

## DECLINE CURVE ANALYSIS (DCA) $\Leftrightarrow$ Mat. Bal. Production Forecasting Tool

- o Arps Eq. (Empirical) 1945.

$\xi$   
Rate Eqs.  
(IPR | BPE)

- o Fetkovich 1973 (1980 JPT)

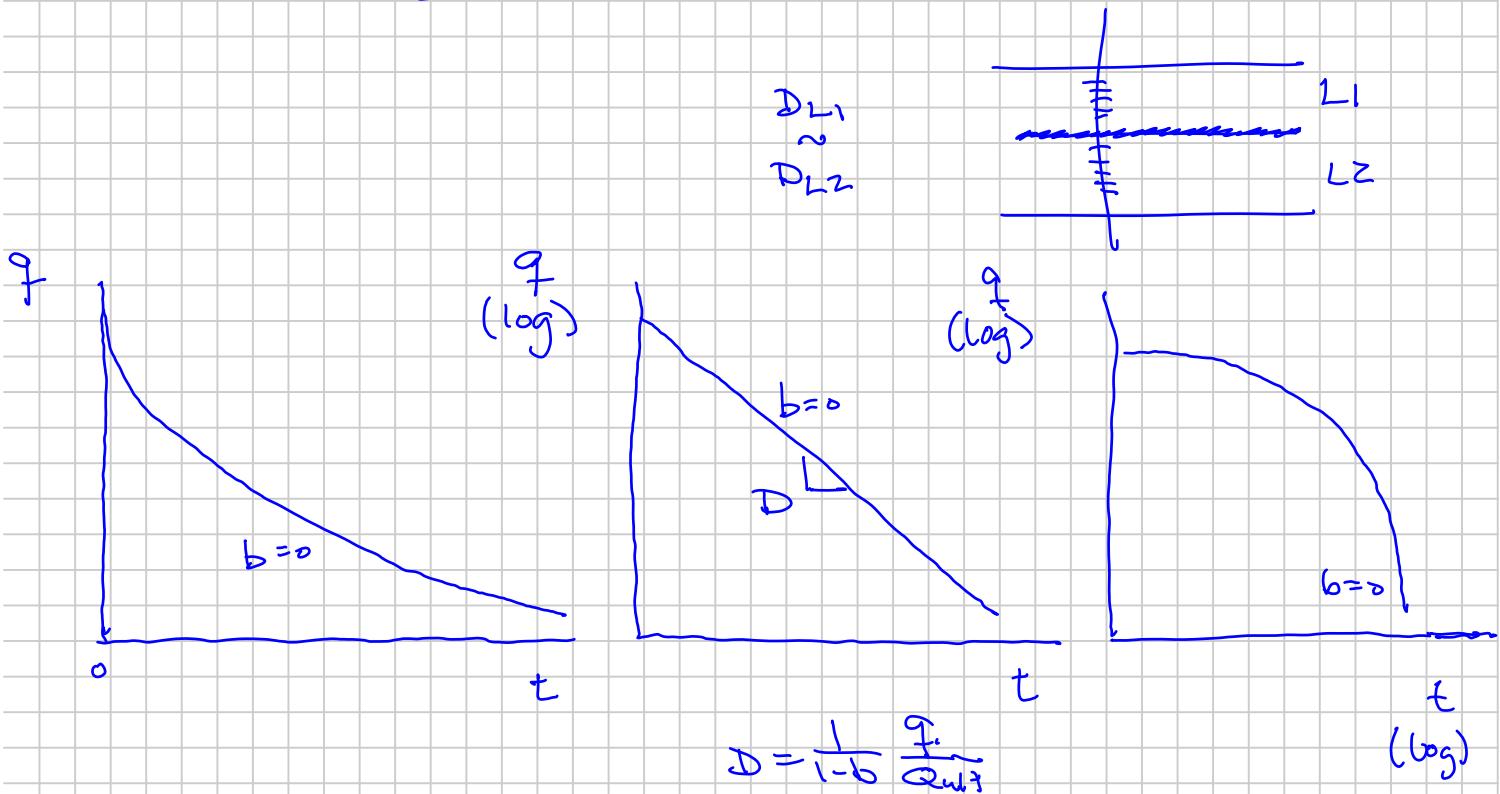
- Defines Arps parameters in terms of reservoir/production variables

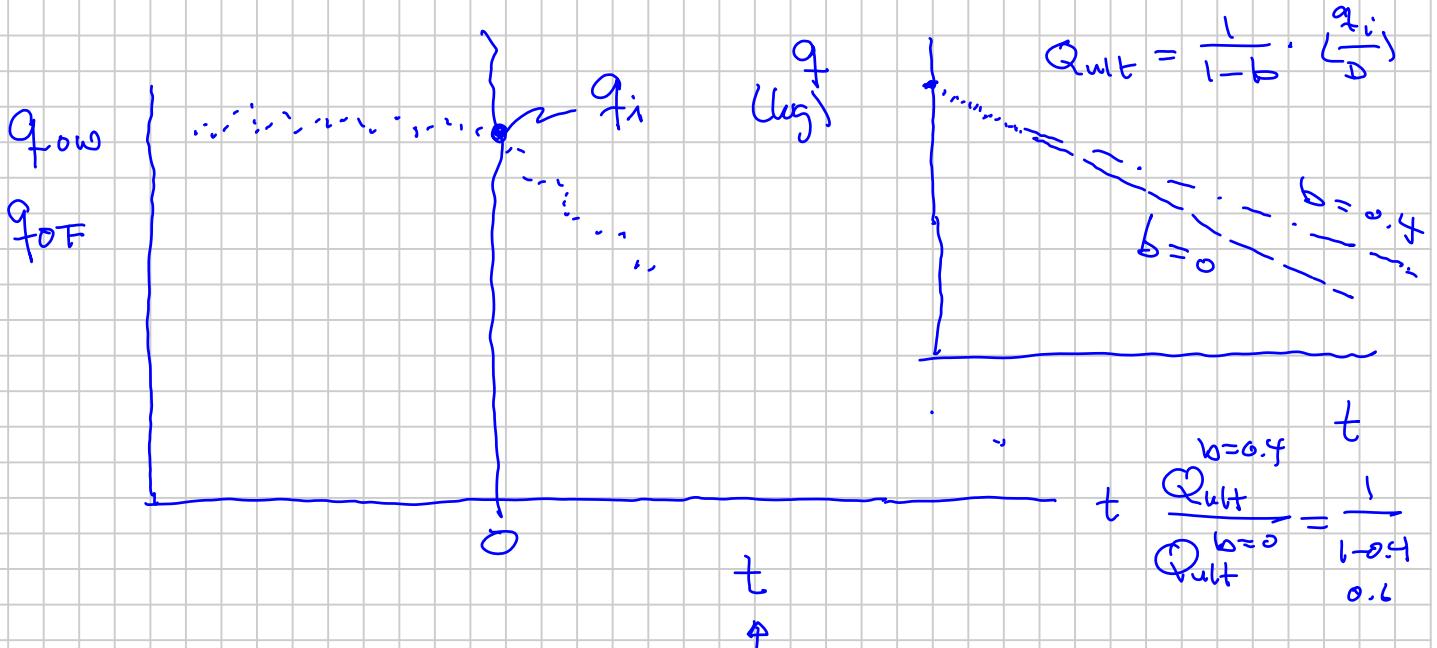
"RTA" { - Ties Arps PSS | BD (pseudosteady state)  
to boundary dominated)  
"Infinite Acting" (IA) flow behavior

Rate Time Analysis (IA | BD | Superposition etc)  
Normalization

- o Others

- o Fetkovich et al - Layered No-Crossflow (LNx)  
1990s





Since the start of decline  
(yr)

Args:

$$q = \frac{q_i}{(1 + bDt)^{1/b}}$$

$q_i$  = rate at start of decline

$b$  = empirical constant ( $0 < b < 0.5$ )

$b > 0.5$

$D$  = "decline constant"

$\sim \%$  decrease each year      Single Reservoir Unit  
= inf  $D = 0$

$$b = 0 \quad -Dt$$

$$q = q_i \cdot e^{-Dt}$$

decline

EUR

$$Q_{p,ult} = \int_0^{\infty} q dt \Rightarrow$$

$$D = \frac{1}{1-b} \frac{q_i}{Q_{p,ult}}$$

Single reservoir unit  $b \leq 0.5$

$$Q_p = \text{cum. production}$$

$$Q_{\text{pult}} = \frac{1}{1-0} \frac{\frac{1000 \text{ STB}}{0.1 (\frac{\text{STB}}{\text{yr}}/\text{yr})} \times 365 \text{ d}}{\text{STB}}$$

$$= 10,000 \text{ STB} \times 365$$

$$3.65 \cdot 10^6 \text{ STB} \quad \text{by calculation}$$

$$D \left[ \frac{1}{\text{yr}} \right] \quad \left[ \frac{1}{\text{yr}} \right]$$

~1990 : Phillips Monterey Basin  
 Wells & Reservoirs  $b \sim 0.6 - 0.9$

$\Rightarrow$  Single Wells Produce from  
 multiple, non-communicating  
 reservoir units (LNX)

where

Voidage "D"  $\left( \frac{q_i}{Q_{\text{pult}}} \right)_k$  are different  $> 2 \rightarrow 10$   
 Ratio  $\downarrow$   
 larger Differential  
 Depletion

$$q_w(t) = q_{w1}(t) + q_{w2}(t)$$

$$D_1 > D_2$$

$$\underbrace{b_1 = 0.3}_{b_2 = 0.3} \quad b \text{ } 0.5 \rightarrow 0.9 \text{ (v)}$$

~1970 PTA (Well Testing) Course

Hank Ramey  
(Henry)

$$q = \text{const.} \Rightarrow p_D(t_0)$$

$$\text{PSS: } p_D(t) \propto t_D$$

Analytical solution for  $p_{wf} = \text{const}$  B.C.

$$\Rightarrow q_D(t_0)$$

$$\text{PSS: } q_D \propto e^{t_0}$$

Same as Arps  $b=0$

$$q_i = \frac{kh(p_r - p_{wf})}{\left[ \ln \frac{r_e}{r_w} - \frac{3}{4} + S \right] \mu B} \quad (\text{kh, s})$$

$$D = \frac{1}{1-b} \frac{q_i}{[Q_{\text{pult}}]} \quad \begin{matrix} 101P & 161P \\ Q_i \cdot R_F^{\text{att, decline}} \\ \text{period} \end{matrix}$$

$$b: \begin{cases} 0 \\ 0.5 \end{cases}$$

shape  $q(p_{wf})$

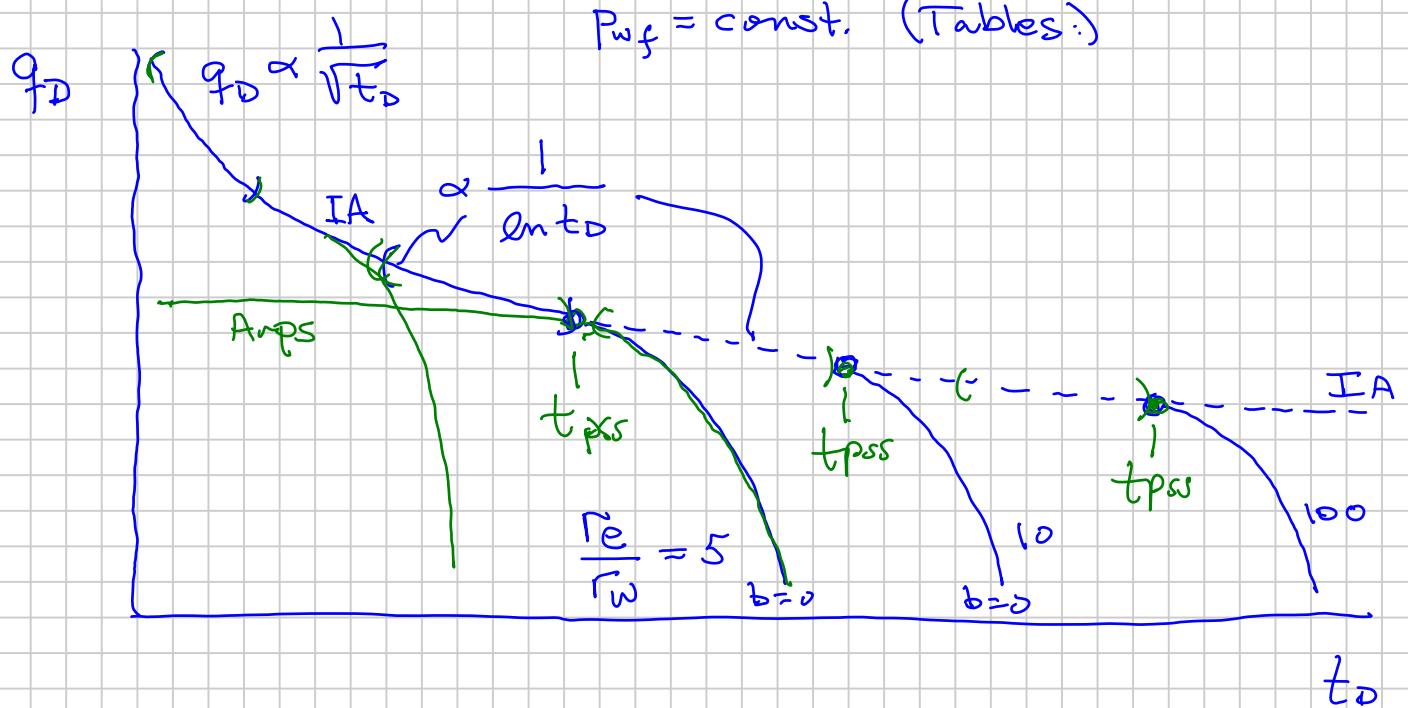
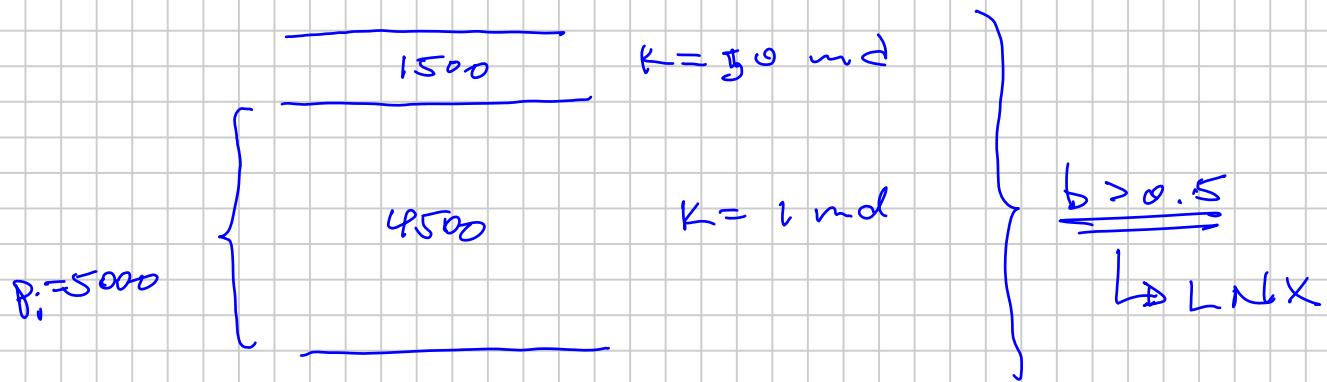
shape  $p_r(Q_p)$

Both linear:  $b = 0$

Non-linear  
(Realistic)

M.B.

0.5



Amps :  $b = 0 \rightarrow \text{Exponential}$

