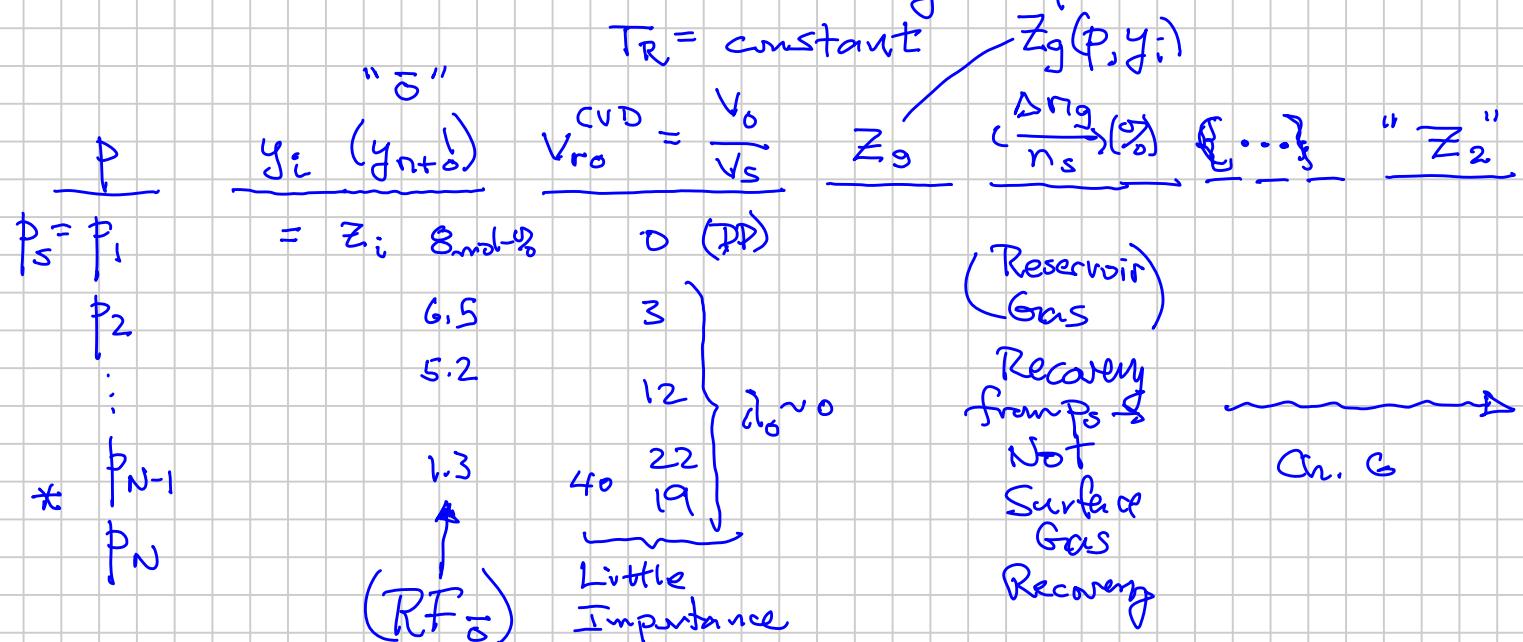


## CVD TEST - Finish Up

### BLACK-OIL PVT (Ch. 7)

#### CVD TEST - What Lab Study "Reports"



\*  $\{x_{ON_i}, (M_{n+}, y_{n+})_{ON}\}$  maybe stage N-1

Bleeding process  $N-1 \rightarrow N$

$Z_{wi}$  = producing wellstream composition if  
a gas condensate reservoir

Surface Condensate C<sub>5+</sub>

$$\approx y_i^{\text{CVD}} (P_R = P_{\text{CVD}})$$

INDEPENDENT of Rock Relative Permeabilities

$$\underbrace{PV}_{\begin{array}{c} \uparrow \\ \text{same} \\ \text{80%} \end{array}} = n R T_R Z(p) \quad \begin{array}{c} \uparrow \\ \text{constant} \\ R \propto B \end{array}$$

$A : \text{HCPV}_A = \text{const}$

$B : \text{HCPV}_B < \text{HCPV}_A$

$P_A < P_B$

$$V_A > V_B$$

Darcy Law

$$q_g \propto (P_r - P_w)$$

$\uparrow$   
Control w/ Choke

$$q_{gA} < q_{gB}$$

More money / day

(Whitson-Torpe SPE paper)  
(Ch. 7)

### BLACK-OIL PVT PROPERTIES

[4 P-dependent tables]

SURFACE DENSITIES  
(Specific Gravities)

Assumed Constant

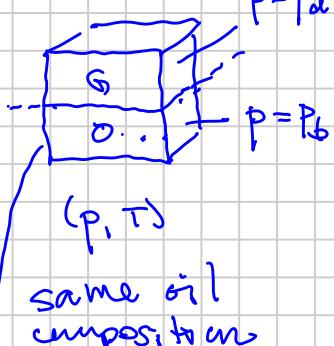
| $\frac{S}{S_g}$ | $\frac{\gamma}{\gamma_g}$ | COMPONENTS    |
|-----------------|---------------------------|---------------|
| $\downarrow$    | $\downarrow$              | Surface Gas ✓ |
| $\downarrow$    | $\downarrow$              | Surface Oil ✓ |

### OIL PHASE PVT @ (P, T)

| P            | $R_s$        | $B_o$        | $M_o$        |
|--------------|--------------|--------------|--------------|
| $\downarrow$ | $\downarrow$ | $\downarrow$ | $\checkmark$ |

### GAS PHASE PVT @ (P, T)

| P            | $r_s$        | $B_{gd}$     | $M_g$        |
|--------------|--------------|--------------|--------------|
| $\downarrow$ | $\downarrow$ | $\downarrow$ | $\checkmark$ |



### (1) SATURATED PROPERTIES

$$p = p_b \quad \text{Oil Phase}$$

$$p = p_d \quad \text{Gas Phase}$$

### (2) UNDERSATURATED PROPERTIES

" $R_s$ " same  $\sim x_i$

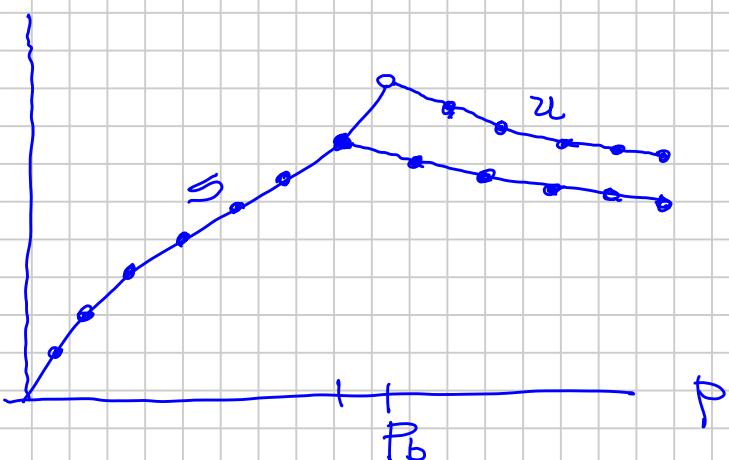
$p > p_b$  OIL Phase with " $R_s$ " ( $x_i$ )

$\boxed{O}$  u:

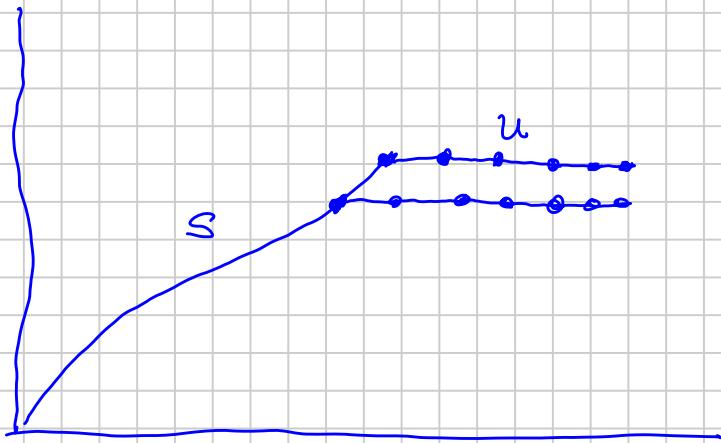
$p > p_d$  G+S Phase with " $r_s$ " ( $y_i$ )

$p > p_b$

$B_0$



$R_s$



BO PVT Model conserves surface gas component volume ( $V_{gi}$ )  
surface oil component volume ( $V_{si}$ )

EkoFisk

Initially  $V_{gi} \approx 6 \cdot 10^{12}$  scf all in solution initially

$V_{oi} \approx 6 \cdot 10^9$  STB all free oil

Troll

$V_{gi} = 45 \cdot 10^{12}$  scf  $3 \cdot 10^{12}$  in solution

$V_{oi} = 6 \cdot 10^9$  STB  $0.8 \cdot 10^9$  STB in gas cap

$5.9 \cdot 10^9$  STB free

"at rim"

Surface gas ( $\bar{g}$ ) can be found in both reservoir gas and reservoir oil phases

Surface oil ( $\bar{o}$ ) can be found in both reservoir gas and reservoir oil phases

At any time (Surface Component, Volumetric Material Balance)

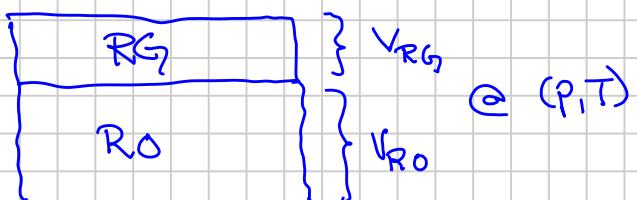
$$\underline{\bar{V}_g} = \bar{V}_{ggR} + \bar{V}_{gor} + \bar{V}_{gp} - \bar{V}_{ginj}$$

$\bar{V}_{ggR}$  = surface gas component in current reservoir gas phase.

$\bar{V}_{gor}$  = surface gas component in (solution in) current reservoir oil phase

$\bar{V}_{gp}$  = cumulative produced surface gas component volume

$\bar{V}_{ginj}$  = cumulative injected surface gas component volume



$$\underbrace{V_{\bar{o}i}}_{i=1} = \underbrace{V_{\bar{o}gR}}_{\checkmark} + \underbrace{V_{\bar{o}oR}}_{\checkmark} + \underbrace{V_{\bar{o}p}}_{\checkmark} - \underbrace{V_{\bar{o}inj}}_{\checkmark} \quad (= 0)$$

If the surface components truly had invariant mass densities ( $\rho_g \neq \rho_o$ ) then the "Volumetric Material Balance" would also guarantee a "Mass Material Balance".

$$\gamma_o = \frac{\rho_o}{\rho_w}$$

$$\gamma_g = \frac{\rho_g}{\rho_{air, sc}}$$

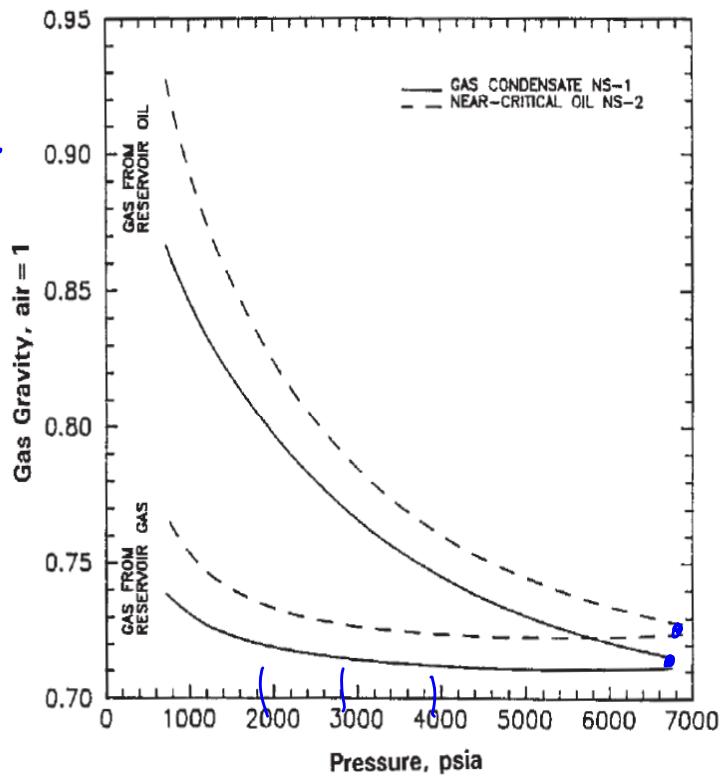


Fig. 7.12—Surface-gas gravities vs. pressure during depletion.

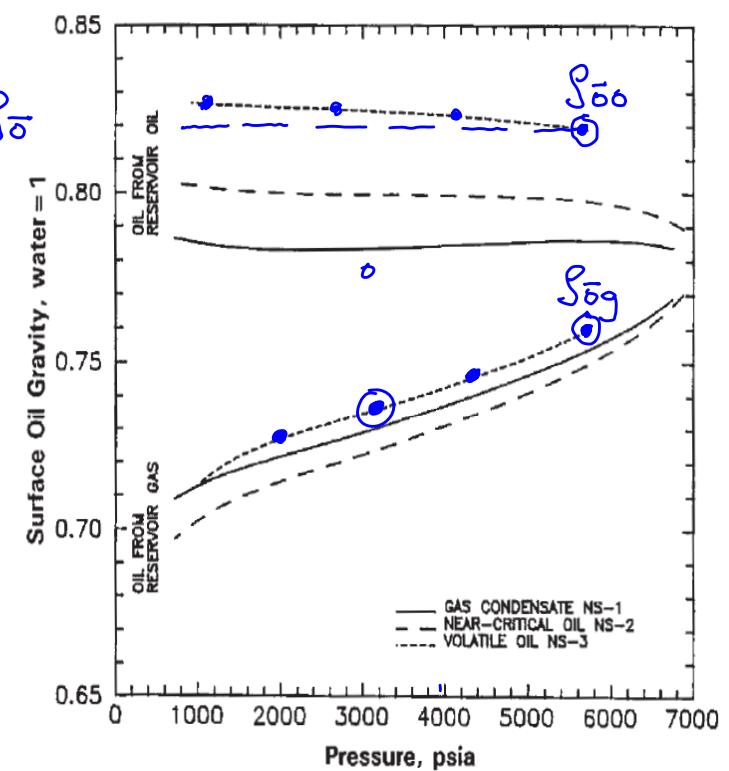


Fig. 7.13—Surface-oil gravities vs. pressure during depletion.

Why do we need, and do we use  $\rho_g$   $\rho_o$

Any engineering application ( $R, T, P$ ) needs 3 PVT quantities ( $P, T$ ) for each phase

$$\textcircled{1} V_{ro} = 1 \text{ oil}$$

$$= 0 \text{ gas}$$

$$\textcircled{2} \mu$$

$$\textcircled{3} \rho$$

$$*\rho_0(p) = \frac{\rho_{\bar{o}} + \rho_{\bar{g}} R_s(p)}{B_o(p)} = \frac{m_o}{V_o} = \frac{m_{\bar{o}o} + m_{\bar{g}o}}{V_o}$$

$$*\rho_g(p) = \frac{\rho_{\bar{g}} + \rho_{\bar{o}} R_s(p)}{B_{gd}(p)} = \frac{m_g}{V_g} = \frac{m_{\bar{g}g} + m_{\bar{o}g}}{V_g}$$

Use  $\rho_{\bar{g}} \leq \rho_{\bar{o}}$  gets the best  $\rho_g(p) \leq \rho_o(p)$ ,  
 densities  
 How now?