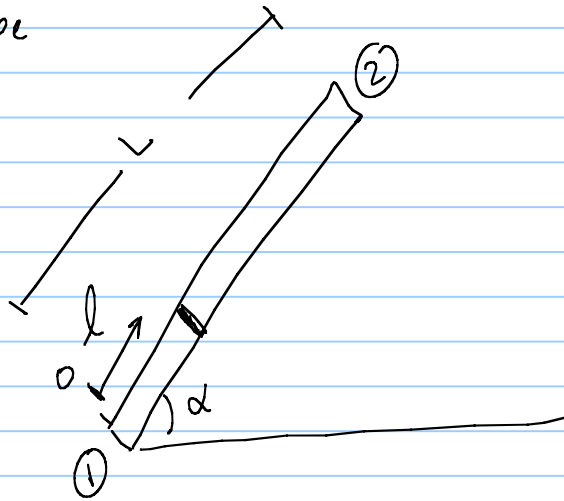
tight formation 1E-9 Darcy

• flow in tubing is basically a pipe

$$\frac{dP}{dl} = -\rho \cdot g \cdot \sin(\alpha) - \rho \frac{f}{\phi} \frac{V^2}{2} \quad (a)$$

$\frac{P_1 - P_2}{L_1 - L_2}$ hydrostatic term

friction component



real gas equation $PV = ZRT$

$$P \frac{1}{\rho} = Z \frac{R}{M_w} T$$

$$\rho = \frac{P M_w}{Z R T}$$

to make the integration I assume average properties in tubing

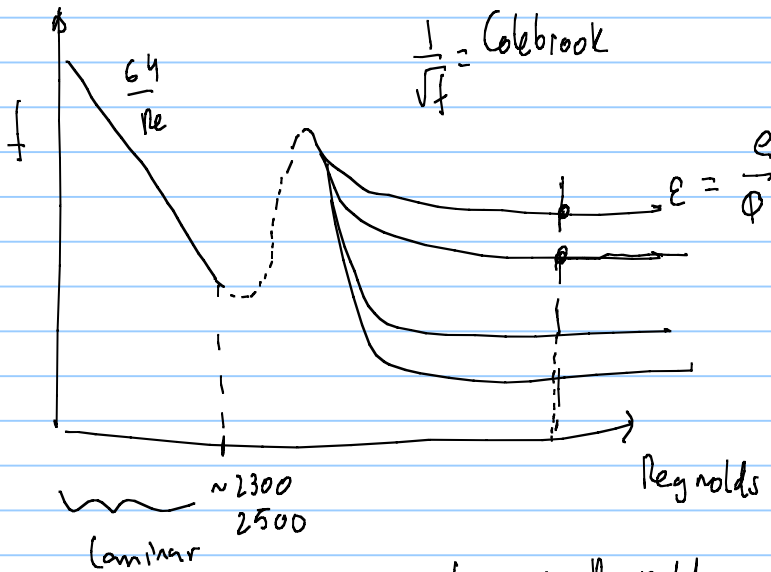
$$T_{av} = \frac{T_1 + T_2}{2}$$

$$P_{av} = \frac{P_1 + P_2}{2}$$

$$Z_{av} = \frac{Z_1 + Z_2}{2}$$

substitute in eq (a)

friction factor



for gas Reynolds is very high

so friction factor = $F(\epsilon)$

$$\epsilon = F(\phi)$$

$$f = F(\phi)$$

final equation

$$\left[\frac{p_1^2}{e^s} = \frac{p_2^2}{1} + \frac{q_g^2}{C_T^2} \right]$$

tubing coefficient

elevation coefficient

q_g is at s.c

$$\frac{dp}{dl} = V \cdot q_g \text{ at local conditions } p, T$$

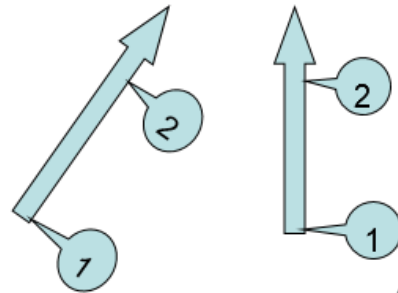
Tubing flow Equation-Dry gas

$$q_{sc} = \left(\frac{\pi}{4} \right) \left(\frac{R}{M_{air}} \right)^{0.5} \left(\frac{T_{sc}}{P_{sc}} \right) \left[\frac{D^5}{\gamma_g f_M Z_{av} T_{av} L} \right]^{0.5} \left(\frac{se^s}{e^s - 1} \right)^{0.5} \left(\frac{p_1^2}{e^s} - p_2^2 \right)^{0.5}$$

$$\frac{s}{2} = \frac{M_g g}{Z_{av} R T_{av}} H = \frac{(28.97) \gamma_g g}{Z_{av} R T_{av}} H$$

H is height difference

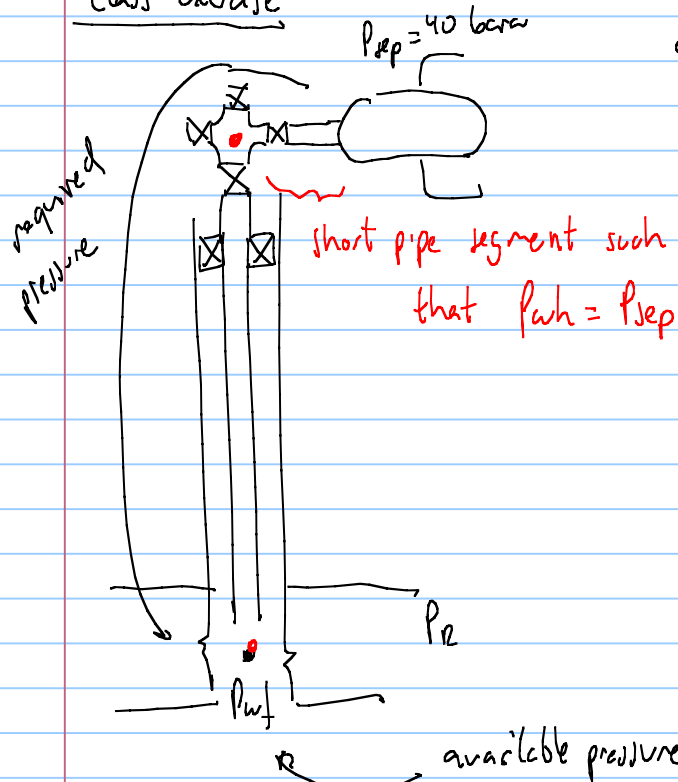
$$q_{gsc} = C_T \left(\frac{p_1^2}{e^s} - p_2^2 \right)^{0.5}$$



$$p_{inlet} = p_1 = e^{s/2} \left(p_2^2 + \frac{q_g^2}{C_T^2} \right)^{0.5}$$

$$p_{wh} = p_2 = \left(\frac{p_1^2}{e^s} - \frac{q_g^2}{C_T^2} \right)^{0.5}$$

Class exercise

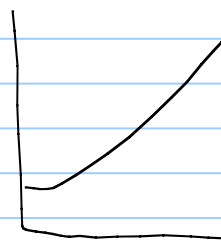


• from $p_e \rightarrow p_{wf}$ using IPR equation

$$q_g = C (p_e^2 - p_{wf}^2)^n$$

from $p_{wh} \rightarrow p_{wf}$ use tubing equation

$$\frac{p_{wf}^2}{e^s} = p_{wh}^2 + \frac{q_g^2}{C_T^2}$$



Christmas Tree Systems



Onshore tree

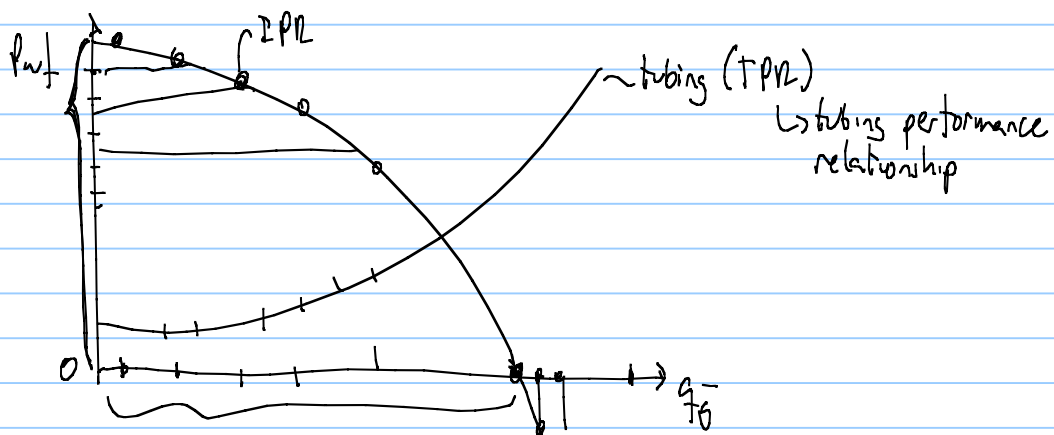


Offshore tree



Subsea tree

Eva No 3		Inflow performance relationship (IPR)				
p_R , Res pressure	304 bara	$q_g = c(p_R^2 - p_{wf}^2)^n$				
C_R	104 Sm ³ /d/bar ²ⁿ					
n, exponent	0.9					
C_t , tubing	4.25E+04 Sm ³ /d/bar	Tubing performance relationship (TPR)				
s, elevation	0.155	$p_{wh} = p_2 = \left(\frac{p_1^2}{e^s} - \frac{q_g^2}{C_T^2} \right)^{0.5}$				
C_{fl} , flowline	1.25E+05 4.00E+04 Sm ³ /d/bar					
p_{sep}	40 bara					
		Flowline performance relationship (FPR)				
		$q_{\bar{g}} = C_{FL} \cdot (p_{in}^2 - p_{out}^2)$				
		IPR	TPR	WPR		
		pwf_avail	qg	pwf_req	pwf_avail-pwf_req	pw_h_avail
		[bara]	[Sm ³ /d]	[bara]	[bara]	[bara]

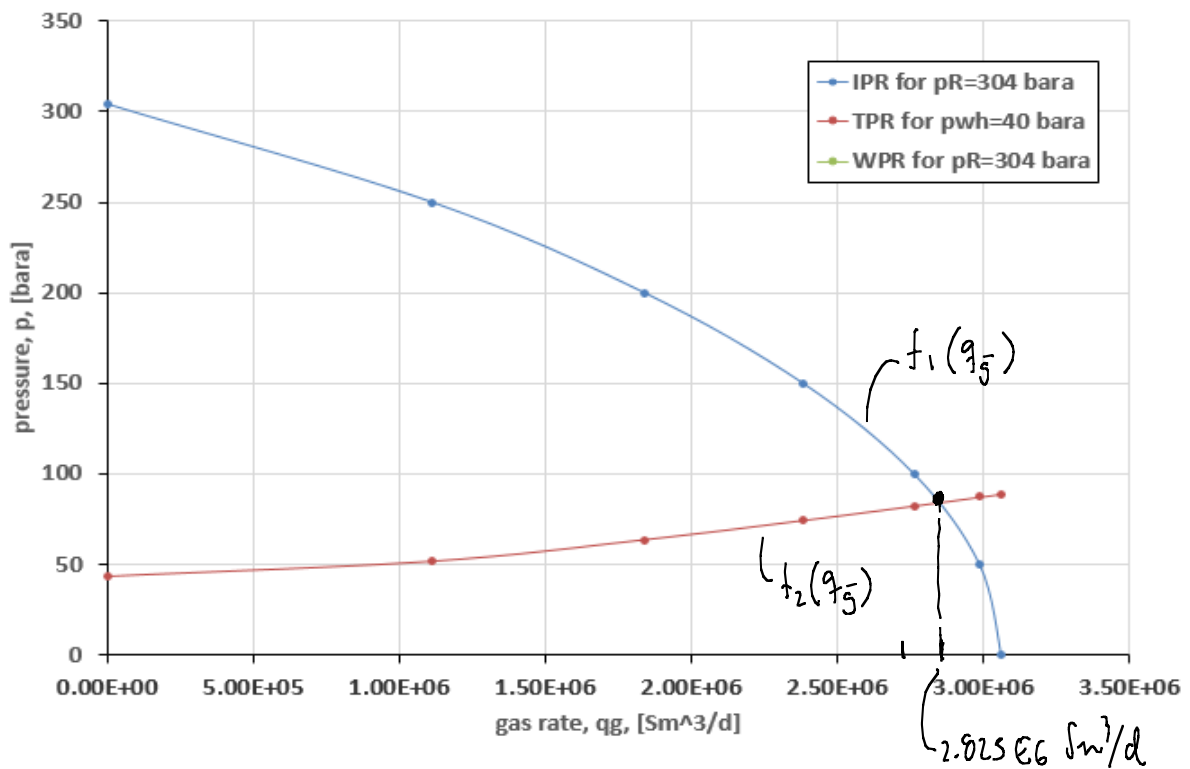


$$q_g = C (P_n^2 - P_wf^2)^n$$

pwf_avail [bara]	IPR	TPR
	qg [Sm ³ /d]	pwf_req [bara]
304	0.00E+00	43.2
250	1.11E+06	51.6
200	1.84E+06	63.7
150	2.38E+06	74.4
100	2.76E+06	82.5
50	2.99E+06	87.4
0	3.06E+06	89.1

IPR q_g

tubing P_i



find q_g^* such as $f_1(q_g^*) = f_2(q_g^*)$

$$q_g = C (P_n^2 - P_wf^2)^n$$

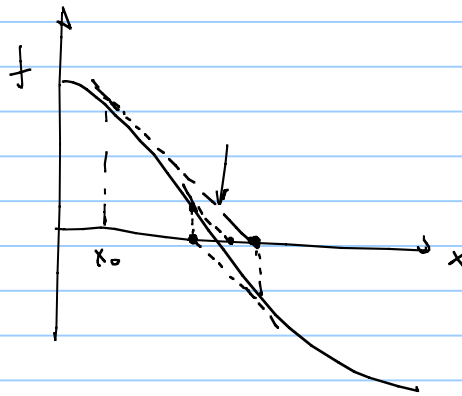
$$\left(\left(\frac{q_g}{C} \right)^{1/n} - P_n^2 \right)^{0.5} =$$

find $f(x)$

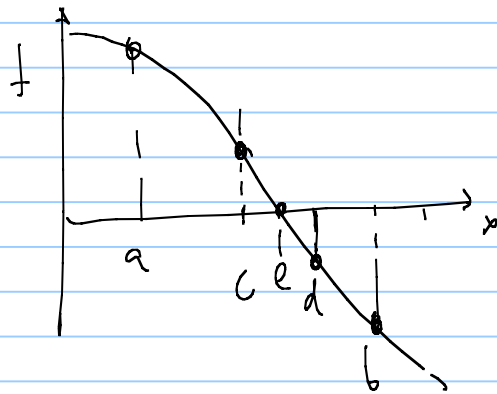
x^* such as $f(x^*) = 0$

root finding techniques

Newton raphson



Bisection



$$c = \frac{a+b}{2}$$

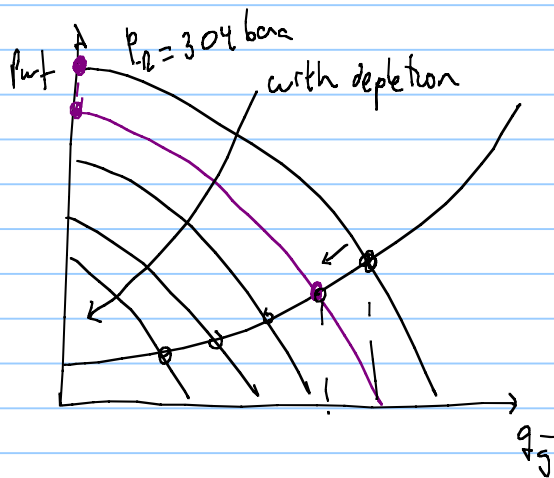
$$d = \frac{c+b}{2}$$

$$e = \frac{c+d}{2}$$

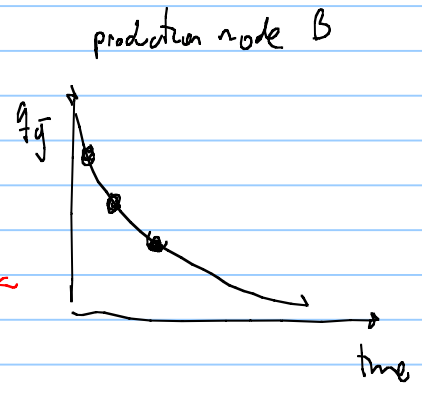
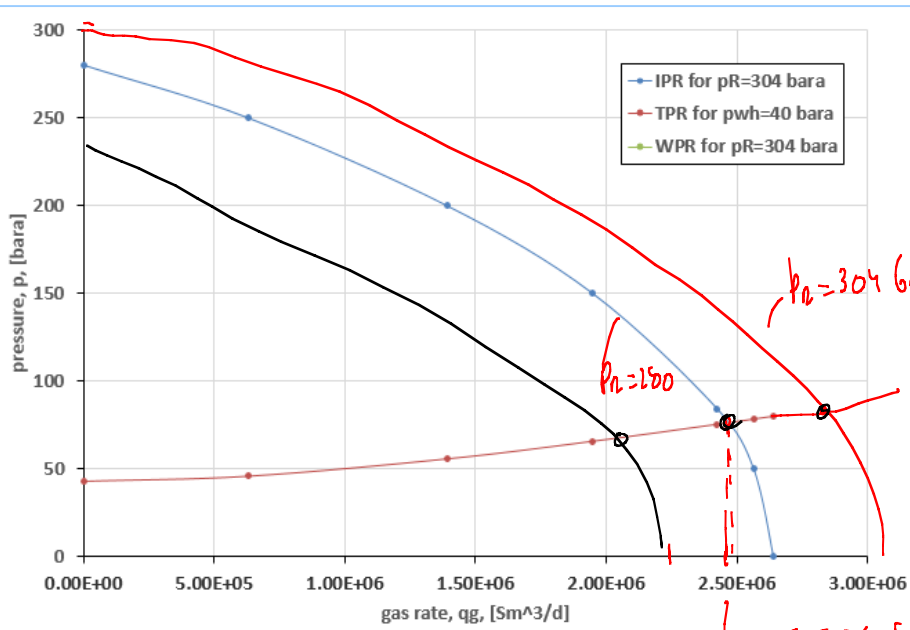
Create a third function $f_3(q_{fj}) = f_2(q_{fj}) - f_1(q_{fj})$

find q_{fj}^* such as $f_3(q_{fj}^*) = 0$

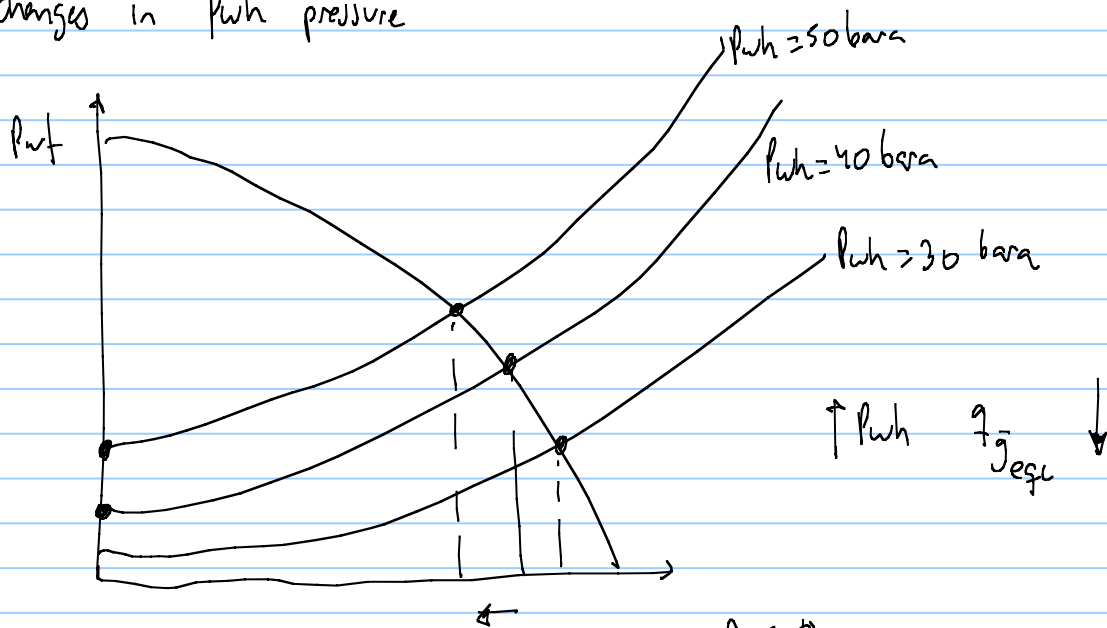
what happens with the intersection with depletion $P_R \downarrow$



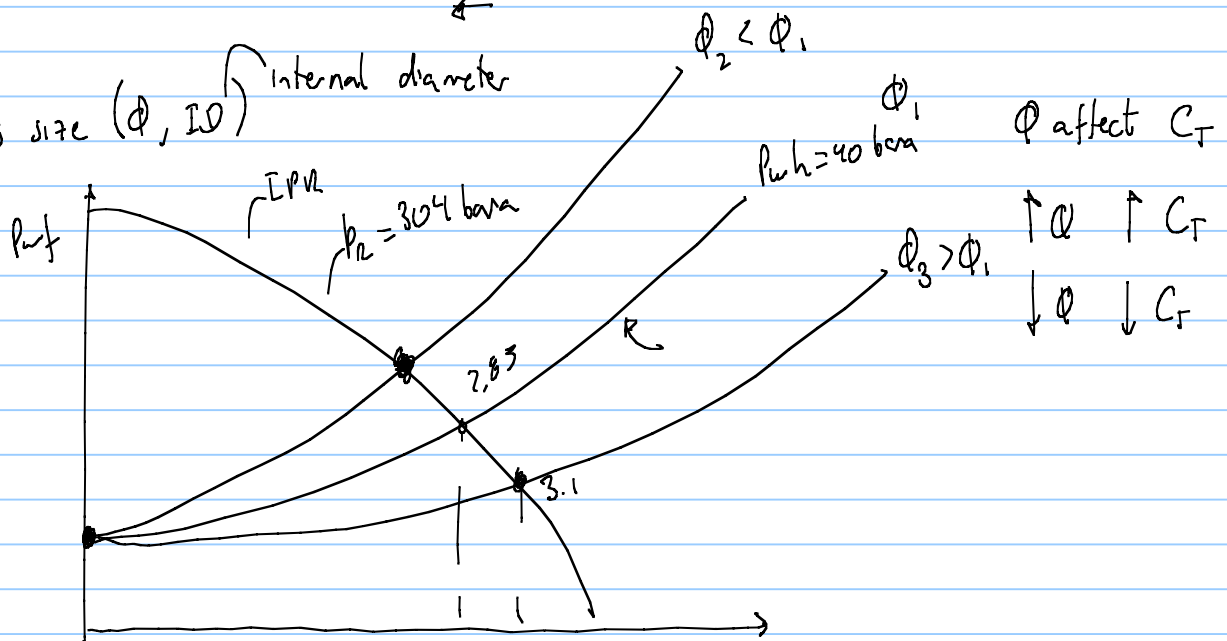
$P_R \downarrow$ equilibrium rate also goes down



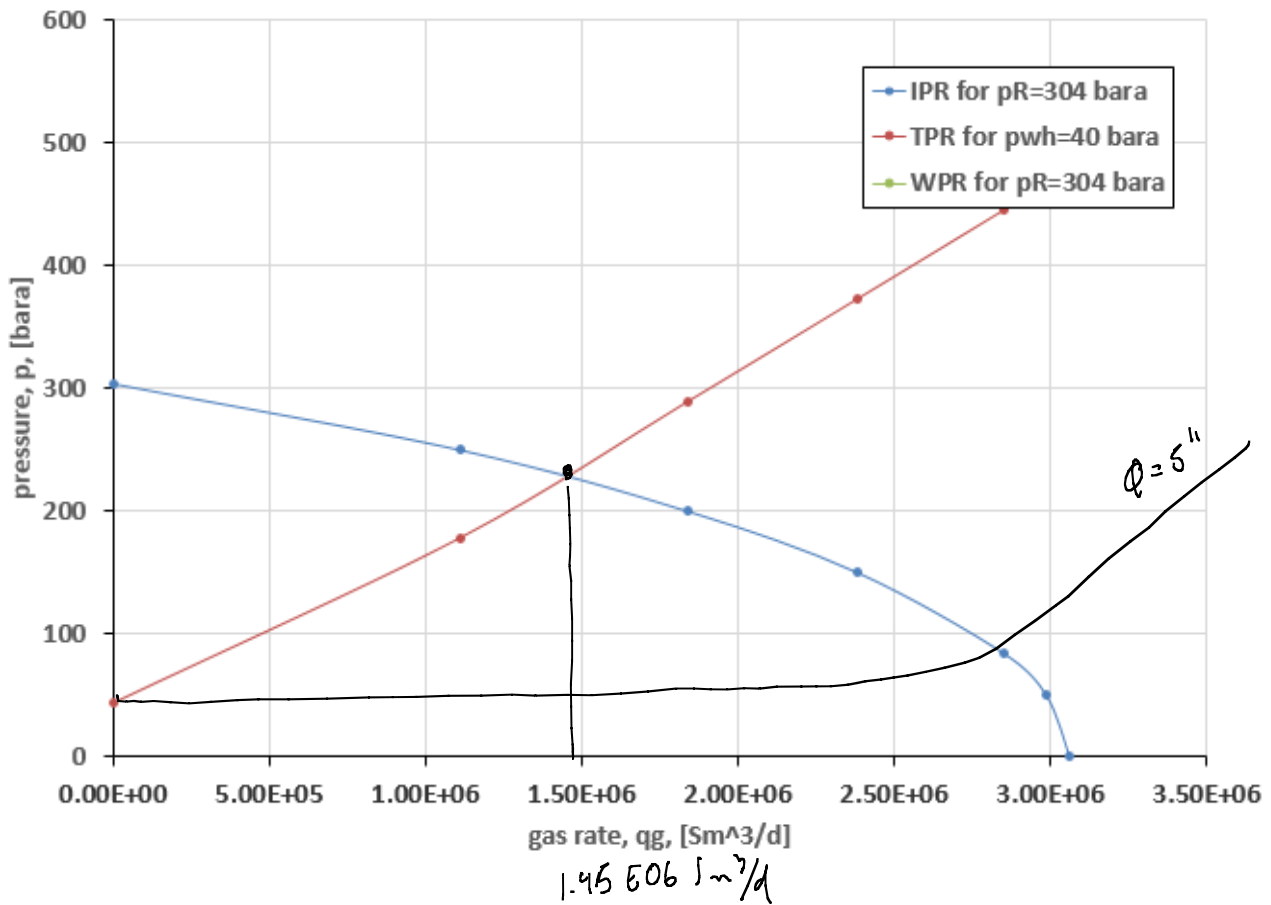
changes in Pwh pressure



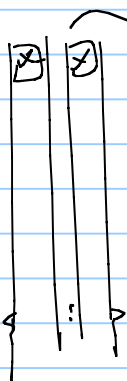
effect of tubing size (ϕ , ID) internal diameter



with 2.5" ID, $C_T = 6.93 \times 10^3 \text{ Sm}^3/\text{d bar}^2$

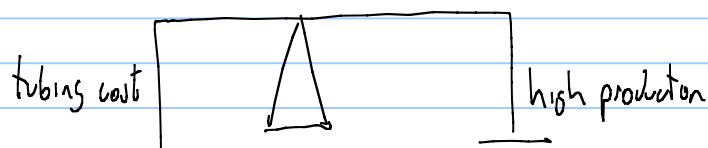
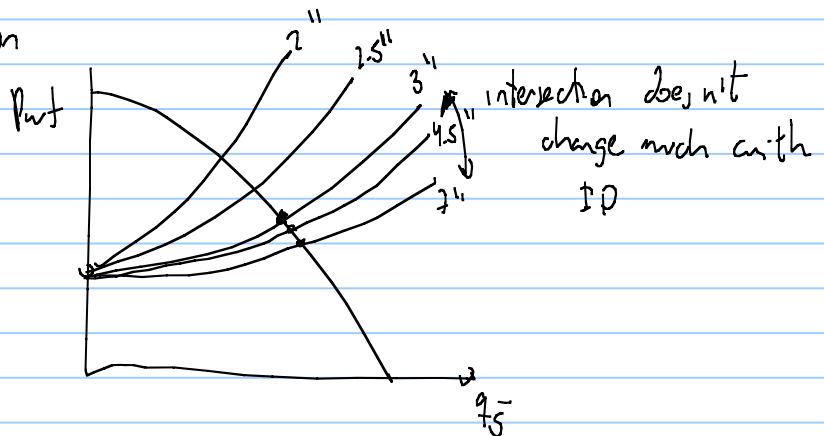


how do we define tubing ID ϕ ?



$\phi_{\text{tubing}} < \text{ID}_{\text{casing}} \quad 9 \frac{5}{8}''$

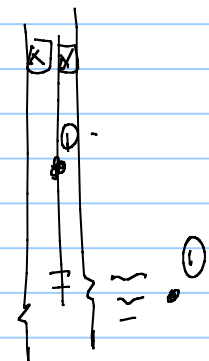
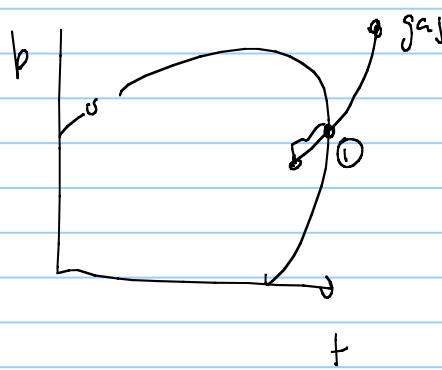
• Reduce pressure drop in tubing to have high as possible production



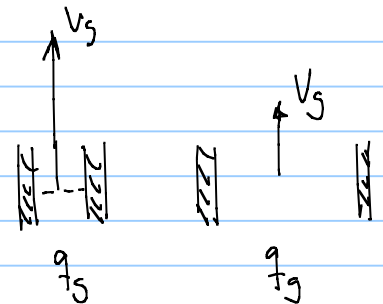
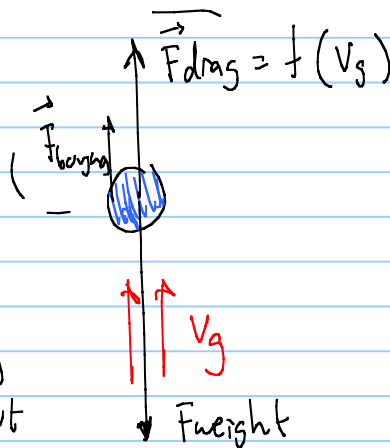
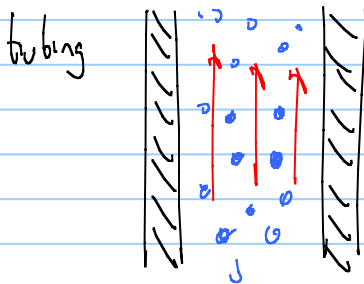
liquid loading

liquid comes together with gas

condensation from gas
water dissolved in gas



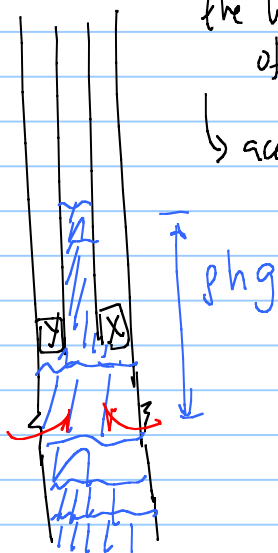
gas saturated with formation water



liquid loading

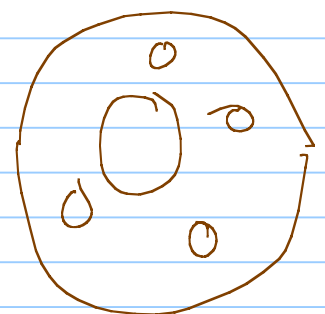
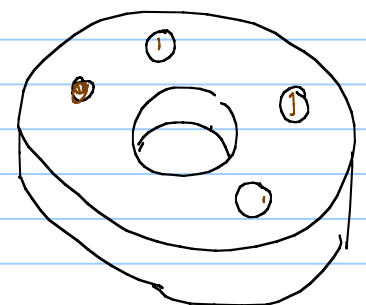
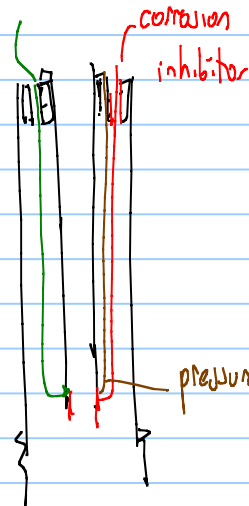
gas cannot carry the liquid out of well

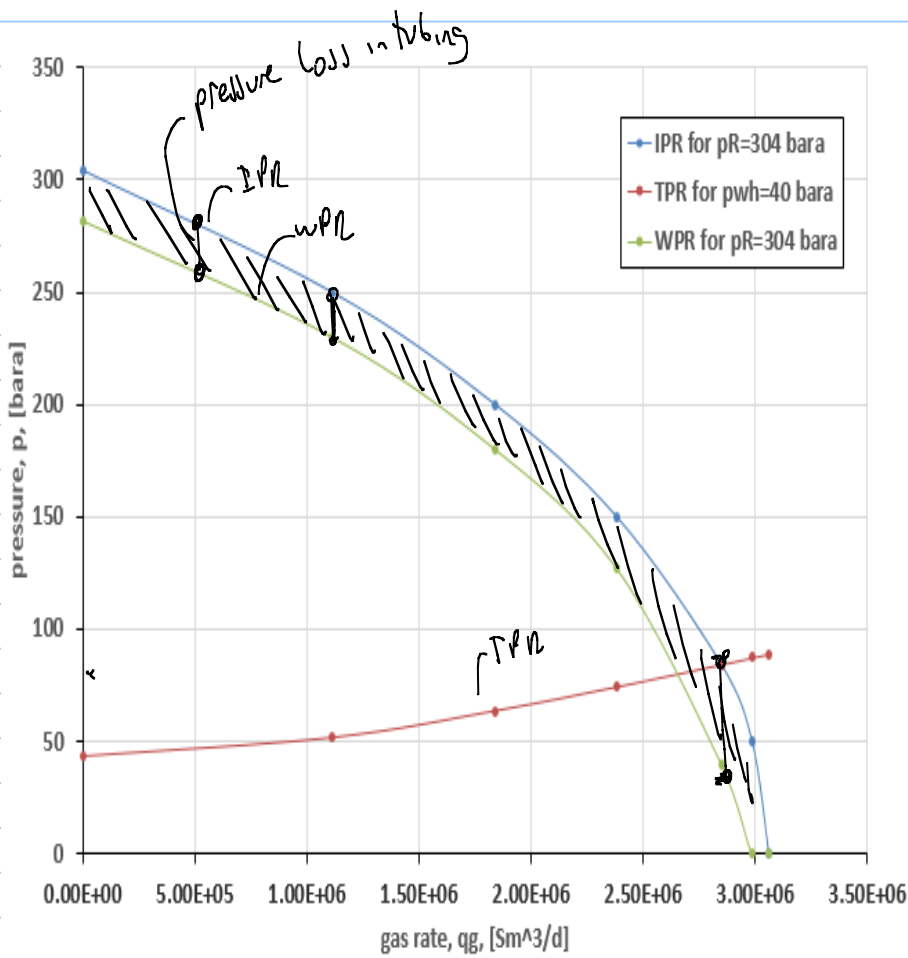
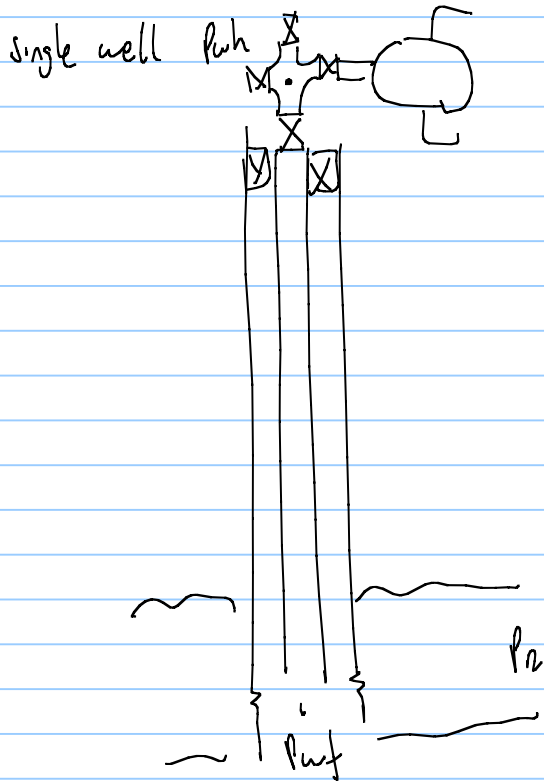
→ accumulation

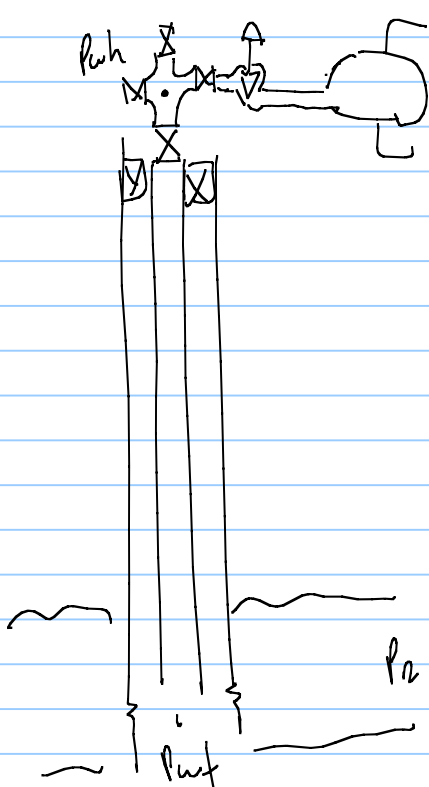
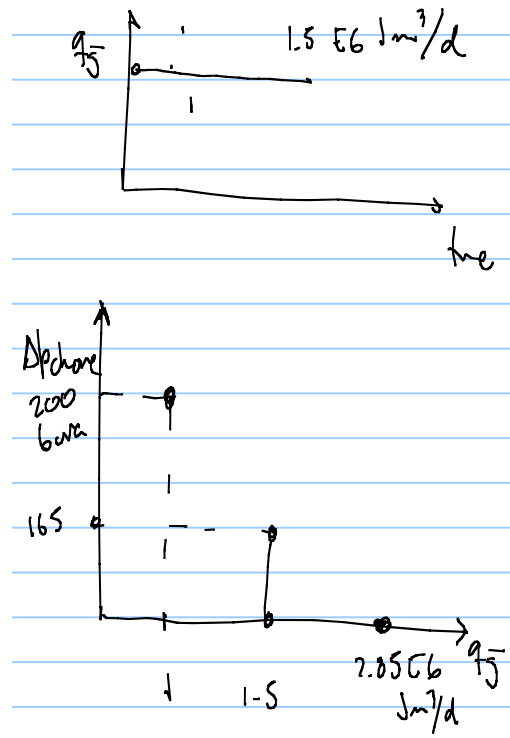
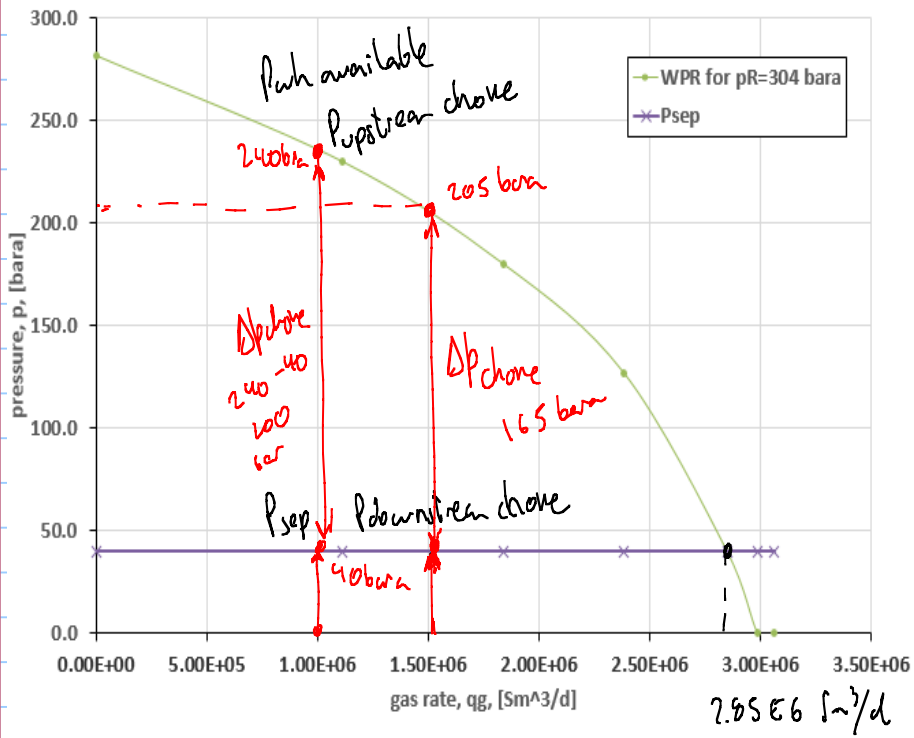


• tubing hanger

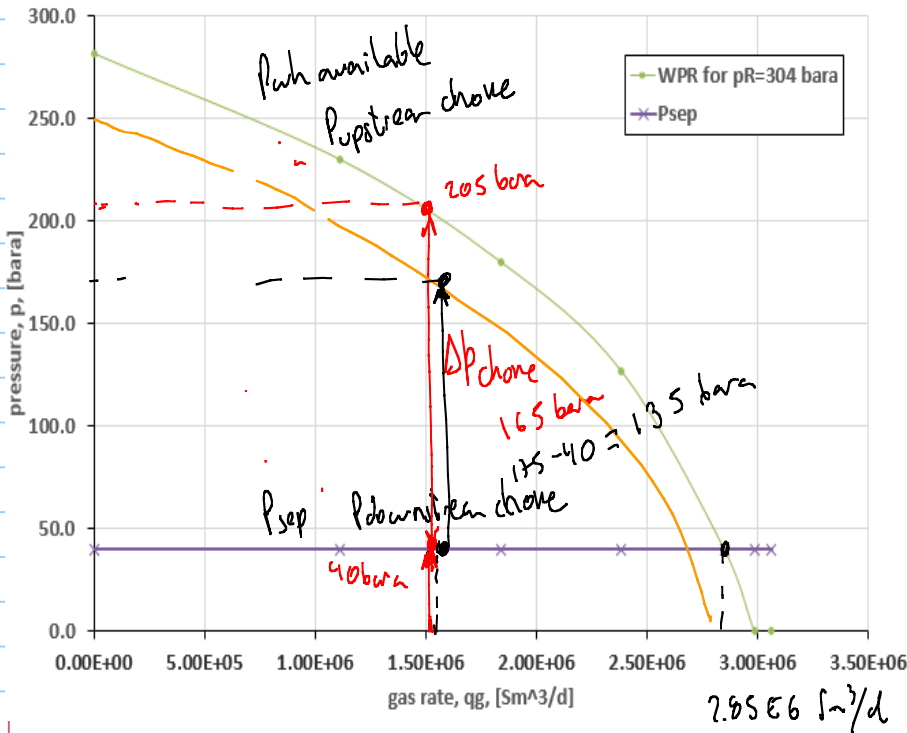
scale inhibitor
corrosion inhibitor



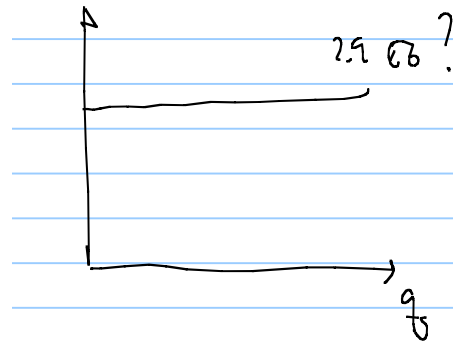
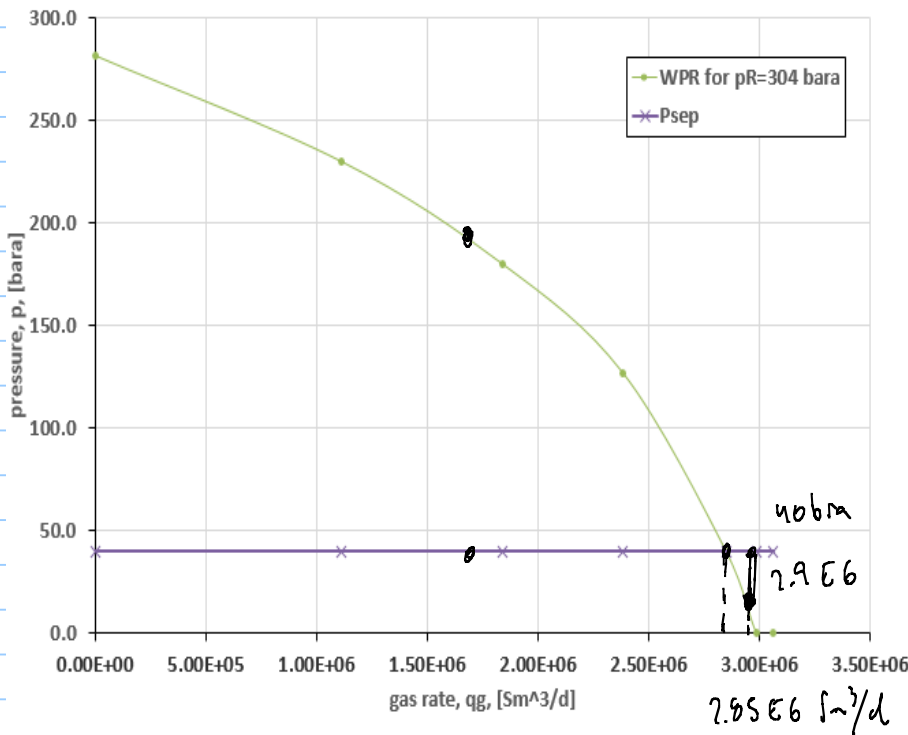




with depletion



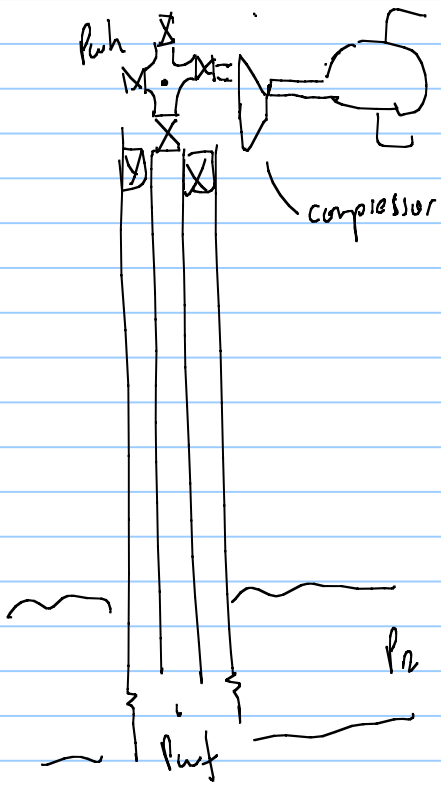
if I desire to produce $q_g > q_{g,eq}$: \rightarrow add energy \rightarrow increase pressure compressor



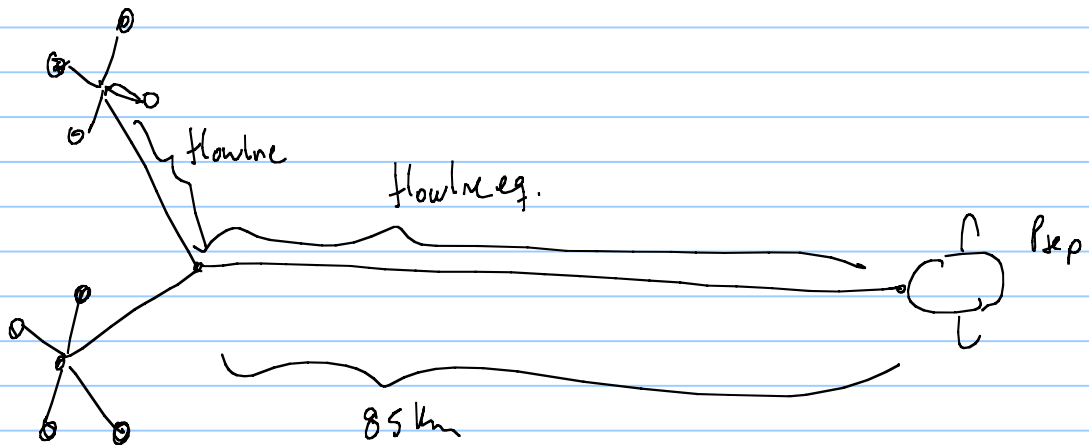
$P_{ch, req} = 40 \text{ bara}$

$P_{ch, actual} = 19 \text{ bara}$

$\Delta P_{compressor} = 40 - 19 = 21 \text{ bar}$



Block 2 offshore Tanzania



tubing equation

$$\frac{P_1^2}{e^S} = P_2^2 + \frac{q^2}{C_T^2}$$

for horizontal pipe ?

Tubing flow Equation-Dry gas

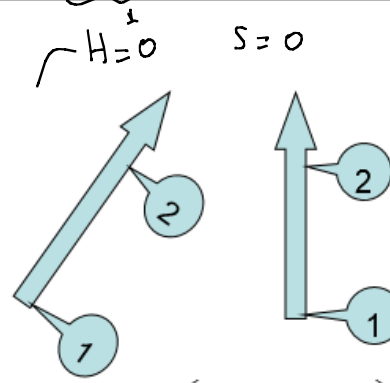
$$q_{sc} = C_T \left(\frac{\pi}{4} \right) \left(\frac{R}{M_{air}} \right)^{0.5} \left(\frac{T_{sc}}{P_{sc}} \right) \left[\frac{D^5}{\gamma_g f_M Z_{av} T_{av} L} \right]^{0.5} \left(\frac{s e^s}{e^s - 1} \right)^{0.5} \left(\frac{p_1^2}{e^s} - p_2^2 \right)^{0.5}$$

$$\frac{s}{2} = \frac{M_g g}{Z_{av} R T_{av}} H = \frac{(28.97) \gamma_g g}{Z_{av} R T_{av}} H$$

$$q_{gsc} = C_T \left(\frac{p_1^2}{e^s} - p_2^2 \right)^{0.5}$$

$$p_{inlet} = p_1 = e^{s/2} \left(p_2^2 + \frac{q_g^2}{C_T^2} \right)^{0.5}$$

$$p_{wh} = p_2 = \left(\frac{p_1^2}{e^s} - \frac{q_g^2}{C_T^2} \right)^{0.5}$$



when $s \rightarrow 0$ $\left(\frac{s \cdot e^s}{e^s - 1} \right)$

$$\frac{0 \cdot e^0}{e^0 - 1} = \frac{0}{0}$$



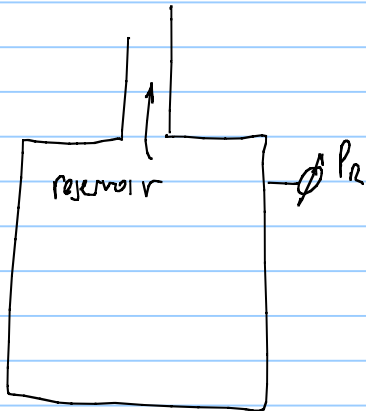
L'Hopital $\lim_{s \rightarrow 0} \left(\frac{s \cdot e^s}{e^s - 1} \right) = \lim_{s \rightarrow 0} \frac{\frac{d}{ds}(s \cdot e^s)}{\frac{d}{ds}(e^s - 1)} = \frac{e + s e^s}{e^s} \Big|_{s=0} = \frac{1+0}{1} = 1$

$$\frac{p_1^2}{e^s} = p_2^2 + \frac{q_g^2}{C_T^2}$$

$$\left(p_1^2 - p_2^2 \right)^{0.5} C_T = q_g$$

horizontal pipeline

field performance



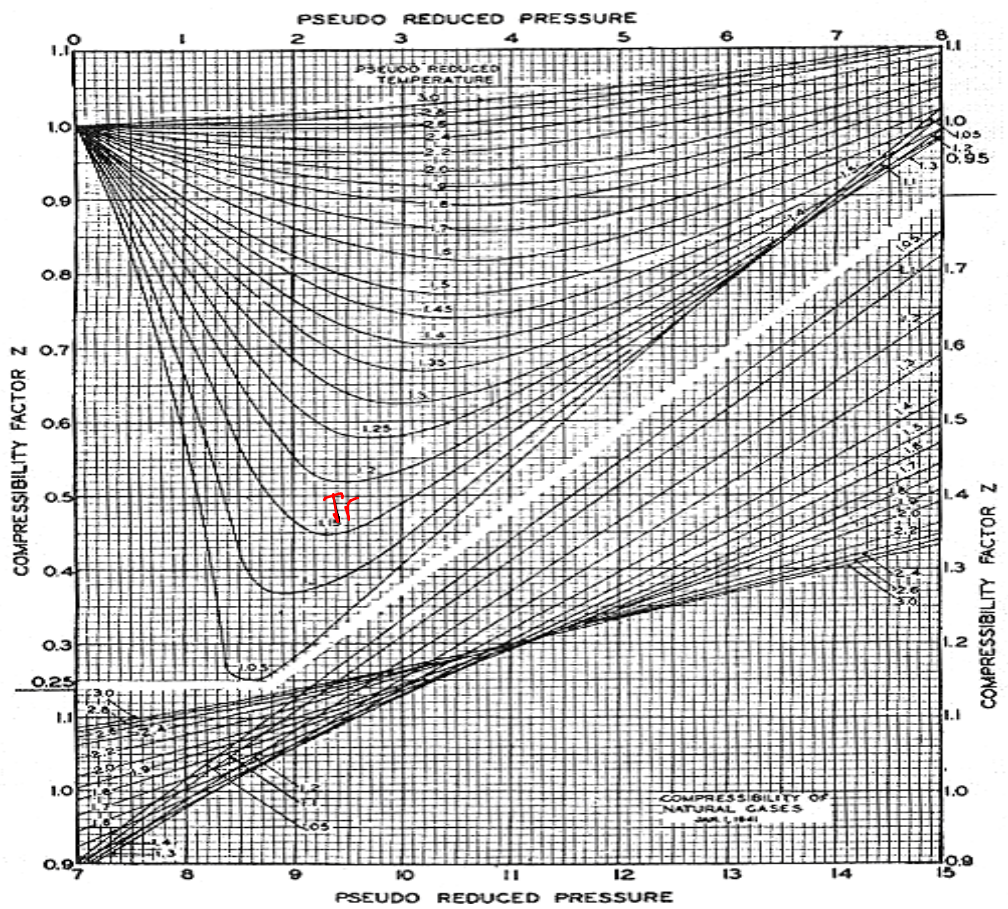
P_R vs G_p

dry gas material balance

$$P_R = P_i \frac{z_B}{z_i} \left(1 - \frac{G_p}{G} \right)$$

$$\frac{G_p}{G} = RF = FR_u$$

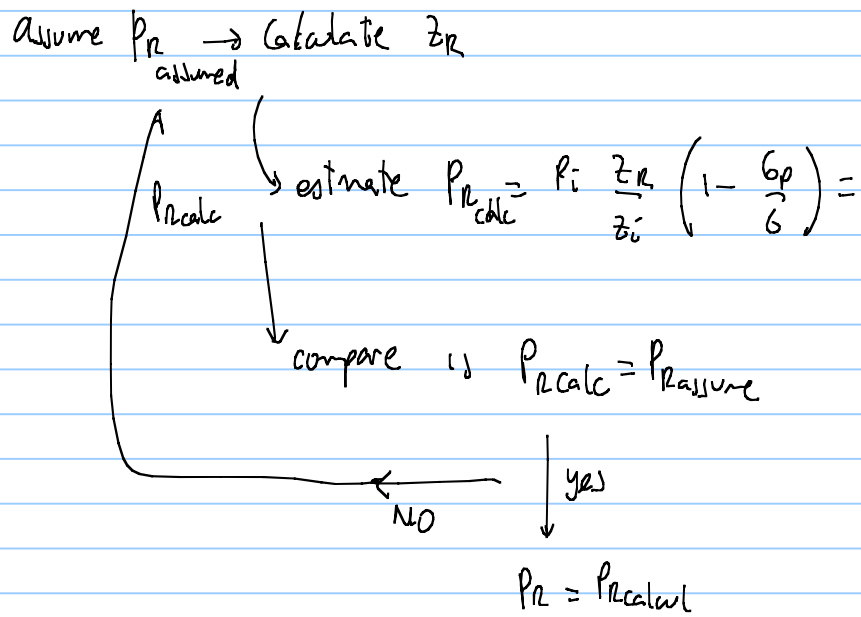
deviation factor z



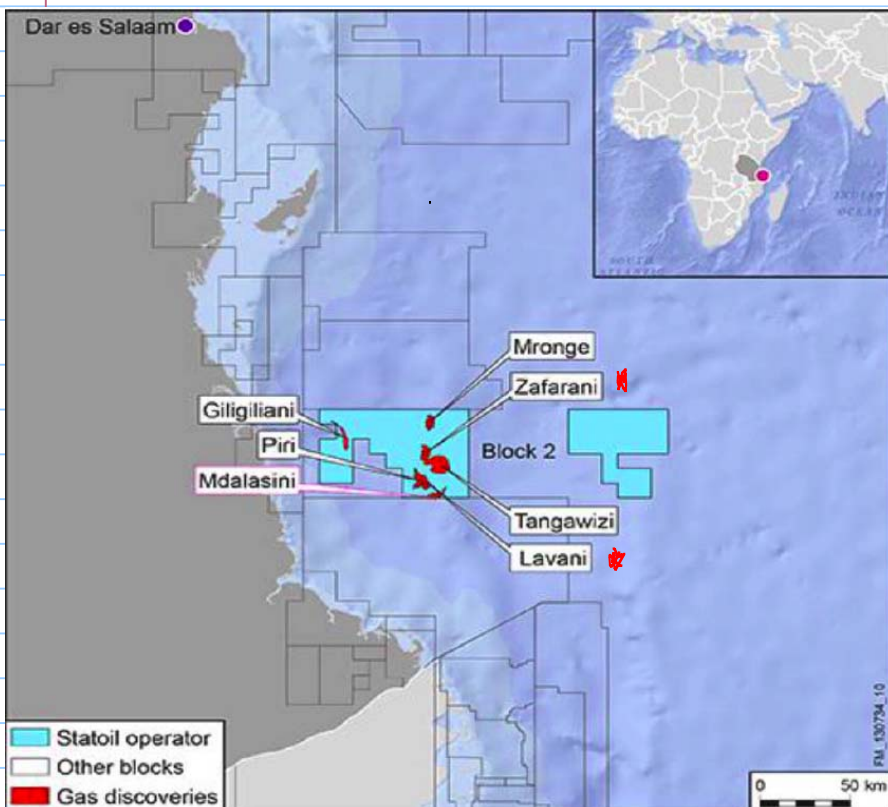
$z_R = f(P_R, T_R)$

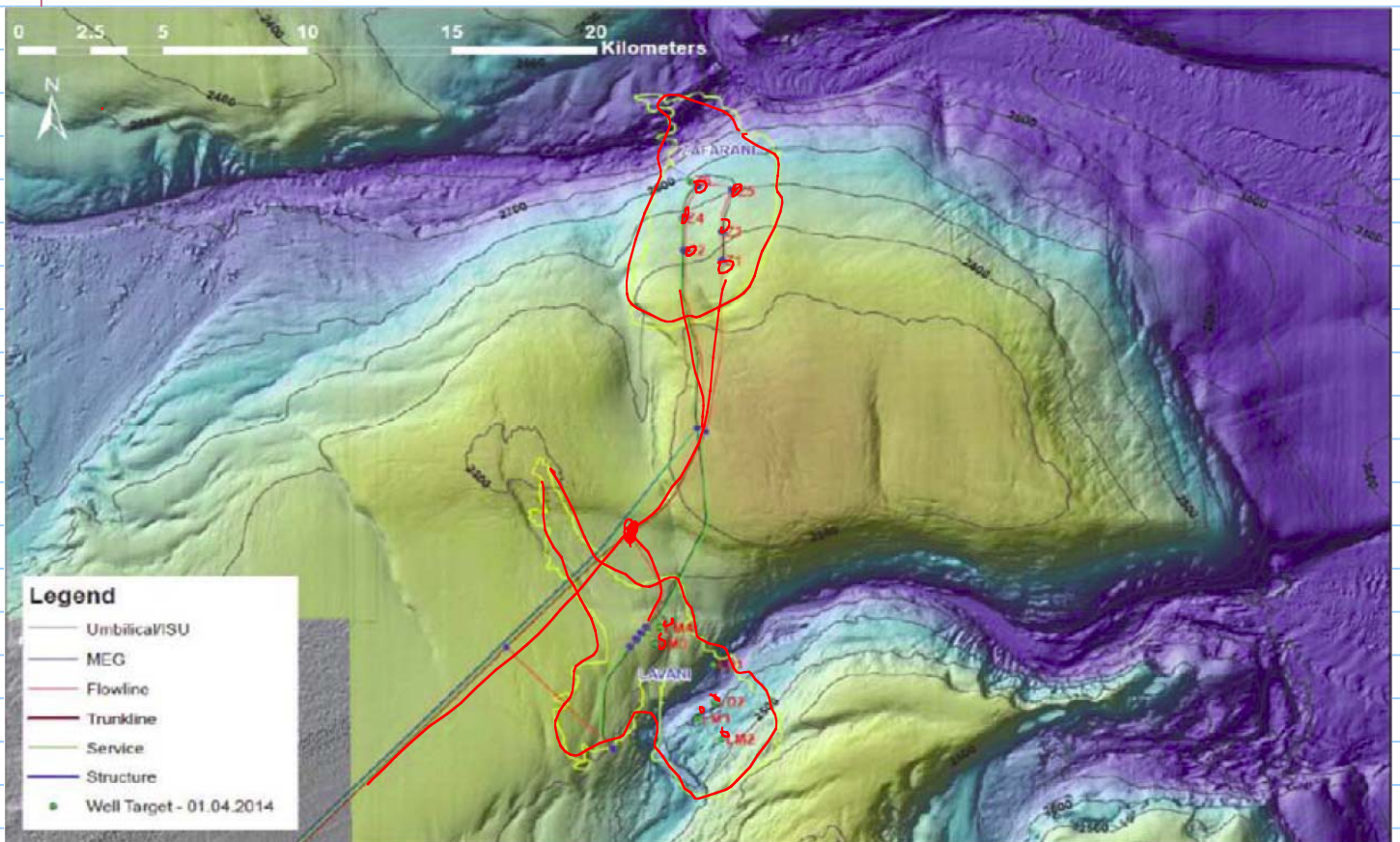
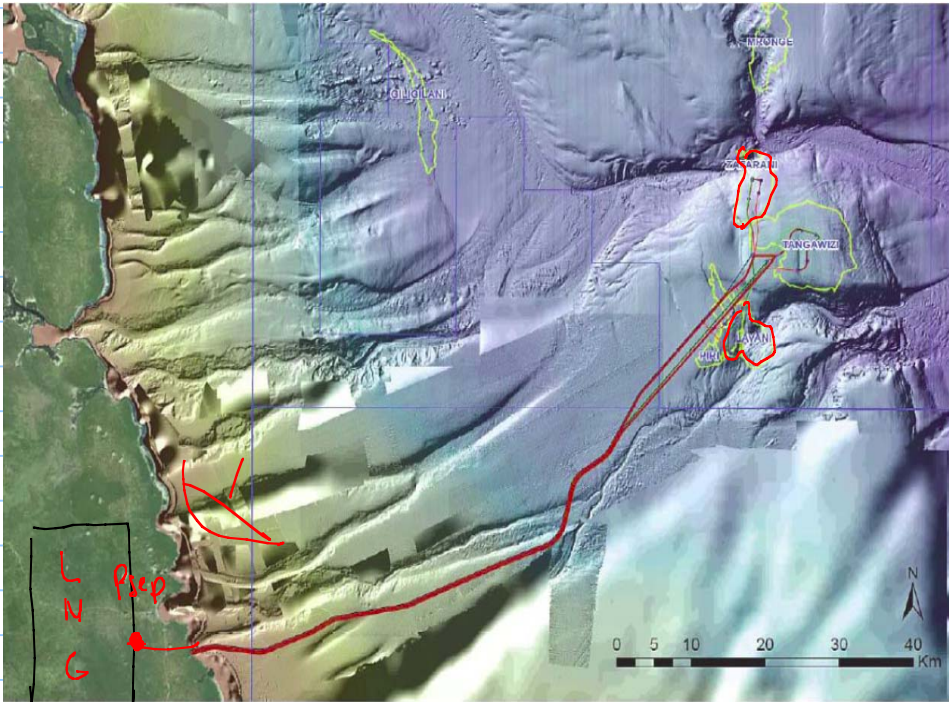
$$P_r = \frac{P}{P_c}$$

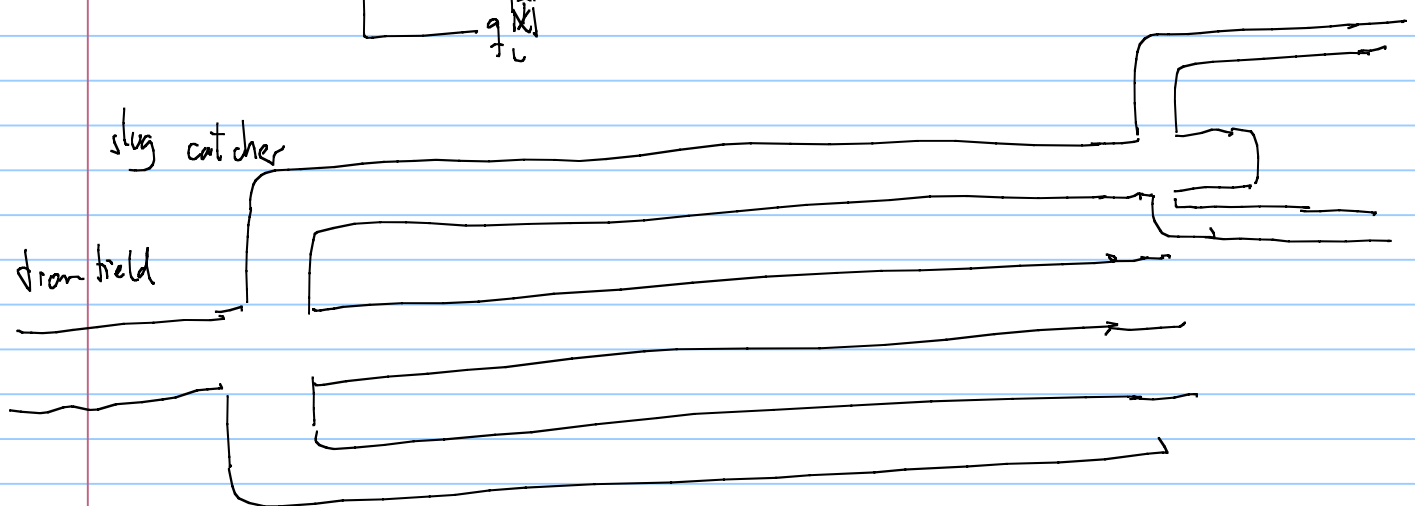
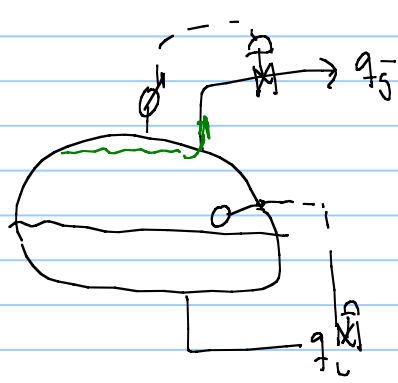
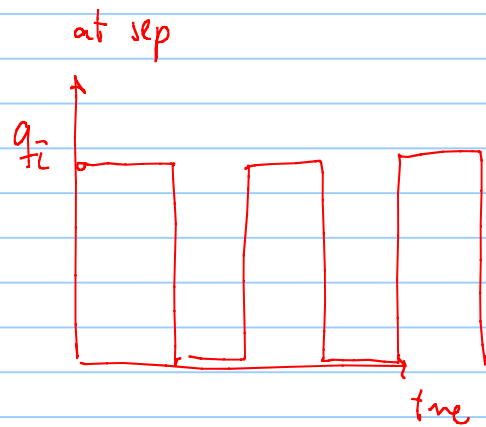
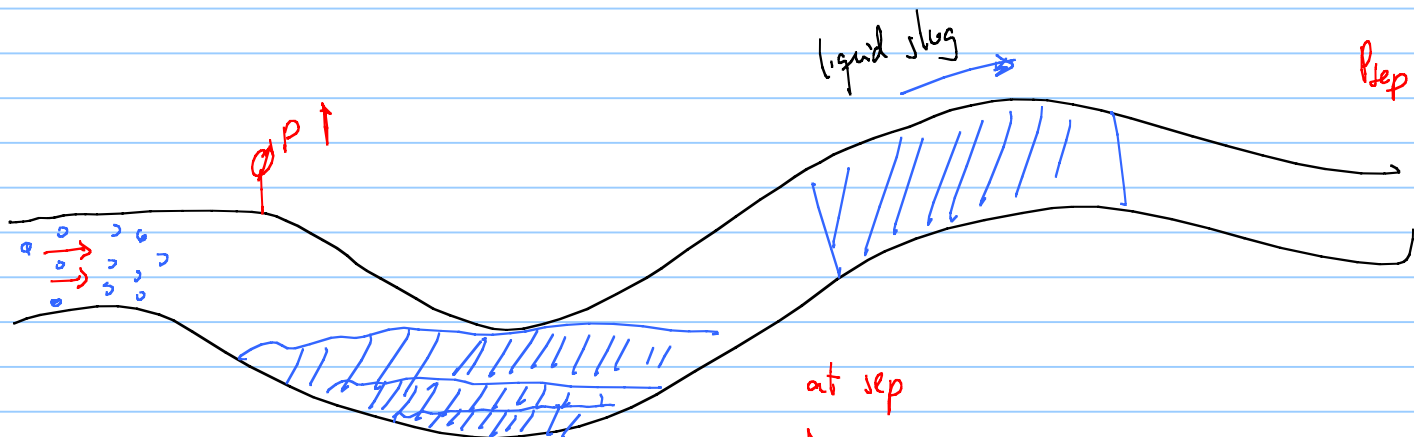
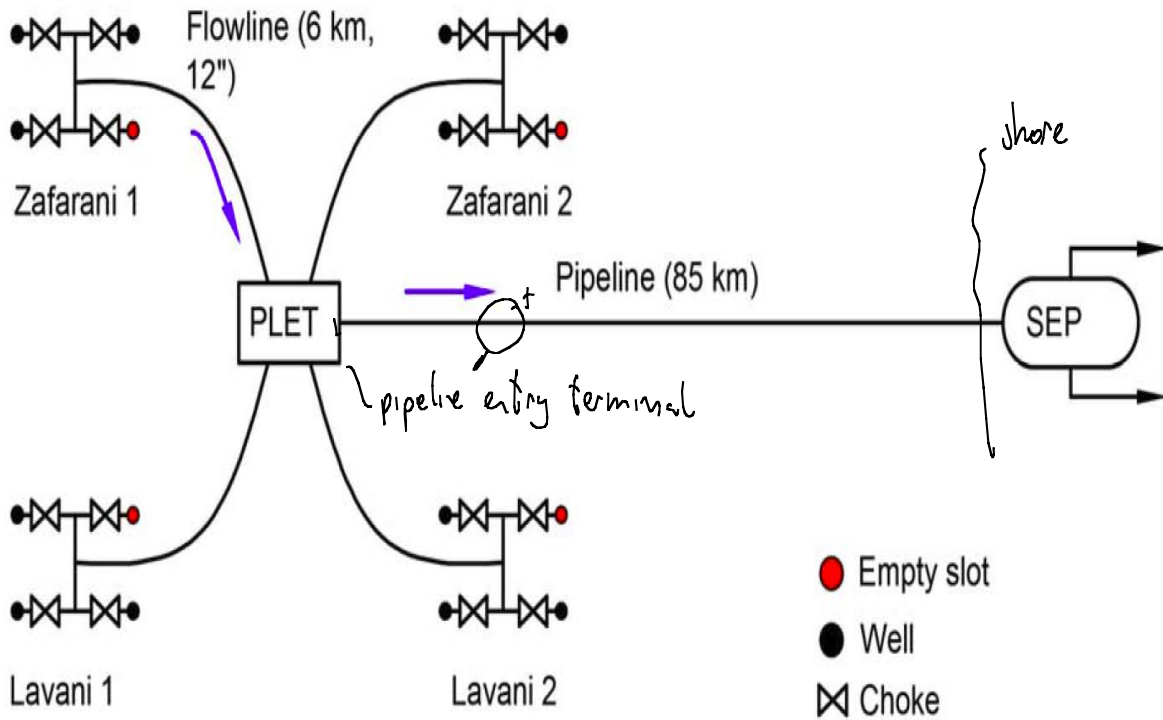
$$P_r = \frac{P}{P_c}$$

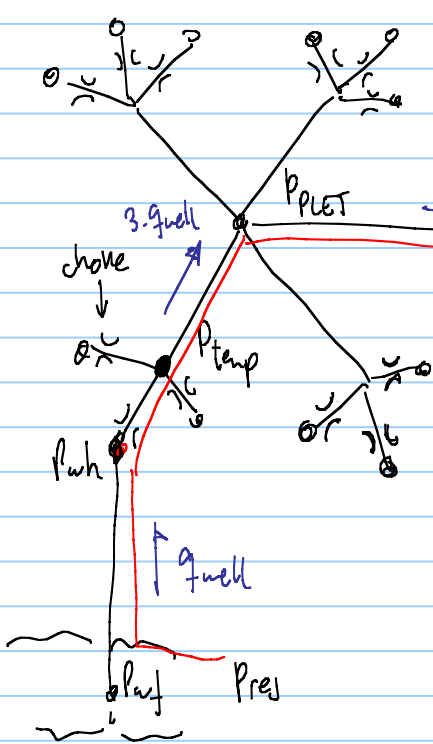


Block 2 offshore Tanzania









$$q_{field} = C_{PI} (P_{PLET}^2 - P_{sep}^2)^{0.5}$$

4.3. q_{well}

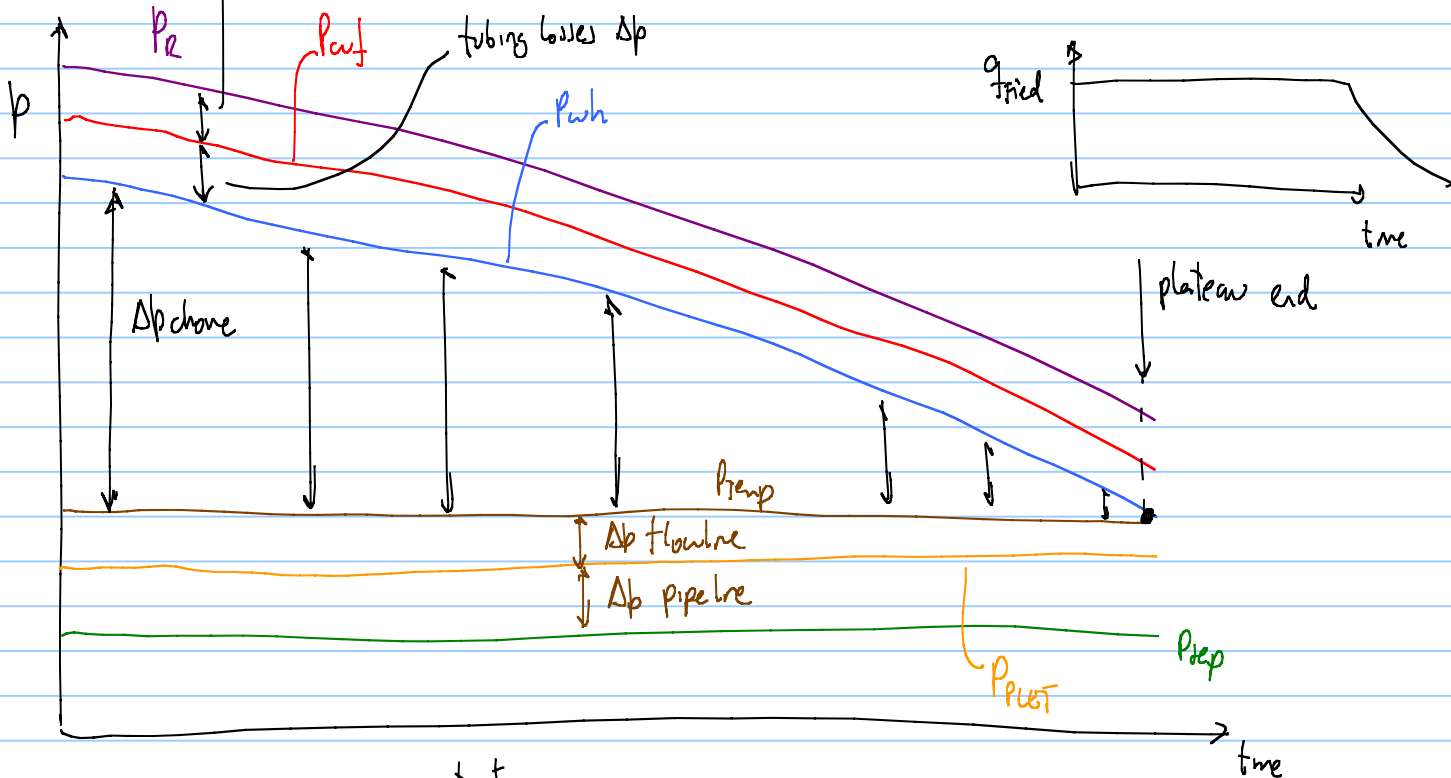
assumptions all well are identical

early phase studies \rightarrow no detailed information about the reservoir is available

well are symmetrical with respect to PLET

the P_{wh} same for all wells

drawdown (Δp in formation) P_{temp} same for all wells



what happens with P_{wf} with time?

constant

$$q_{well} = C \left(P_r^2 - \underbrace{P_{wf}^2}_{\text{going down}} \right)^n$$

what happens with P_{wh} with time!

$$\frac{P_{wf}^2}{C^2} = P_{wh}^2 + \frac{q_{well}^2}{C^2}$$

how P_{plet} changes with time?

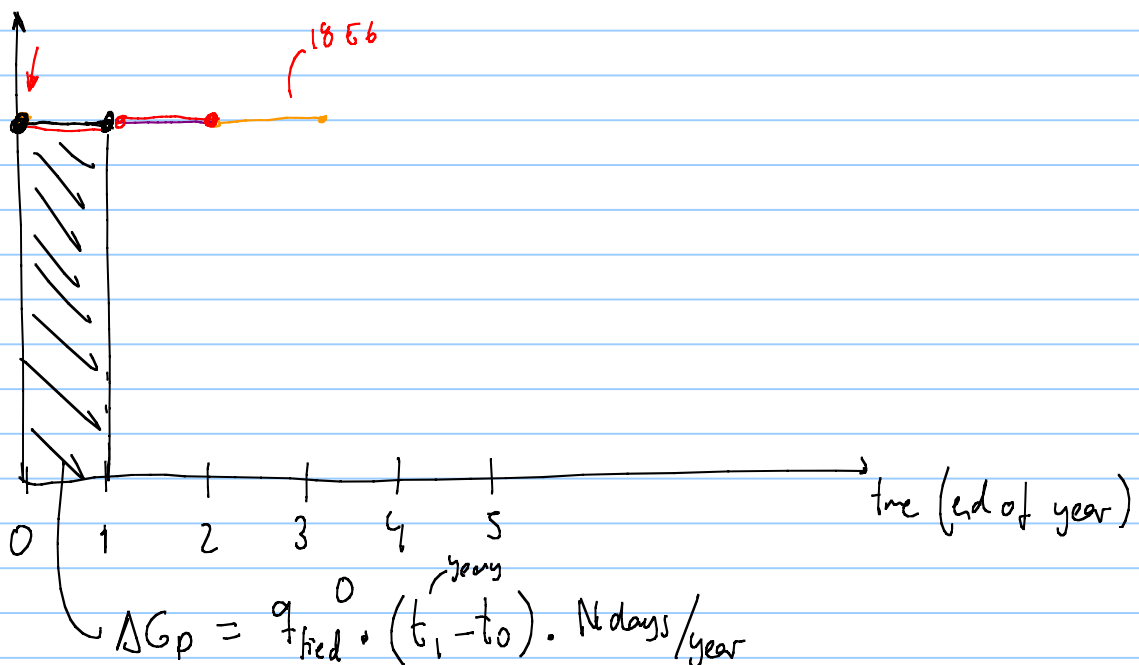
$$q_{field} = C_{PL} \cdot (P_{plet}^2 - P_{sep}^2)^{0.5}$$

how P_{temp} changes with time?

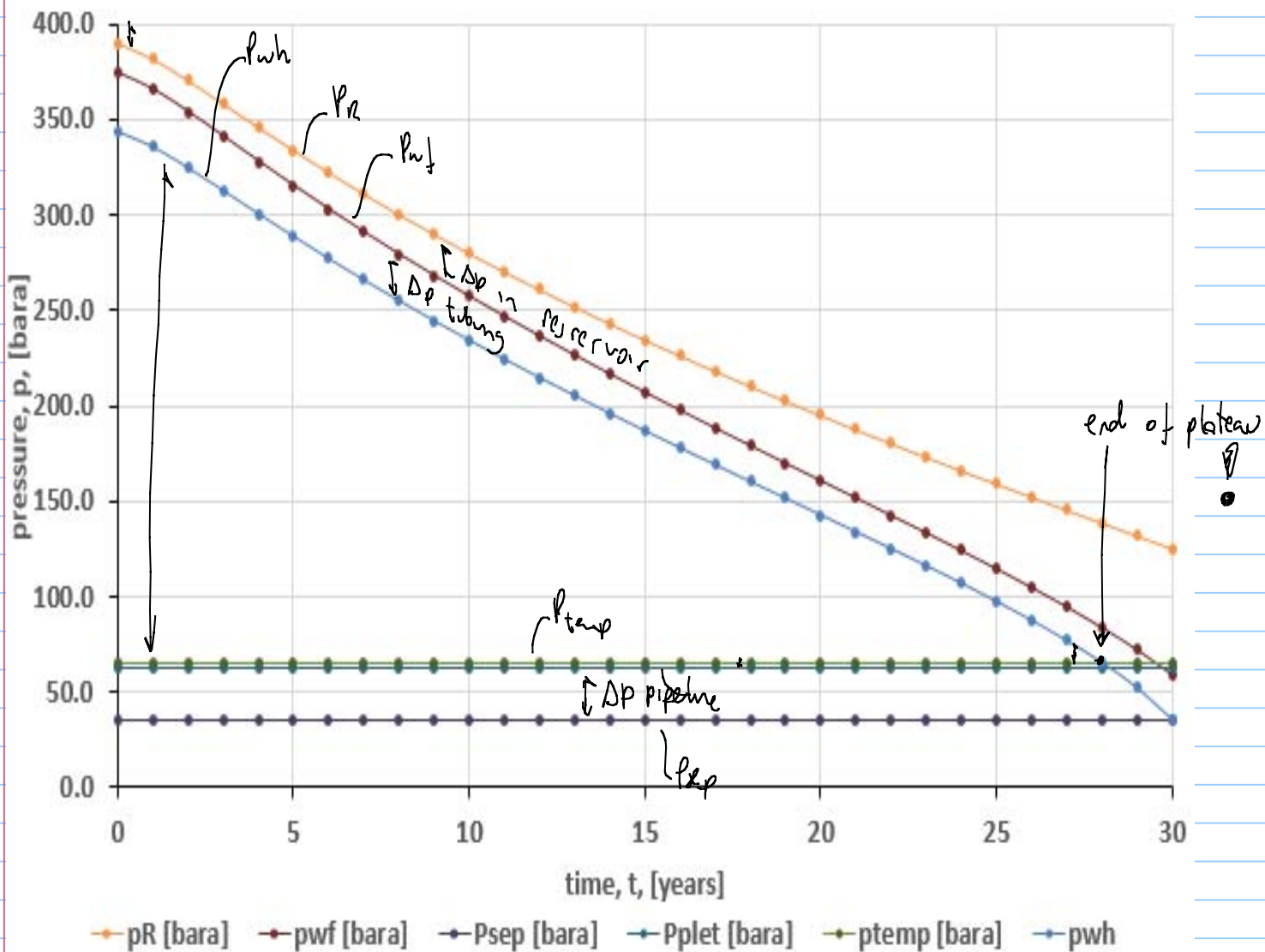
$$q_{temp} = C_{FL} (P_{temp}^2 - P_{plet}^2)^{0.5}$$

class exercise

G=IGIP	311E+09 Sm3	$P_0 = \frac{z_R}{z_i} P_i \left(1 - \frac{G_p}{G}\right)$
Production days per year	360 day	
T_R	70 °C	$G_p = \int_0^t q_{field} dt$
P_i , initial Res pressure	390 bara	
C, inflow Back pressure coefficient	123 Sm ³ /bar ²ⁿ	z_R
n, backpressure, exponent	1	
C _t , Tubing coefficient	3.56E+04 Sm ³ /bar	
Tubing elevation coeff, S	0.155	MB gas
C _{FL, Flowline} Template-PLET	2.83E+05 Sm ³ /bar	IPR
C _{PL Pipeline} PLET-Shore	3.46E+05 Sm ³ /bar	TPR
Expected elevation coeff, S	0.155	flowline
Separator (slug catcher) pressure	35 bara	pipeline
Gas molecular weight (Methane)	16.5 kg/kmole	P_{sep}
Gas specific gravity	0.57 Gas specific gravity	P_c, T_c
Number of templates	4	
Number of wells per template	3	
q _{field}	18.0E+6 [Sm ³ /d]	



time	qwll	qfield	ΔGp	Gp	RF	pR	Z	pwf	pwh	Psep	Pplet	qtemp	pmp	Deltapchoke
[years]	[Sm ³ /d]	[Sm ³ /d]	[Sm ³]	[Sm ³]	[-]	[bara]	[-]	[bara]	[bara]	[bara]	[bara]	[Sm ³ /d]	[bara]	[bara]
0	1.50E+06	18.0E+6	000.0E+0	000.0E+0	0.00	390.0	1.045	374.0	343.6	35.0	62.7	4.50E+06	64.7	279
1	1.50E+06	18.0E+6	6.5E+9	6.5E+9	0.02	381.9	1.036	365.6	335.7	35.0	62.7	4.50E+06	64.7	271
2	1.50E+06	18.0E+6	6.5E+9	13.0E+9	0.04	370.6	1.024	353.8	324.7	35.0	62.7	4.50E+06	64.7	260
3	1.50E+06	18.0E+6	6.5E+9	19.4E+9	0.06	358.4	1.012	340.9	312.7	35.0	62.7	4.50E+06	64.7	248
4	1.50E+06	18.0E+6	6.5E+9	25.9E+9	0.08	346.1	0.999	328.0	300.6	35.0	62.7	4.50E+06	64.7	236
5	1.50E+06	18.0E+6	6.5E+9	32.4E+9	0.10	334.0	0.987	315.3	288.7	35.0	62.7	4.50E+06	64.7	224
6	1.50E+06	18.0E+6	6.5E+9	38.9E+9	0.13	322.4	0.976	302.9	277.1	35.0	62.7	4.50E+06	64.7	212
7	1.50E+06	18.0E+6	6.5E+9	45.4E+9	0.15	311.2	0.966	291.0	265.9	35.0	62.7	4.50E+06	64.7	201
8	1.50E+06	18.0E+6	6.5E+9	51.8E+9	0.17	300.4	0.957	279.4	255.1	35.0	62.7	4.50E+06	64.7	190
9	1.50E+06	18.0E+6	6.5E+9	58.3E+9	0.19	290.0	0.948	268.2	244.6	35.0	62.7	4.50E+06	64.7	180
10	1.50E+06	18.0E+6	6.5E+9	64.8E+9	0.21	280.0	0.940	257.3	234.4	35.0	62.7	4.50E+06	64.7	170
11	1.50E+06	18.0E+6	6.5E+9	71.3E+9	0.23	270.4	0.933	246.8	224.5	35.0	62.7	4.50E+06	64.7	160
12	1.50E+06	18.0E+6	6.5E+9	77.8E+9	0.25	261.0	0.926	236.5	214.8	35.0	62.7	4.50E+06	64.7	150
13	1.50E+06	18.0E+6	6.5E+9	84.2E+9	0.27	252.0	0.920	226.5	205.3	35.0	62.7	4.50E+06	64.7	141
14	1.50E+06	18.0E+6	6.5E+9	90.7E+9	0.29	243.2	0.915	216.7	196.0	35.0	62.7	4.50E+06	64.7	131
15	1.50E+06	18.0E+6	6.5E+9	97.2E+9	0.31	234.7	0.910	207.1	186.9	35.0	62.7	4.50E+06	64.7	122
16	1.50E+06	18.0E+6	6.5E+9	103.7E+9	0.33	226.4	0.906	197.6	178.0	35.0	62.7	4.50E+06	64.7	113
17	1.50E+06	18.0E+6	6.5E+9	110.2E+9	0.35	218.3	0.902	188.3	169.1	35.0	62.7	4.50E+06	64.7	104
18	1.50E+06	18.0E+6	6.5E+9	116.6E+9	0.38	210.4	0.898	179.1	160.3	35.0	62.7	4.50E+06	64.7	95



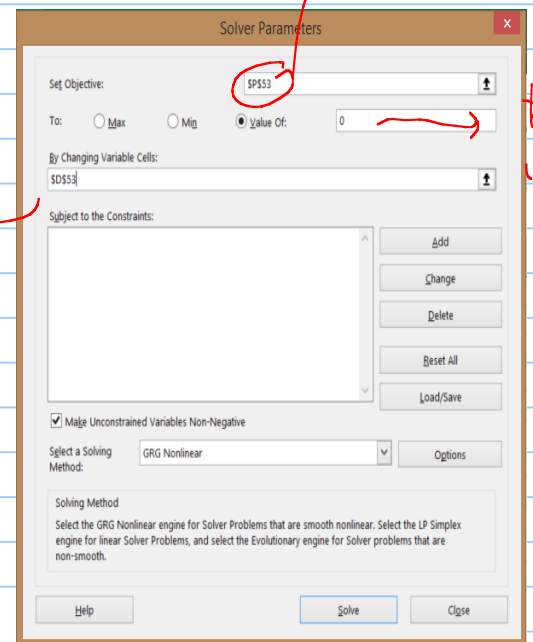
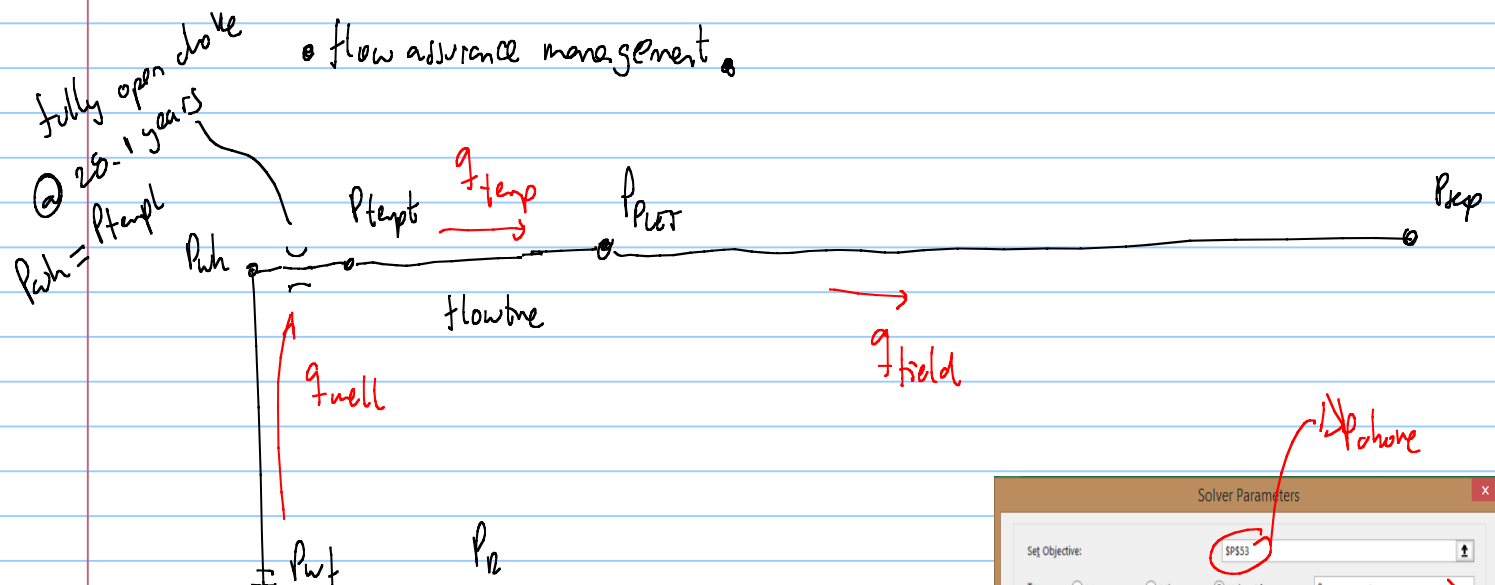
end of plateau wing goal seek?

28	1.50E+06	18.0E+6	6.5E+9	181.4E+9	0.58	138.9	0.895	84.2	65.5	35.0	62.7	4.50E+06	64.7	1
28.09879707	1.50E+06	18.0E+6	640.2E+6	182.1E+9	0.59	138.4	0.895	83.4	64.7	35.0	62.7	4.50E+06	64.7	0
..

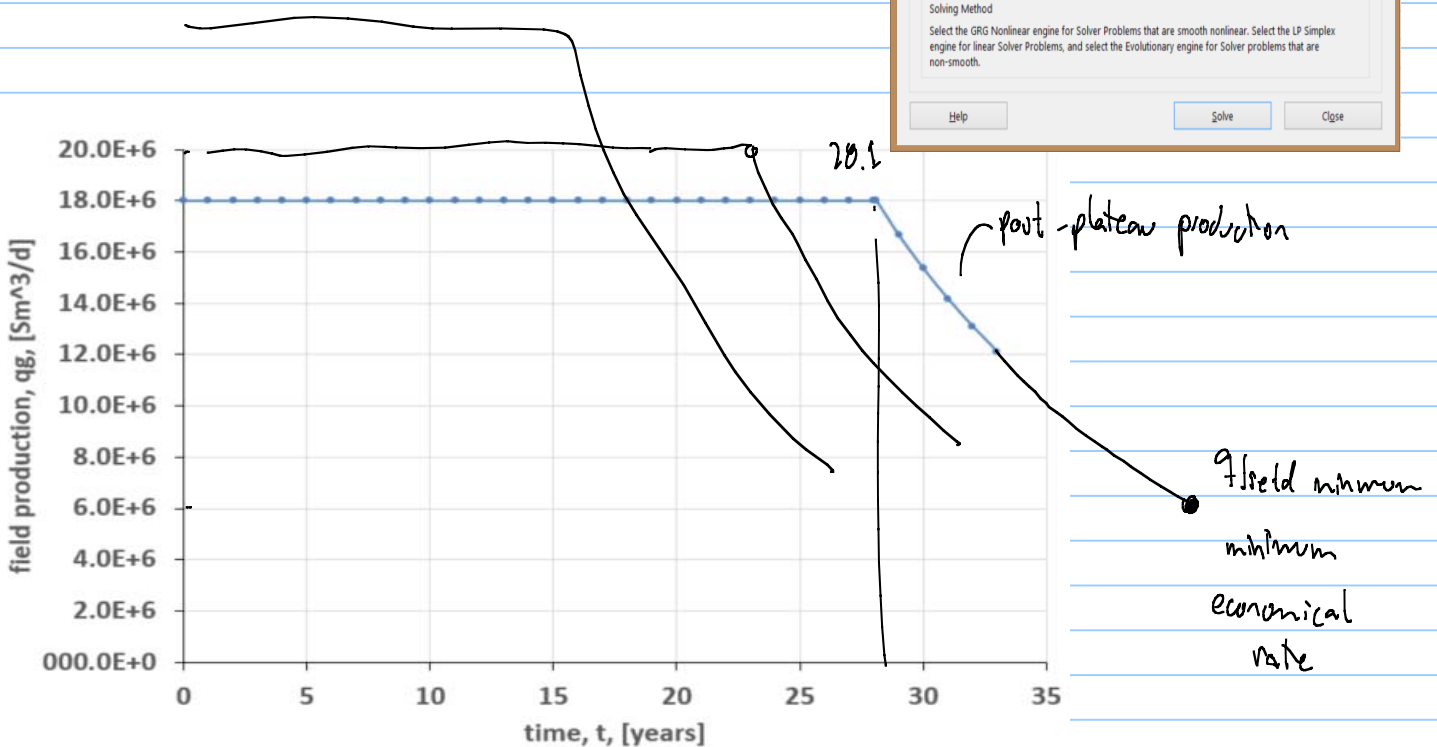
② 28.0987 years \Rightarrow 28 years + 1.2 months

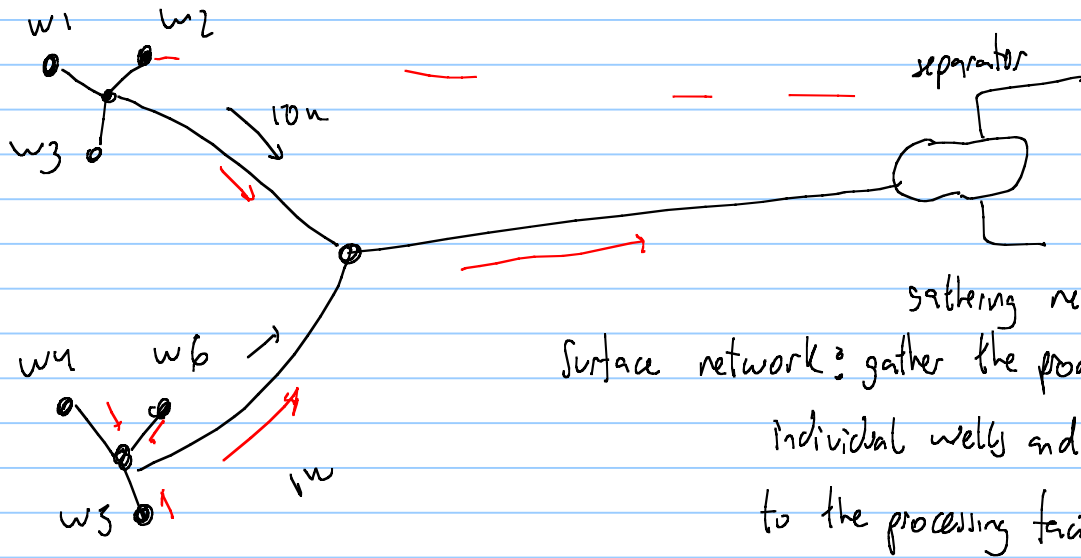
Day 5

- Computing field production post-plateau → solver a goal seek not suitable
- Networks
 - } surface
 - } downhole
- TPR - multiphase.
- flow assurance management



change field rate





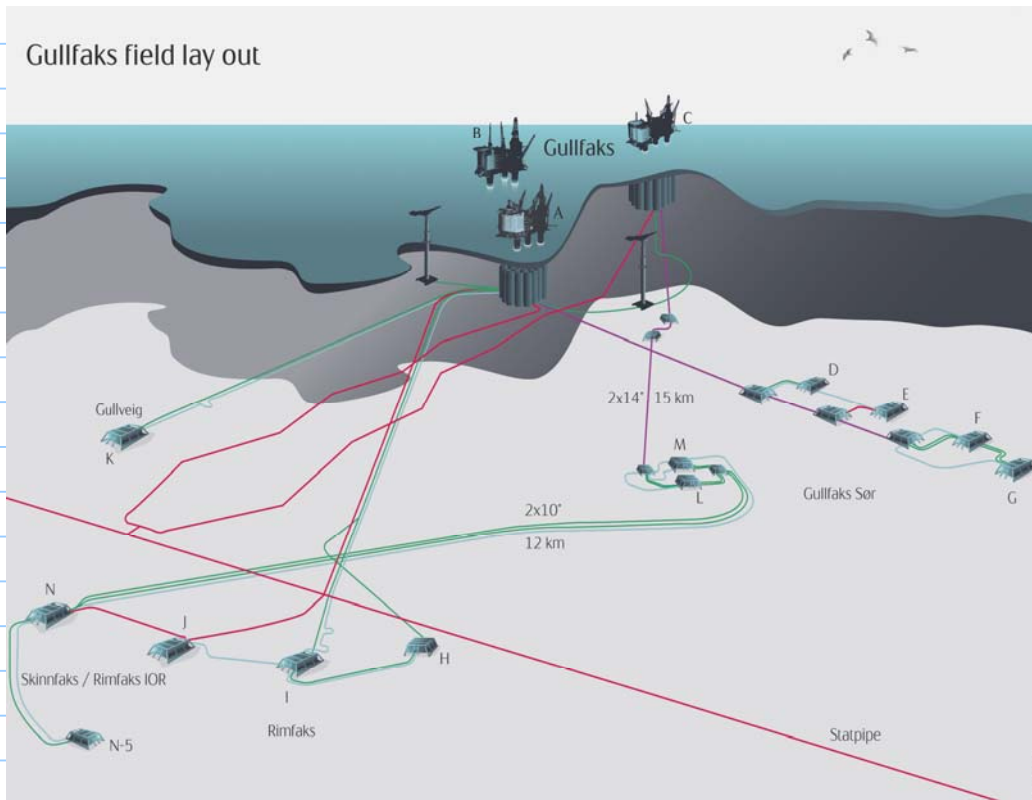
well have different productivity

- IPR
- pipeline size length
- well depth
- tubing size

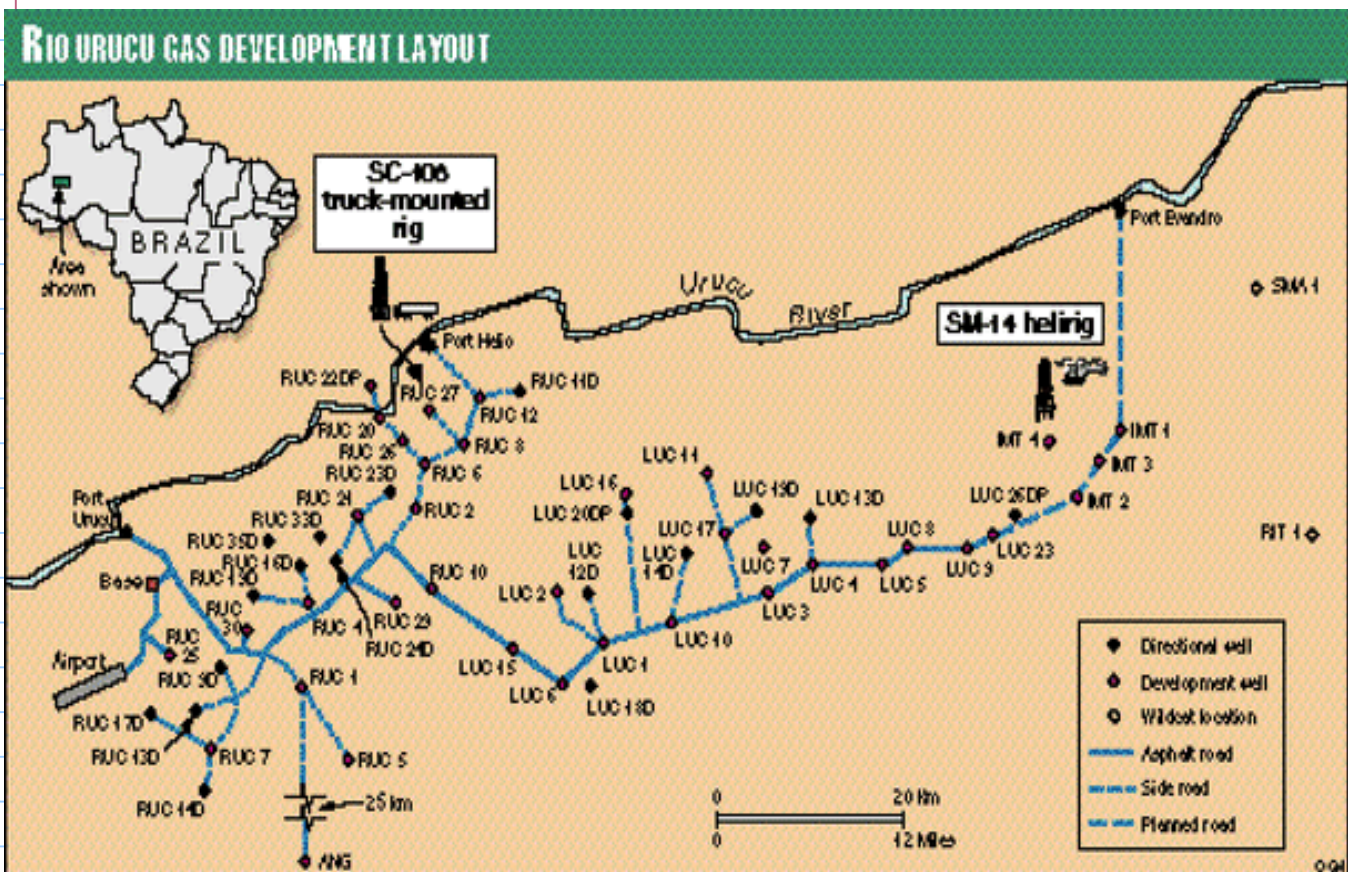
Some examples

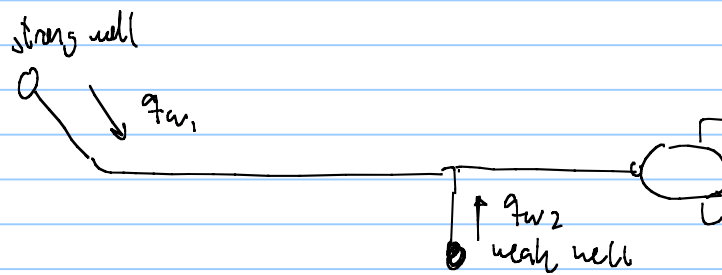
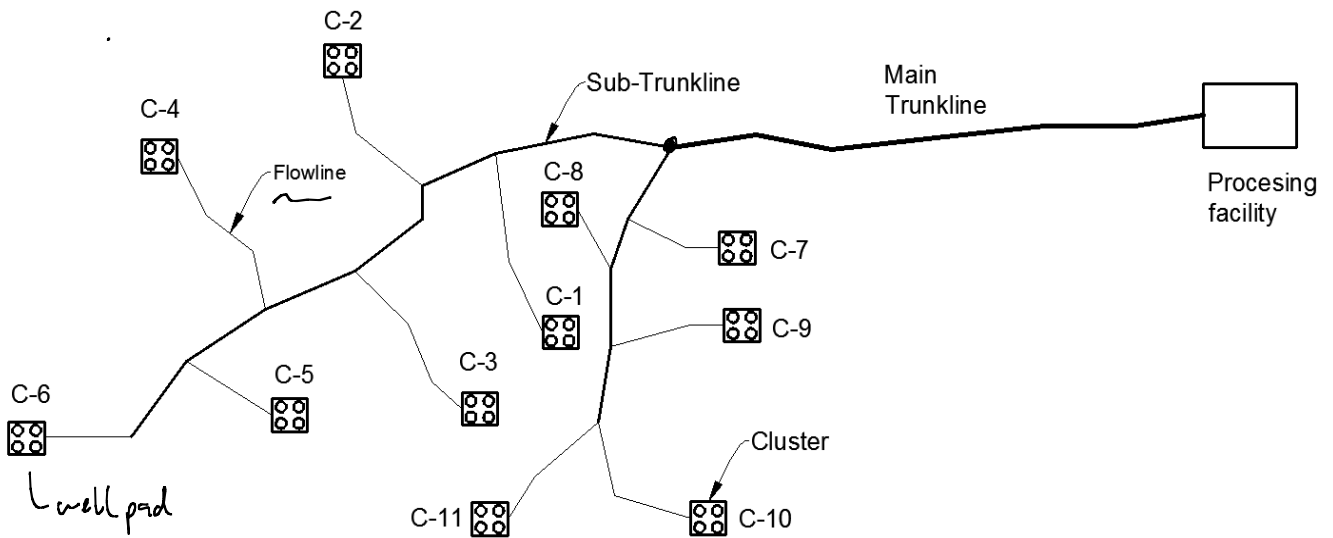


Gullfaks field lay out

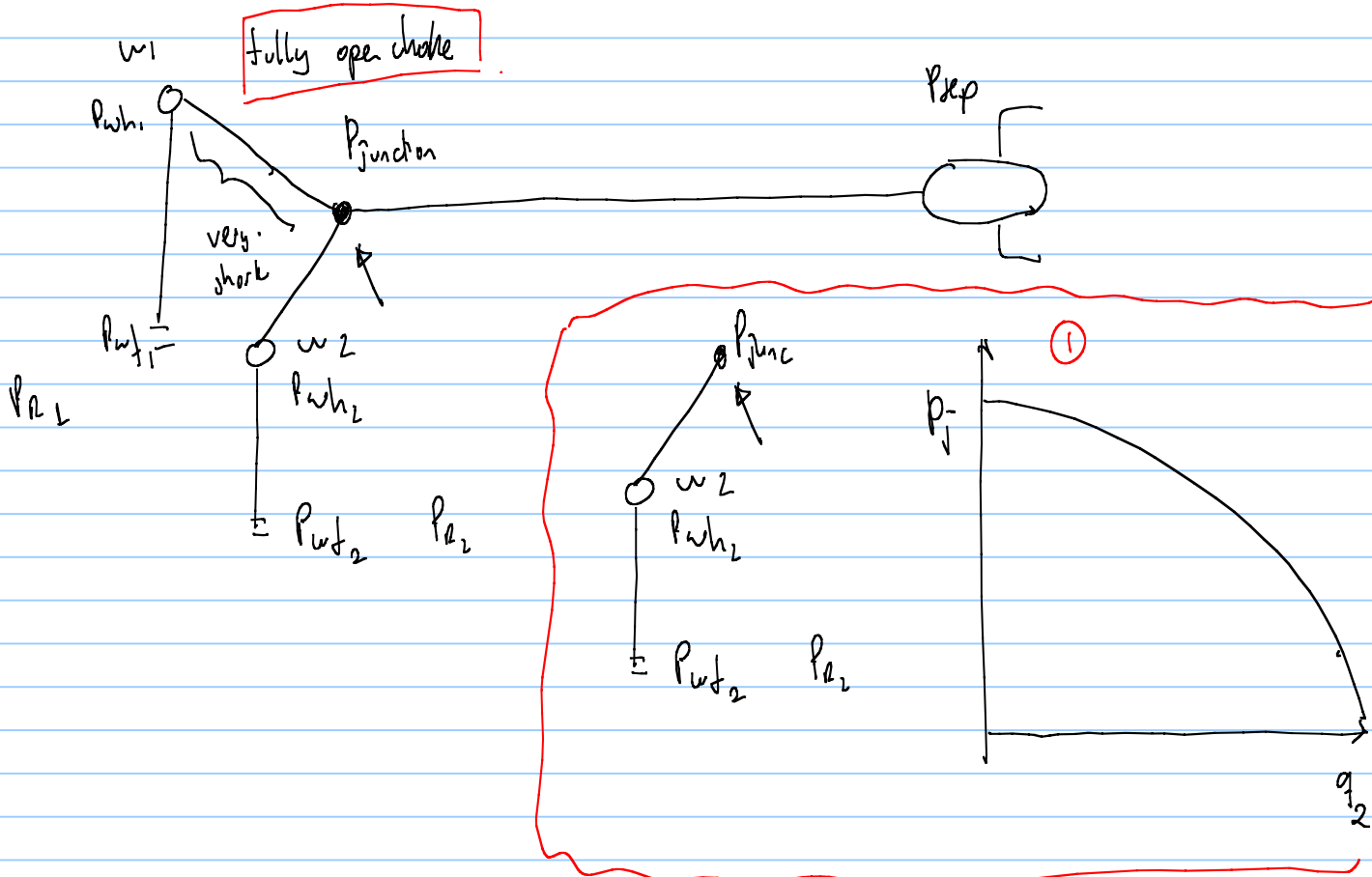


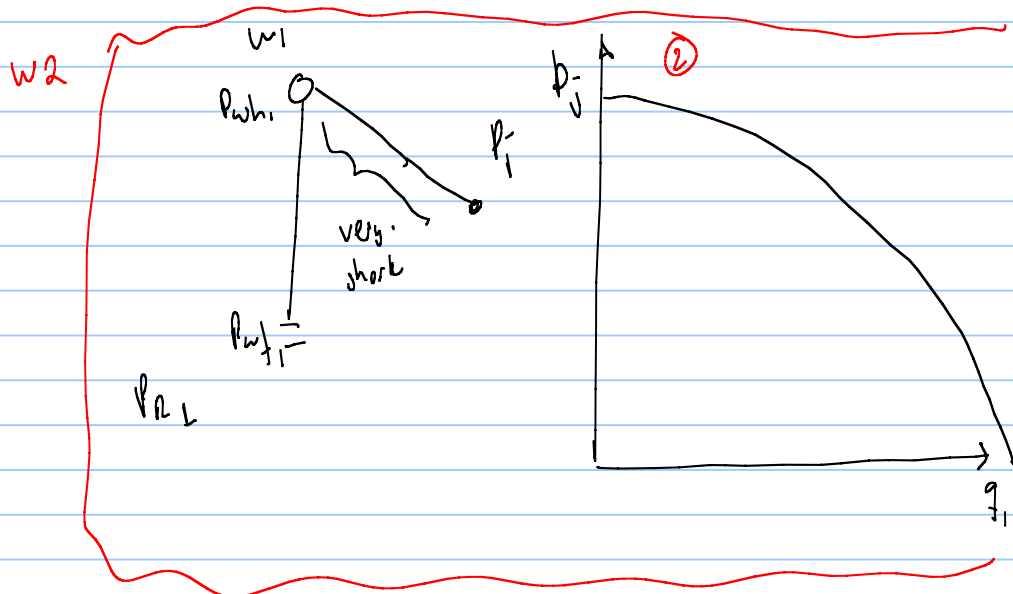
RIO URUCU GAS DEVELOPMENT LAYOUT



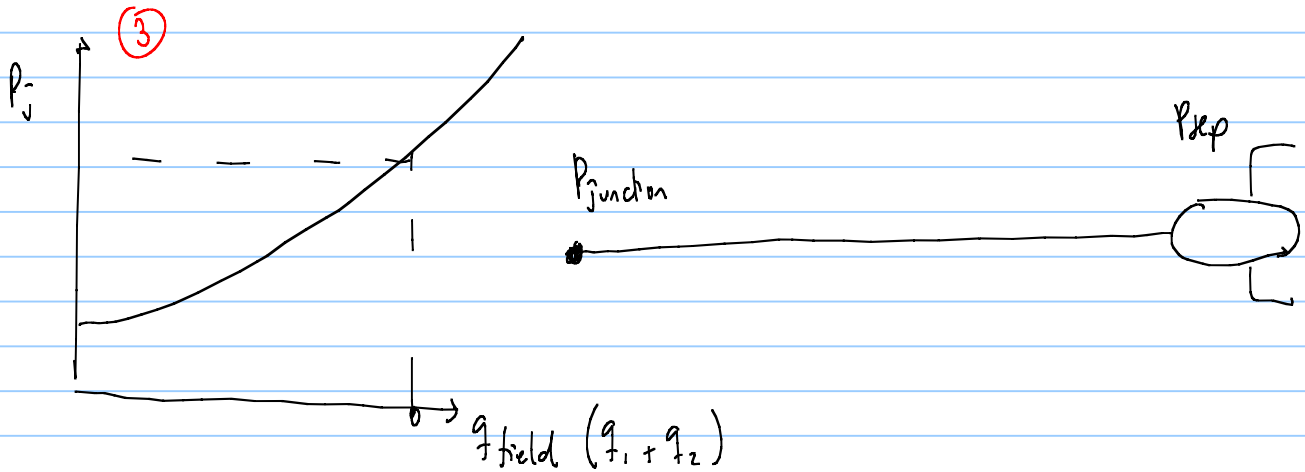


Simple 2-well system





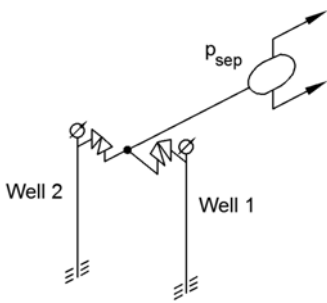
required pressure at junction



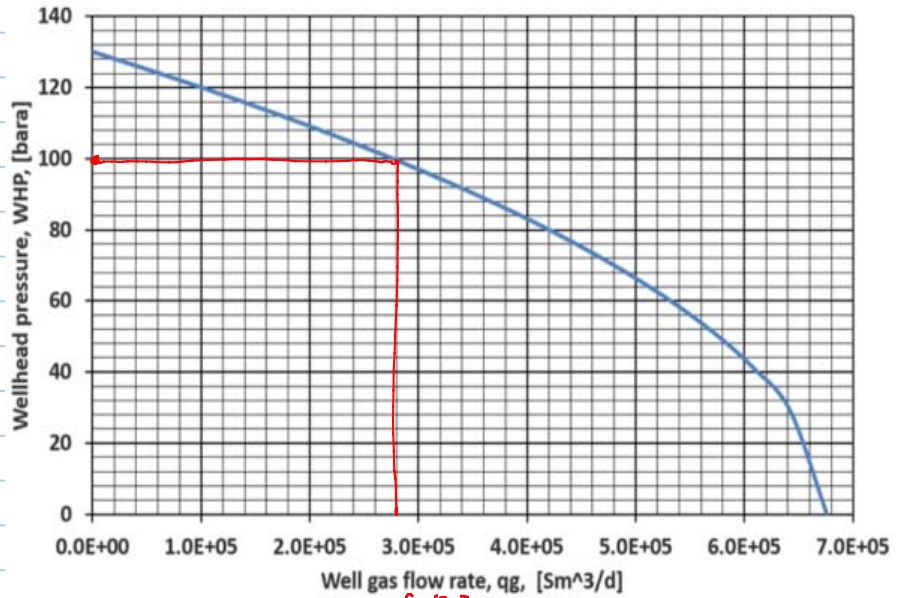
p_j should be the same for curve 1, 2, 3 also $q_{field} = q_1 + q_2$

- assume p_j^*
- go to curve ① and read q_2 with p_j^*
- go to curve ② and read q_1 with p_j^*
- go to curve ③ and read q_{field} with p_j^*
- verify $q_{field} = q_1 + q_2$? if yes $\rightarrow p_j$ is equilibrium pressure
 ↓ No
 ↓ try another p_j

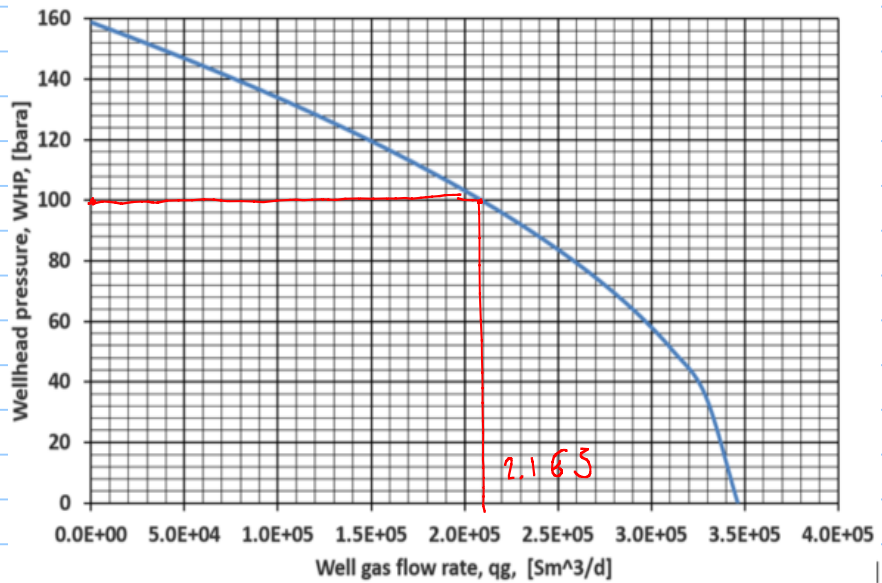
class exercise



wellhead performance relationship - Well 1



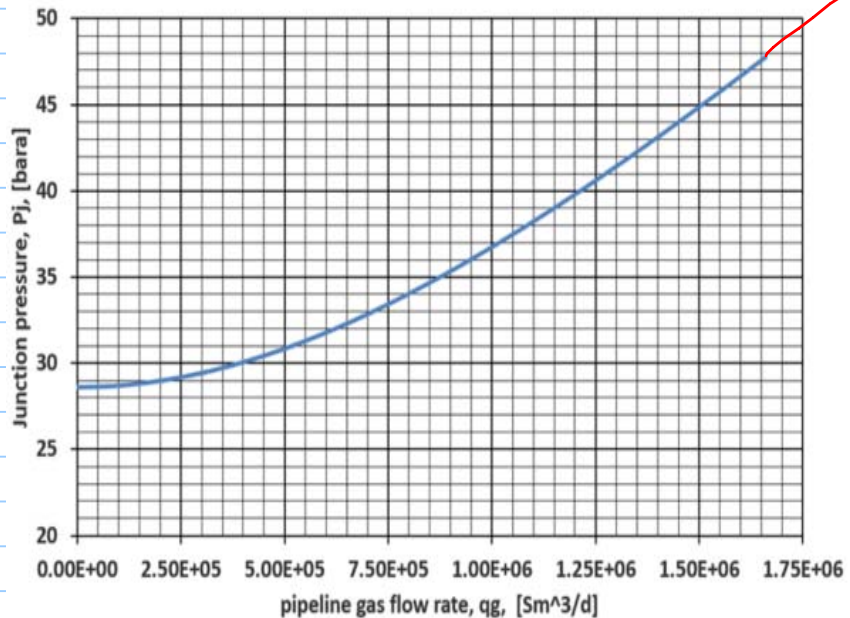
wellhead performance relationship - Well 2



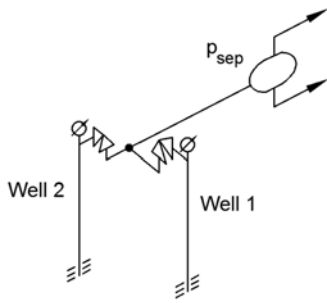
$$\begin{array}{r}
 q_1 + q_2 = 2.8 \text{ ES} + \\
 \quad \quad 2.1 \text{ ES} \\
 \hline
 4.9 \text{ ES}
 \end{array}$$

for 100 bar
 q is very high
 not possible

Pipeline performance relationship

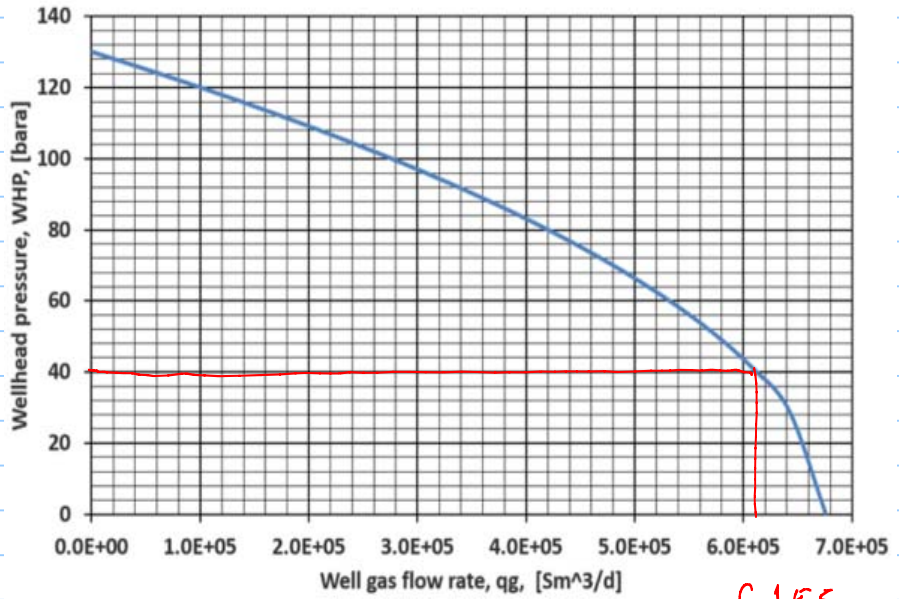


class exercise



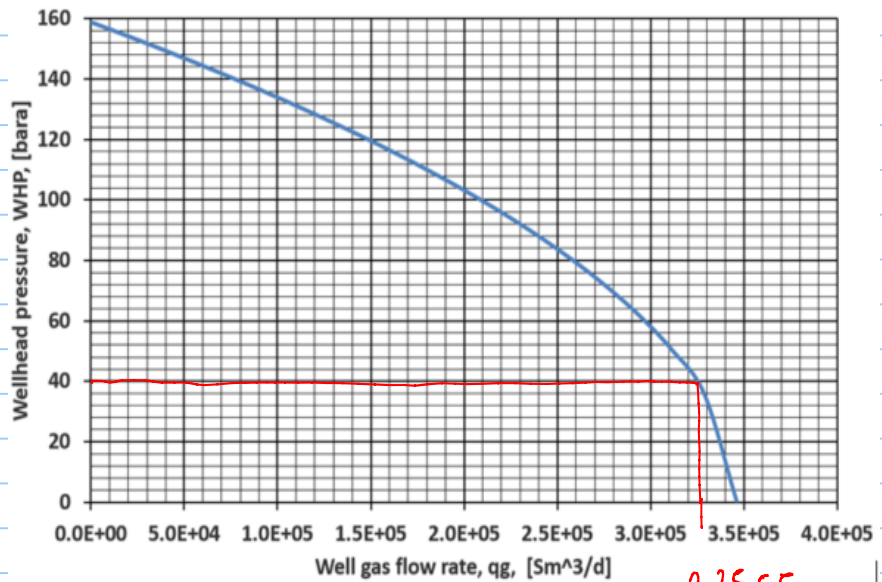
Iteration ② assume $p_j = 40$ bara

wellhead performance relationship - Well 1



6.1E5

wellhead performance relationship - Well 2



3.25E5

$$q_1 + q_2 =$$

$$6.1E5 + 3.25E5$$

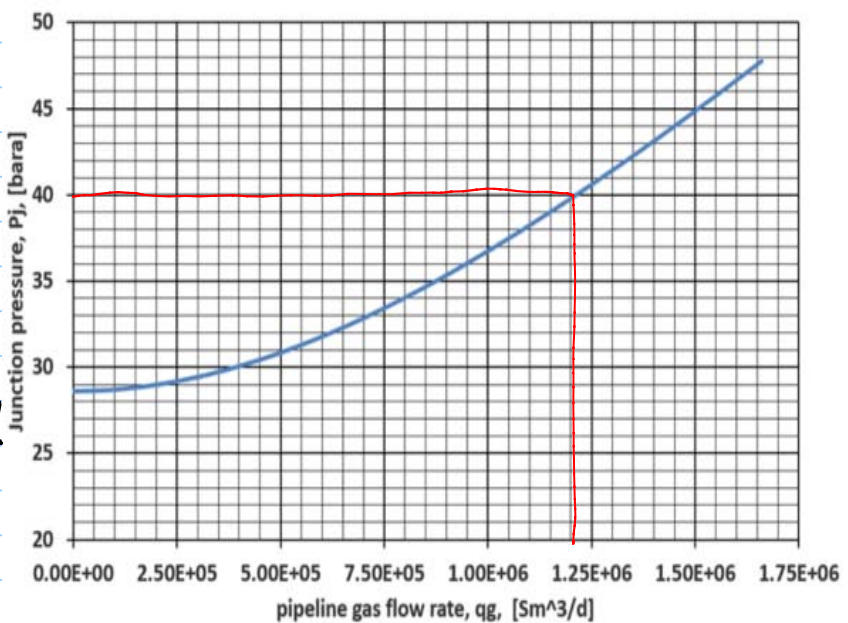
$$9.35E5$$

≠

$$1.2E6$$

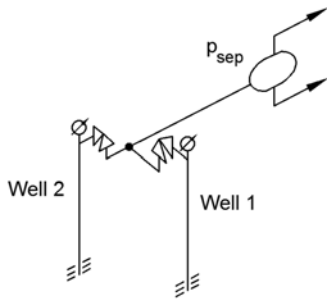
try a lower $p_j = 30$ bar
35 bar?

Pipeline performance relationship



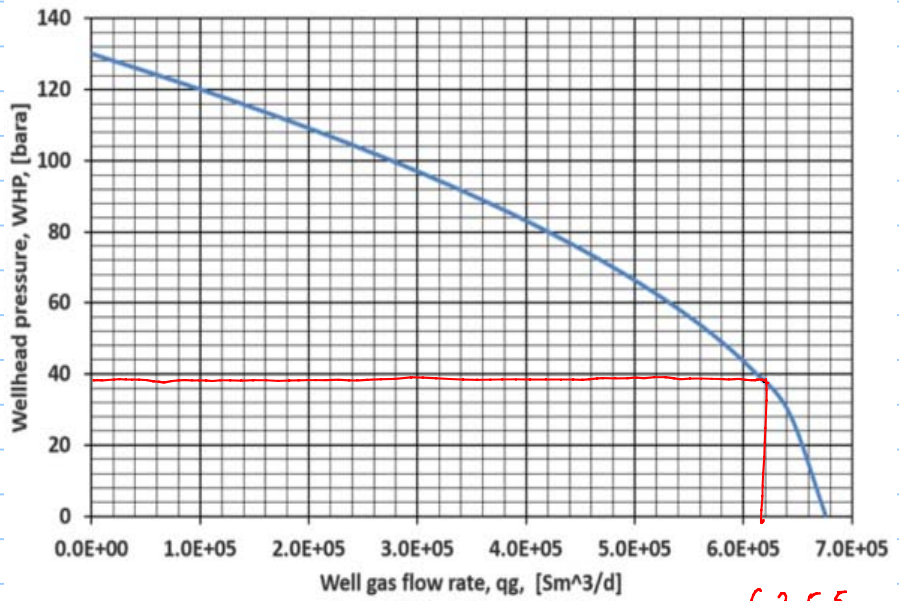
1.20E6

class exercise



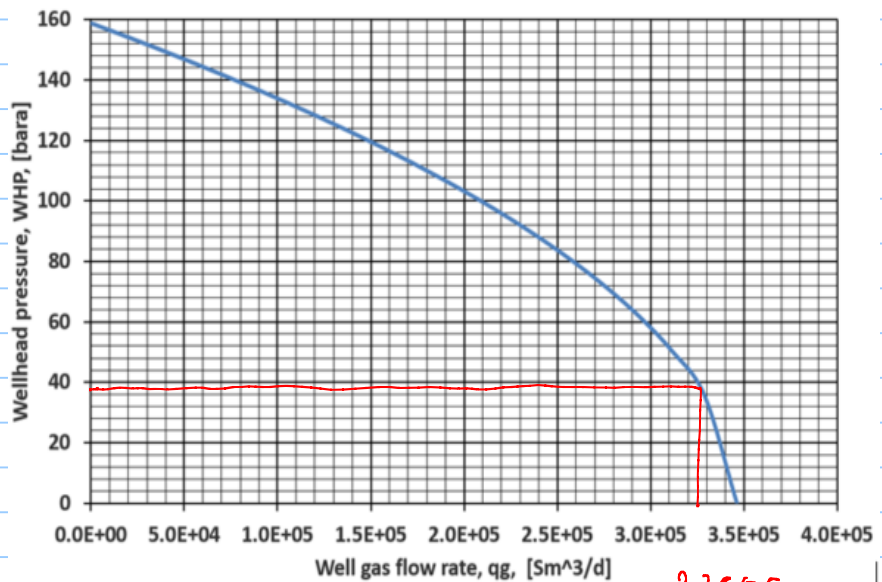
Iteration ③ assume $p_j = 28$ bara

wellhead performance relationship - Well 1



6.2 E5

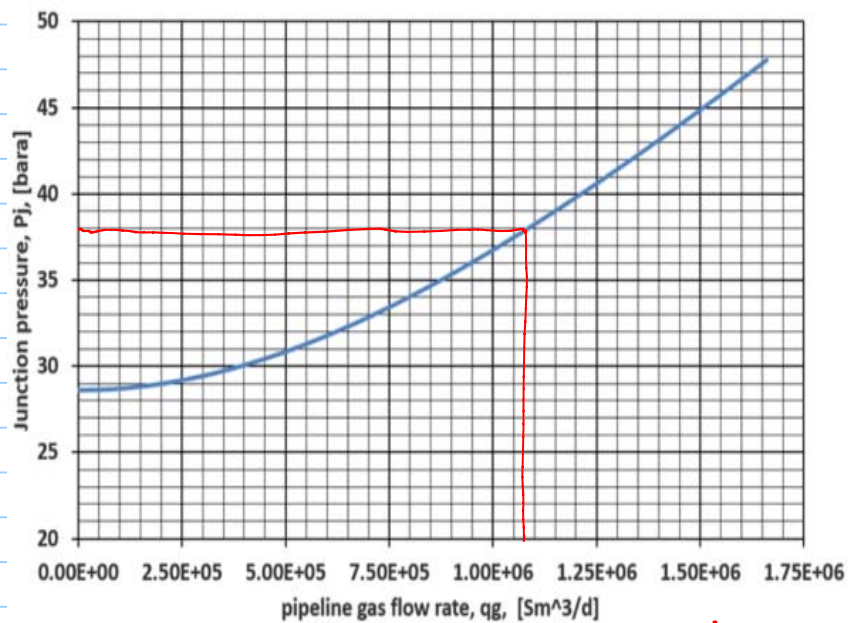
wellhead performance relationship - Well 2



3.25 E5

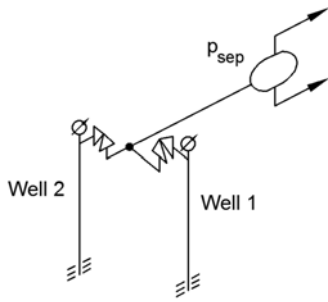
$q_1 + q_2 = 9.45 E 5 \text{ Sm}^3/\text{d}$

Pipeline performance relationship



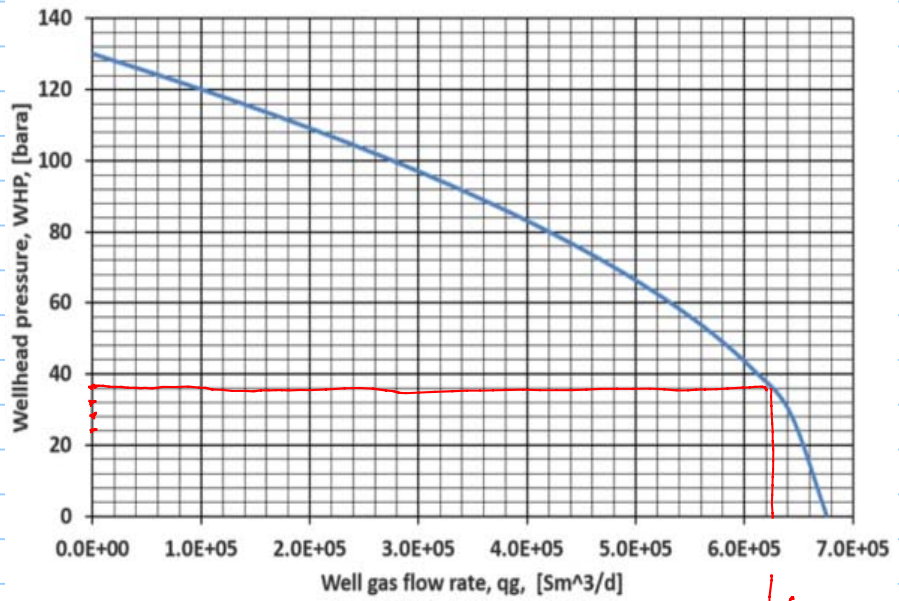
1.075 E6 Sm^3/d

class exercise



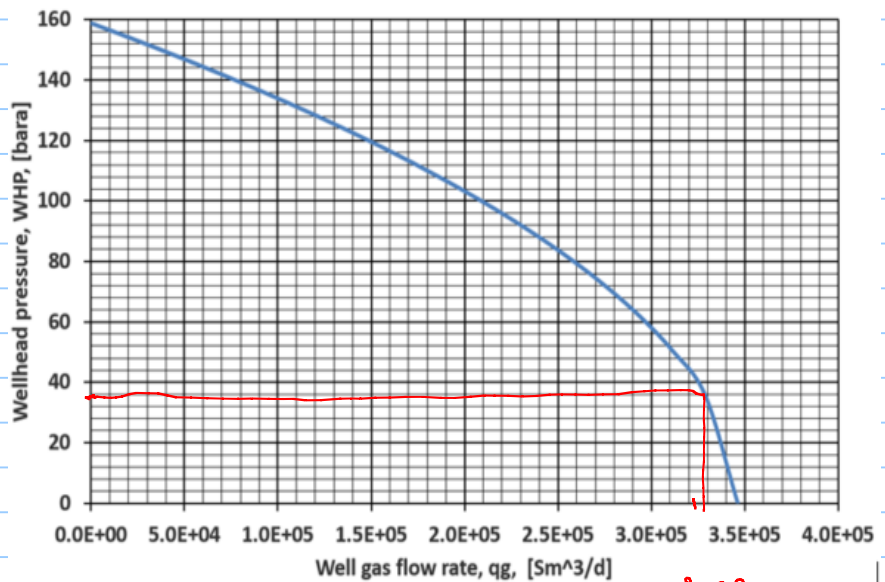
Iteration ④ assume $p_j = 26$ bara

wellhead performance relationship - Well 1



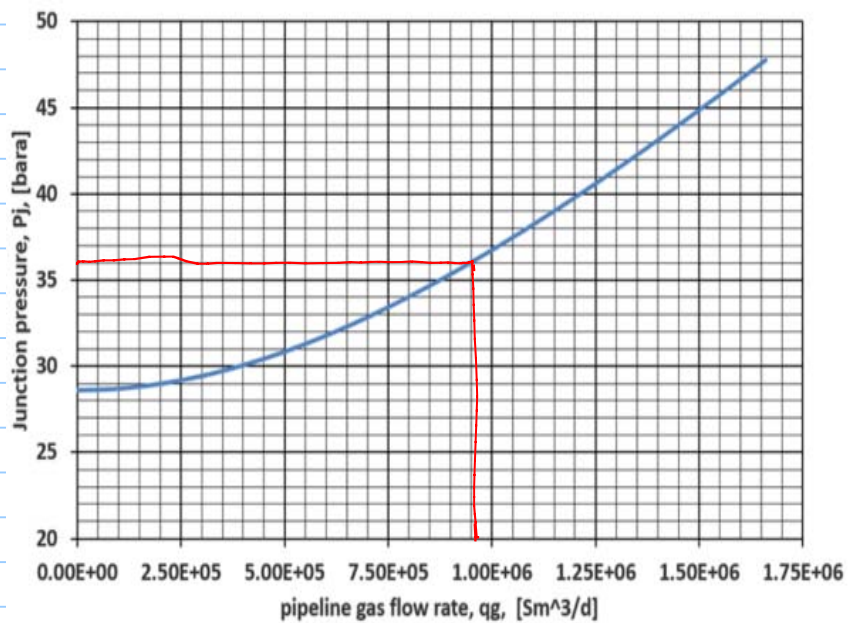
6.25E5

wellhead performance relationship - Well 2



3.28E5

Pipeline performance relationship



1.0E6

$q_1 + q_2 = 9.5 \text{ ES}$

f_1

$q_{field} = 9.5 \text{ ES}$

this is the equilibrium point
 ▼
 ○

Reservoir engineer asked to produce

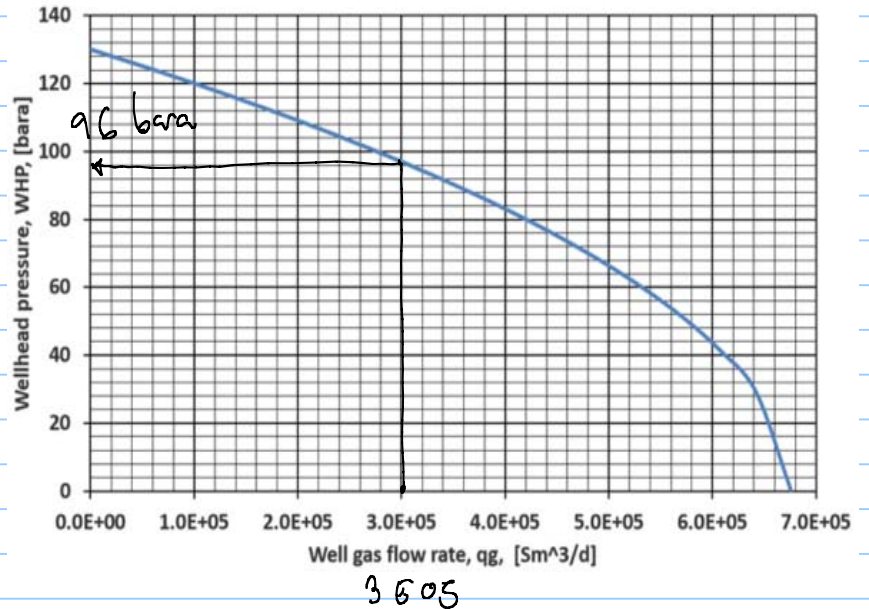
at $q_g =$

$$q_{11} = 3.55 \text{ Sm}^3/\text{d} < q_{12} = 6.25 \text{ Sm}^3/\text{d}$$

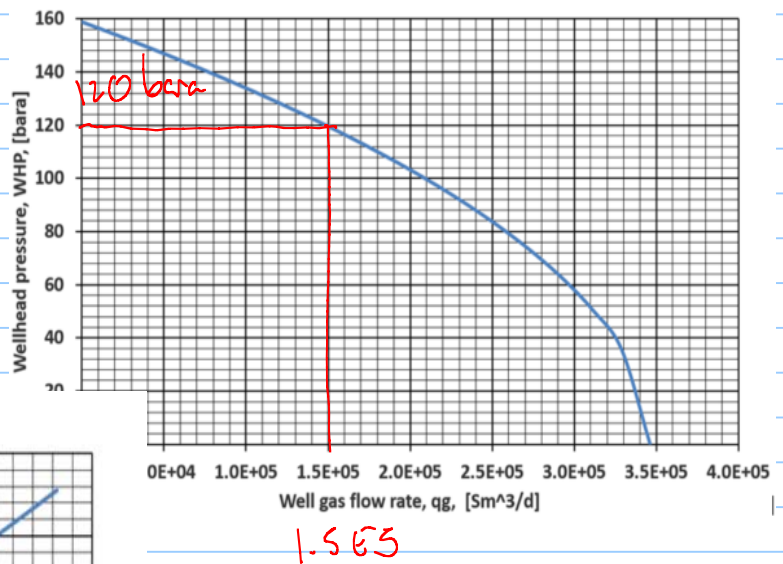
$$q_{21} = 1.5 \text{ Sm}^3/\text{d} < q_{22} = 3.26 \text{ Sm}^3/\text{d}$$

I have to chone wells

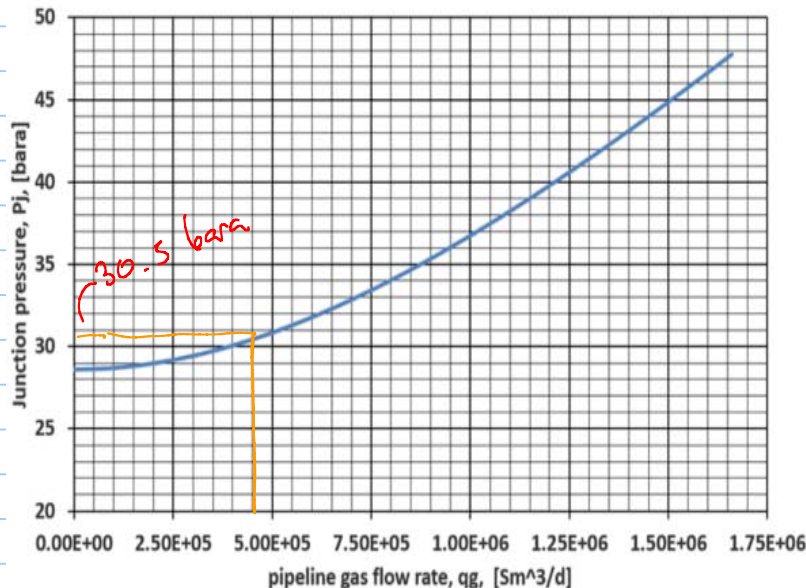
wellhead performance relationship - Well 1



wellhead performance relationship - Well 2

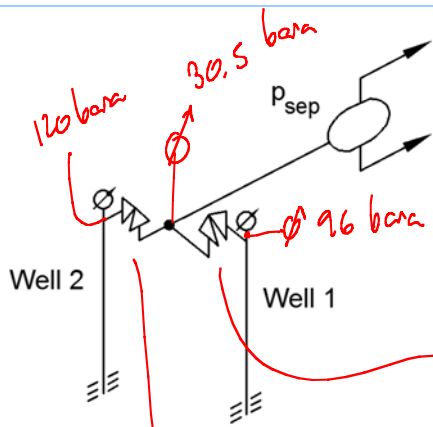


Pipeline performance relationship



$$q_{\text{flowline}} = 1.555 + 3.55$$

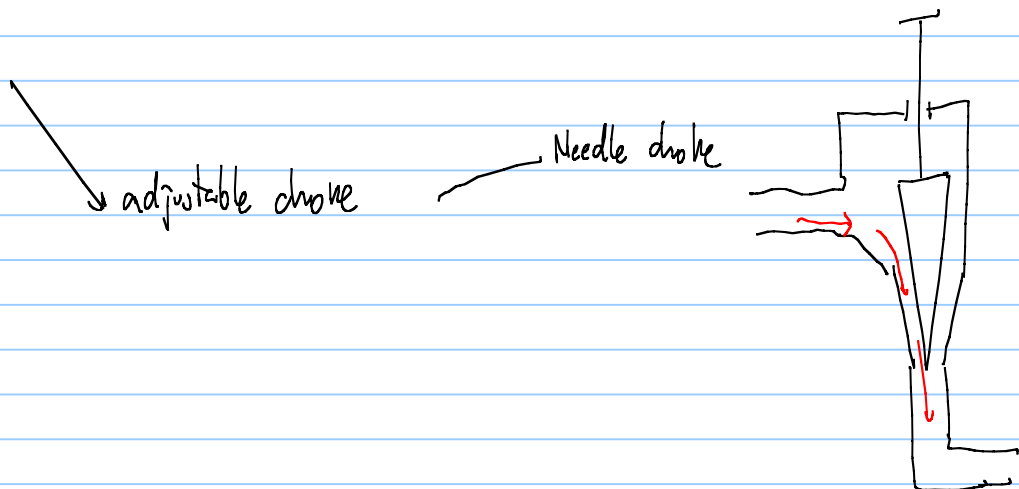
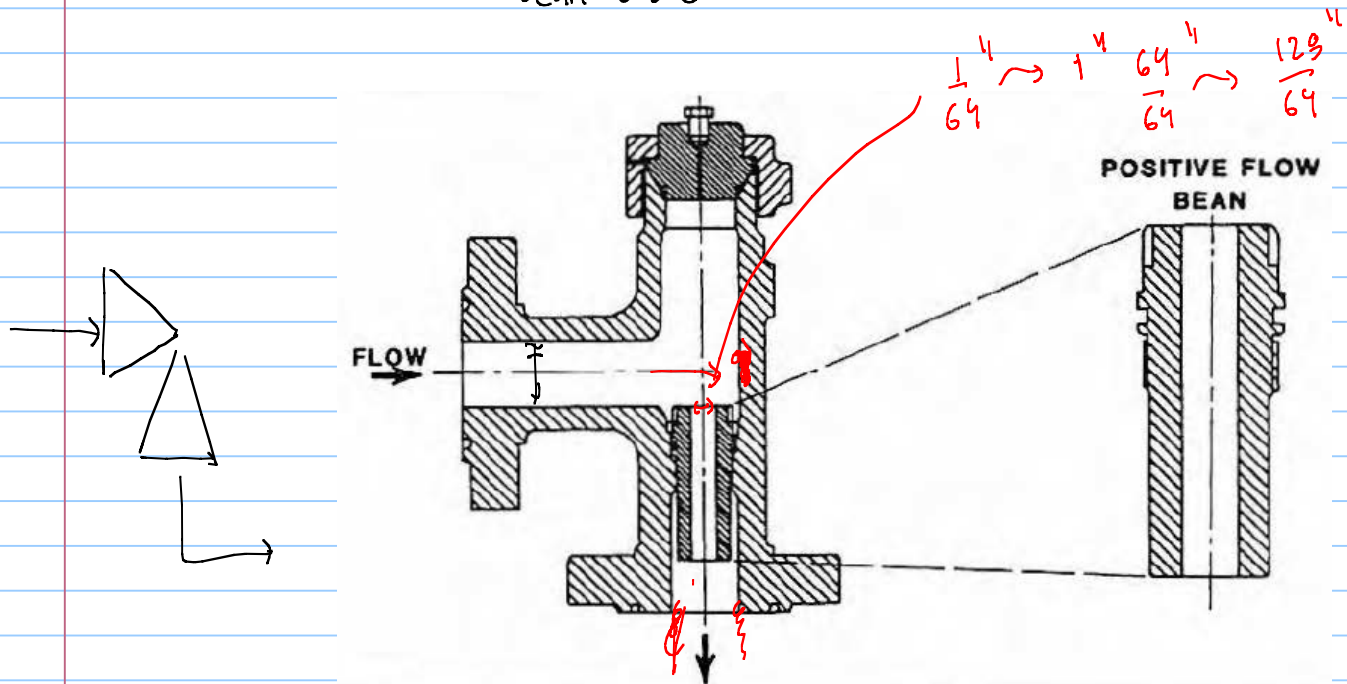
$$4.555 \text{ Sm}^3/\text{d}$$



choke well 1 $\Delta p = 96 - 30.5 \text{ bara} = 59.5 \text{ bar}$

choke well 2 $\Delta p = 120 - 30.5 \text{ bar} = 89.5 \text{ bar}$

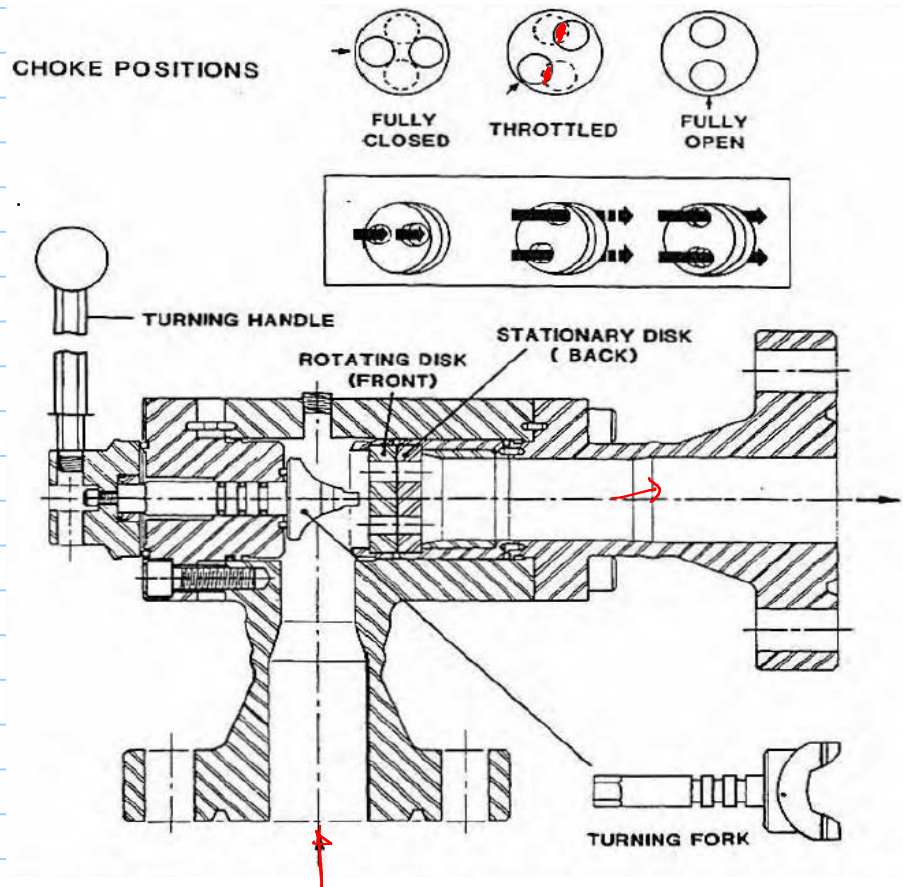
types
 Choke → Fixed opening
 bean choke



adjustable choke

Needle choke

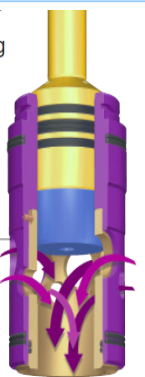
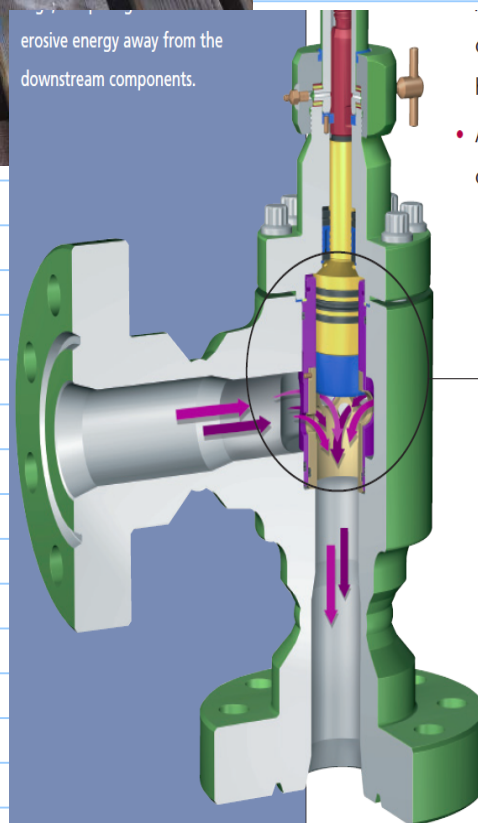
willis choke



eroseive energy away from the downstream components.

... range of operating conditions, including high sand concentrations.

- Available in manually operated or actuated models.



Control Choke
Cage-Style Trim Design

Cage choke

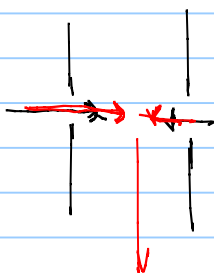
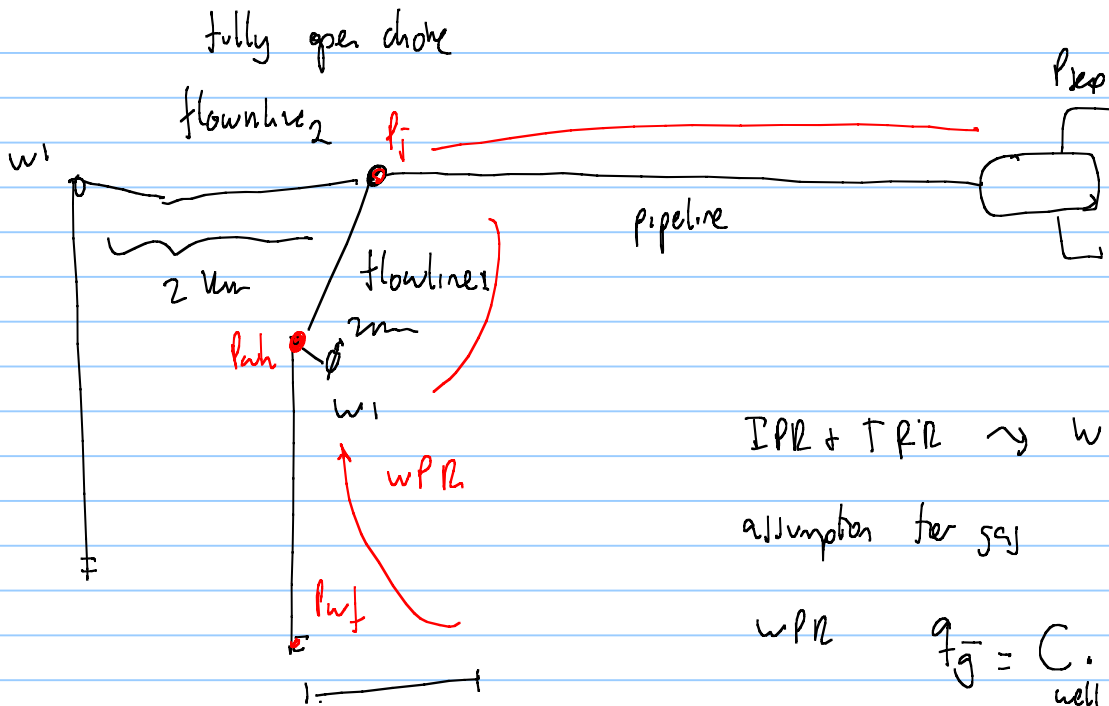


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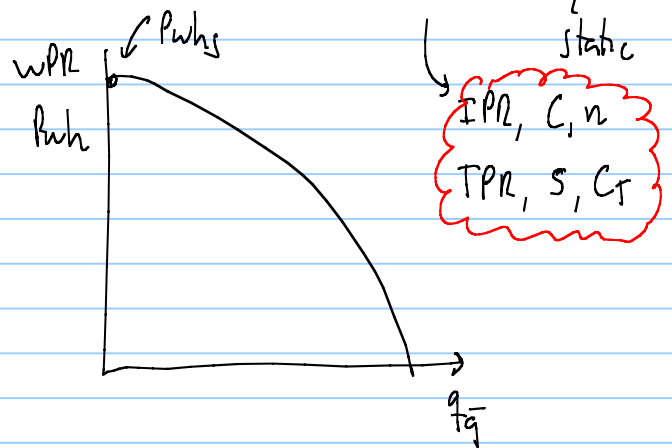
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External Sleeve Control Choke	3
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CC30 Control Choke	7
CC40 Control Choke	8
CC60 Control Choke	9
CC70 Control Choke	10
CC80 Control Choke	11
High Temperature and High Pressure	12



IPR + TPR \rightarrow wPR

assumption for eq approximation

$$wPR \quad q_{\bar{j}} = C_{\text{well}} \left(P_{whs}^2 - P_{whf}^2 \right)$$



Number of equations

wPR₁, wPR₂

$$q_{\bar{j}1} = C_{w1} (P_{whs1}^2 - P_{whf1}^2)$$

$$q_{\bar{j}2} = C_{w2} (P_{whs2}^2 - P_{whf2}^2)$$

$$q_{\bar{j}1} = C_{FL1} (P_{wf1}^2 - P_j^2)^{0.5}$$

$$q_{\bar{j}2} = C_{FL2} (P_{wf2}^2 - P_j^2)^{0.5}$$

$$q_{\text{field}} = C_{PL} (P_j^2 - P_{sep}^2)^{0.5}$$

$$q_{\text{field}} = q_1 + q_2$$

eq	new unknown	equations
1	2	$q_{\bar{j}1}, P_{whf1}$
2	2	$q_{\bar{j}2}, P_{whf2}$
3	1	P_j
4	0	
5	1	q_{field}
1	6	unknown

gas network m.xls

Surface Gas Network							
	P_{whs} , Shutin Wellhead Pressure	C_{wh} , Wellhead deliverability coefficient	C_{fl} coefficient, flowlines	P_{whf}	q_g	P_{jn}	Error ²
	bara	Sm ³ /D/bar ²	Sm ³ /D/bar	bara	Sm ³ /D	bara	
Well 1	130	40	8.67E+03				
Well 2	159	13.7	9.50E+03				
Psp, Separator	28.60		4.34E+04				
					Average=		

$$P_{sep} \leq P_{whf} \leq P_{whs}$$

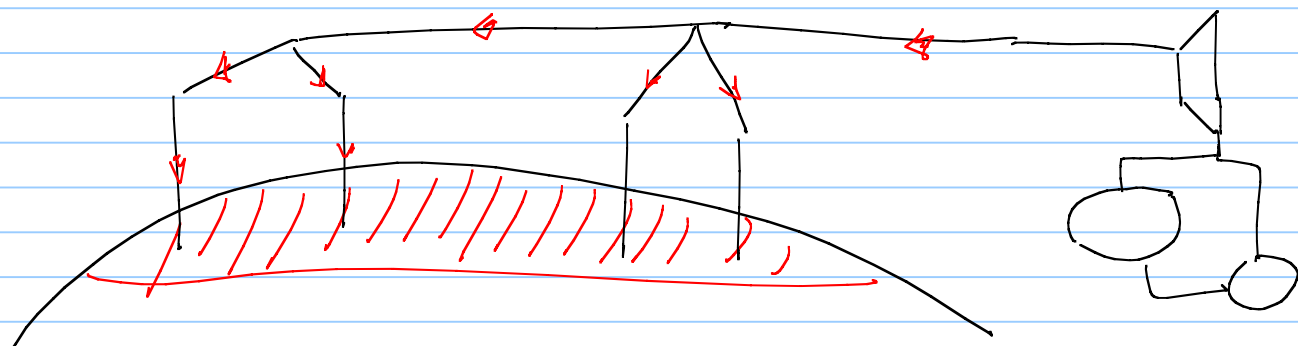
Surface Gas Network							
	P_{whs} , Shutin Wellhead Pressure	C_{wh} , Wellhead deliverability coefficient	C_{fl} coefficient, flowlines	P_{whf}	q_g	P_{jn}	Error ²
	bara	Sm ³ /D/bar ²	Sm ³ /D/bar	bara	Sm ³ /D	bara	
Well 1	130	40	8.67E+03	66.789	497.6E+3	34	1.9E-06
Well 2	159	13.7	9.50E+03	47.653	315.2E+3	34	8.7E-07
Psp, Separator	28.60		4.34E+04		812.8E+3	34	5.4E-06
					Average=	34	8.2E-06

other types of network

gas injection

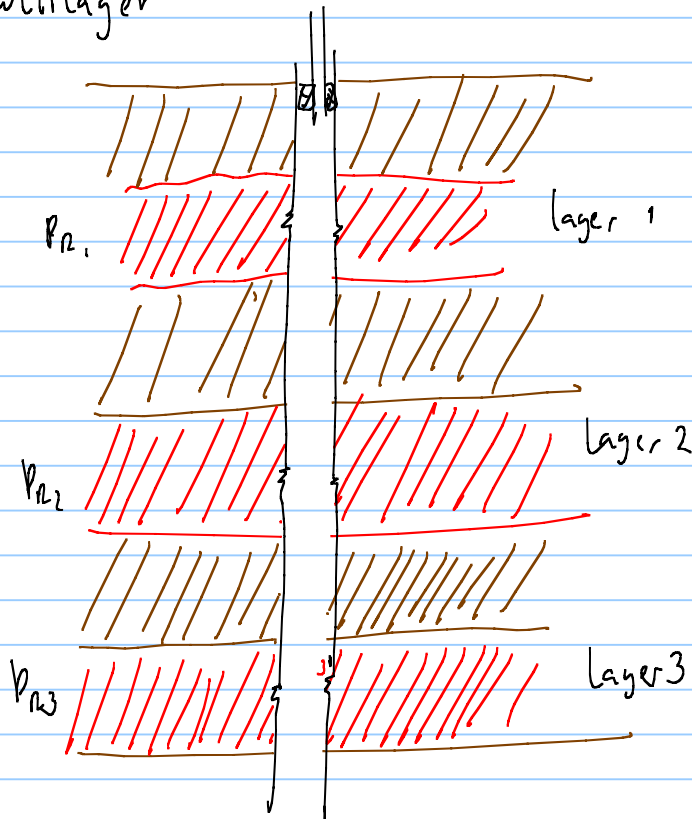
distribution network !

water injection network

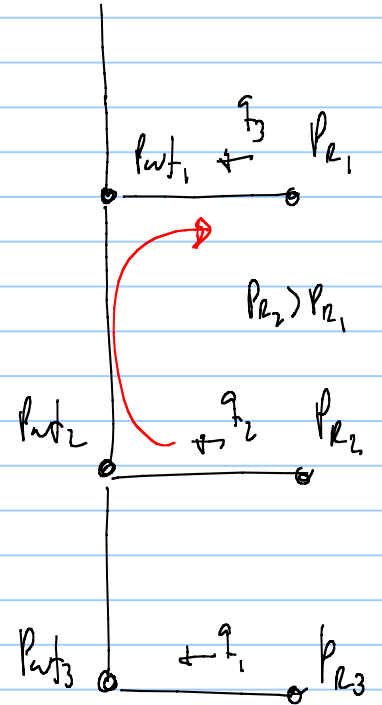


line analog

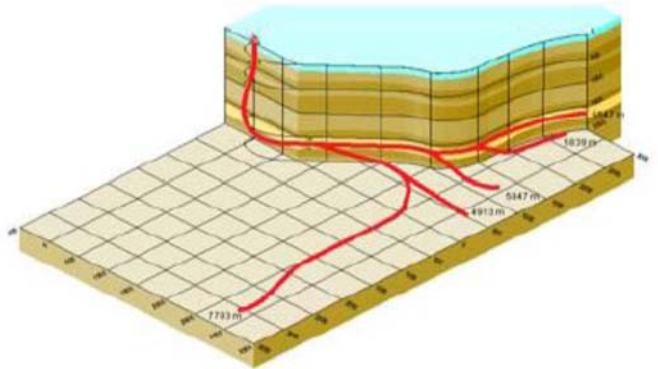
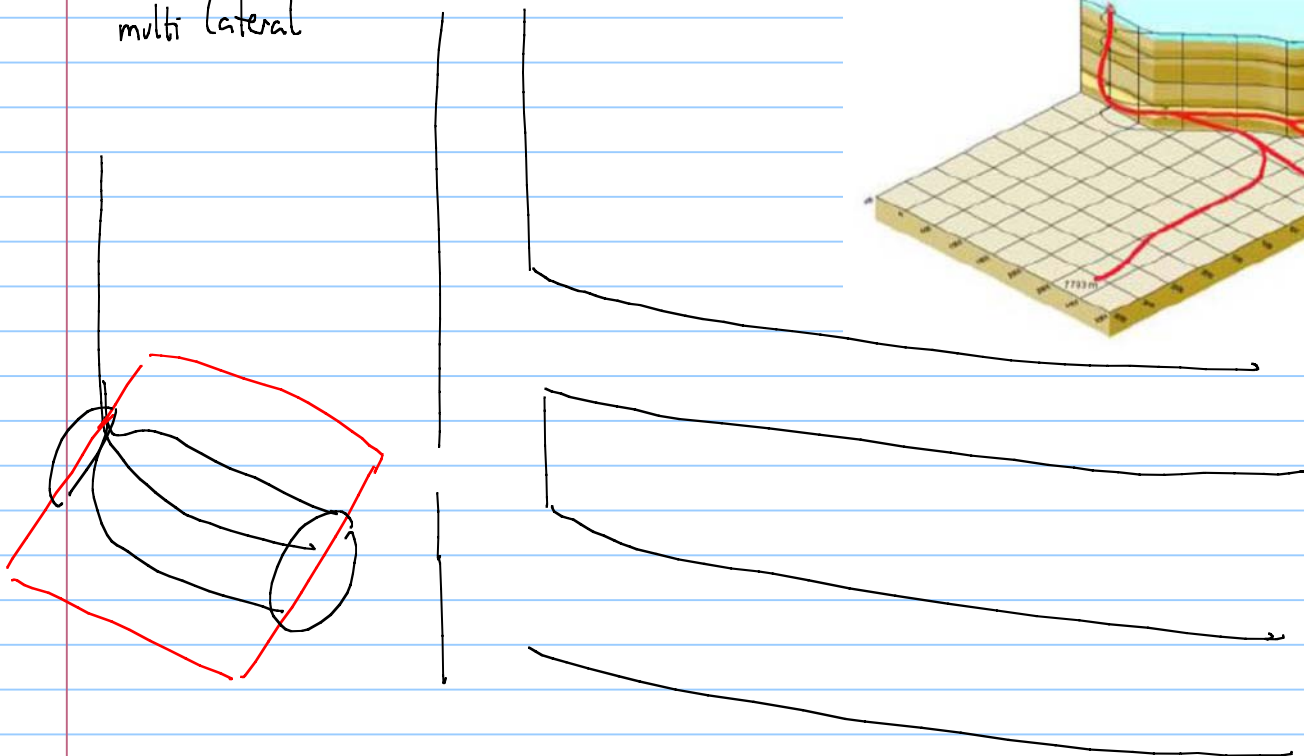
well multilayer



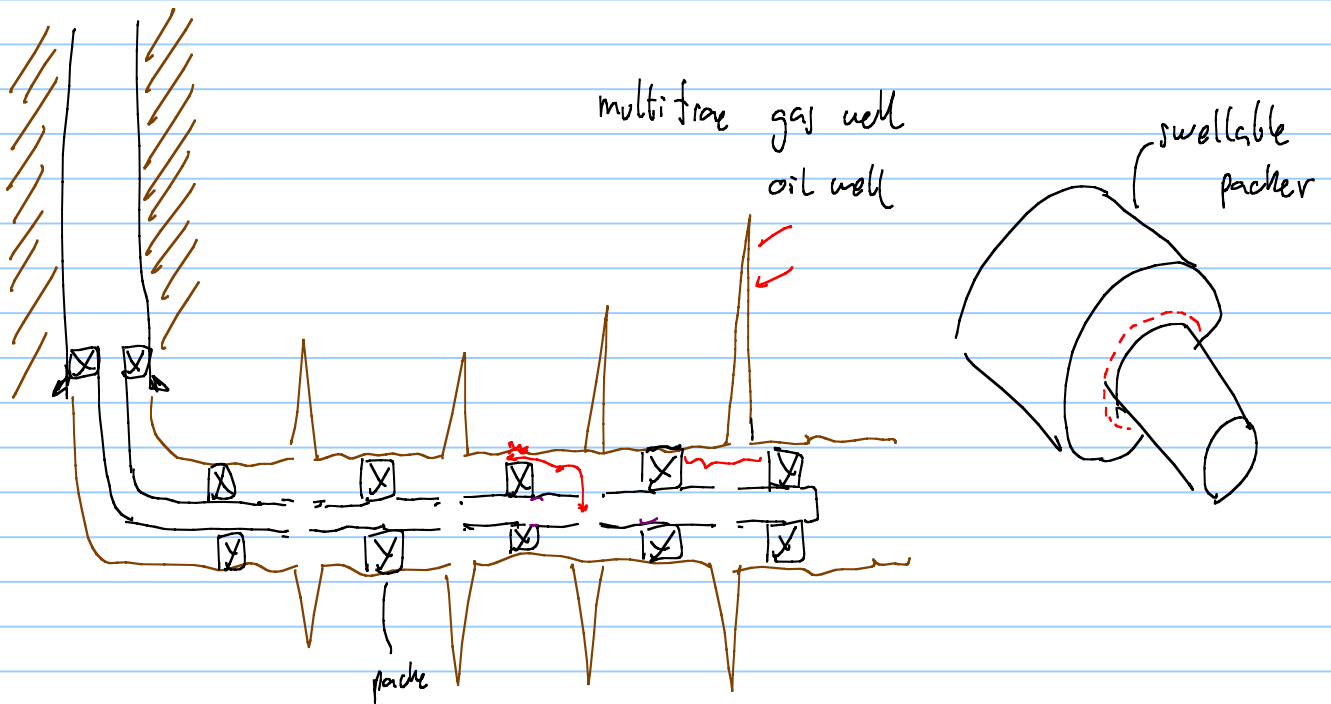
with closed well



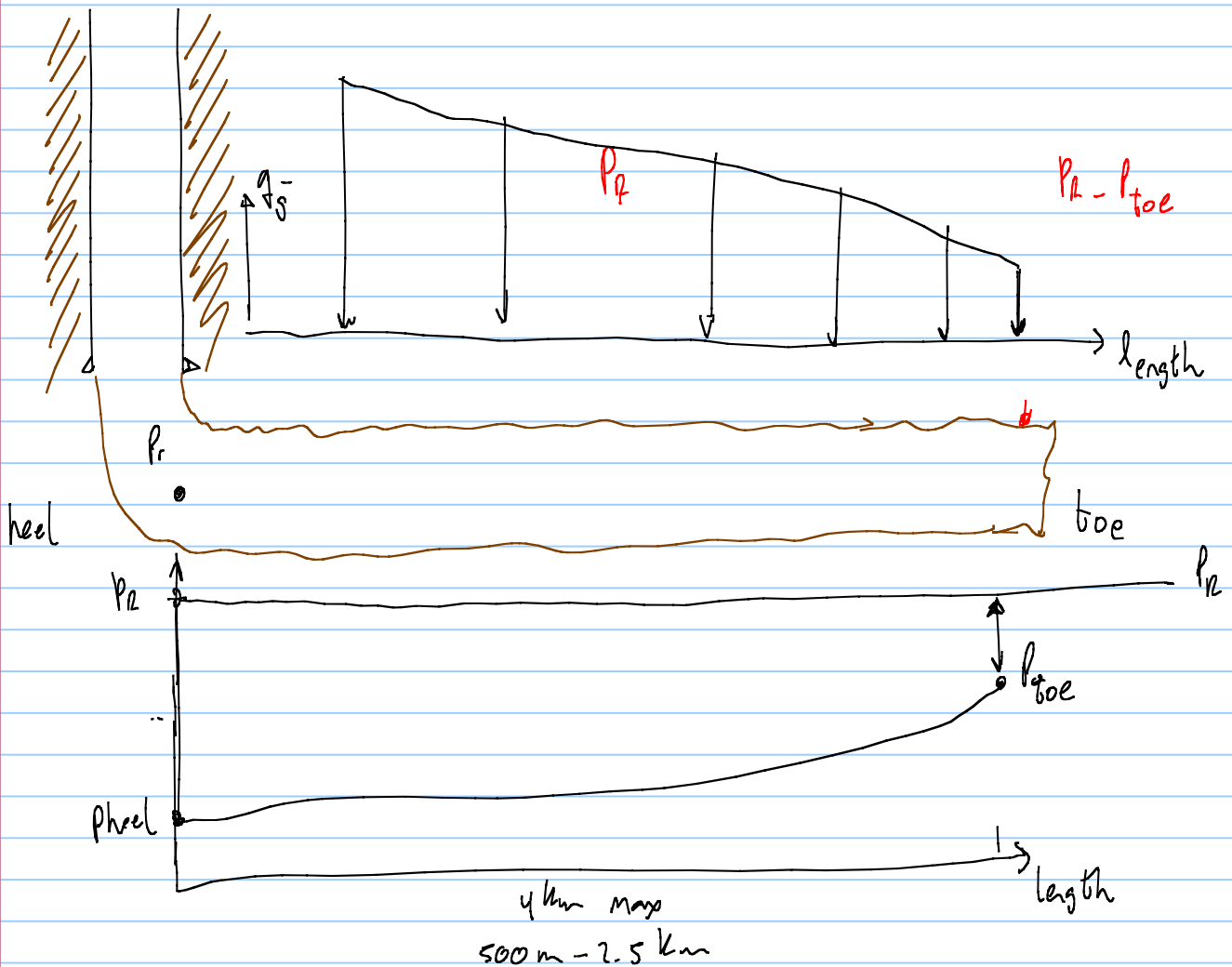
multi lateral

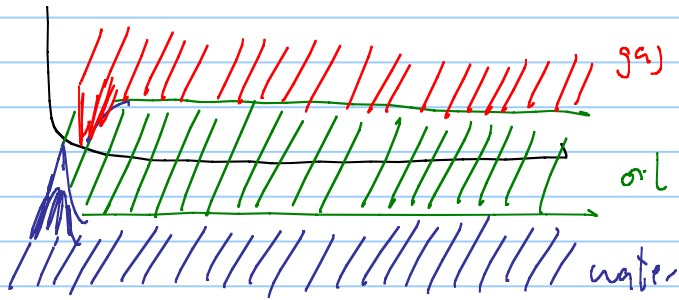


multisection horizontal well (shale gas) bright formations

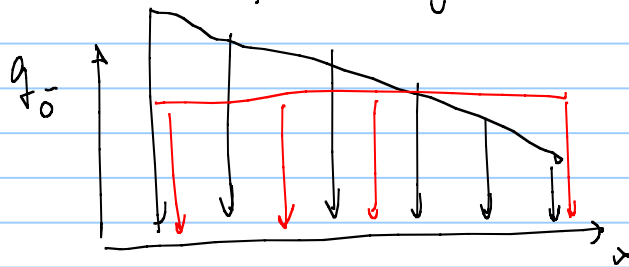


horizontal well with gas/water coning

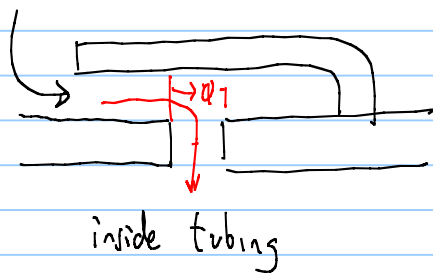
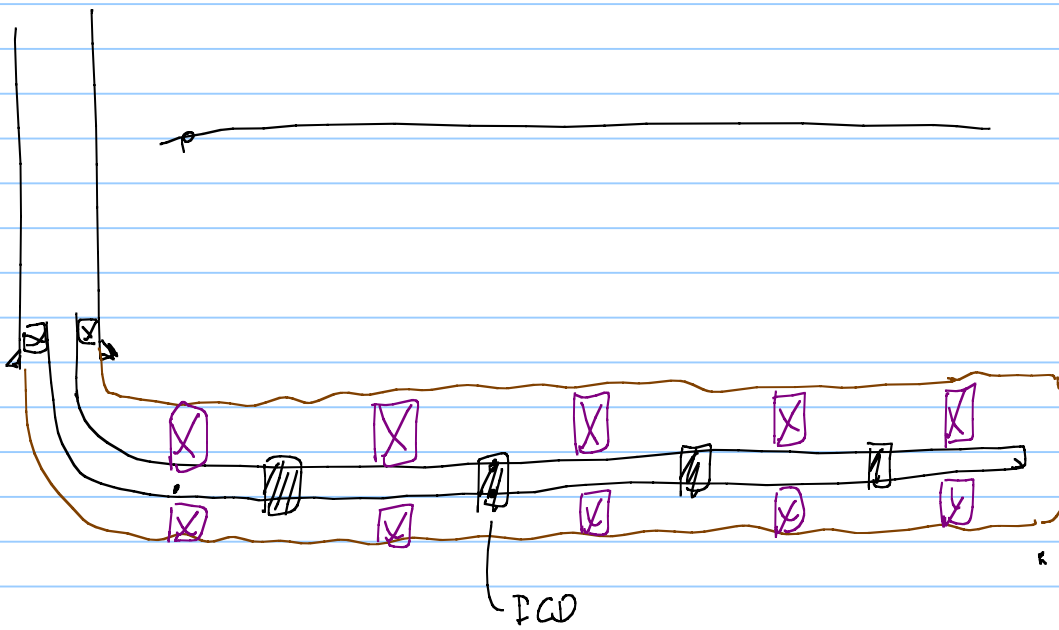




a measure to make more uniform along the well bore

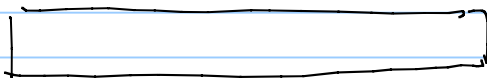


ICD inflow control device



for sections close heel Q is small

for section close to toe Q is big



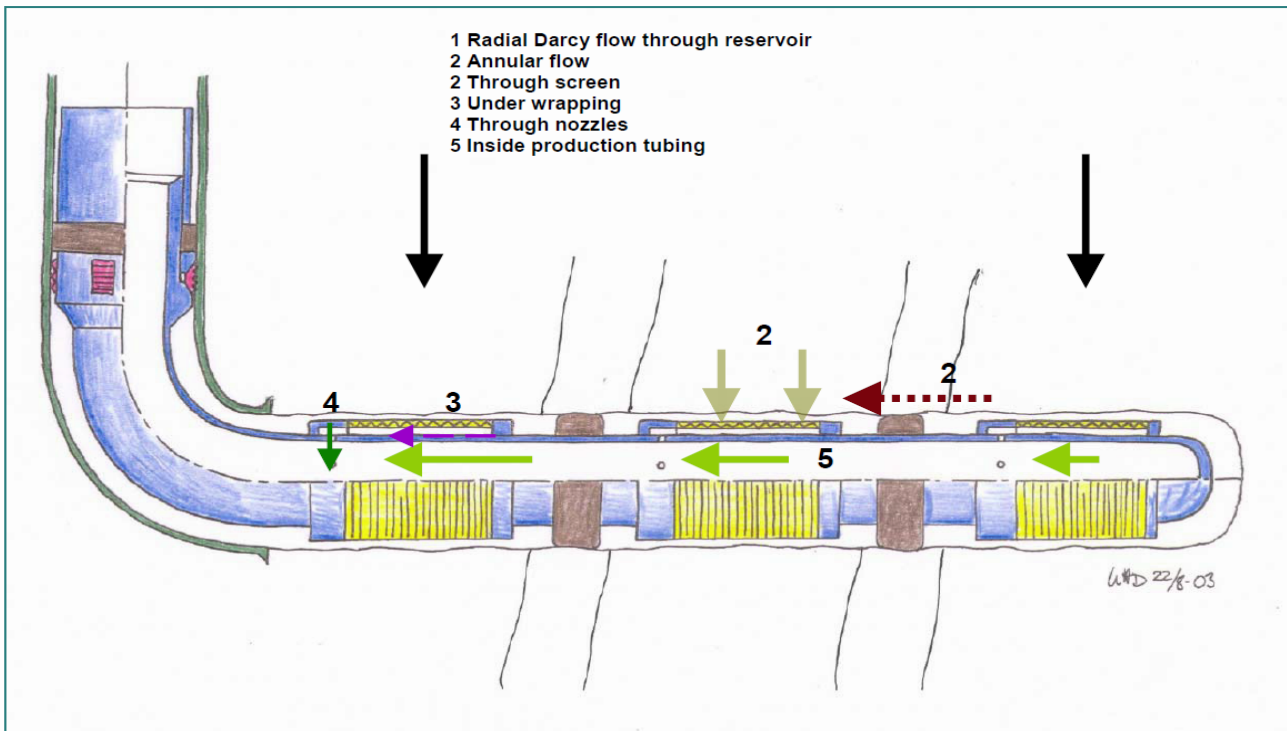
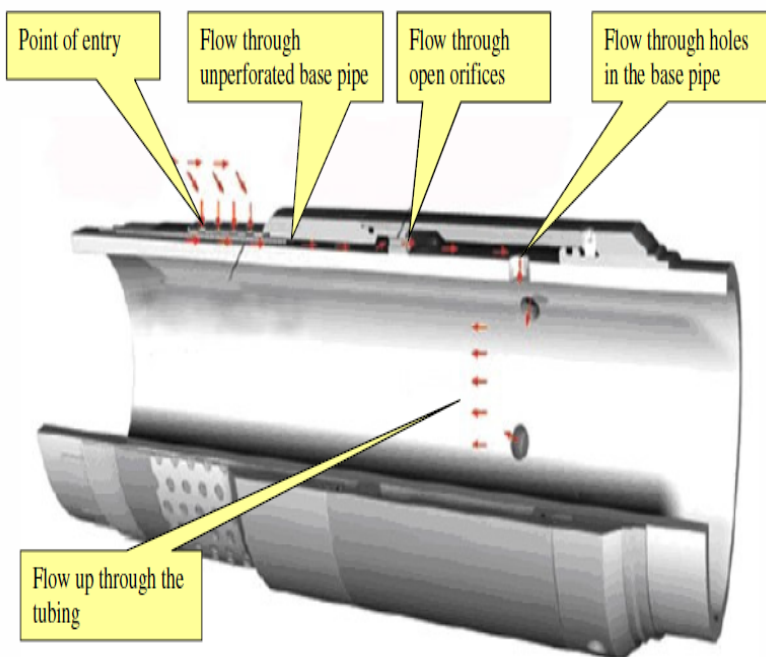
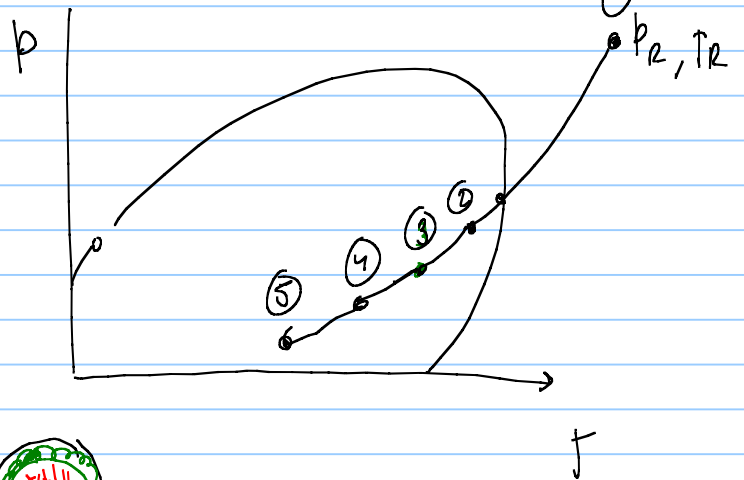
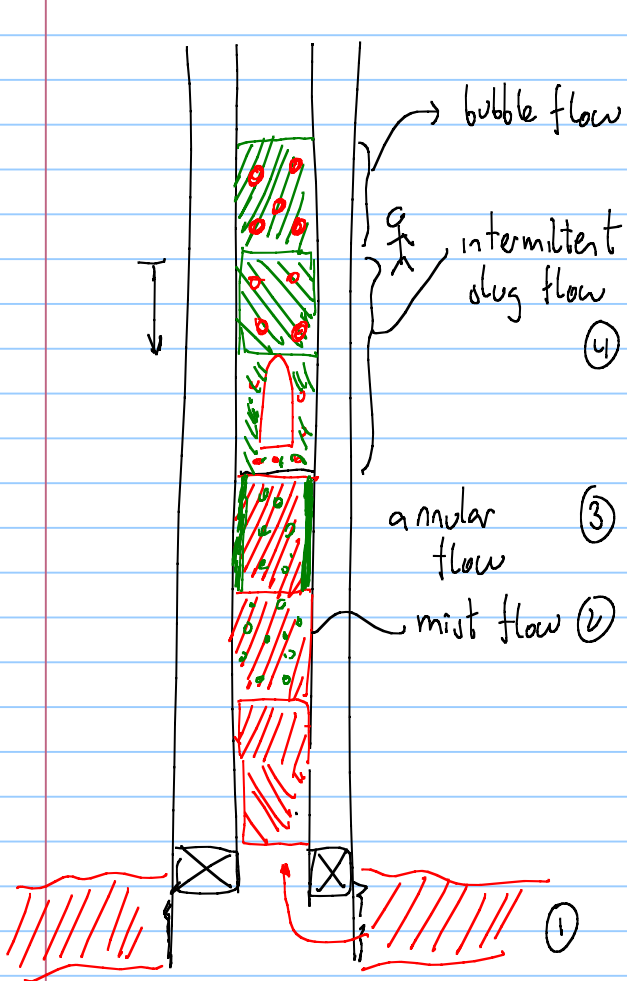


Figure-8 Functioning and interplay of an ICD completion architecture. Fluids enter the screen and flow between the axial wires and the un-perforated base pipe into the ICD housing, before passing through the nozzles and entering into the base pipe. All these flow issues are properly analyzed and put in the right perspective to achieve an optimal well completion design and solution.

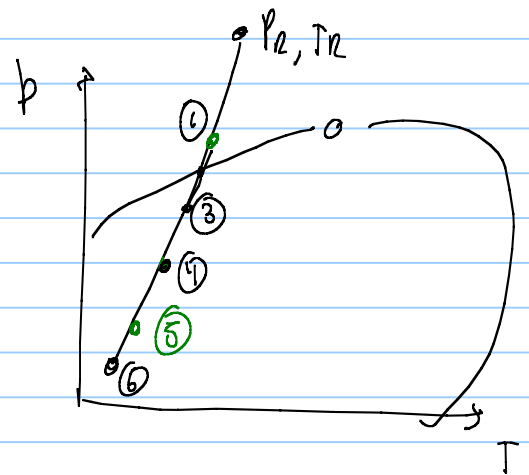
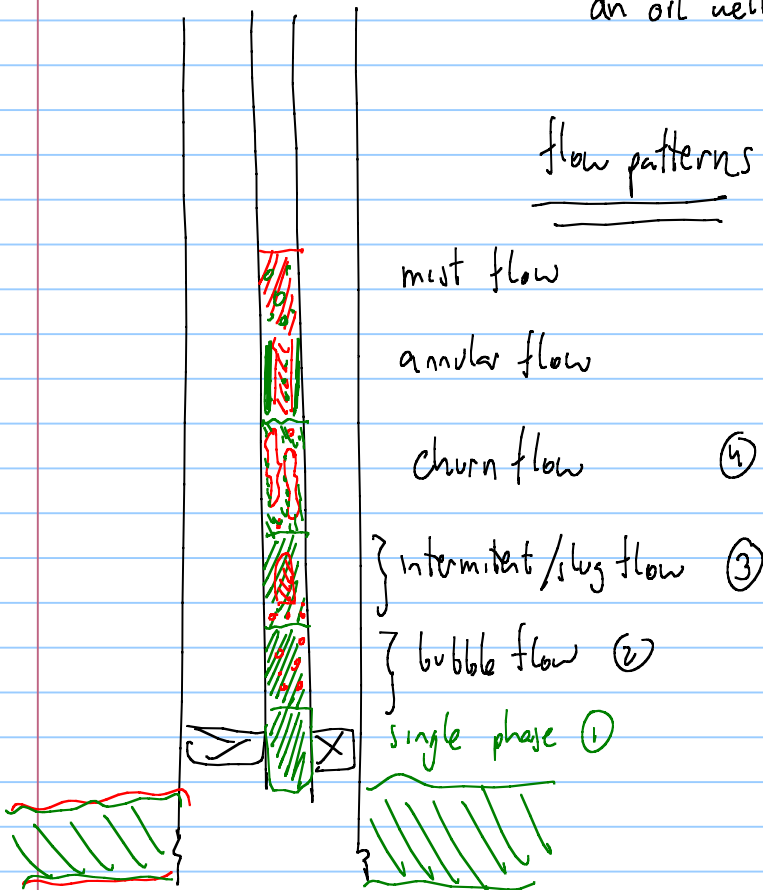


• IPR tubing performance relationship for saturated gas wells
oil wells

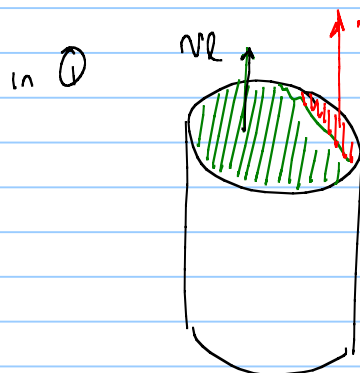
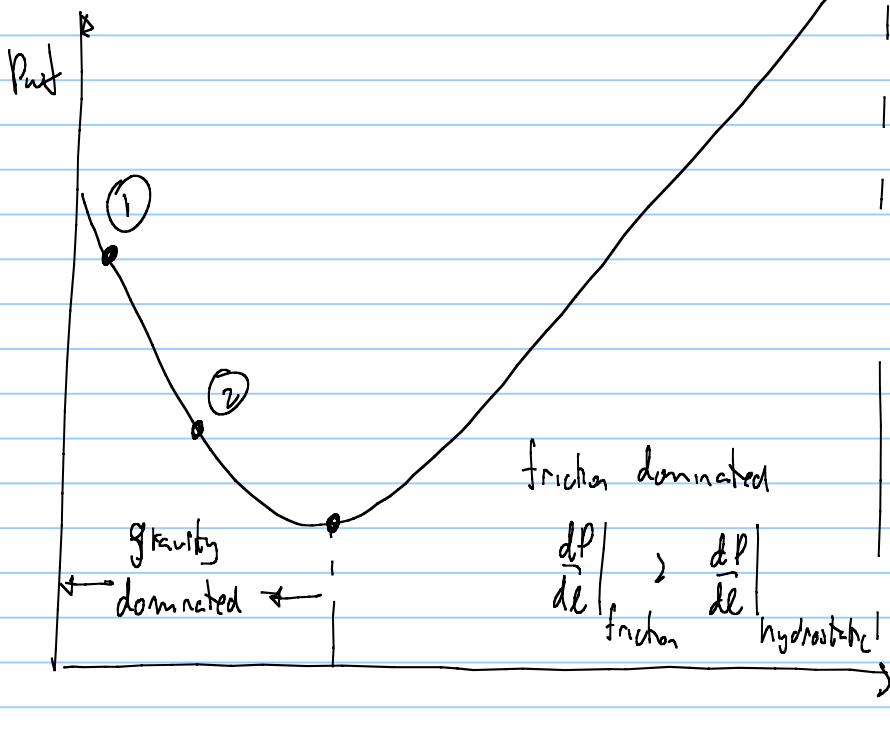


an oil well

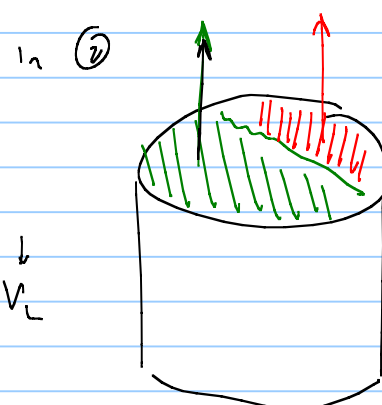
flow patterns in well.



JPR for multiphase flow (gas + liquids)

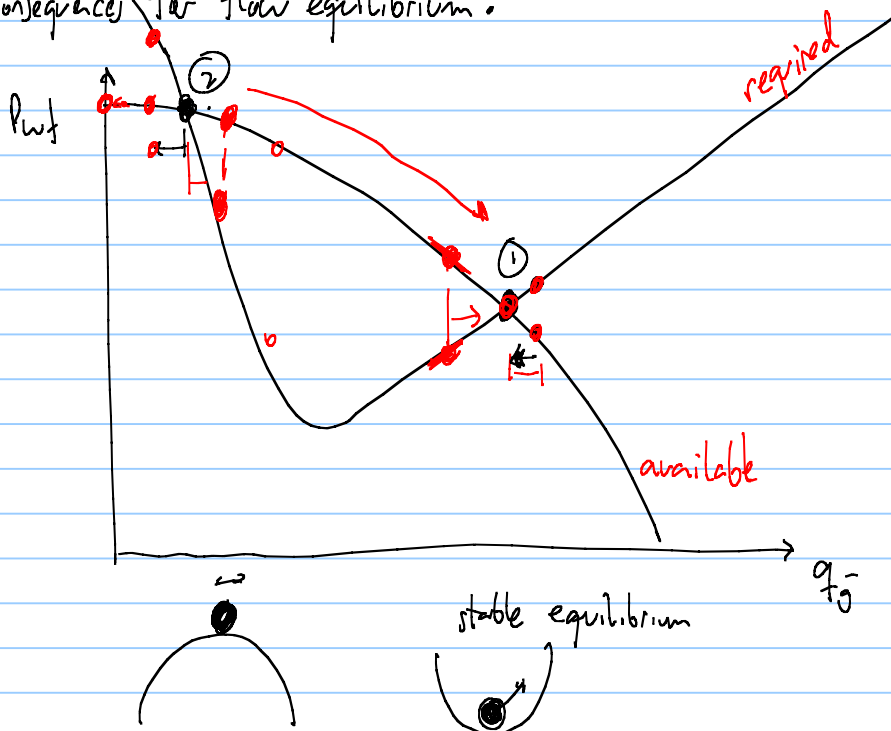


$P_m \approx P_L$
 $is const = q_L = A_L \cdot v_L$



$P_g \leq P_m \leq P_L$

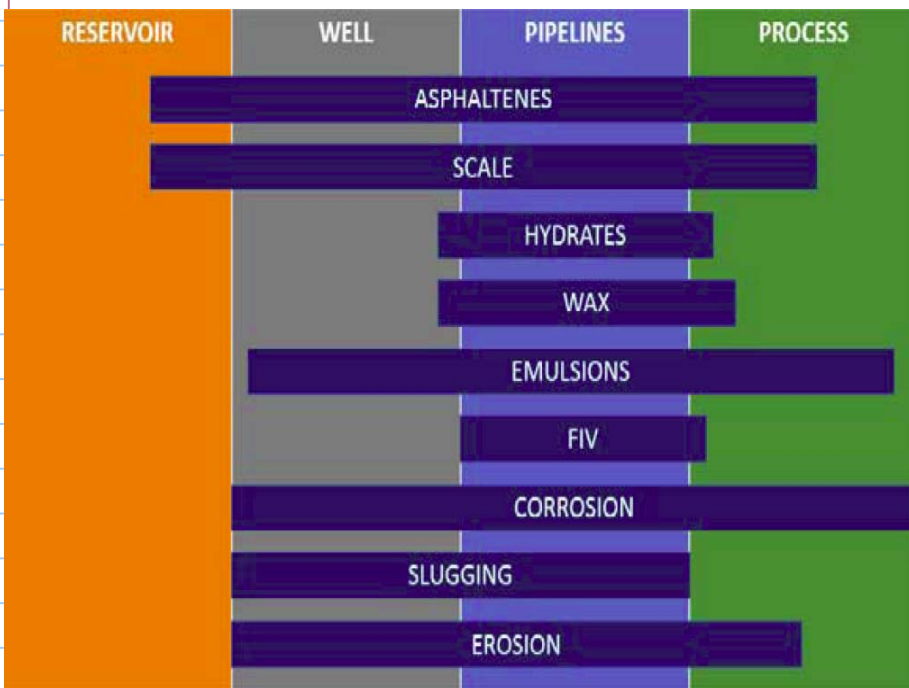
consequences for flow equilibrium?



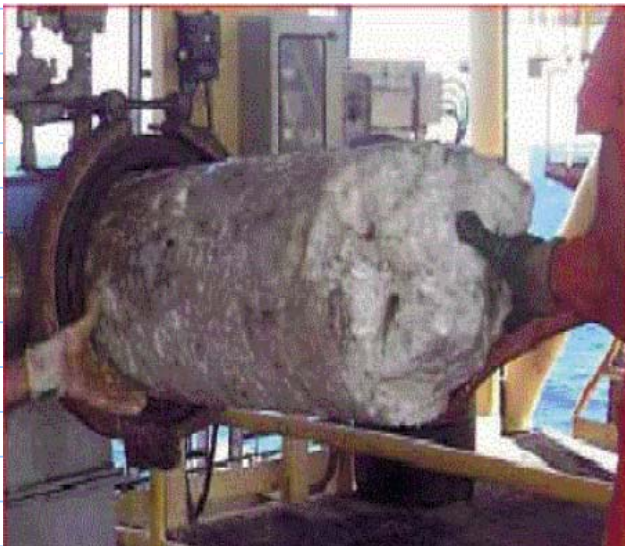
① ? or ② ?

q_o vs time \rightarrow (HPV)

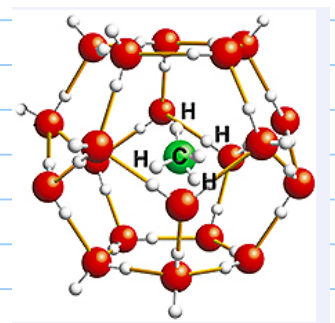
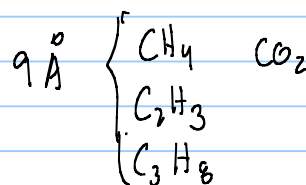
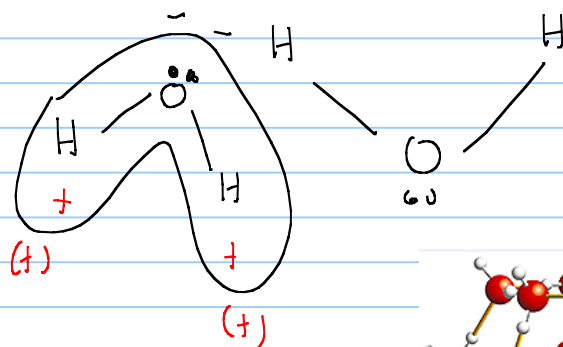
flow assurance measures that must be expected to ensure uninterrupted flow of hydrocarbon from reservoir to processing facilities

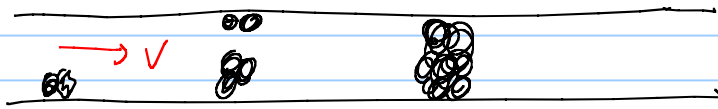


Hydrates when $T \downarrow$ or $T \downarrow p \uparrow$

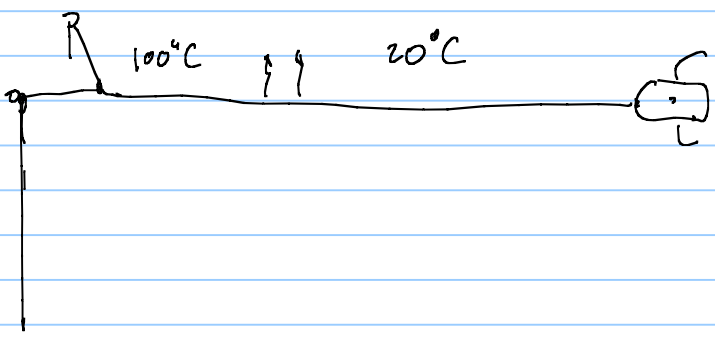
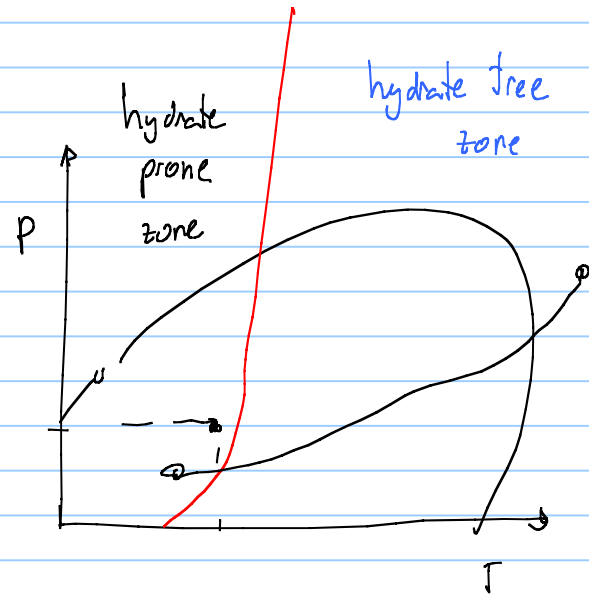


Solid substance Ice-like



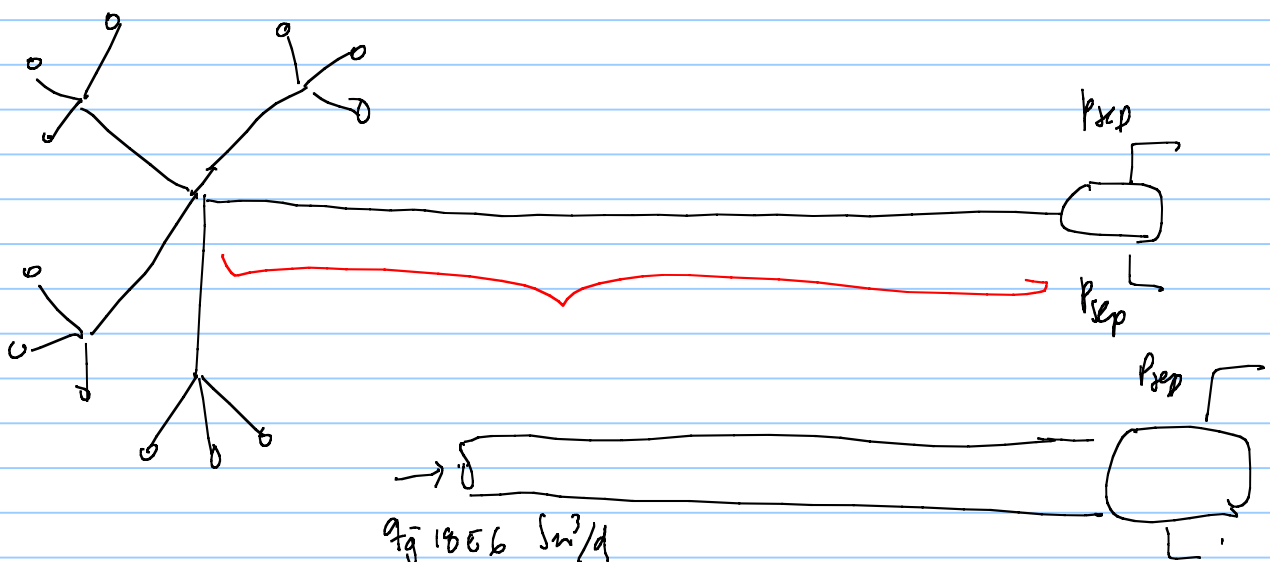


- 3 conditions :
- free water (liquid)
 - small hydrocarbon molecules
 - combination of P, T

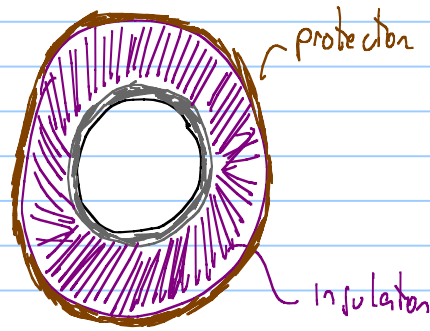


- During early studies : compute p, T along the main flowline and pipelines of the system and verify if p, T fall inside the hydrate region

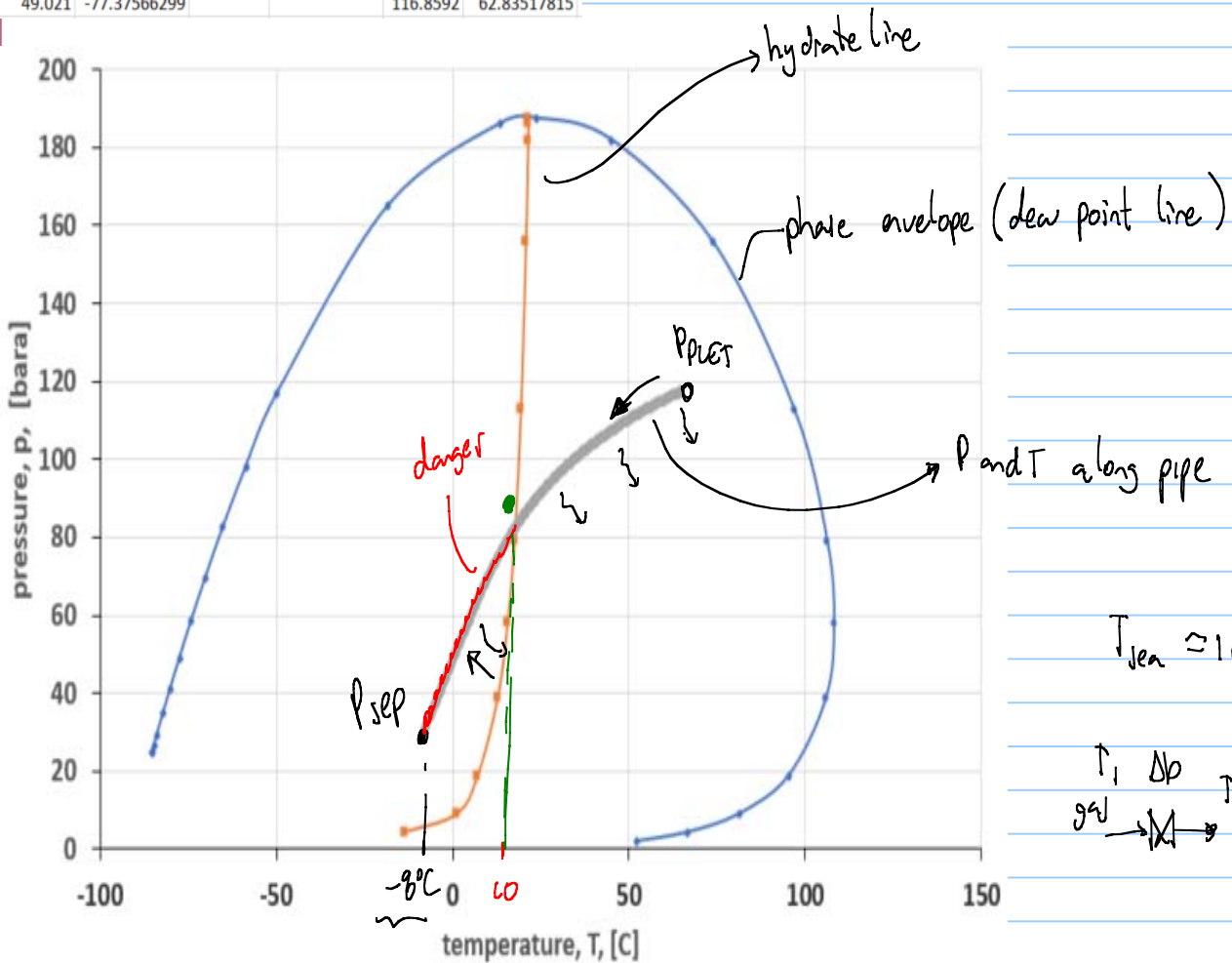
Class exercise Block 2 P-T along pipeline block 2.xls



Cross section of pipeline



Dewpoint		Hydrate line		Along pipeline	
Pressure [bar]	Temperature [C]	Pressure [bar]	Temperature [C]	Pressure [bar]	Temperature [C]
2.0265	52.22035802	4.290101	-13.54876609	117.7714	64.93461369
4.290101	66.44222041	9.00647	1.159792331	117.7207	64.81627631
9.00647	81.11490252	18.74151	7.084058334	117.67	64.69813059
18.74151	95.12805581	38.69453	12.72666664	117.6193	64.58018781
38.69453	105.7858643	57.98941	15.55421038	117.5687	64.46244765
57.98941	108.1106953	79.35551	17.48070774	117.518	64.34490977
79.35551	106.0997213	112.7726	19.3044054	117.4673	64.22757387
112.7726	96.8255477	155.7708	20.71587828	117.4166	64.11043961
155.7708	73.75418309	181.98	21.35377989	117.366	63.99350666
181.98	44.95253713	187.4592	21.47522294	117.3153	63.87677471
187.4592	23.9420427	186.1369	21.44591881	117.2646	63.76024342
186.1369	13.57588933			117.2139	63.64391247
164.9891	-18.39447037			117.1633	63.52778154
116.6442	-49.93281956			117.1126	63.4118503
98.07692	-58.58544804			117.0619	63.29611845
82.46519	-65.09938144			117.0112	63.18058563
69.33851	-70.15679231			116.9606	63.06525152
58.30131	-74.16140884			116.9099	62.9501158
49.021	-77.37566299			116.8592	62.83517815

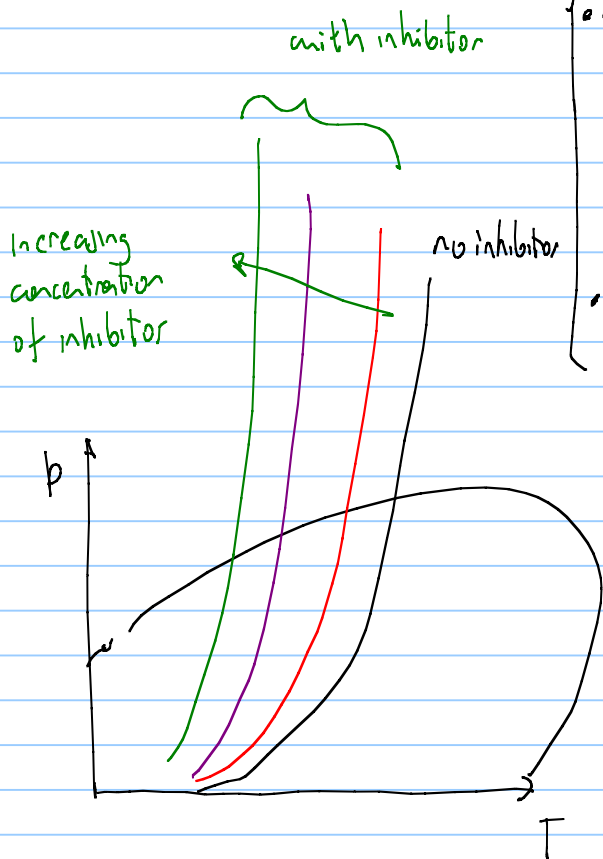
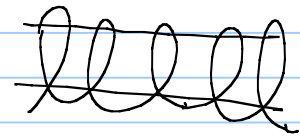


$$T_{den} \approx 10^{\circ}\text{C}$$

$$T_1 \gg T_2 \ll T_1$$

measures to avoid hydrates

- improve insulation USD ↑↑
 - electrical heating (heat tracing)
- not very economical for long pipes



- inject hydrate inhibitor MeOH methanol
- MEG mono-ethylene glycol
- TEG tri-ethylene glycol

typical concentration of inhibitor

40% → 60% weight

$$q_g = 18 \text{ EG Sm}^3/\text{d}$$

$$\text{WGR} = 6 \text{ EG Sm}^3/\text{d}$$

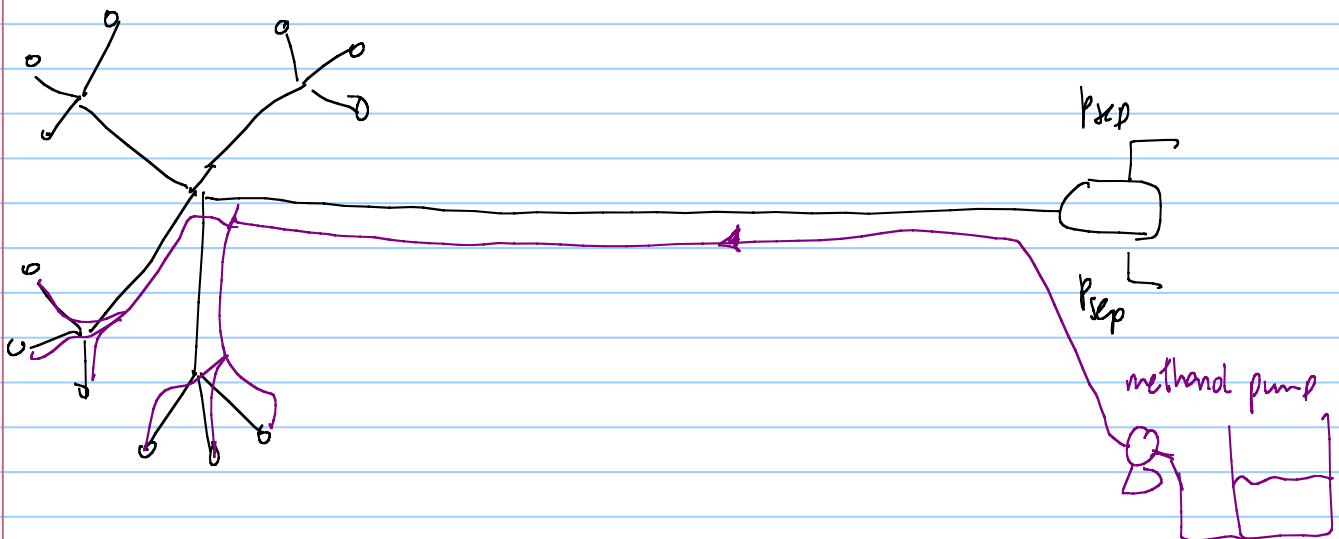
water gas ratio $\frac{q_w}{q_g}$

$$q_w = 108 \text{ Sm}^3/\text{d}$$

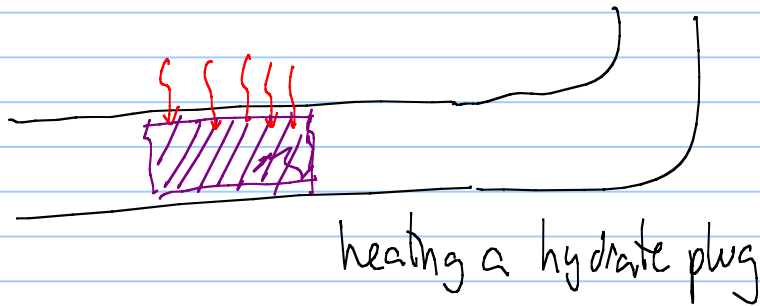
50% w MeOH 100 Sm³/d of methanol ≈ 180000 l/d

0.5 USD/l

≈ 90000 USD/d

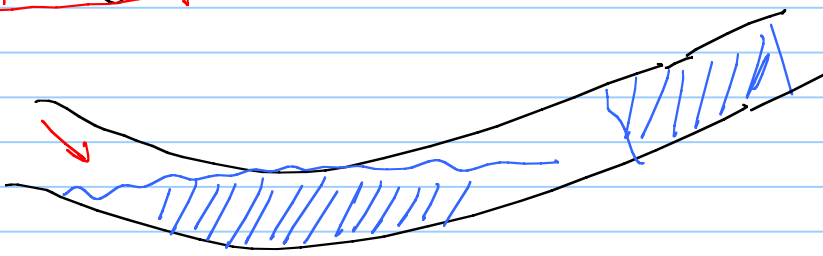


Increase Δp in pipe, cause blockage



heating a hydrate plug

Slugging



- Increase Δp reduction in production
- collapse and bottleneck separators
- structural fatigue and damage in flanges and risers

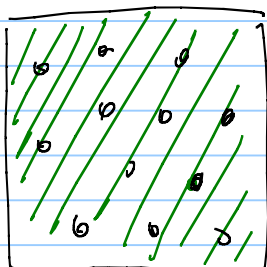
- Solutions: decrease ϕ pipe ($\uparrow \Delta p$)
- change pipeline trajectory (avoid trenches and lower points)
- dynamic control (topside chocking)

using $\left\{ \begin{array}{l} \text{OLGA, flow manager} \\ \text{LEDAFLOW} \end{array} \right.$

for field development flowlines and pipelines are simulated during the life of field to flag or detect problems with slugging!

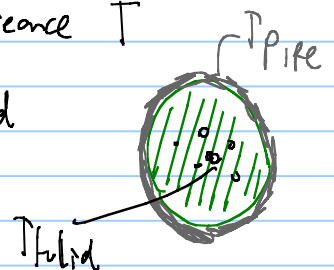
WAX

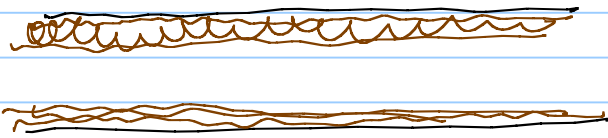
at low T (20°C) heavy alkane chains precipitate out of oil C_{18}^+



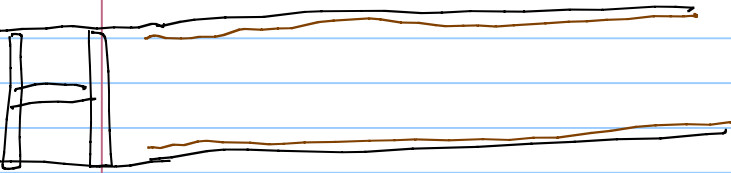
$T_{\text{cloud point (WAT) wax appearance}} > T_{\text{pipe wall}}$ is colder than fluid

$T_{\text{fluid}} > T_{\text{pipe}}$





Reduce the cross section
 Increase the Δp
 eventually cause pipe blockage



Pigging

If wax deposition is expected then pigging facilities must be included and regular pigging must be performed

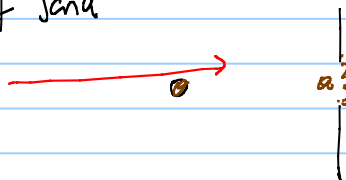


Prevention:

- pig the pipe (lose production)
 - insulation
 - heat tracing
 - wax inhibitors
- } traditional methods

EROSION

- high fluid velocities
- presence of sand



- main solution:
- reduce rate (lose production)
 - increase ϕ (increase cost)
 - for some components change dimensions

Scale

→ with water production

Minerals dissolved in water come out of solution and precipitate on pipe wall, choke, valve

K, Na, Mg, Ca, Ba, Fe

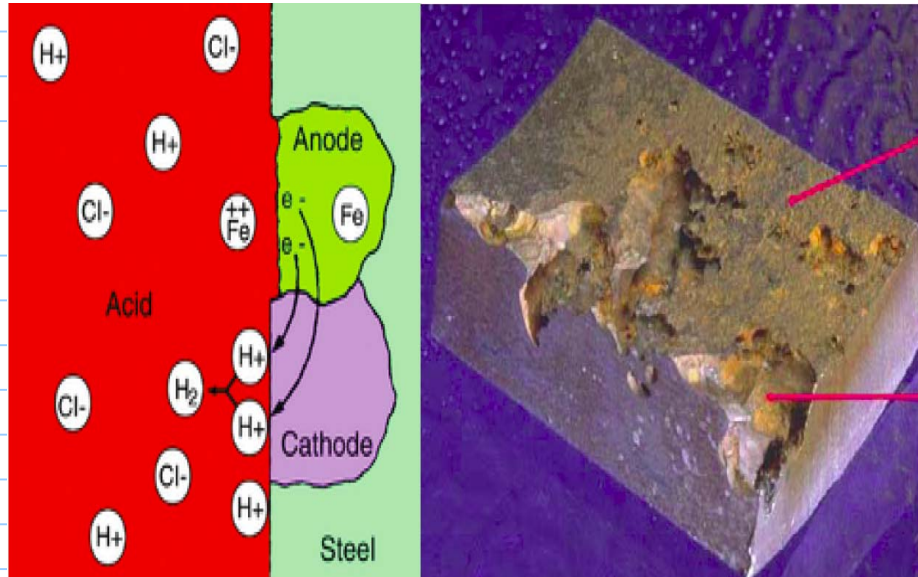
- Changes of P, T
 - ↑ increased
 - ↓ reduced
- Mix water from different sources
 - ~ (CO_3^{2-}) → can be dissolved with chemicals
 - salt water + production water
 - (SO_4^{2-}) → mechanically removed



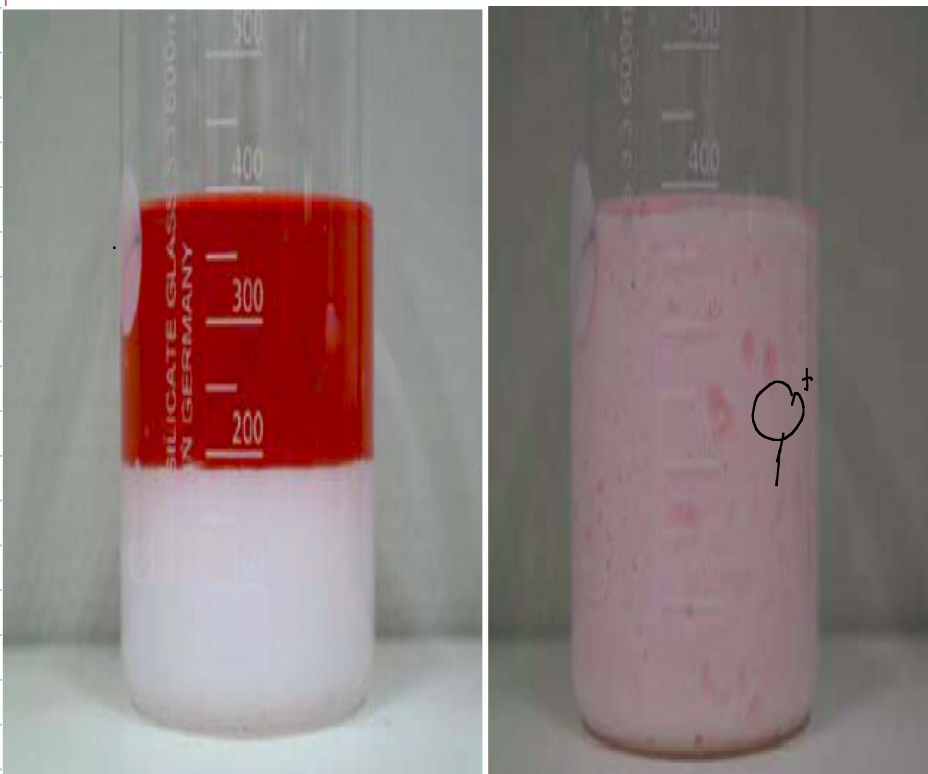
- creates blockage
- creates high ΔP
- affects equipment functionality (valves, Downhole safety valve)

prevention: scale inhibitor.

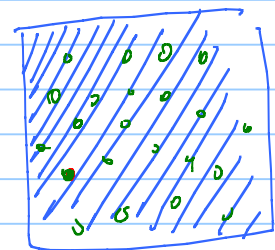
• Corrosion water + metal



• Oil + water emulsion

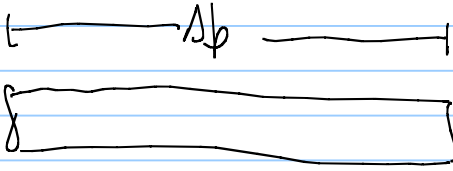


stable dispersion



after vigorous stirring

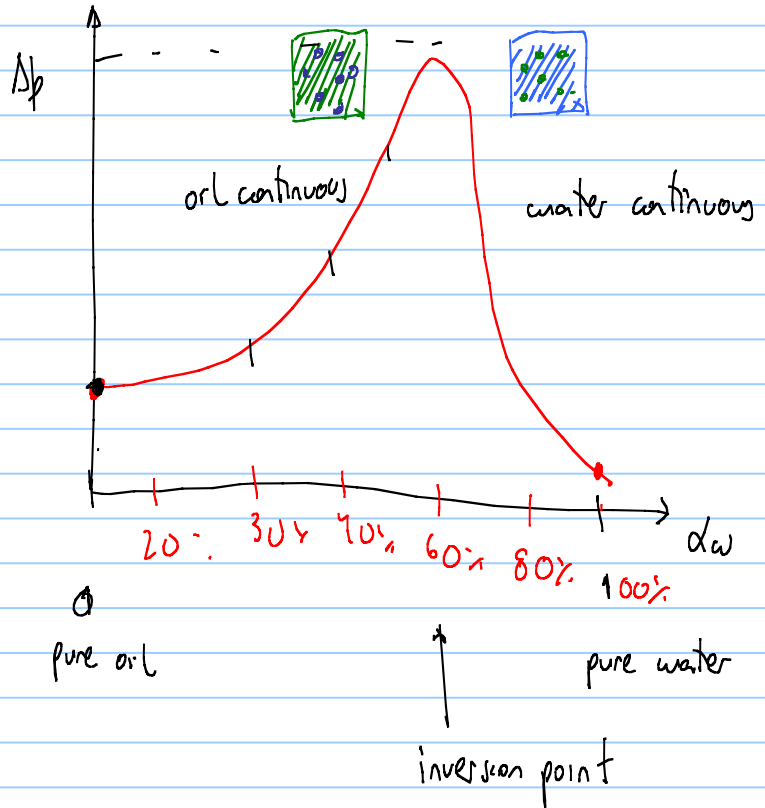




$$\alpha_w = \frac{V_{oi}}{V_T}$$

1 pure water
0 pure oil

emulsion also affect separation time in processing facilities. ⚠



Course end! ⚠

thanks for your active participation.

5 days, 25 hrs of class

10 exercises