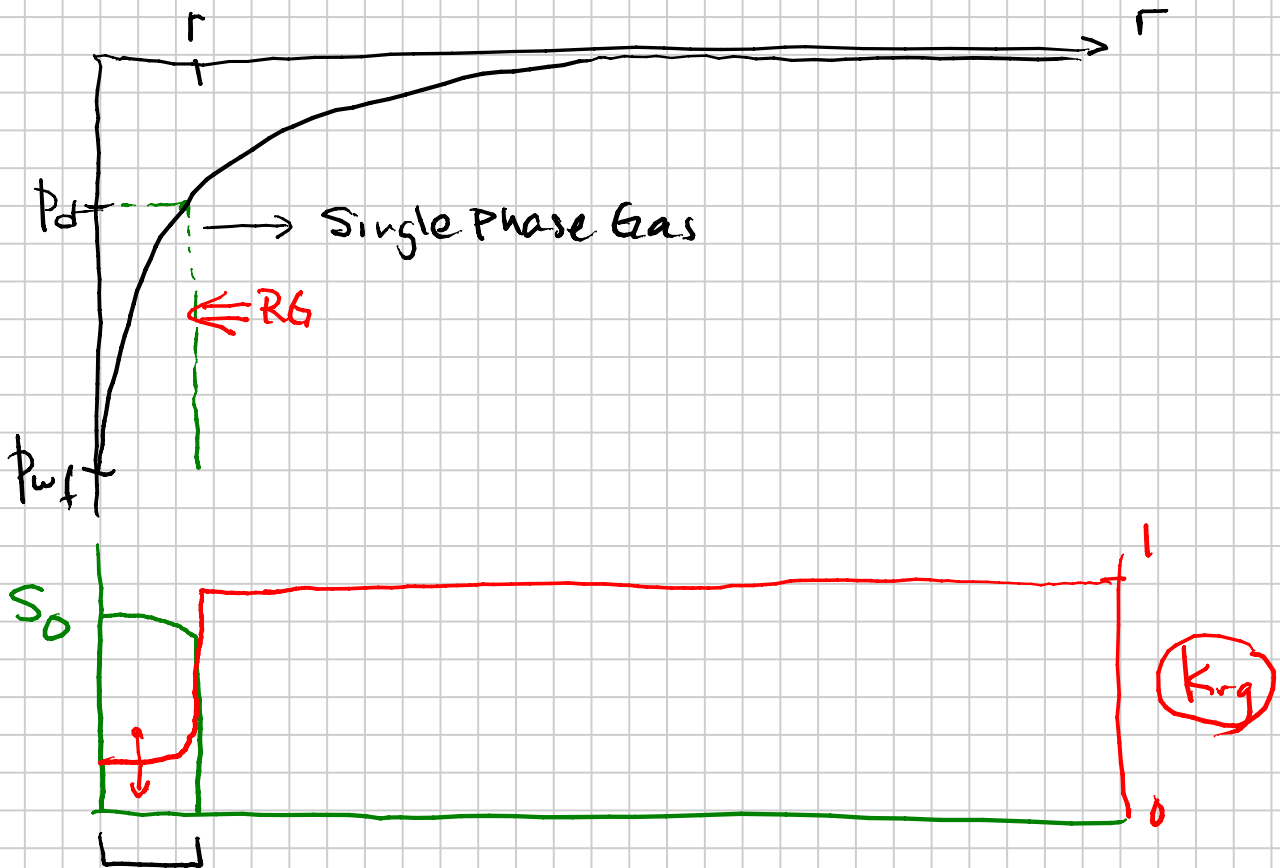


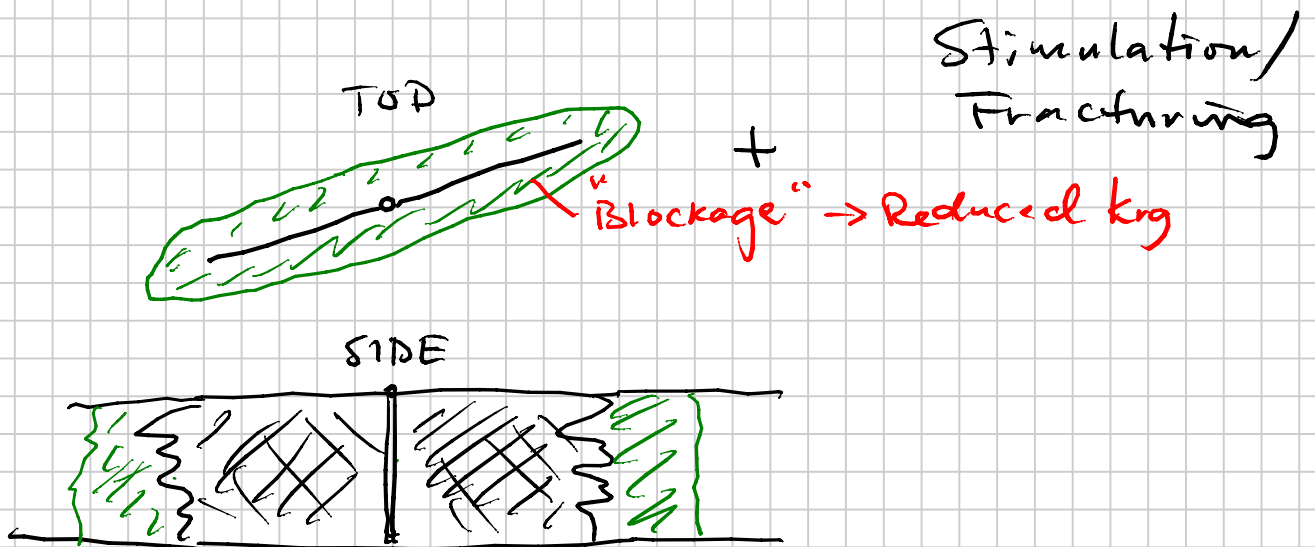
GAS CONDENSATE

$$p_{wf} \text{ (BHFP)} < \underline{\underline{p_d}}$$



Blockage Region \Rightarrow " S_D " $\sim +5 \rightarrow +50$

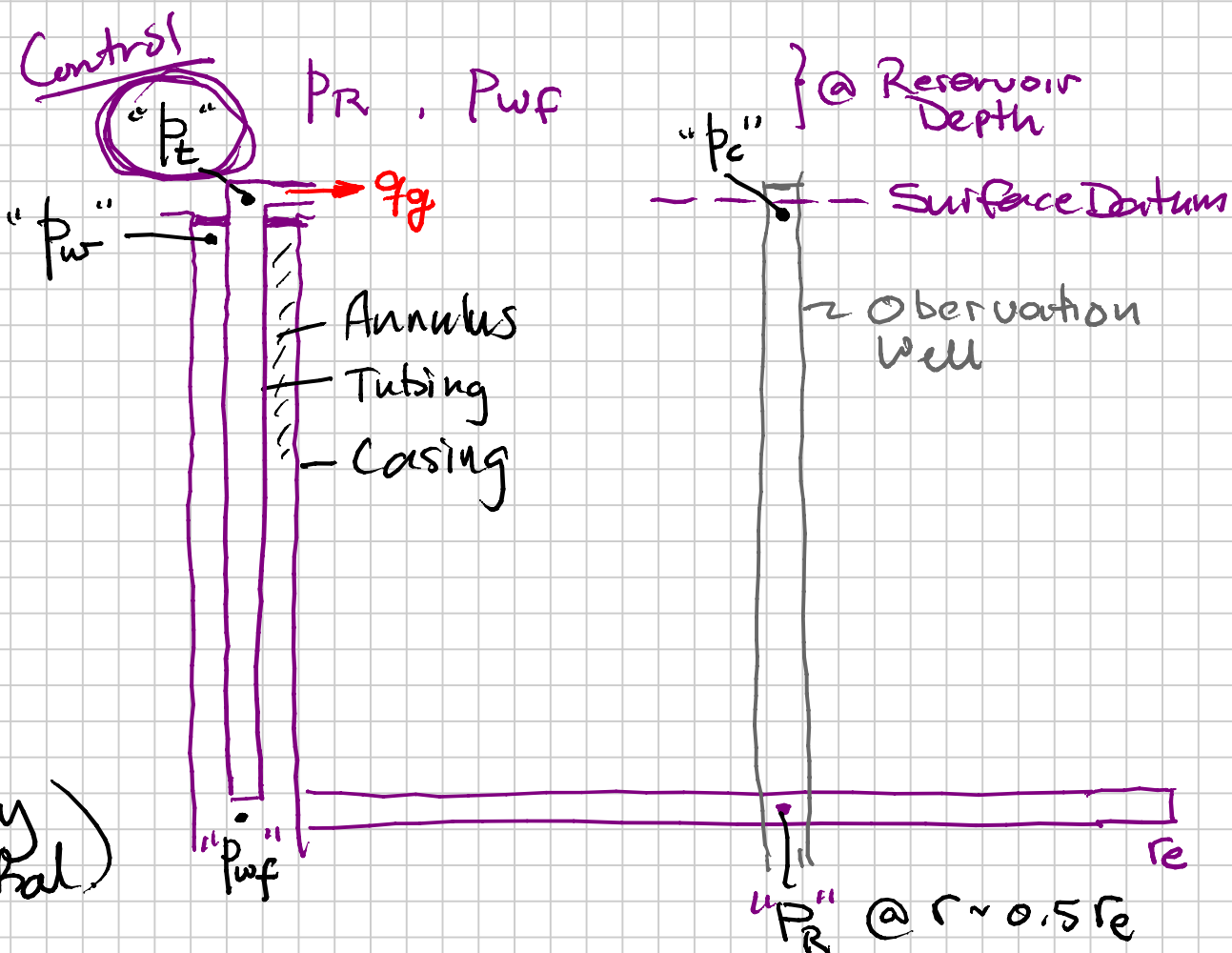
Radial, Vertical Well



Composite Effect Stim + Blockage

$$S_t \approx 0$$

Pressures P_c, P_w, P_t } @ Surface Datum



Static Gas Column

$$\frac{dp}{dz} = \rho g \Rightarrow \rho g = \underbrace{\left(\frac{M}{zTR} \right)}_{\sim \text{const}} \cdot P$$

$$\Rightarrow \left(\frac{P_{\text{Reservoir}}}{P_{\text{Surface}}} \right) = \text{const} = \underbrace{e^{S/2}}_{\sim 1.1 - 1.4}$$

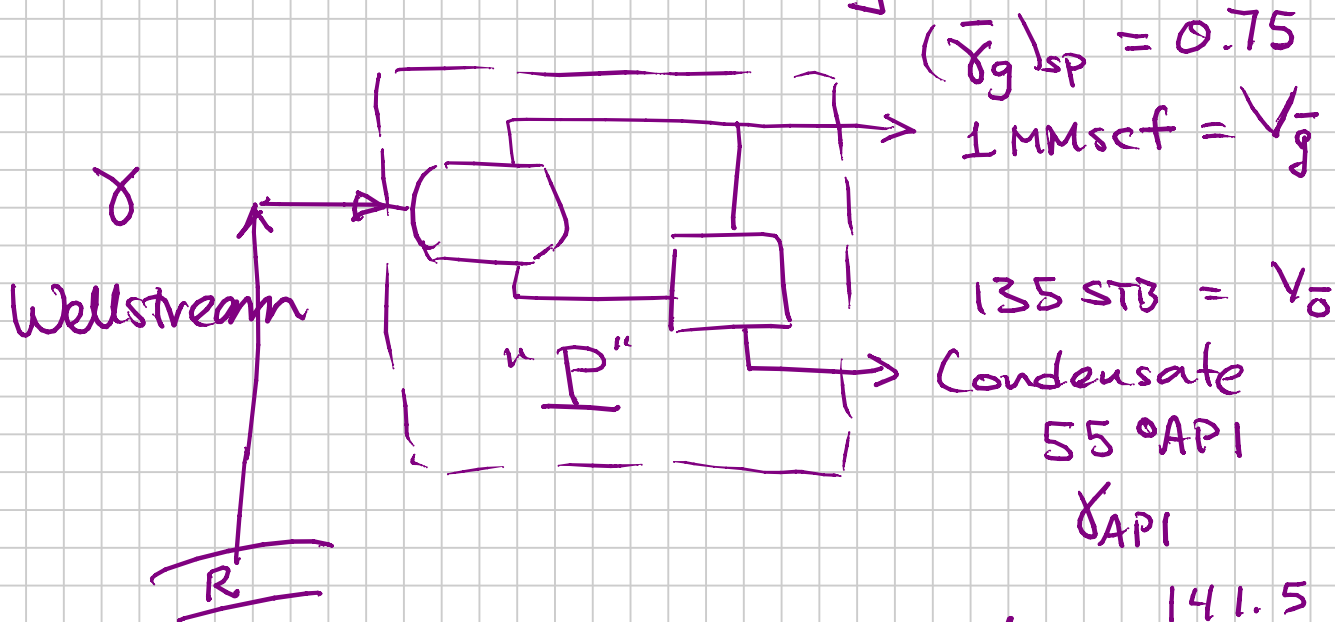
Static Gas Column

S ("static")

$$: \int_0^{\gamma_g} \frac{TVD}{TVD}, M_g, \bar{z}, \bar{T}$$

↑
K
OR

Wellstream Specific Gravity



$$CGR_i = \frac{135}{10^6} = 135 \frac{\text{STB}}{\text{MMscf}}$$

$$\gamma_o = \frac{141.5}{131.5 + \gamma_{API}}$$

Ch. 3:

$$\gamma_w = f(\bar{\gamma}_g, \gamma_{API}, CGR, M_o)$$

→ γ_o

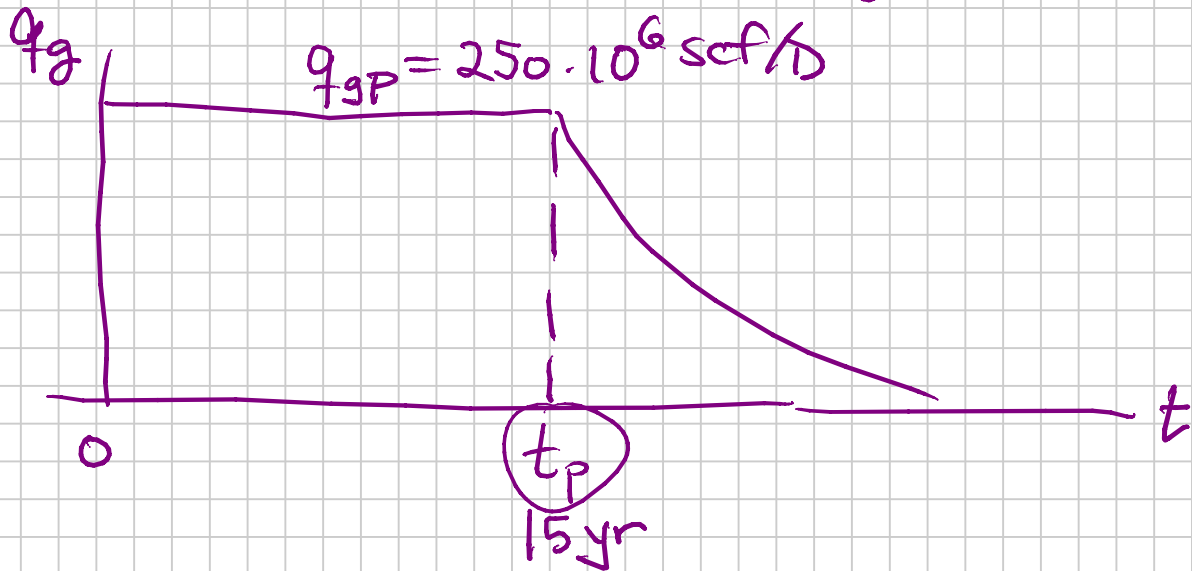
$$\gamma_w = \frac{1}{28.97} \cdot \frac{\left[10^6 \frac{\text{lbmol}}{\text{scf}} \cdot \frac{\text{lb}}{\text{lbmol}} \cdot 28.97(0.75) \right] + \left[135 \text{ bbl} (62.4) (0.759) \left(\frac{5.615 \text{ ft}^3}{\text{bbl}} \right) \right] m_o}{(10^6/379) + m_o/M_o}$$

$$C_{og} = \left(\frac{m_o}{M_o} \right) 379 \quad \underline{\underline{\text{per bbl}}}$$

$$= \frac{1 \text{ bbl} (62.4)(0.759)(5.615)}{124} \cdot 379$$

$$= \underbrace{(62.4)(5.615)(379)}_{\circ} \frac{\delta_o}{M_o}$$

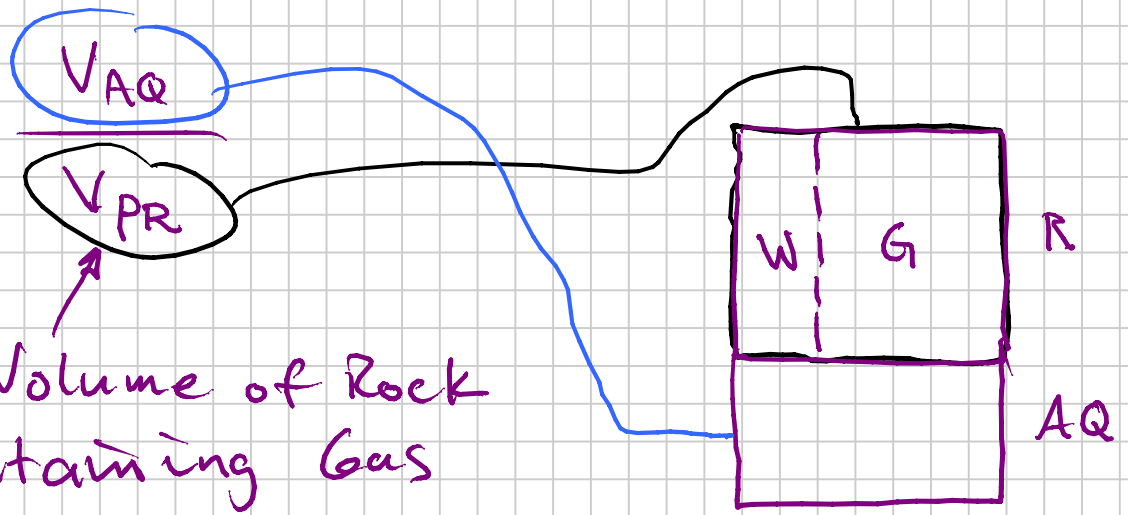
End Plateau Target Recovery



$$\left[\frac{(G_p)_{t_p}}{G} \right] \% = \frac{q_{gp} \cdot t_p}{\textcircled{G}} - 100$$

\uparrow
 $3 \cdot 10^{12} \text{ scf}$

$M \equiv$



Given $\frac{V_{AQ}}{HCPU} = 2 = \frac{V_{AQ}}{V_{PR} (1 - S_w)}$

$$\begin{aligned} M &= 2 \cdot (1 - S_w) \\ &= 2(1 - 0.3) \\ &= 1.4 \end{aligned}$$

Economics Issues in Project

① REVENUE (INCOME)

r - Rate q_g q_0 (Annual)

R - Cumulative $\int q dt$

- Price P_g P_0 (assuming no change in time)

$$r = q_g \cdot P_g + q_0 P_0$$

$P(t)$? Forecasting \pm

② COSTS

c = annual (OPEX - operating Expenses)

C = cumulative $\int c dt$

$$c = f(P)$$

$$c(t) = f(P(t))$$

Platform

Pipeline

Wells

{ Compression

{ Processing P }

Taxes (Royalties)
Bank Interest

Control Variables

→ d_T

"V"

→ P_{min}

✓ Well type (U, S)

⊙(V) Complex



Model is often "empirical"

• may be part of "Platform" cost

③ Net Revenue (Profit)

$$P = R - C$$

Sell

$$p = r - \{c - tr\} \text{ annual}$$

④ Time value of money

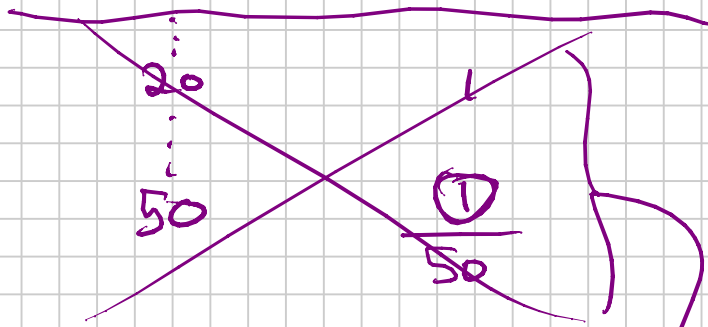
Value 10^9 \$
 p (busd)

Year	p (busd)	NPV p "today"
→ 0	1	
1	1	$1/1.1$ $P/(1+DF) \sim 0.9$
2	1	$P/(1+DF)/(1+DF) \sim 0.8$
3	1	⋮
4	1	⋮
5	1	⋮
⋮	⋮	⋮
10	1	$\frac{P(t)}{[1+DF]^t}$

Discount Factor
DF

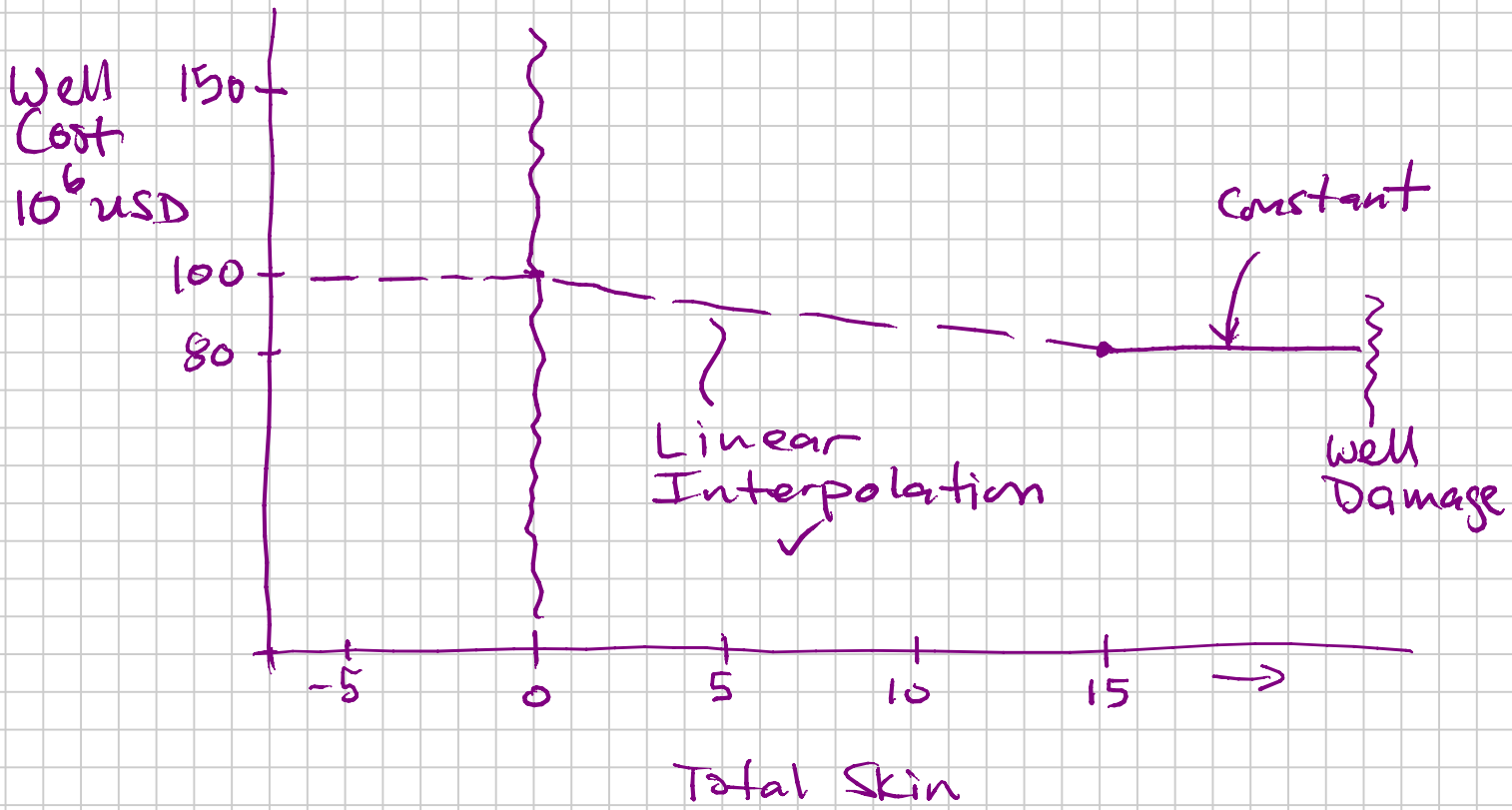
~ 0.1
 (close to business interest for loans)

0.05-0.15



$$\frac{10^9 \$}{(1.1)^{50}} \sim 10 \cdot 10^6 \$$$

Curtis thinks it is BS



(Well Completion Efficiency)

Project:

Optimize the field development strategy

Maximize NPV

Without proper

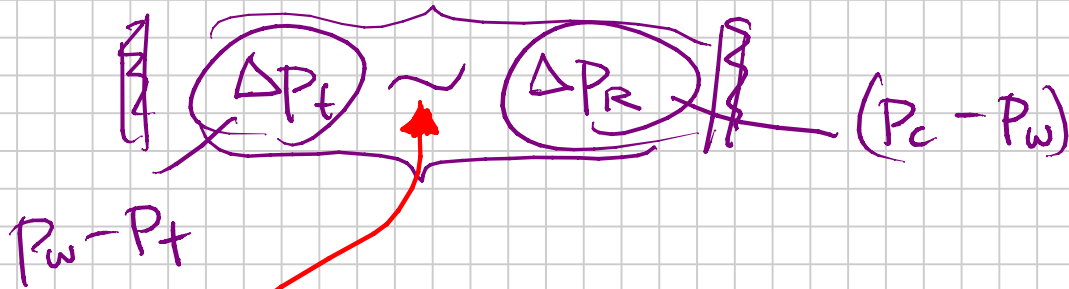
NPV (V)

d_T P_{tmin} skin

Engineering Approach

d_T selection

Minimize ΔP_t : $\{P_w - P_t\}$ friction



UPDATE in
defining
"optimal"
Production
Strategy:

$$\frac{P_w - P_t}{P_c - P_t} = 0.05$$

This condition "minimizes" to a realistic value (5%), the % of total well pressure drop $(P_c - P_t)$ in the tubing $(P_w - P_t)$.

For optimization with SOLVER, use this constraint at $t_{plateau} = 15 \text{ yr.}$

Also, assume maximum $d_t = 7''$ as this is the basis for the base well cost of $\$80 \cdot 10^6$.

$d_T = 12''$ for a reservoir
high (kh)

Work on a "new" well-cost
model

$d_T \sim 4''$ Lower kh

NIPV = 4.6 bUSD