

# Time-lapse gravity response of compacting reservoirs

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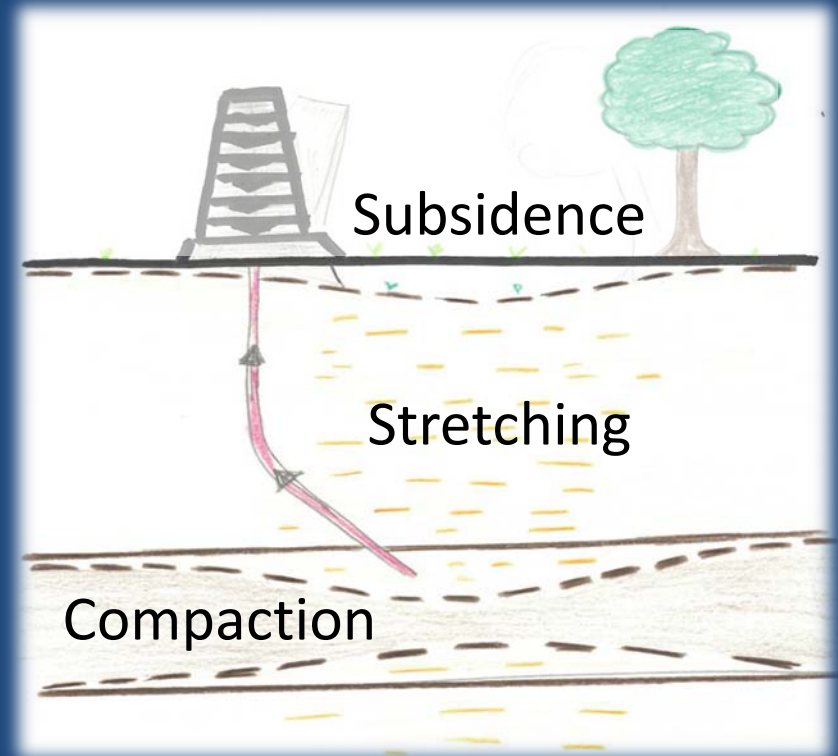
SINTEF Petroleum Research

# Objective

Can 4D gravity detect compaction?

Contents:

- 4D Gravity
- Forward modelling
- Results of synthetic case



# Time-lapse gravity

- Newton's law of gravitation:

$$g_z = G \cdot m \cdot \frac{z}{r^3}$$

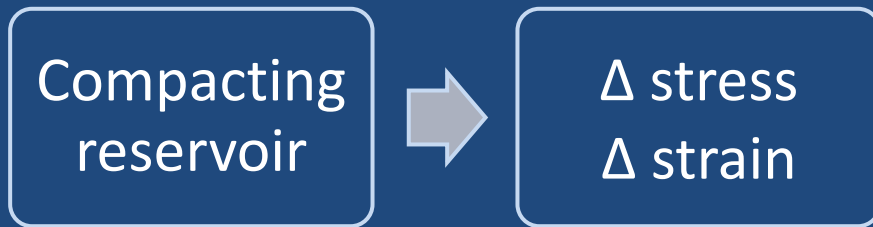
- Fluid substitution:  
if  $\rho_{f2} \geq \rho_{f1}$

$$m_2 \geq m_1$$

**Troll field** (Eiken et al, 2008)

- 4D gravity repeatability:  
**4  $\mu$ Gal**
- **9  $\mu$ Gal** of 4D signal:  
2.8 m water rise
- Max subsidence: 3 cm  
change in density?

# Monitoring compaction

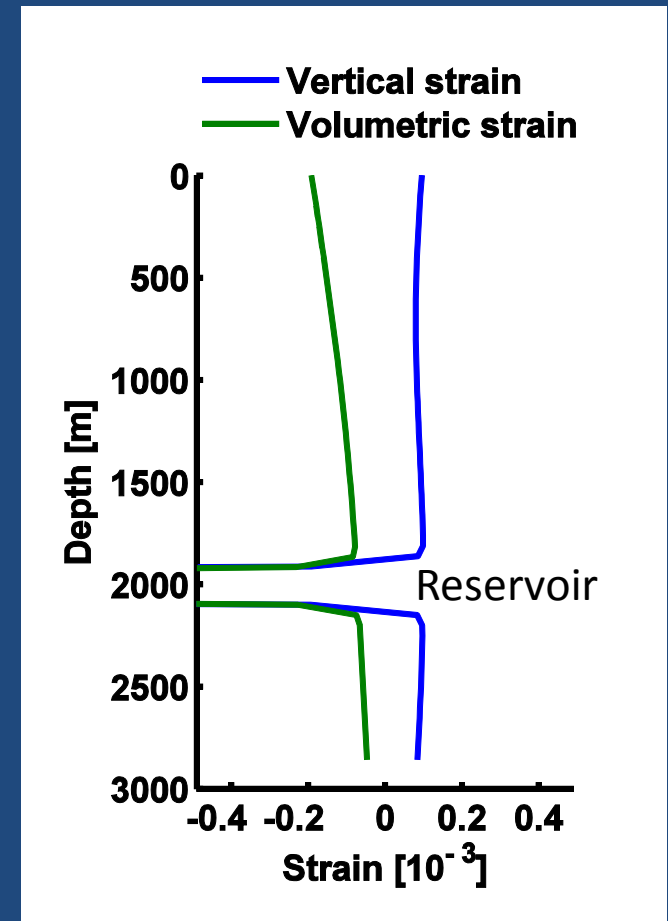


4D seismic: 
$$\frac{\Delta T}{T} = \frac{\Delta z}{z} + \frac{\Delta V}{V}$$

4D gravity: 
$$\Delta g_z = f(\Delta \rho)$$

Valhall:

- Overburden = 0.7 millistrain
- Reservoir = 130 millistrain
- Time-shift = 20 ms



# Forward modelling

1

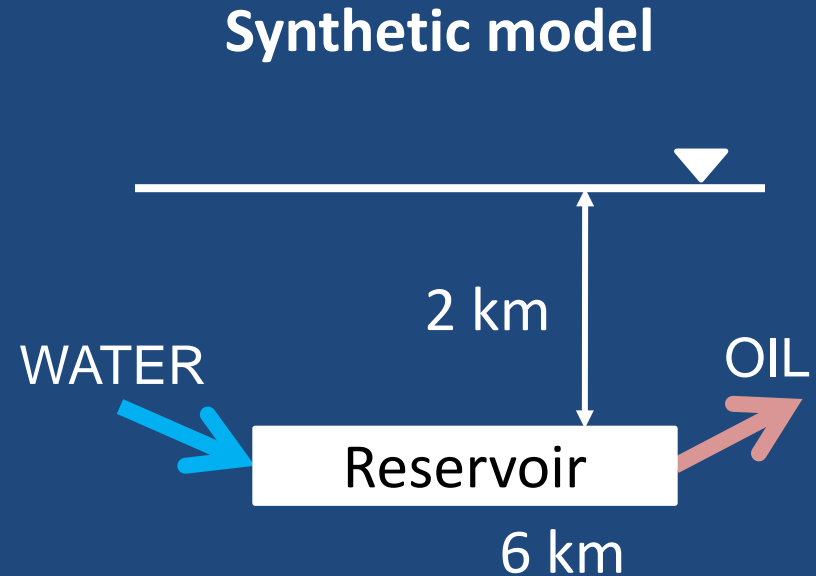
- Volumetric strain estimation

2

- Density change estimation

3

- Time-lapse gravity modelling



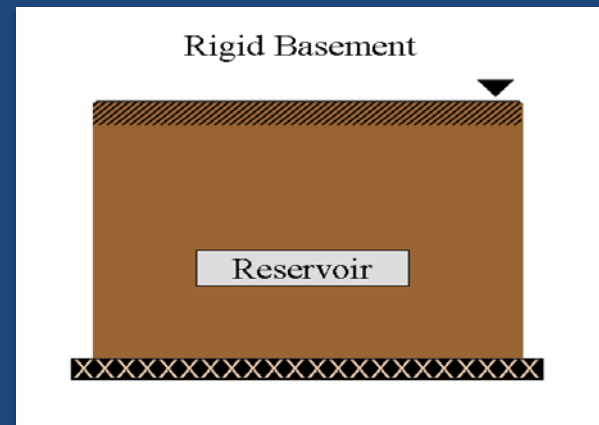
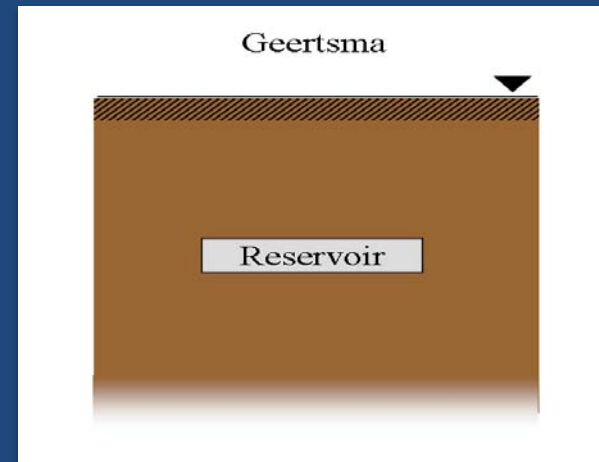
$\Delta P =$ 10 MPa	$C_m =$ $10^{-3} \text{ Mpa}^{-1}$
$\phi =$ 20-30 %	$v =$ 0.25

# 1 - Volumetric strain estimation

3D analytical model:

- Geertsma's method
- Rigid basement extension

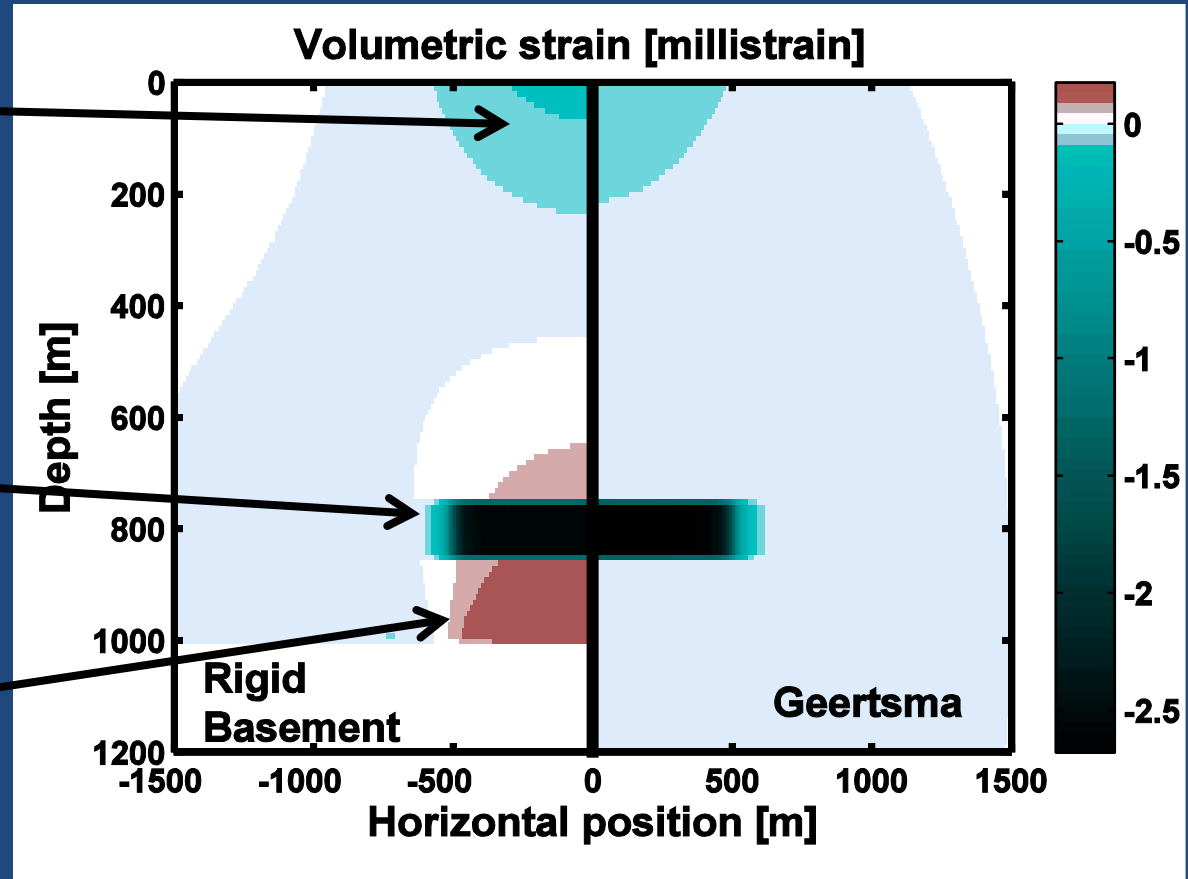
- Nucleus of strain approach
- Homogeneous material
- Linear elastic behaviour



Shallow rock volume decrease

Reservoir volume decrease

Rock volume increase around reservoir



# 2 - Density change estimation

Density change:

$$\Delta\rho = (\rho_f - \rho_s) \cdot \Delta\phi$$

where

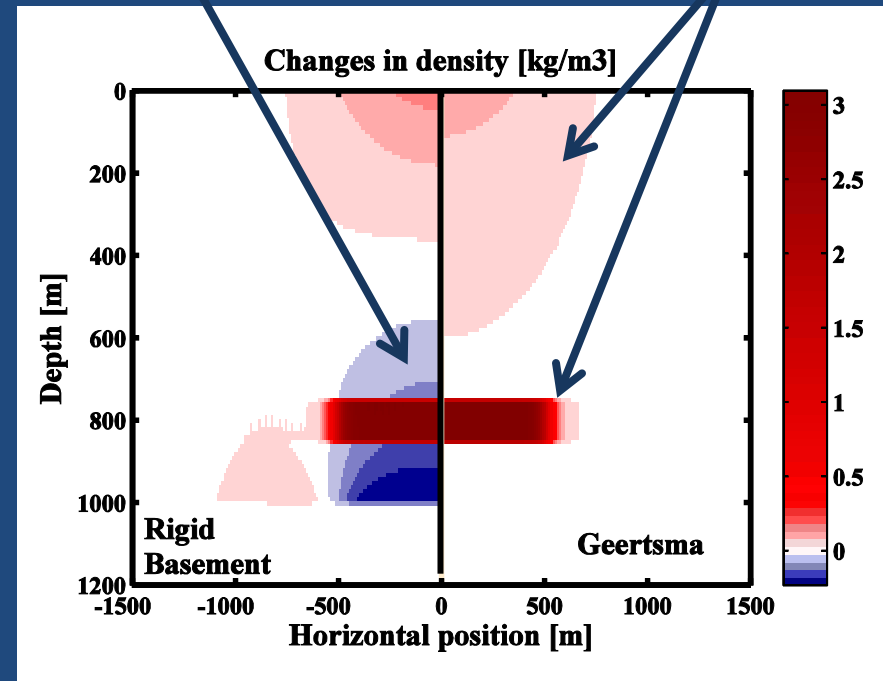
$$\Delta\phi = (1 - \phi_{ini}) \cdot \varepsilon_{vol}$$

and

$$\varepsilon_{vol} = \varepsilon_x + \varepsilon_y + \varepsilon_z$$

Estimated density change:

- Density decrease
- Density increase





# 3 – Time-lapse gravity modelling

- Gravity effect of element volume after production

$$g_{z,n,monitor} = G \cdot (\rho + \Delta\rho) \cdot (V + \Delta V) \cdot \frac{(z + \Delta z)}{R_{defor}^3}$$

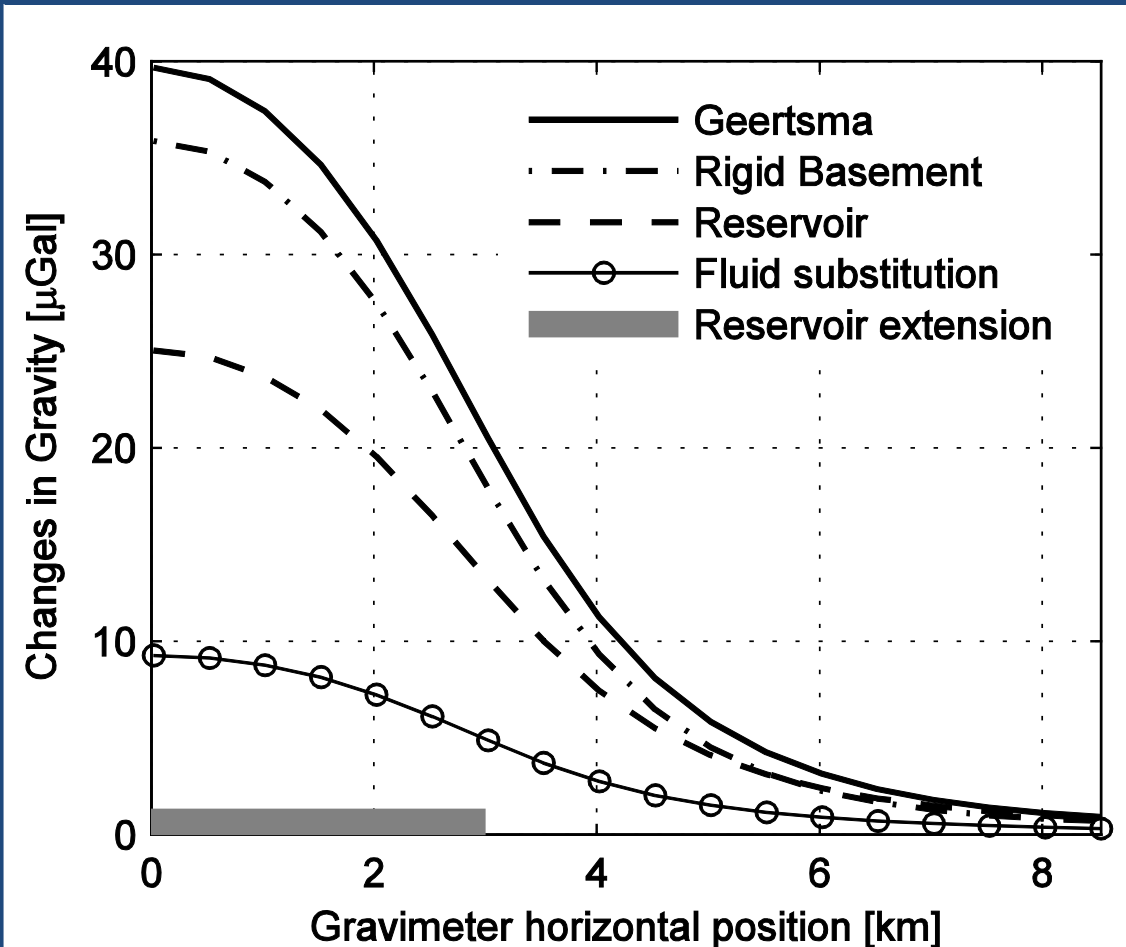
- Time-lapse effect of element volume

$$\Delta g_{z,n} = g_{z,n,monitor} - g_{z,n,base}$$

- Total time-lapse effect

$$\Delta g_z = \sum_{n=1}^N \Delta g_{z,n}$$

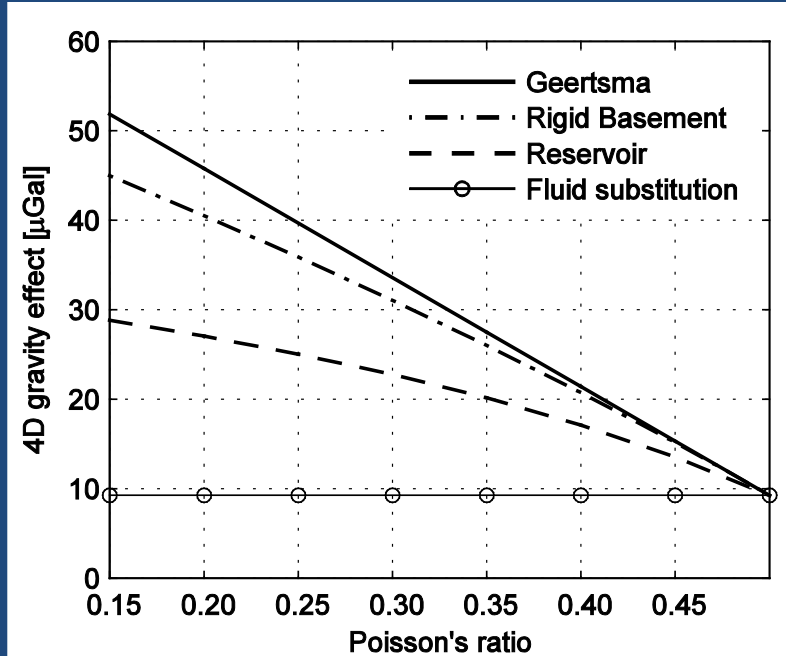
# 4D gravity effect



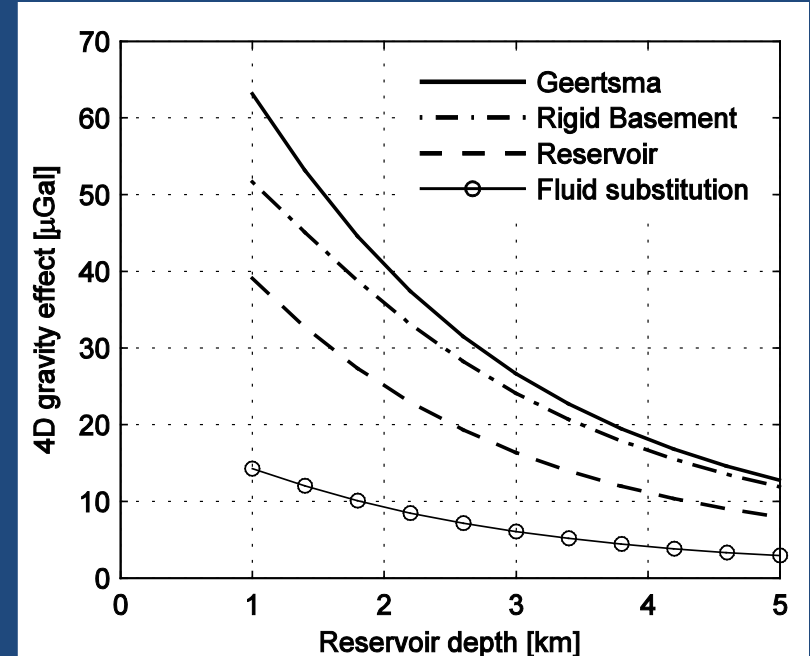
10 millistrain  
+  
10 m water  $\rightarrow$  oil  
 $\Downarrow\Downarrow$   
40  $\mu\text{Gal}$

# Sensitivity

## Poisson's ratio



## Reservoir depth

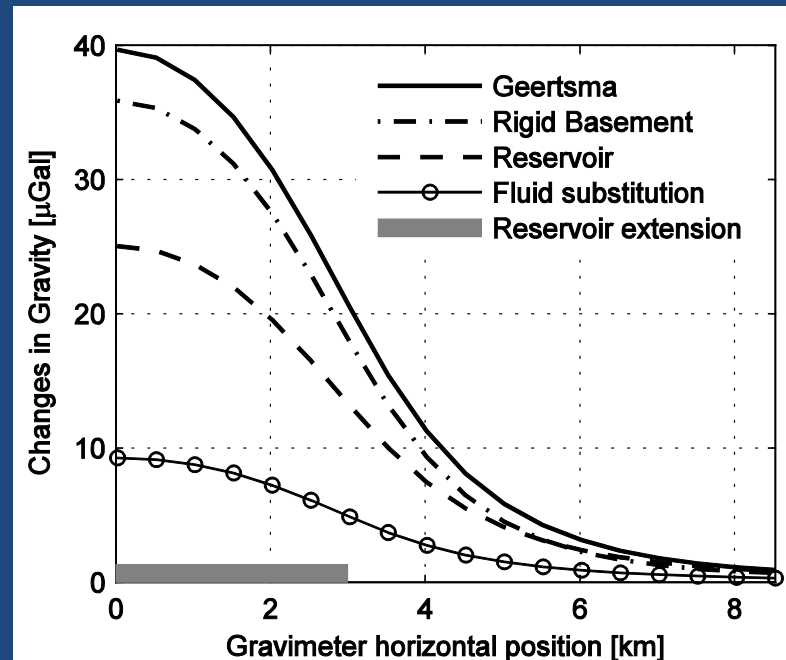


# Conclusion

- **Forward model** for 4D gravity anomaly changes due to compacting reservoirs
- Predicted anomaly changes (**30-40  $\mu\text{Gal}$** ) greater than current (**4  $\mu\text{Gal}$** ) accuracy
- Deformation of **surroundings** accounted for 15 – 25 % of predicted 4D gravity effect

# Acknowledgement





**THANK YOU FOR YOUR ATTENTION!**  
**ANY QUESTION?**