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## **Examination paper for TPG 4145 Reservoir Fluids**

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Date                      Signature

### **Problem 1. PVT & Material Balance**

Consider the gas condensate reservoir with PVT properties given in Table 1.

1. Use Standing-Katz Z-factor chart to estimate the initial reservoir gas Z-factor.
2. Calculate initial solution oil-gas ratio ( $r_s$ ) using approximate surface process given in Table 1.
3. Calculate initial inverse dry gas FVF ( $b_{gd}=1/B_{gd}$ ) in scf/ft<sup>3</sup>.
4. Calculate initial surface gas in place, IGIP.
5. Calculate initial surface oil (condensate) in place, IOIP.
6. Calculate the percentage of the initial total monetary value in place from surface oil using an oil price of USD 85/STB and gas price of USD 4/Mscf.
7. Assuming a gas material balance with zero water and pore compressibilities, calculate the recovery factor of surface gas and surface oil when average reservoir pressure reaches the dewpoint.
8. Assuming a gas material balance with total associated water volume ratio  $M=3.3$ ,  $S_{wi}=0.35$ ,  $c_f=6.5(10^{-6})$  1/psi, and  $c_w=3.5(10^{-6})$  1/psi, calculate the recovery factor of surface gas and surface oil when average reservoir pressure reaches the dewpoint.
9. Does the percentage of the total monetary value produced from surface oil (from initial- to dewpoint pressure) in (8) above differ from the value calculated in (6)?
10. Of the components in Table 1, which component's equilibrium K-value ( $K_i=y_i/x_i$ ) has the greatest impact on dewpoint pressure calculation, and why?

### **Problem 2. Fluid flow Calculations**

A gas well (Well "C" in the Fetkovich paper "Multipoint Testing of Gas Wells" is tested with results of  $A=1$  psi<sup>2</sup>/(Mscf/D) and  $B=27(10^{-6})$  psi<sup>2</sup>/(Mscf/D)<sup>2</sup>, based on the low-pressure reservoir rate equation  $Aq_g+Bq_g^2=(p_R^2-p_{wf}^2)$ , determined by a plot of  $(p_R^2-p_{wf}^2)/q_g$  versus  $q_g$ .

$$A = \frac{1424 (\bar{\mu}z) T}{Kh} \left[ \ln \left( \frac{.472 r_e}{r_w} \right) + s \right] \quad \dots (6)$$

or for the transient period

$$A(t) = \frac{1424 (\bar{\mu}z) T}{Kh} \left[ \frac{1}{2} (\ln t_D + 0.809) + s \right] \quad \dots (7)$$

$$B = \frac{1424 (\bar{\mu}z) T}{Kh} D \quad \dots (4)$$

The test A value represents an infinite-acting “transient” 1-hour test corresponding to  $p_{D(t=1hr)} = \frac{1}{2}[(\ln t_{D1-hr} + 0.809)] = 7.5$ . The pseudosteady state value for A would be higher because the term  $\ln(0.472r_e/r_w)$  (which replaces  $p_D$ ) is closer to a value of 10 for the assumed wide well spacing. Therefore, a pseudosteady state  $A_{pss} = 1(10/7.5) = 1.33$  should be used in all engineering calculations (if the well had no skin during test). Because the well had a positive skin during the test, the corrected  $A_{pss} = A_{test}[\ln(0.472r_e/r_w) + s_{development}] / [p_D(t_{test}) + s_{test}]$ .

A geometric (partial penetration) skin factor during the test is assessed to be +22. Initial reservoir pressure is 1370 psia.

The test flowing surface tubing pressure  $p_t = 744$  psia during the 52 500 Mscf/D flow period. The static gas gradient term  $\exp(S/2) = 1.08$  is used to convert bottomhole to surface pressures: e.g.  $p_c = p_R / \exp(S/2)$  and  $p_w = p_{wf} / \exp(S/2)$ . Test tubing size was 4-inch inner diameter.

Development plans rely on the following assumptions:

- a. Geometric skin is removed by completing the well throughout the pay zone, so  $s_{development} = 0$  (instead of  $s_{test} = +22$ ).
  - b. Tubing inner diameter size is 6.5 inches (instead of 4 inches).
  - c. **Reservoir B** does not change with well recompletion.
1. Calculate the flowing bottomhole pressure  $p_{wf}$  for the test rate of 52 500 Mscf/D.
  2. Calculate the tubing performance equation constant  $B_t$  for the test well:  $B_t q_g^2 = (p_w^2 - p_t^2)$ . This constant ( $B_{t4}$ ) is for 4-inch inner diameter tubing.
  3. Calculate the  $B_t$  constant for 6.5-inch inner diameter tubing using the relation  $B_{t6.5} = B_{t4} [(4/6.5)^{2.612}]^2$ . Explain this relationship based on Fetkovich’s paper.
  4. Calculate the wellhead backpressure constants  $A_{wh}$  and  $B_{wh}$  that can be used through the entire life of the well:  $A_{wh} q_g + B_{wh} q_g^2 = (p_c^2 - p_t^2)$ . Note,  $B_{wh}$  is based of the “non-Darcy” reservoir flow term (B) and the tubing pressure drop term  $B_t$ .
  5. Abandonment is defined as a well rate of 10 000 Mscf/D with flowing tubing pressure of 10 psia (minimum compressor intake pressure). Determine the average reservoir pressure at abandonment, and approximate gas recovery factor.

TABLE 1—MEASURED CONSTANT-VOLUME DEPLETION DATA  
FOR THE NS-1 FLUID AT 280°F (psia)

Component	Compositions								
	Equilibrium Vapor							Equilibrium Liquid	
	6764.7	5514.7	4314.7	3114.7	2114.7	1214.7	714.7	Experimental 714.7	Calculated 714.7
Carbon dioxide	2.37	2.40	2.45	2.50	2.53	2.57	2.60	0.59	0.535
Nitrogen	0.31	0.32	0.33	0.34	0.34	0.34	0.33	0.02	0.017
Methane	73.19	75.56	77.89	79.33	79.62	78.90	77.80	12.42	10.704
Ethane	7.80	7.83	7.87	7.92	8.04	8.40	8.70	3.36	3.220
Propane	3.55	3.47	3.40	3.41	3.53	3.74	3.91	2.92	2.896
isobutane	0.71	0.67	0.65	0.64	0.66	0.72	0.78	0.91	0.916
n-butane	1.45	1.37	1.31	1.30	1.33	1.44	1.56	2.09	2.103
isopentane	0.64	0.59	0.55	0.53	0.54	0.59	0.64	1.40	1.417
n-pentane	0.68	0.62	0.58	0.56	0.57	0.61	0.66	1.60	1.624
Hexanes	1.09	0.97	0.88	0.83	0.82	0.85	0.90	3.68	3.755
Heptanes-plus	8.21	6.20	4.09	2.64	2.02	1.84	2.12	71.01	72.815
Totals	100.000	100.000	100.000	100.000	100.000	100.000	100.000	100.000	100.000
$M_{C_7}$	184.0	160.0	142.0	127.0	119.0	115.0	114.0	213.0	207.8
$\gamma_{C_7}$	0.816	0.799	0.783	0.770	0.762	0.758	0.757	0.833	0.843
Z	1.238	1.089	0.972	0.913	0.914	0.937	0.960		
$n_p$ , %	0.000	9.024	21.744	38.674	55.686	72.146	81.301		
$S_L$ , %	0.0	14.1	19.7	21.6	21.3	20.2	19.3		

Initial reservoir pressure: 12,000 psia.

HCPV:  $10^{11}$  ft<sup>3</sup>.

Surface process approximation:  $C_5$  = surface gas |  $C_{6+}$  = surface oil.