

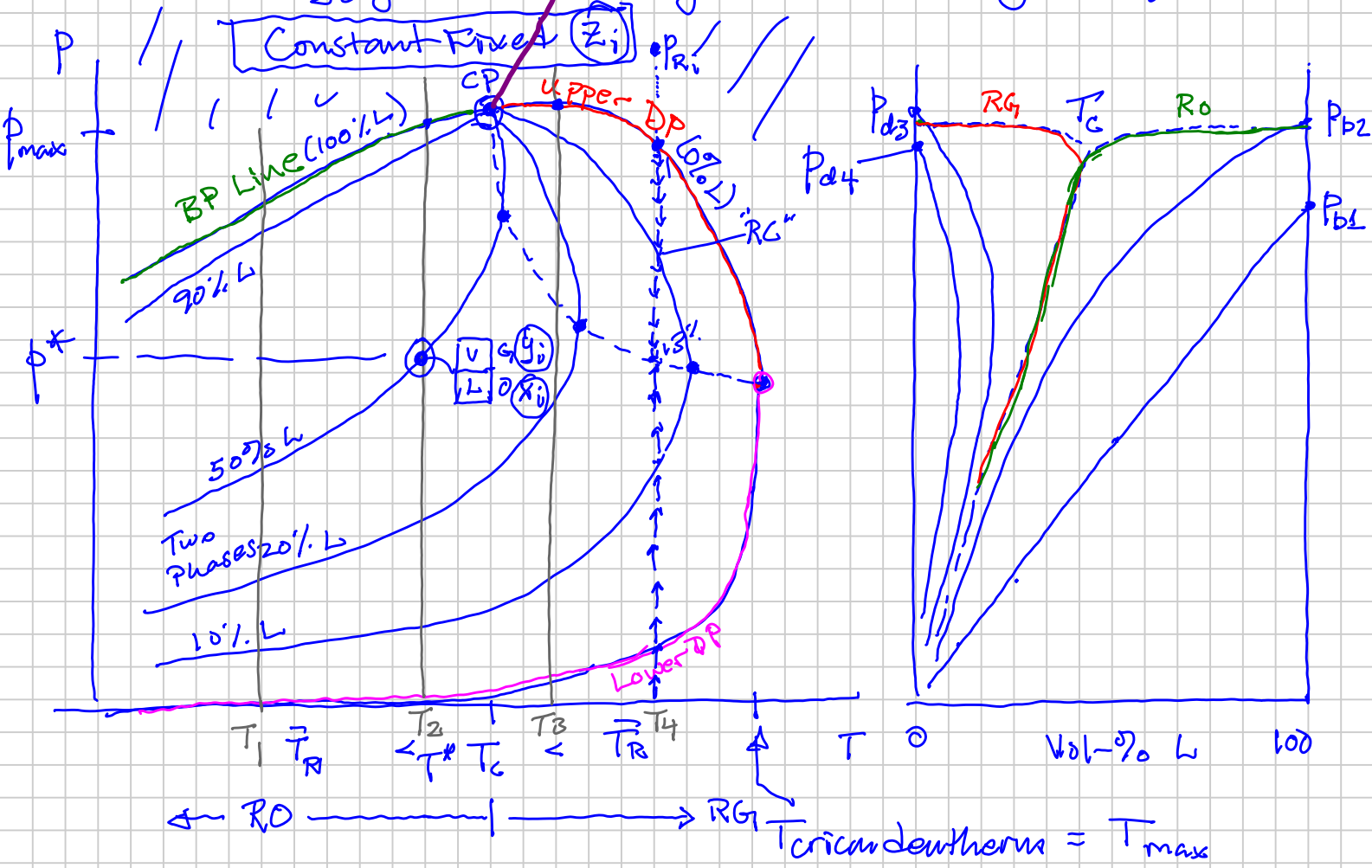
Multi (>2) Component Phase Diagrams

Naturally-occurring petroleum reservoir fluids

P-T $\beta = \rho_c$
 p-V $(p-V_{ro})$
 p-z_i

Orientations about ?

Single Phase Ternary (L-I-H) Diagram



$CP, P_b(T), P_d(T) : f(Z_i)$

$P_{max} = \text{Critical Pressure}$

Condensation: Appearance of a liquid phase from a gas phase
Retrograde Condensation: Increasing liquid volume as pressure decreases

Revaporization: below the --- (Retrograde Cond) where liquid volume decreases as P decreases

Ternary Diagram (Typically Only used Inj. Gas into RO)

$z_i \Rightarrow 3$ "Pseudo" Components

L (light)

C_1, N_2

I (intermediate)

CO_2, C_2-C_5

H (heavy)

C_6+

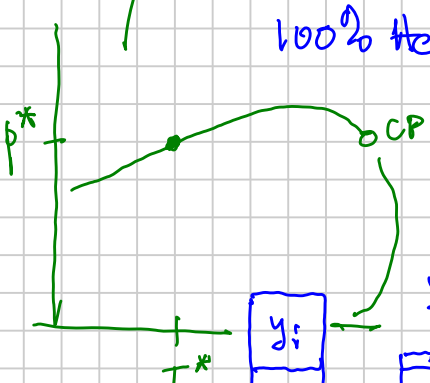
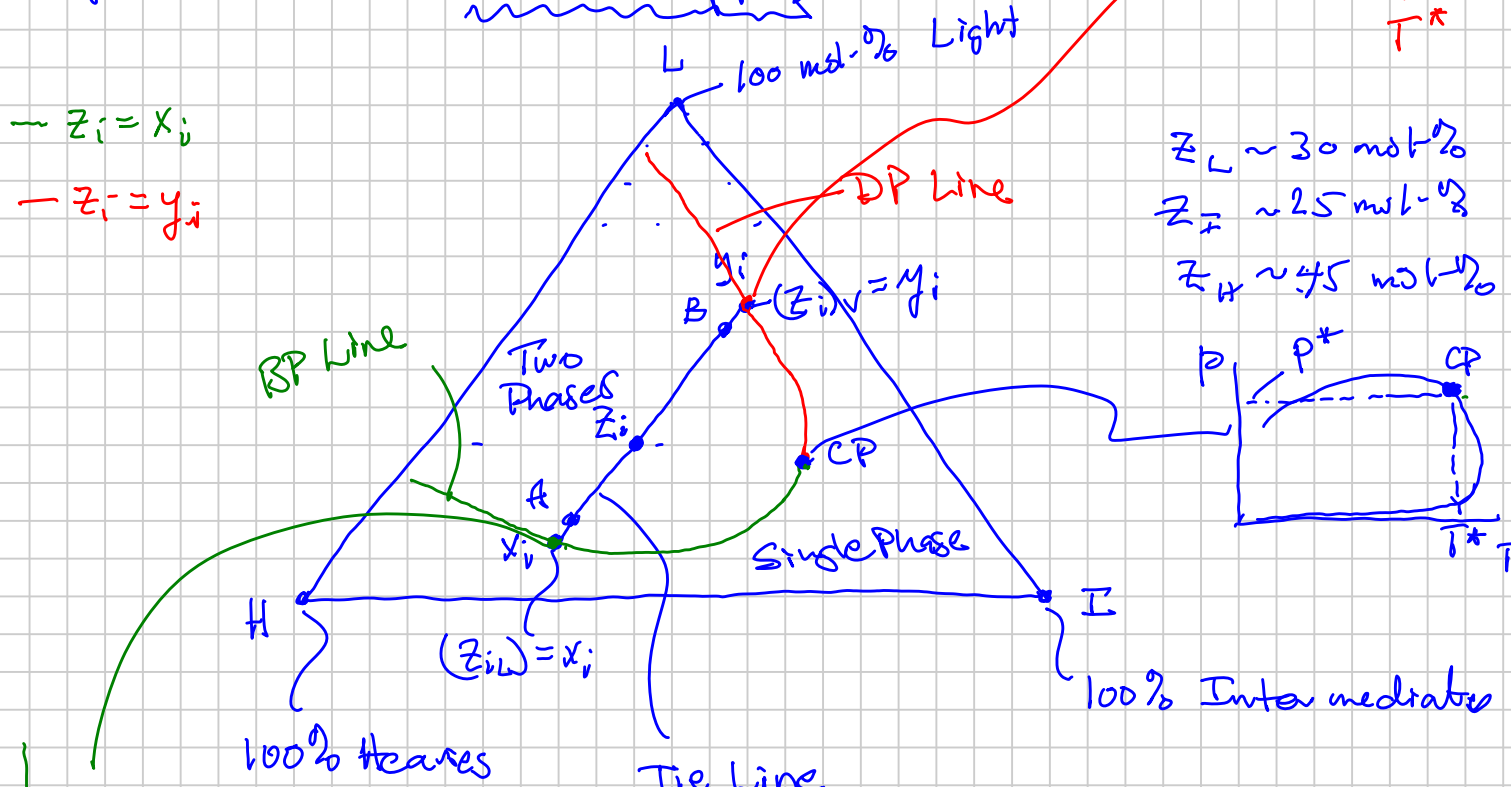
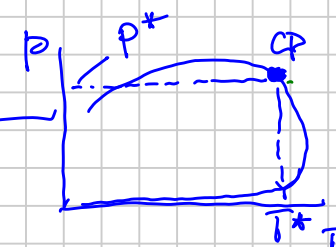
Applies At a Fixed (P^*, T^*)

$z_i = x_i$

$z_i = y_i$

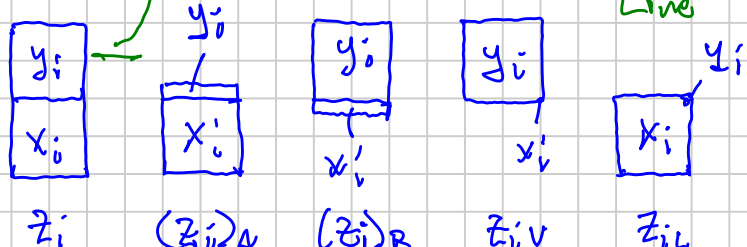


$z_L \sim 30 \text{ mol}\%$
 $z_H \sim 25 \text{ mol}\%$
 $z_I \sim 45 \text{ mol}\%$



Join (y_i) & (x_i) & Total mixture (z_i)

$p = p_d$ on Red Line
 $p = p_b$ on Green Line



Identical Chemical Energy μ_t and $\mu_{iL} = \mu_{iV}$

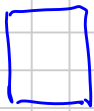
$f_v = 0.4, 0.05, 0.95, 1-\epsilon, \epsilon$

$$z_i = f_v \cdot y_i + (1-f_v) \cdot x_i$$

Tie Line (Lever's Rule)?

$\frac{n_v}{n}$ $\frac{n_L}{n}$

So far:



L

z_i
 C_1 72 mol-%
 N_2 8

y_i

C_1 95
 N_2 5

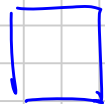
x_i

C_1 16
 N_2 3



I

C_2 8 mol-%
|
 $n-C_8$ 1.5



H

C_6 2.3
 C_7 2.1
|
|

C_{3G+} 1.4

Violating that the 3 (pseudo) components are not the same



Ternary diagram can be very misleading if used quantitatively.

(Concept of Developed Miscibility)

1986 Aaron Zick

High near 100% recovery of oil by an Injection Gas

Pressure-Composition Diagram "(p-x or p-z)"

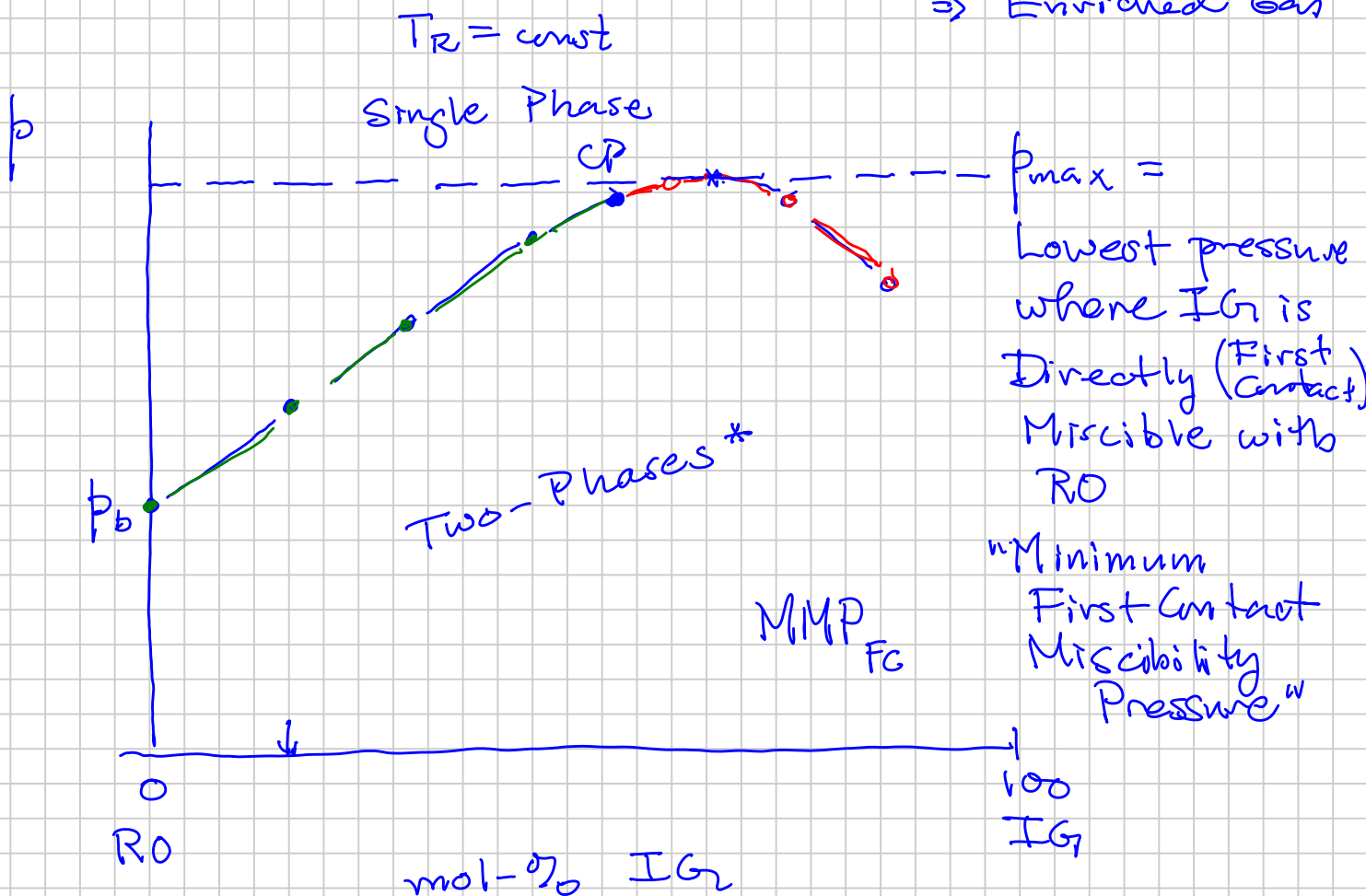
Used in understanding gas injection effect on oil recovery (Enhanced Oil Recovery, EOR)

- ⇒ N_2
- ⇒ CO_2
- $C_1 (+ C_2 - C_4)$
- ⇒ Lean HC gas
- $C_1 (+ C_2 - C_4)$
- ⇒ Separator Gas add
- $(C_2 - C_4)$
- ⇒ Enriched Gas

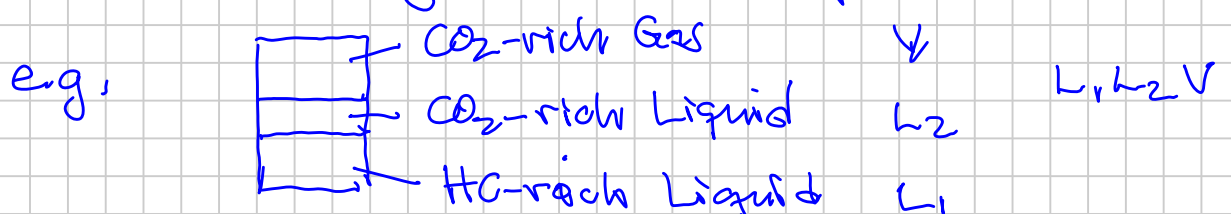
RO
 $z_i = x_i$

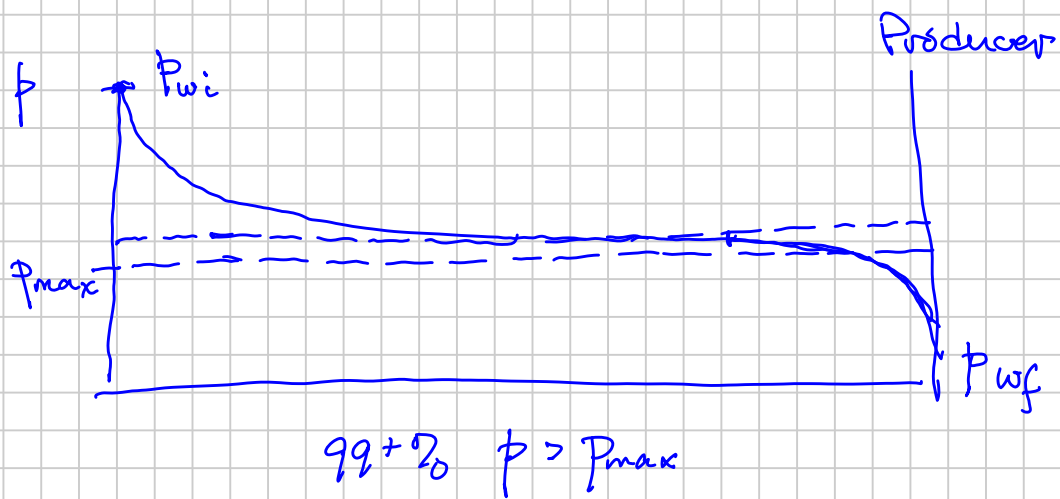
Inject some gas

IG



* Some "local" regions with 3 phases:





Why (how) does nature decide if $Z_i @ P, T$ is single phase or two (more) phases?

① Nature always tries to minimize the system energy.

Chemical energy (Gibbs) $\mu_i(Z, P, T, \sigma)$

Single Phase: $\mu_{t1} = \sum n_i \mu_i = n \sum Z_i \mu_i(Z)$

Two Phases: $\mu_{t2} = \frac{n_v}{n} \cdot \sum \underline{y}_i \mu_{i,v}(y) + \frac{n_L}{n} \cdot \sum \underline{x}_i \mu_{i,L}(x)$

$$\left. \begin{array}{l} \mu_{i,v} = \mu_{i,L} \quad \checkmark \\ n = n_v + n_L \quad \checkmark \end{array} \right\}$$

Problem: so many combinations
 n_v, n_L, y_i, x_i

$$\mu_{t1} < \mu_{t2} \Rightarrow \text{Single Phase}$$

$$\mu_{t2} < \mu_{t1} \Rightarrow \text{Two (more) Phases}$$

Gibbs: Simplified method only to identify if single phase or 2(+) phases

$\{u_i = \text{composition}\}$

$$\mu_t^* = \epsilon \cdot \sum u_i \cdot \mu_i(u) + (1-\epsilon) \sum z_i \cdot \mu_i(z)$$

$$\mu_t^*(u) < \mu_t^*(z) \Rightarrow 2(+)\text{ phases}$$

$$\mu_i(u) \propto \mu_i(z)$$

$$\frac{\mu_i(u)}{\mu_i(z)} = \text{constant} \quad \text{all } i$$

Challenge to look in a large composition space for u_i

Ch. 3 Calculation of Saturation Pressure (BP, DP)

Calculation of Two-Phase Equilibrium

$$z_i @ P, T = n_v \quad n_L \quad y_i \quad x_i$$

All

3.6 : K-values

only

4.3.1 : Two-Phase Flash

4.5 : Saturation Pressure

Eqs. 4.74-4.75 only